## Neutron Polarization and Transmission Measurement for the nEDM@SNS Experiment

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# Principle of EDM Measurement



nEDM@SNS is aiming at a sensitivity of  $\simeq 10^{-28} e \cdot cm$  (current limit  $d_n < 1.8 \times 10^{-26} e \cdot cm$  (90% CL)[PDG])

- Ultracold Neutrons (UCN) production via superthermal scattering in superfluid He.
- B field of 30 mG and field uniformity of 3 ppm/cm and E field of 75 kV/cm.
- Free precession method
  - <sup>3</sup>He co-magnetometry to monitor B field via SQUIDS.
  - Scintillation rate via spin dependent n-<sup>3</sup>He reaction.

 $n \uparrow + {}^{3}He \downarrow \rightarrow {}^{3}H + p + 765 \ keV$ 

• Critical spin dressing method for better sensitivity and cross check on systematics



### Cryogenic Magnet Package and its associated windows



#### **Illustration of the Magnetic Fields**



B<sub>0</sub> Coil: (Superconducting Cu-clad NbTi wire)

30 mG and uniformity of 3 ppm/cm uniformity is crucial for the transverse coherence time T<sub>2</sub> of UCN and helium-3

#### Dressing Coil: (Superconducting Ti/Pb Solder Wire)

AC field < 0.5 G and uniformity of 45 ppm/cm also used as  $\pi/2$  spin flip

#### Superconducting Pb Shield:

Further shield the ambient environmental magnetic fields and stabilize the magnetic drifts over the measurement time

#### **B**<sub>0</sub> Flux Return:

Metglas 2826M, location accuracy < 1 mm improve field uniformity, mitigating the effect of errors in wire placement and reducing field distortions due to the cylindrical superconducting shield just outside of this shield

#### AC Field Shield:

A copper film shields the Metlas from heating of the dressing field



### Cryogenic Magnet Package and its associated windows



# Polarization and Transmission of Neutrons

- Need to measure the transmission and polarization loss of monochromatic neutrons from nEDM cryostat magnet windows.
- Especially superconducting Pb shielding and ferromagnetic flux-return Metglas.
- Presence of microscopic magnetic domains and the fact that windows can act as current sheets can cause diabatic transitions in the magnetic fields leading polarization loss.
- Difficult to simulate diabatic transitions so need to measure polarization loss experimentally in a magnetic field environment similar of that of the final experiment.



# <sup>3</sup>He Polarimetry

Takes advantage of the spin dependence in the capture cross section of neutrons on polarized <sup>3</sup>He.

$$P_n = \tanh[\sigma(\lambda)N_{He}L_{He}P_{He}]$$
$$T_{pol} = T_0 \cosh[\sigma(\lambda)N_{He}L_{He}P_{He}]$$
$$T_0 = N_0 e^{-\sigma(\lambda)n_{He}L}$$



<sup>3</sup>He analyzer cell parameters are difficult to accurately measure.



### **Determination of Neutron Polarization**

$$P_n = \frac{R - R_{sf}}{\sqrt{\left[\left(2\varepsilon_{sf} - 1\right)R + R_{sf}\right]^2 - 4\varepsilon_{sf}^2}}$$

$$R = \frac{T}{T_0}, R_{sf} = \frac{T_{sf}}{T_0} \text{ and } \varepsilon_{sf} = \frac{1}{2} \left( 1 - \frac{\frac{T_{sf}^{afp} - T_{sf}}{T_{sf}^{afp} + T_{sf}}}{\frac{T_{afp} - T}{T_{afp} + T}} \right)$$

- Neutron polarization can be determined by R and R<sub>sf</sub> which simply represent ratios of transmissions through <sup>3</sup>He analyzer.
- <sup>3</sup>He polarization and the physical properties of the <sup>3</sup>He cell do not need to be known to determine the neutron polarization.





N. Fomin et. al, Nucl. Instrum. Methods A 773 (2015) 45























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# Mezei coil spin flipper

The Mezei flipper uses a diabatic field perpendicular to the guide field change to project the polarization direction of the beam onto any arbitrary field axis.



Useful for monochromatic beams i.e. fixed velocity

A flip of  $\phi$  radians with respect to the guide field can be achieved if the resultant field within the coil, B<sub>F</sub>, is perpendicular to B<sub>G</sub> and

$$l = \frac{\phi v}{\gamma_n B_R}$$







# Spin "gymnastics" simulations

• Integrating Bloch's equations to check for spin "gymnastics" transport in the magnetic field for the polarimetry components.









# Ongoing work...

- Cryogenic Magnet is being commissioned at Caltech and is expected to arrive at SNS early 2022.
- Flight tube is undergoing engineering design and construction will begin 2021.
- Polarimetry components are being developed and tested.
- Magnetic field simulations are being performed to check for spin transport.
- Dosimetry calculations have been performed and reviewed for approval.











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## Back up slides

# Metglas polarisation measurements on SESAME at LENS

13<sup>th</sup> April 2014 S.R.Parnell, T. Wang, A.L.Washington and R.Pynn **Samples** – in approx. 9 G field for neutron spin transport

- A 2826 MB3 Low-Cobalt
- B 2605 S3A Low-Cobalt
- C 2605 SA1 Low-Cobalt
- D 2705 M High-Cobalt

Note two different parts of D were tested and gave the same results so material seems consistent





W. Treimer et al., Polarized neutron imaging and three-dimensional calculation of magnetic flux trapping in bulk of superconductors. Phys. Rev. B **85**, (2012) 184522 <u>https://doi.org/10.1103/PhysRevB.85.184522</u>

# Supermirror Polarizer

The supermirror polarizer spin filters the neutron beam by preferentially reflecting one neutron spin state. The other spin state is absorbed in the Borofloat glass substrate.



# <sup>3</sup>He Analyzer Cell

- In collaboration with SNS polarimetry group.
- Offsite polarization using SEOP.
- Transport to site using transport coils.



Figure 4.7: Schematic of the optical pumping station used to polarize  ${}^{3}$ He cells.





## **Neutron Detector**

- 8 or 6 pack of Reuter Stokes <sup>3</sup>He Gas Filled Proportional Detectors.
- Borrow these from the SNS polarimetry group.
- <sup>3</sup>He counter(  $n+^{3}He \rightarrow^{3}H+p$ )
  - Proton and triton create avalanche multiplication
  - Proportional counters operating in Geiger mode.









# "Neutator"-guide field rotator

- Neutron guide field rotator "neutator".
  - Fix any magnetic field misalignment issues.
  - This will eliminate the need to rotate the spin flipper
  - provide the adiabatic rotation after the spin flipper.
  - In collaboration with SNS polarimetry group.



# Frame Overlap

- Graphite filters do not fully filter out the 4.45Å and 2.97Å neutrons.
- These neutrons could overlap with the 8.9Å neutrons in time.
- This will lead to a systematic effect for the polarimetry experiment since the neutron detector will be counting the 8.9Å and the overlap neutrons.







## Chopper solution:



Chopper opening angle: 133 deg Chopper phase: 267.25 deg Chopper length: 5.5 m from source Pulse frequency: 60 Hz Path length to detector: 42.88 m from source

## Effect of polarization loss on scintillation rate

$$\dot{N}(t) = \dot{I}_0 e^{-t/\tau} \left[ 1 - F \cos(\theta_{n3}) \right] + \dot{N}_B$$
  
=  $\dot{I}_0 e^{-t/\tau} \left[ 1 - F \cos(\omega t + \phi_0) \right] + \dot{N}_B$ 



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$$\dot{I}_0 = N_0 \left( \frac{\epsilon_\beta}{\tau_\beta} + \frac{\epsilon_3}{\bar{\tau}_3} \right); \quad F = \frac{\epsilon_3 P_3 P_n}{\bar{\tau}_3 \left( \frac{\epsilon_\beta}{\tau_\beta} + \frac{\epsilon_3}{\bar{\tau}_3} \right)}$$



## Effect of polarization loss on scintillation rate

$$\begin{split} \mathsf{N}_{\pm}(t_i) &= \left(\frac{N_0 \epsilon_{\beta}}{\tau_{\beta}}\right) e^{-\Gamma t_i} \Delta t + \dot{N}_B \Delta t \\ &+ \left(\frac{N_0 \epsilon_3}{\bar{\tau}_3}\right) \left(1 - P \cos \phi_0 \mp \frac{2J_0(x_c) d_n |\vec{E}| t_i P \sin \phi_0}{\hbar}\right) e^{-\Gamma t_i} \Delta t \end{split}$$

$$P = P_3 P_n$$
 and  $\Gamma = \frac{1 - P \cos \phi_0}{\bar{\tau}_3} + \frac{1}{\tau_\beta} + \frac{1}{\tau_{cell}} + \frac{1}{\tau_{up}}$ 

Assume 
$$d_n : 10^{-24} e \cdot cm$$





