

TRACKER RESOLUTION AND RECOIL MASS IN ZH @ 250GEV

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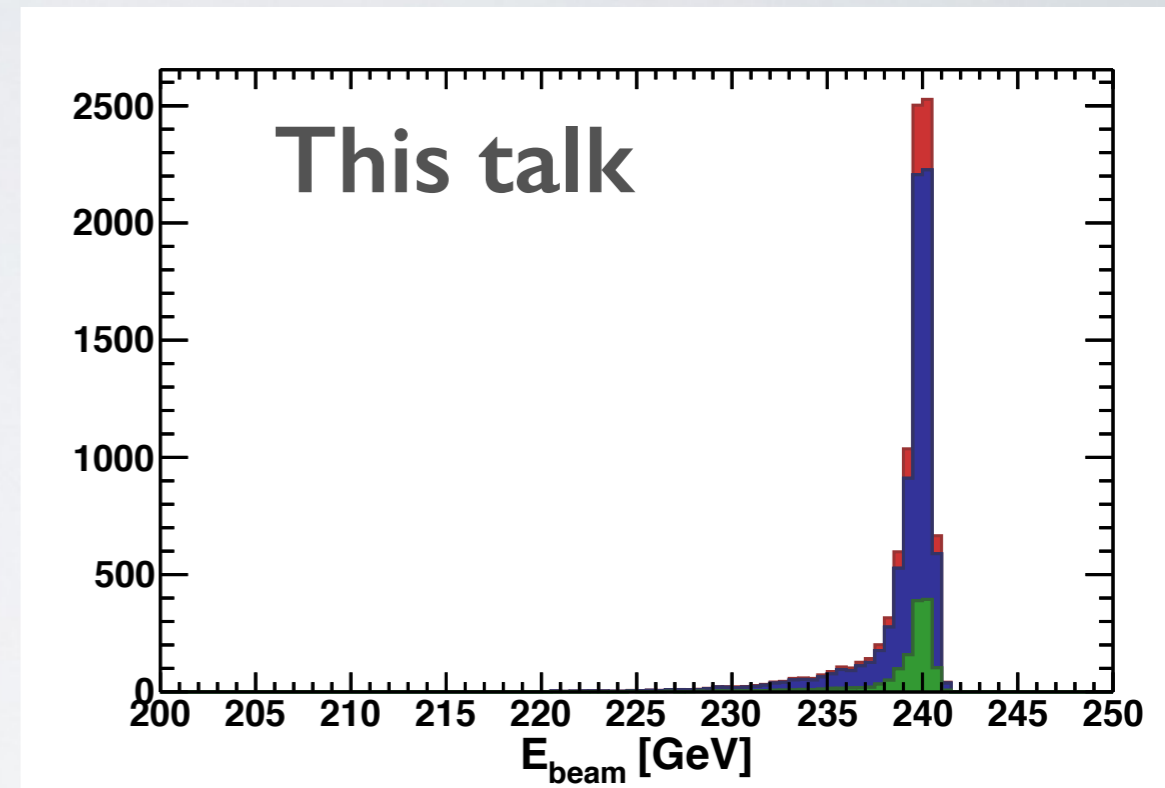
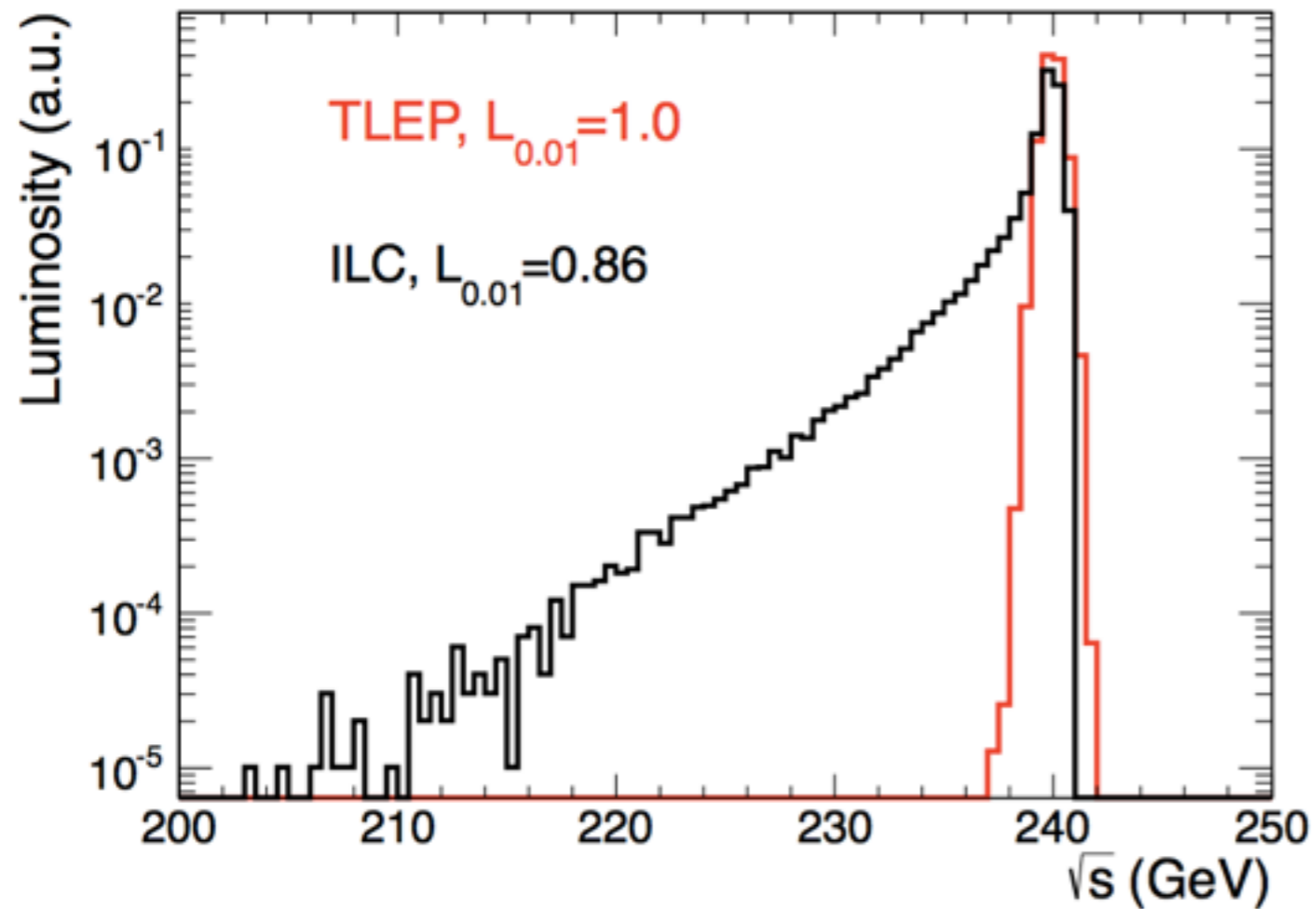
INTRODUCTION

- Context:
 - CEA/Irfu LC-TPC team (LC = Leptonic Collider!)
 - synergy ILC/FCC...
 - What if the TPC resolution is worsened “for instance” due to a large ion charge in a continuous machine?
 - Try to understand the impact on the physics
 - Only back of the envelope calculations
 - Warning \Rightarrow this is no real stuff...

RECOIL MASS RESOLUTION

- Recoil mass resolution against $Z\mu\mu$ as a benchmark for the tracker resolution
- At ILC: $\sigma(1/pT) = 2 \cdot 10^{-5} / \text{GeV}$ @ 50GeV so the tracker resolution negligible vs beam energy spread
- Here just generate events with Pythia and smear them with flat resolution and beam energy spread, no ILD simulation

BEAM ENERGY SPREAD



Curves used to smear the center of mass energy
gaussian core: 32 MeV

FAST SIMULATION

- $E_{\text{CM}} = 240 \text{ GeV}$
- No polarisation (NB $\sigma_{\text{ZH}}[\text{pol.}] = 1.5 \times \sigma_{\text{ZH}}[\text{unpol.}]$)
- Pythia8 simulation:

$$ee \rightarrow Z(\mu\mu)H \quad \sigma = 6.6 \text{ fb}$$

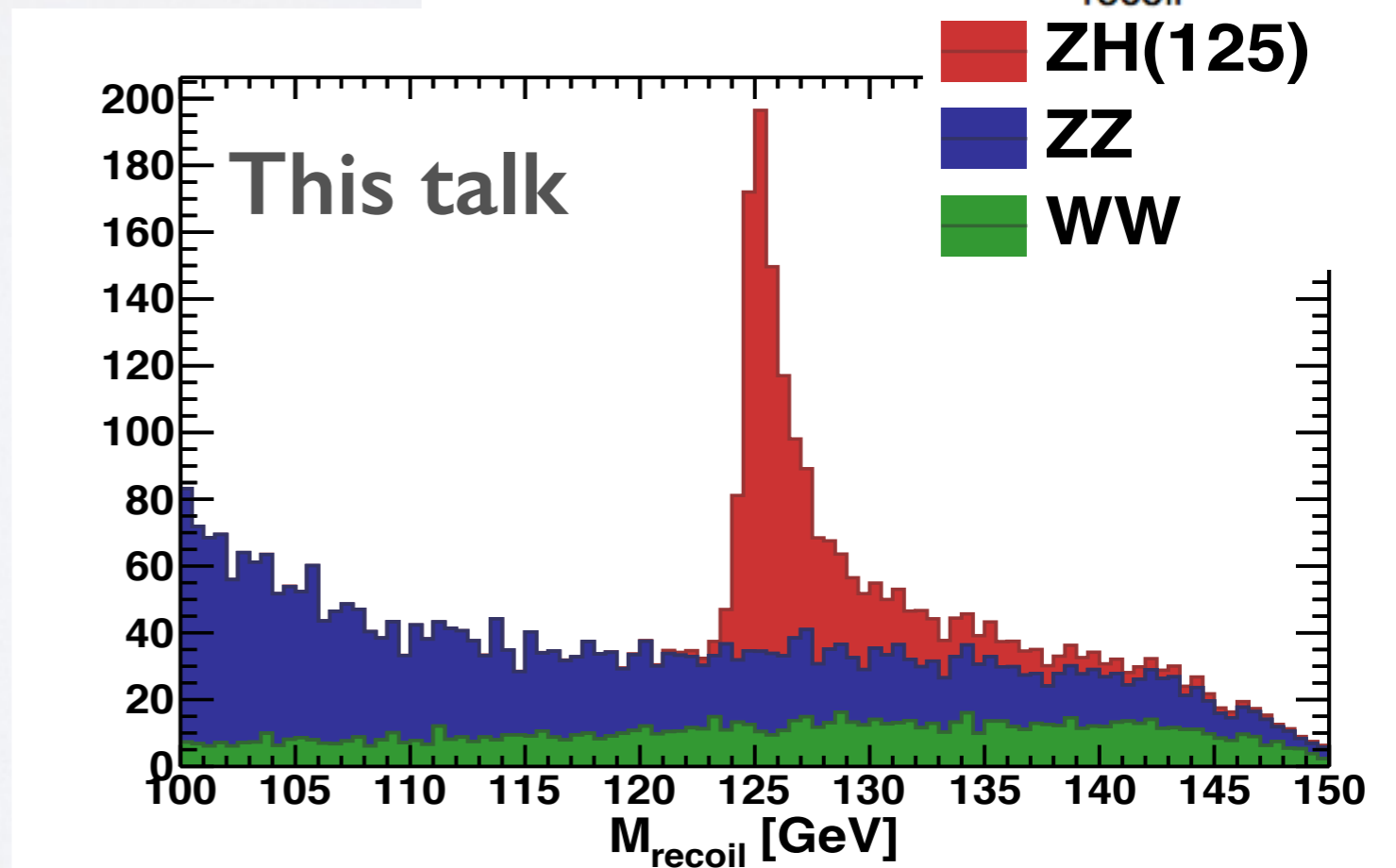
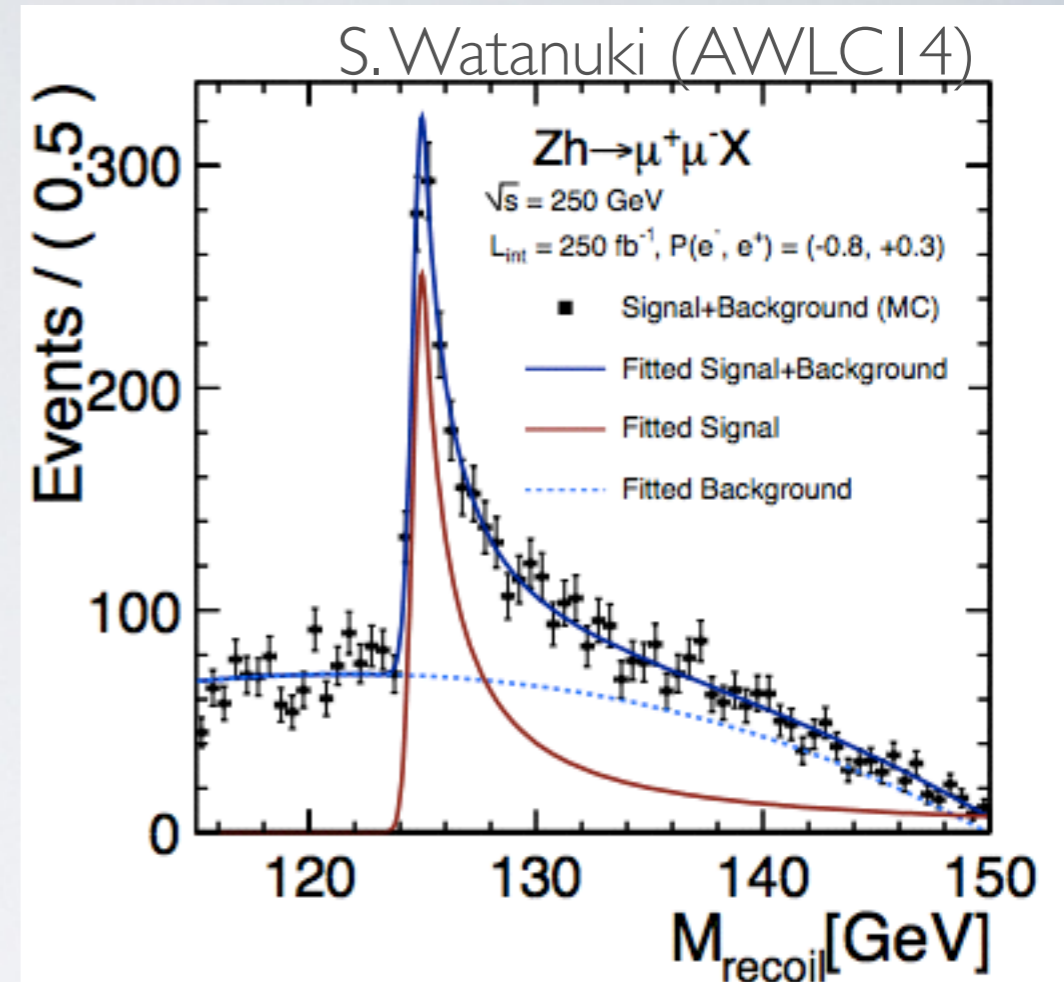
$$ee \rightarrow WW(\mu\mu) \quad \sigma = 190.6 \text{ fb}$$

$$ee \rightarrow ZZ \quad \sigma = 1362.0 \text{ fb}$$

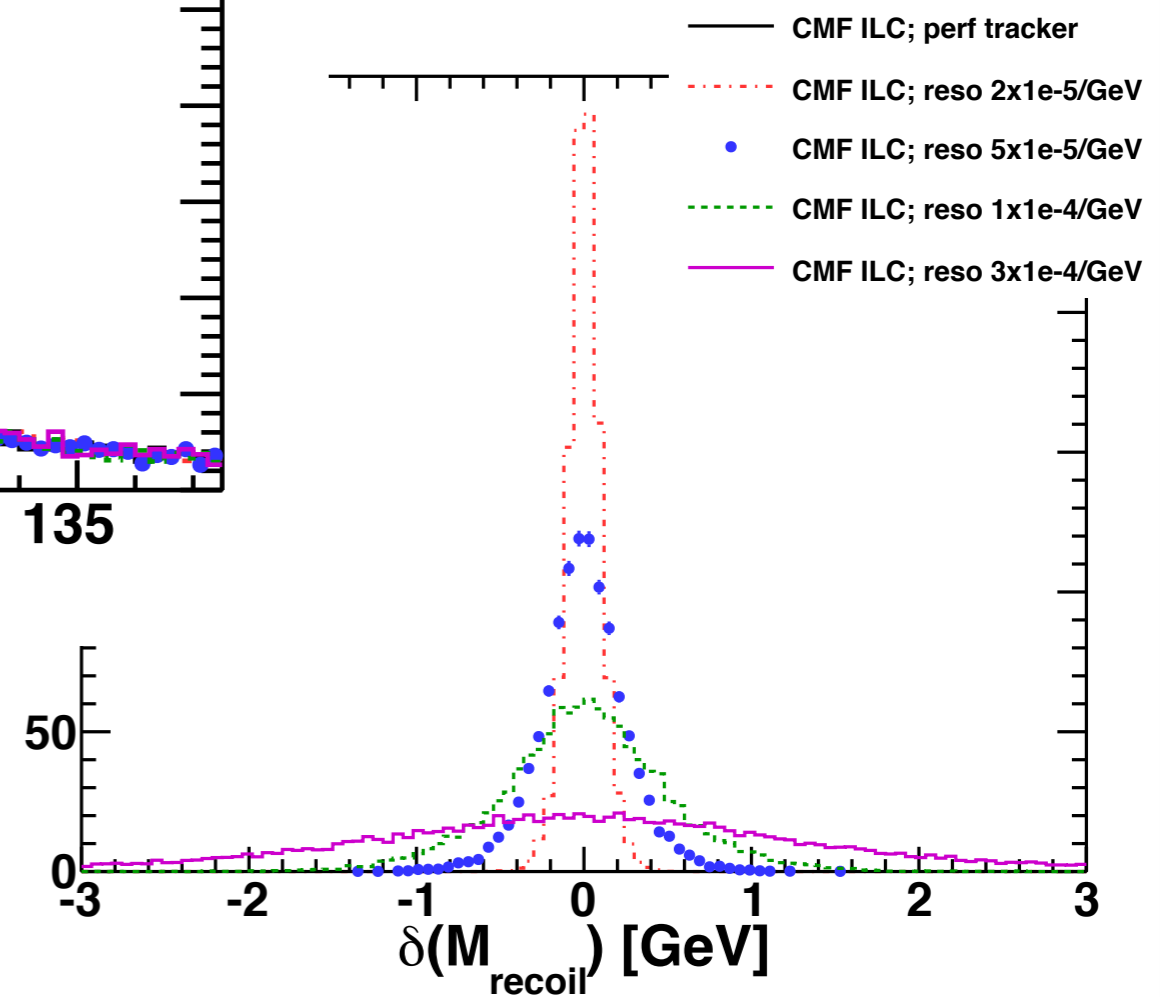
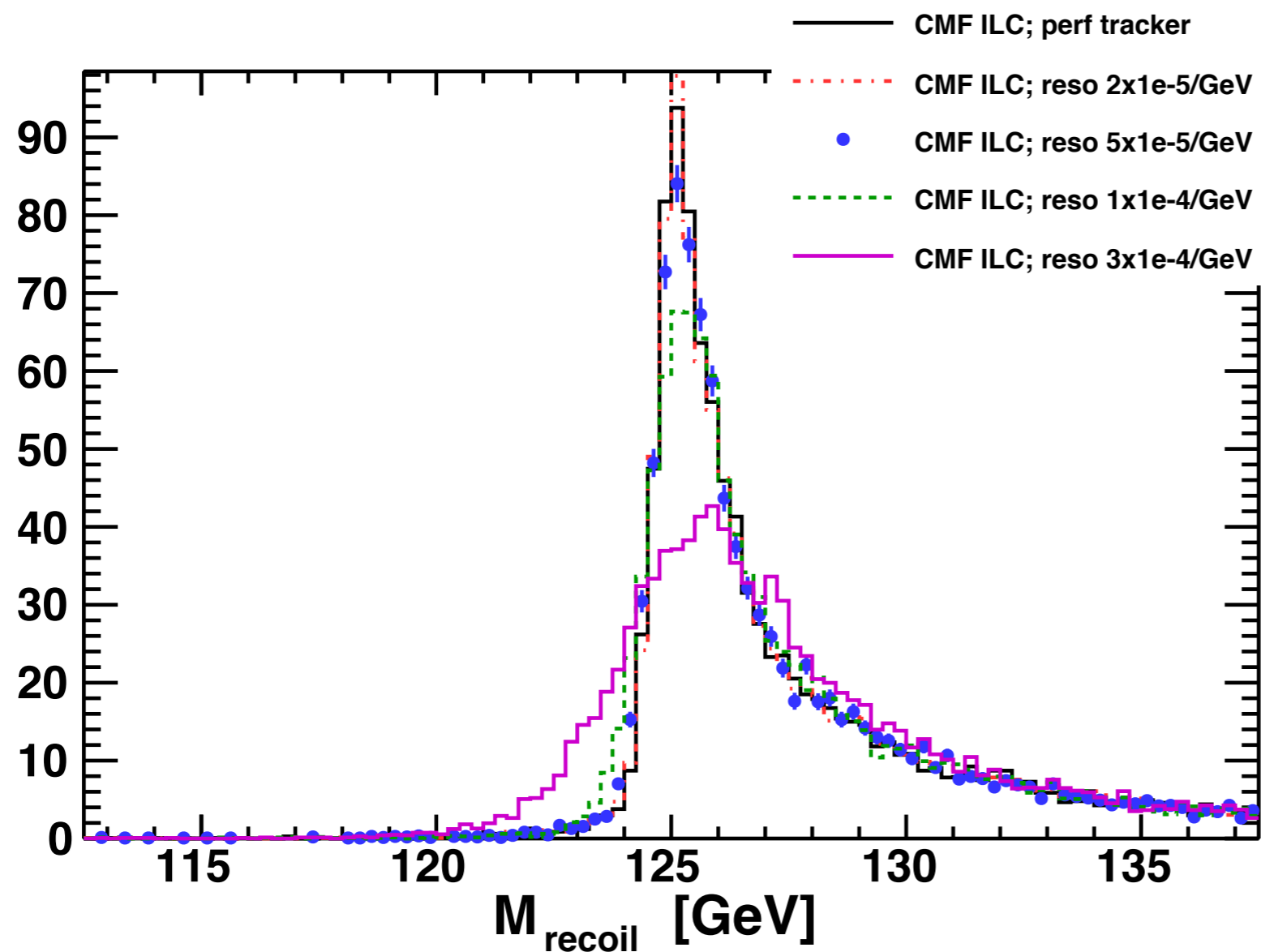
- Normalised to pythia cross sections
- CM beam energy smeared
- $L = 250 \text{ fb}^{-1}$

CUTS

- Extremely simplified cuts
- $|M[\mu\mu] - 91.2| < 5 \text{ GeV}$
- $p_Z[\mu\mu] < 50 \text{ GeV}$
- $p_T[\mu\mu] > 10 \text{ GeV}$

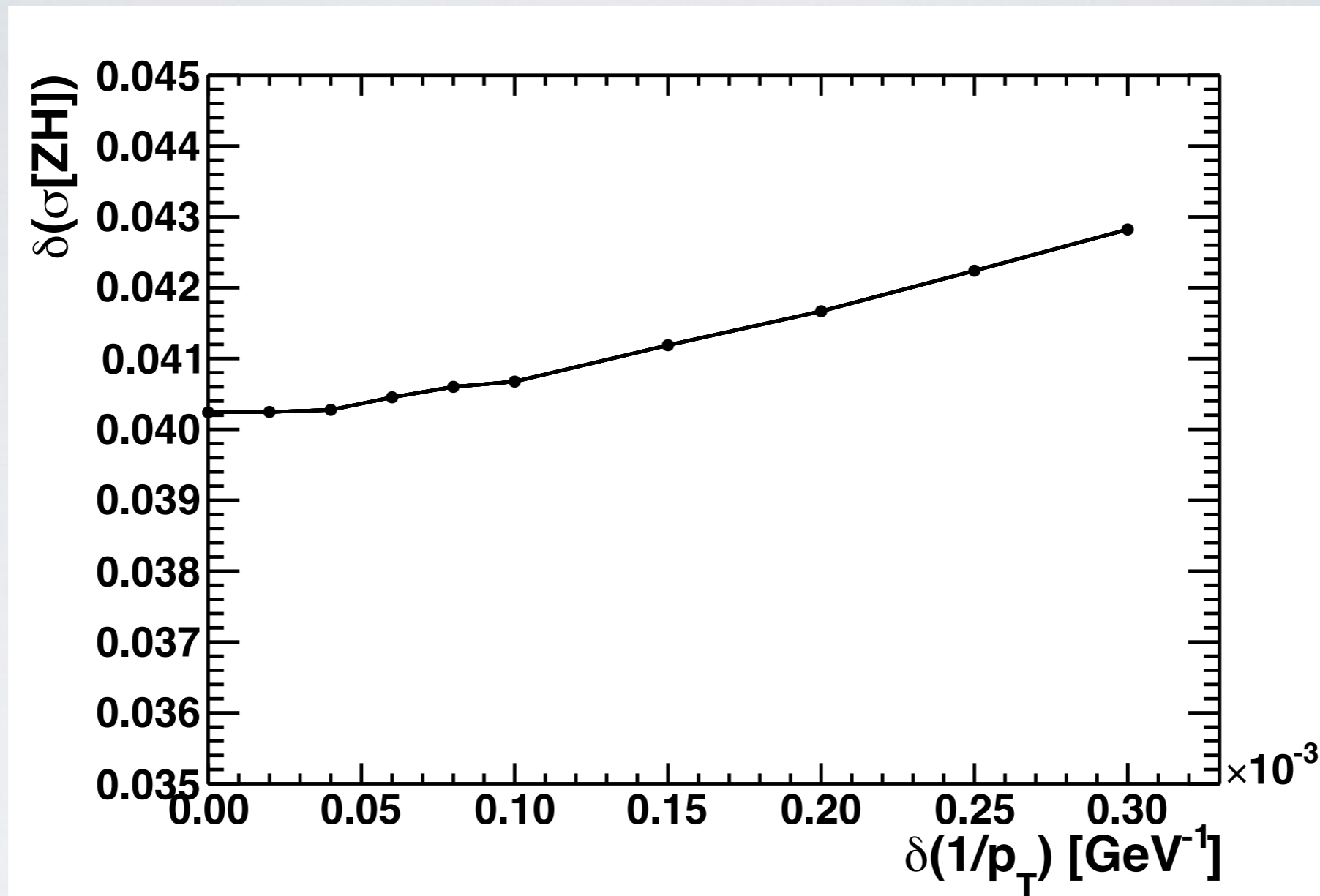


RECOIL MASS RESOLUTION



tracker resolution only

STAT PRECISION ON ZH XSEC



$$\delta(\sigma[\text{ZH}]) = 1 / \sqrt{(\sum_i s_i^2 / (s_i + b_i))}$$

Not a real fit so this overestimates the actual sensitivity (bkg and mH perfectly known)

TRACKER RESOLUTION ULTRA-FAST SIM

$$y = y_0 + \sqrt{R^2 - (x - x_0)^2}$$
$$y \approx y_0 + R \left(1 - \frac{(x - x_0)^2}{2R^2} \right) \quad R^2 \gg (x - x_0)^2$$
$$y = \left(y_0 + R - \frac{x_0^2}{2R} \right) + \frac{x_0}{R} x - \frac{1}{2R} x^2$$

$$R = \frac{p}{0.3B} \quad \frac{\delta p}{p} = \frac{\delta R}{R}$$

Understand impact of TPC on pT resolution (2D only)

- quadratic helix approximation
- ideal case (no multiple scattering...)
- Track pT = 50 GeV

ILD TRACKER (TDR)

central tracker

vertex

| | R (mm) | $ z $ (mm) | $ \cos \theta $ | σ (μm) |
|---------|----------|------------|-----------------|----------------------------|
| Layer 1 | 16 | 62.5 | 0.97 | 2.8 |
| Layer 2 | 18 | 62.5 | 0.96 | 6 |
| Layer 3 | 37 | 125 | 0.96 | 4 |
| Layer 4 | 39 | 125 | 0.95 | 4 |
| Layer 5 | 58 | 125 | 0.91 | 4 |
| Layer 6 | 60 | 125 | 0.9 | 4 |

| SIT (baseline = false double-sided Si microstrips) | | | | | |
|----------------------------------------------------|--------|---------------|----------------------------------------|---------------|-----------|
| Geometry | | | Characteristics | | Material |
| R [mm] | Z [mm] | $\cos \theta$ | Resolution R- ϕ [μm] | Time [ns] | X_0 [%] |
| 153 | 368 | 0.910 | R: $\sigma=7.0$ | 307.7 (153.8) | 0.65 |
| 300 | 644 | 0.902 | z: $\sigma=50.0$ | $\sigma=80.0$ | 0.65 |

| SET (baseline = false double-sided Si microstrips) | | | | | |
|----------------------------------------------------|--------|---------------|----------------------------------------|---------------|-----------|
| Geometry | | | Characteristics | | Material |
| R [mm] | Z [mm] | $\cos \theta$ | Resolution R- ϕ [μm] | Time [ns] | X_0 [%] |
| 1811 | 2350 | 0.789 | R: $\sigma=7.0$ | 307.7 (153.8) | 0.65 |

| ETD (baseline = single-sided Si micro-strips) | | | | | |
|-----------------------------------------------|--------|---------------|----------------------------------------|--|-----------|
| Geometry | | | Characteristics | | Material |
| R [mm] | Z [mm] | $\cos \theta$ | Resolution R- ϕ [μm] | | X_0 [%] |
| 419.3-1822.7 | 2420 | 0.985-0.799 | x: $\sigma=7.0$ | | 0.65 |

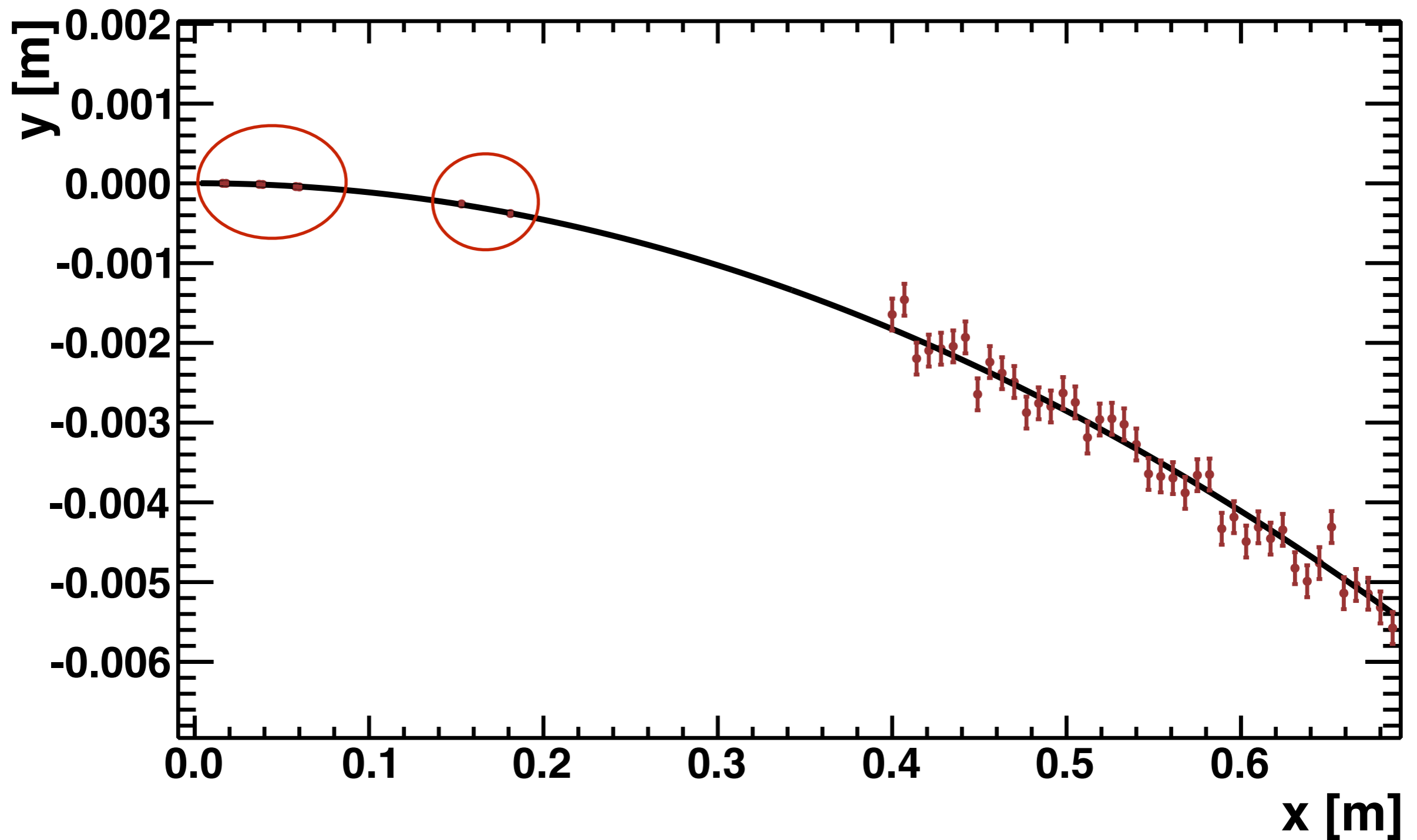
TPC

| Parameter | r_{in} | r_{out} | z |
|--------------------------------|-----------------------------------------------------------------------------------------------|-----------|---------------|
| Geometrical parameters | 329 mm | 1808 mm | ± 2350 mm |
| Solid angle coverage | up to $\cos \theta \simeq 0.98$ (10 pad rows) | | |
| TPC material budget | $\simeq 0.05 X_0$ including outer fieldcage in r $< 0.25 X_0$ for readout endcaps in z | | |
| Number of pads/timebuckets | $\simeq 1-2 \times 10^6/1000$ per endcap | | |
| Pad pitch/ no.padrows | $\simeq 1 \times 6 \text{ mm}^2$ for 220 padrows | | |
| σ_{point} in $r\phi$ | $\simeq 60 \mu\text{m}$ for zero drift, $< 100 \mu\text{m}$ overall | | |
| σ_{point} in rz | $\simeq 0.4 - 1.4 \text{ mm}$ (for zero - full drift) | | |
| 2-hit resolution in $r\phi$ | $\simeq 2 \text{ mm}$ | | |
| 2-hit resolution in rz | $\simeq 6 \text{ mm}$ | | |
| dE/dx resolution | $\simeq 5 \%$ | | |
| Momentum resolution at B=3.5 T | $\delta(1/p_t) \simeq 10^{-4}/\text{GeV}/c$ (TPC only) | | |

TPC: about 200 points in 1.4m

$$B_z = 3.8 \text{ T}$$

FIT EXAMPLE



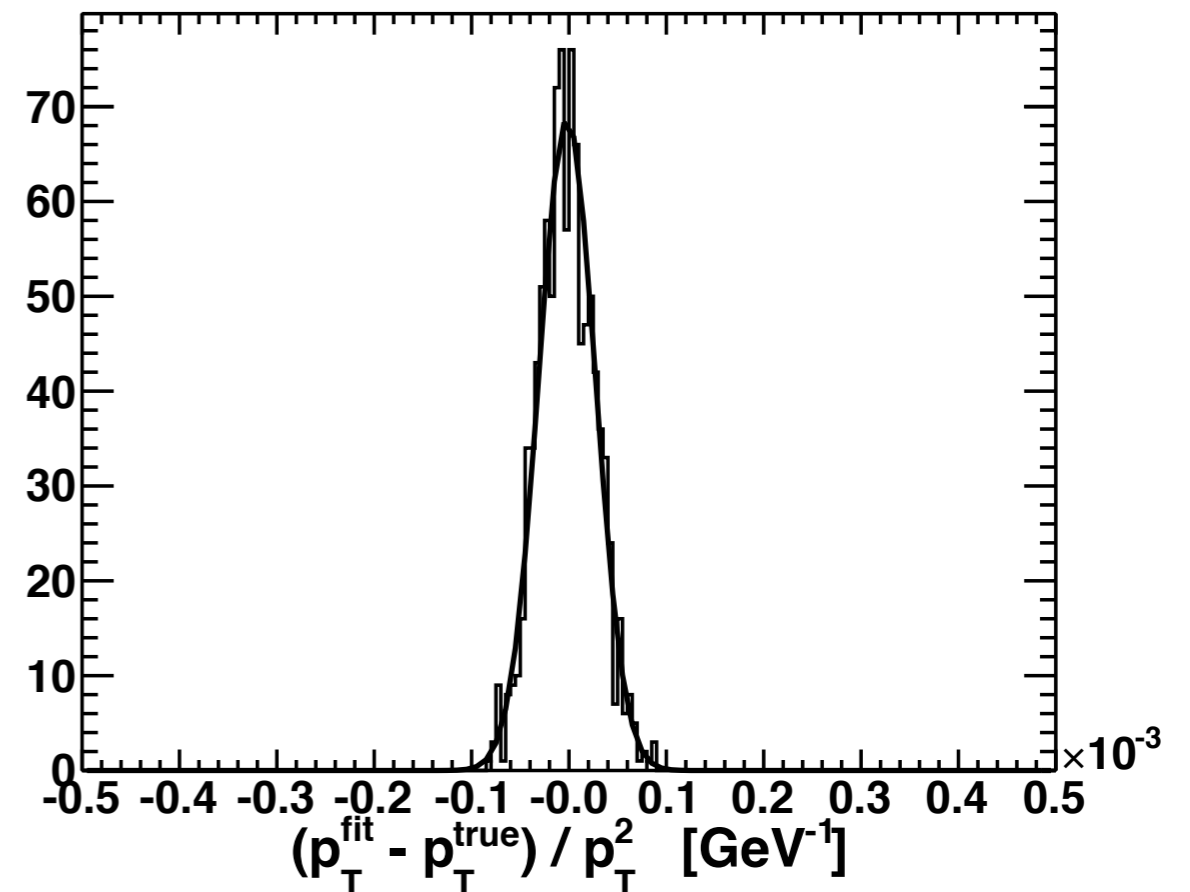
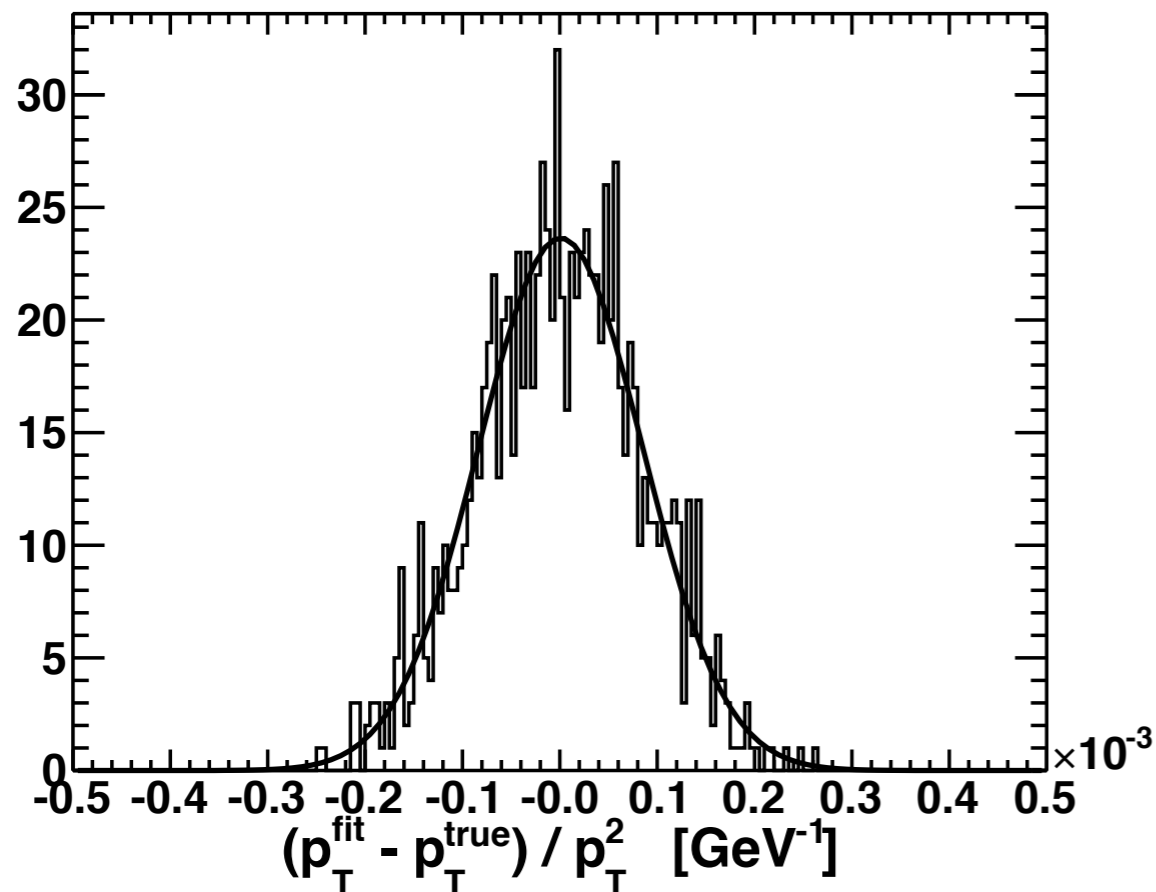
TRACKER RESOLUTION

TPC only

$$\sigma_{r\varphi} = 100\mu\text{m}$$

Full Tracker

$$\sigma_{r\varphi} = 100\mu\text{m}$$

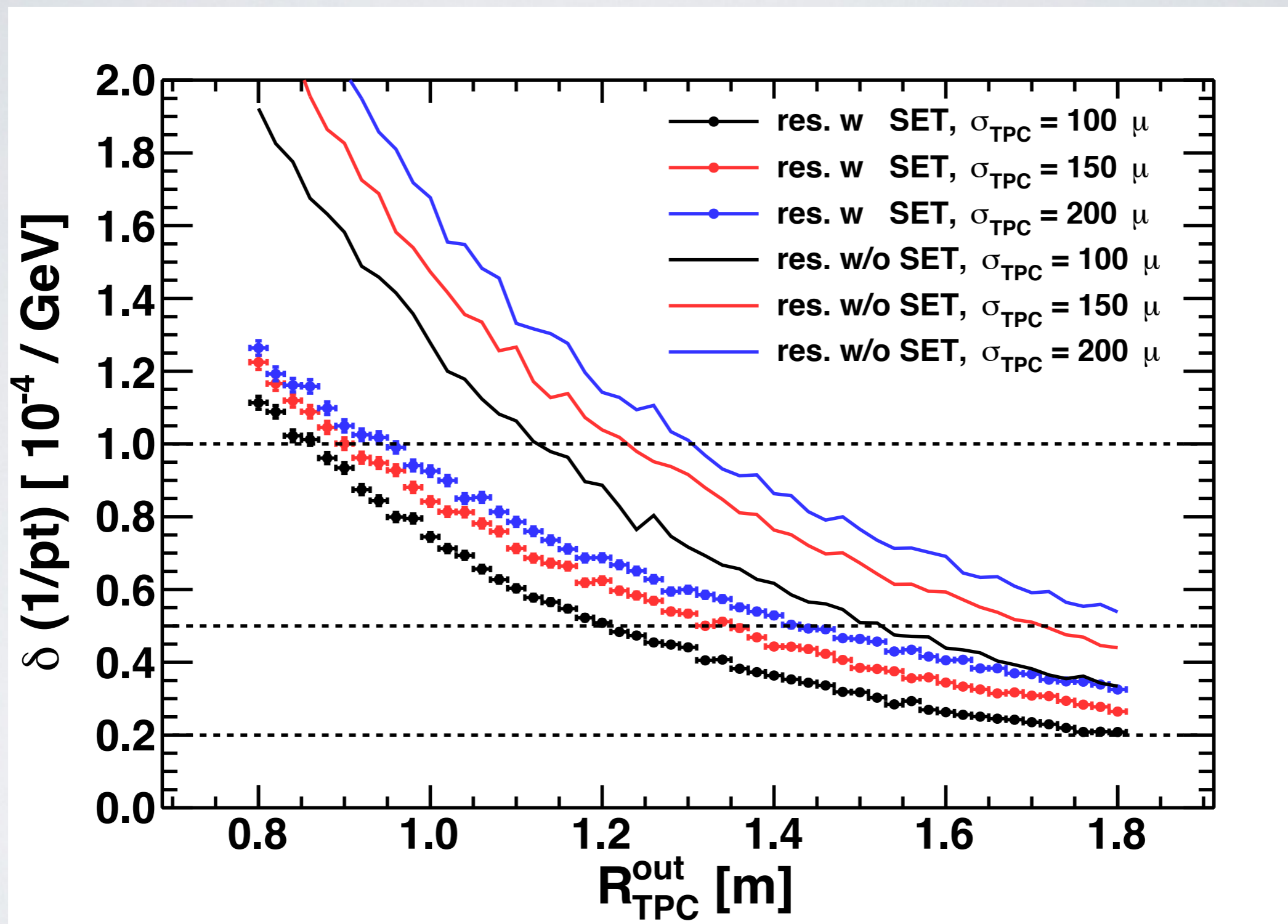


$$\Rightarrow \sigma(1/p_T) = 8.5 \times 10^{-5} / \text{GeV}$$

$$\Rightarrow \sigma(1/p_T) = 2 \times 10^{-5} / \text{GeV}$$

matches actual ILD-TPC numbers

TRACKER RESOLUTION VS TPC



CONCLUSIONS

- Only allows to get rough ideas: needs to be done with a real simulation and real analysis
- Precision on $\sigma_{ZH@240\text{GeV}}$ not the only benchmark for TPC optimisation:
 - mH precision should be more affected
 - TPC pattern recognition, dE/dx id
 - ...
- With all these cautions a worsened TPC resolution might be ok for instance due to:
 - a worsened $\sigma(r\varphi)$ in more demanding environment
 - a smaller TPC radius if needed
 - ...