

Une pensée pour Cécile

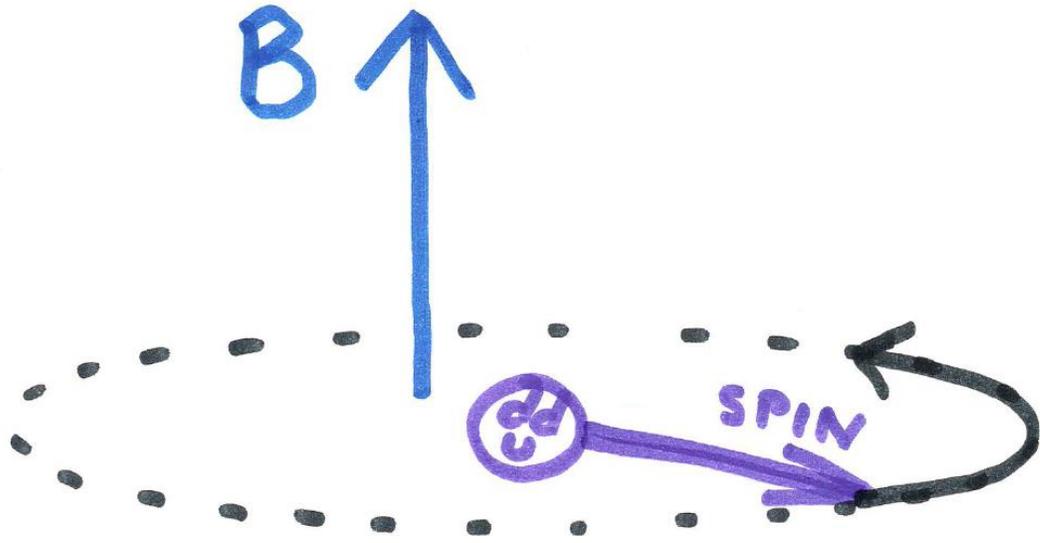
Guillaume Pignol
Séminaire LPSC, 29 Avril 2021



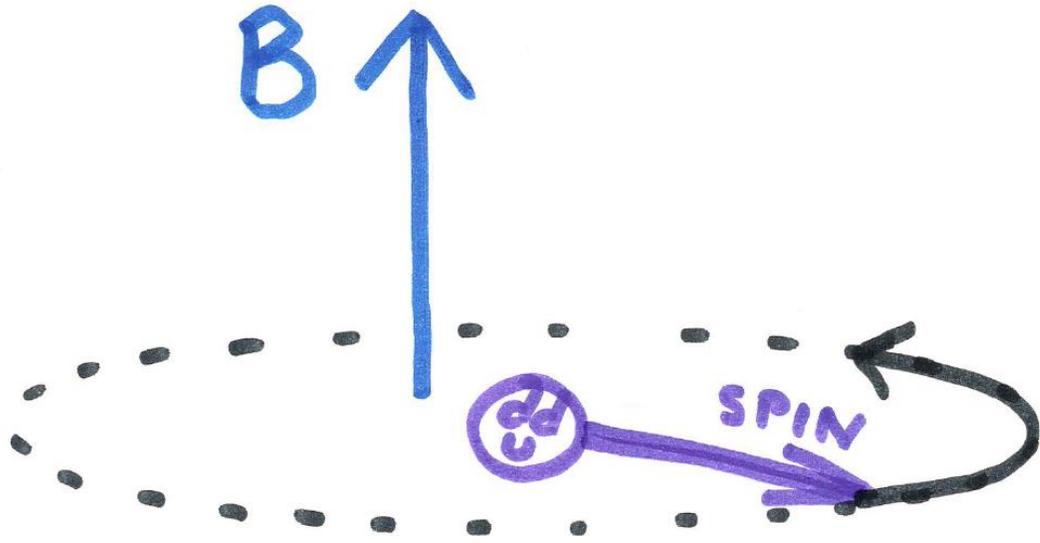
Searching for the
neutron Electric Dipole Moment

- Subatomic particles such as the neutron have a spin $\frac{1}{2}$.

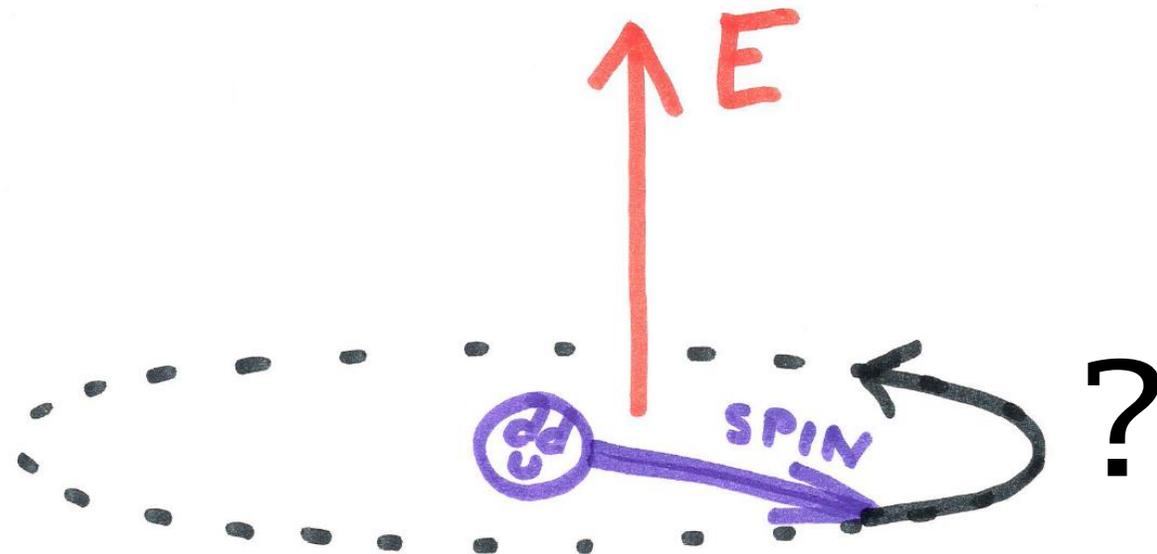




- Subatomic particles such as the neutron have a spin $\frac{1}{2}$.
- One can change the orientation with a magnetic field **B**.
- This phenomenon –spin precession– is at the basis of NMR and MRI.



- Subatomic particles such as the neutron have a spin $\frac{1}{2}$.
- One can change the orientation with a magnetic field **B**.
- This phenomenon –spin precession– is at the basis of NMR and MRI.



Question: Can we change the spin orientation with an electric field **E** instead?

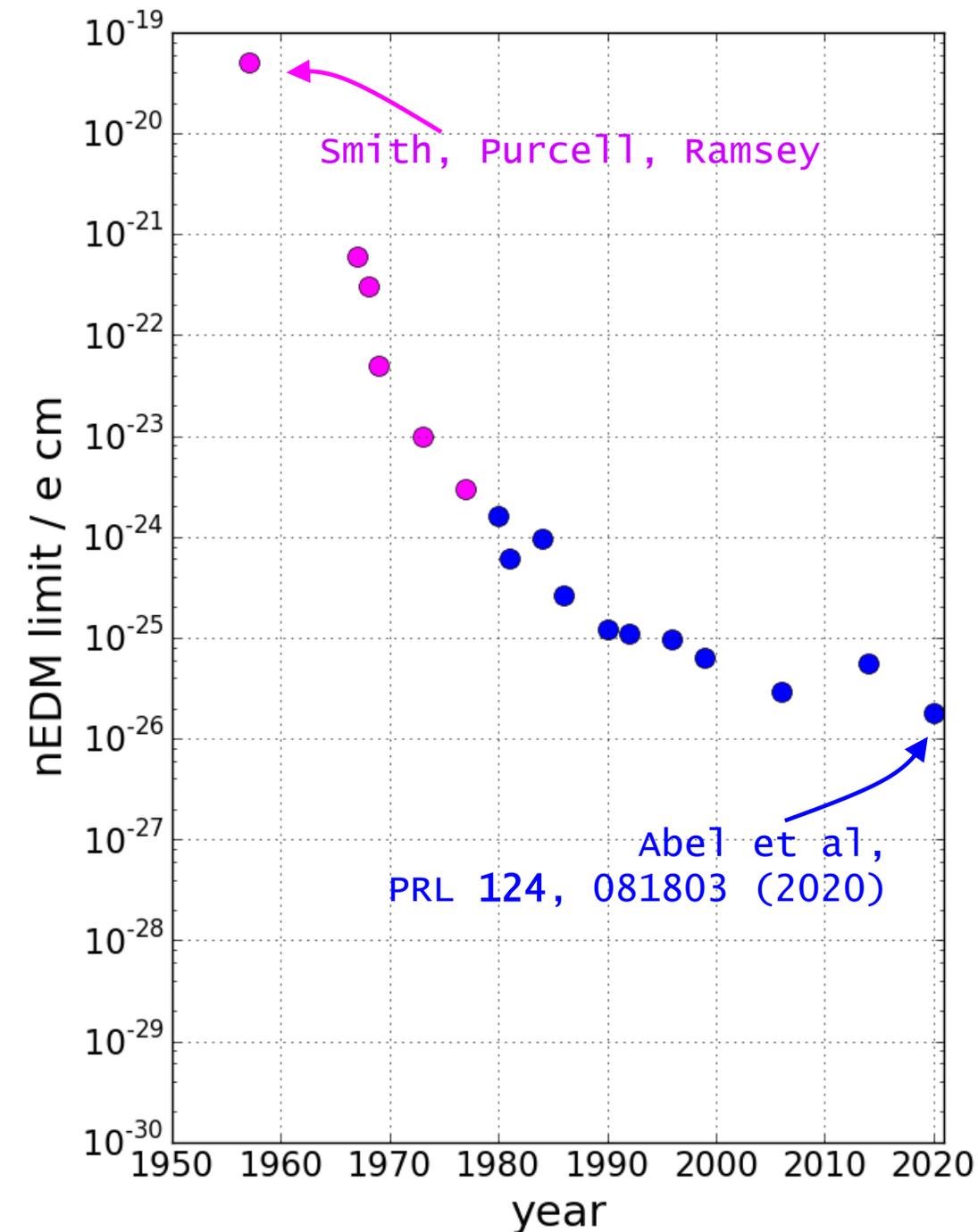
Short answer: no.

The electric dipole moment d quantifies the relation between the electric field E and the angular spin-precession frequency ω .

$$\hbar\omega = 2dE$$

For $d = 10^{-26} e \text{ cm}$ and $E = 130\,000 \text{ V} / 12 \text{ cm}$
A full spin turn takes a time

$$\frac{\pi\hbar}{dE} = 200 \text{ days}$$



Outline of the seminar

1. Intro: What is the question.

2. **Why do we care?**

The matter-antimatter puzzle

Links between CP symmetry and nEDM

3. **How do we measure the neutron EDM with such a precision?**

Ultracold neutrons, atomic magnetometry,
super-uniform magnetic fields

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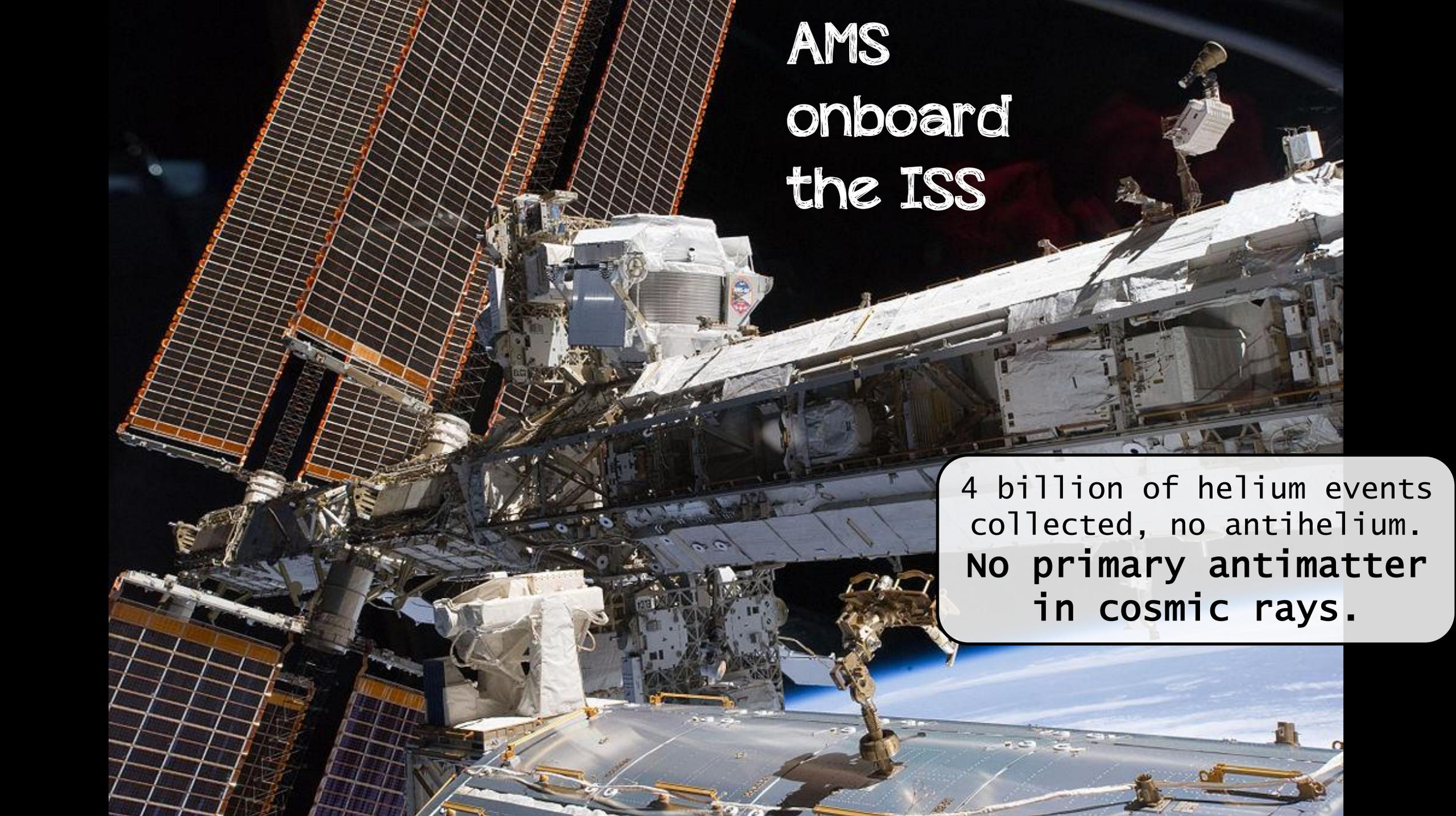
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A photograph of the International Space Station (ISS) in space, showing large solar panel arrays and various modules. The AMS (Alpha Magnetic Spectrometer) is visible as a white, boxy structure on the station's exterior. The Earth's blue and white horizon is visible in the background.

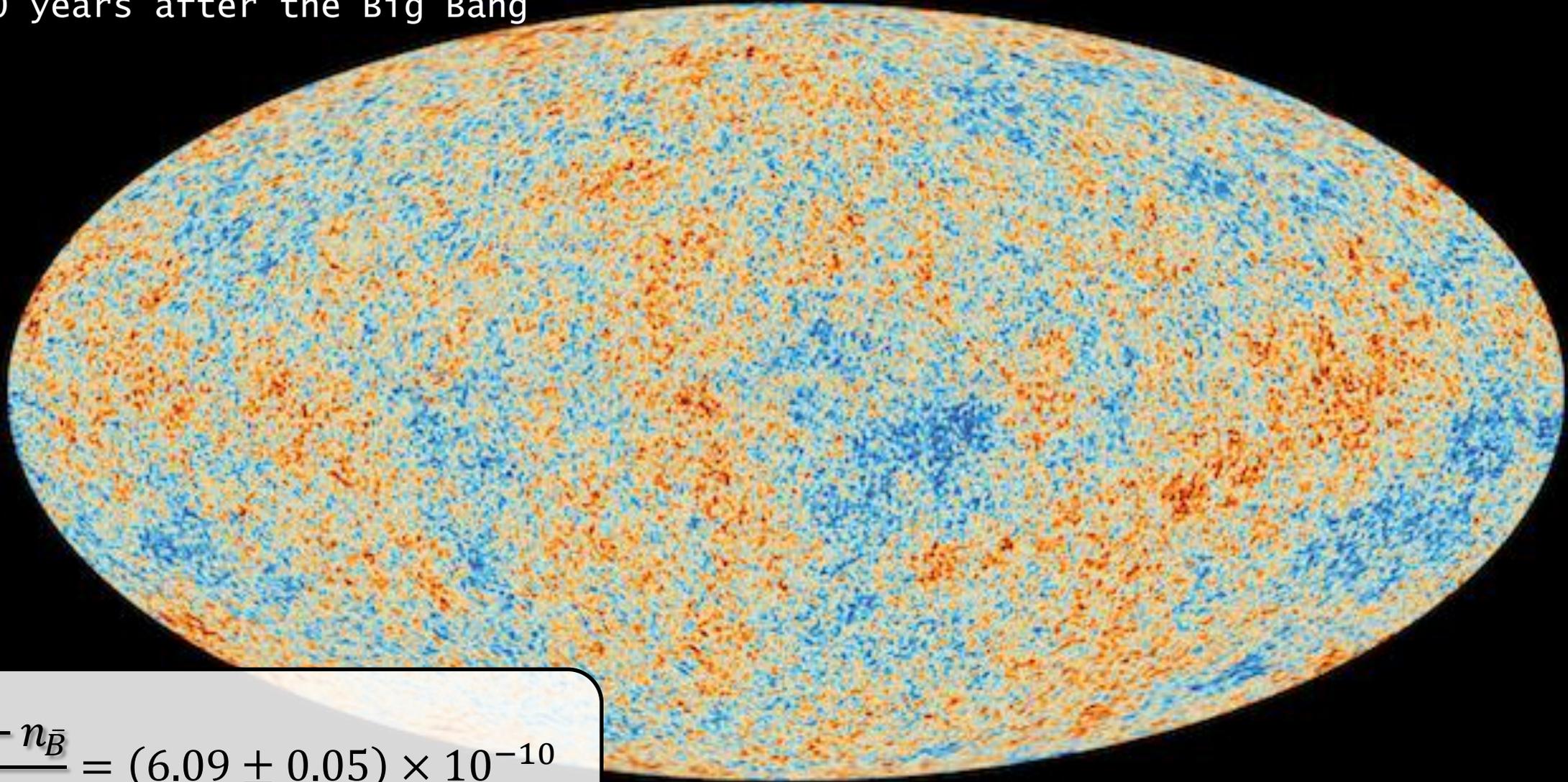
AMS onboard the ISS

4 billion of helium events collected, no antihelium.
No primary antimatter in cosmic rays.

Release of the CMB

$t = 370,000$ years after the Big Bang

$T = 0.3$ eV

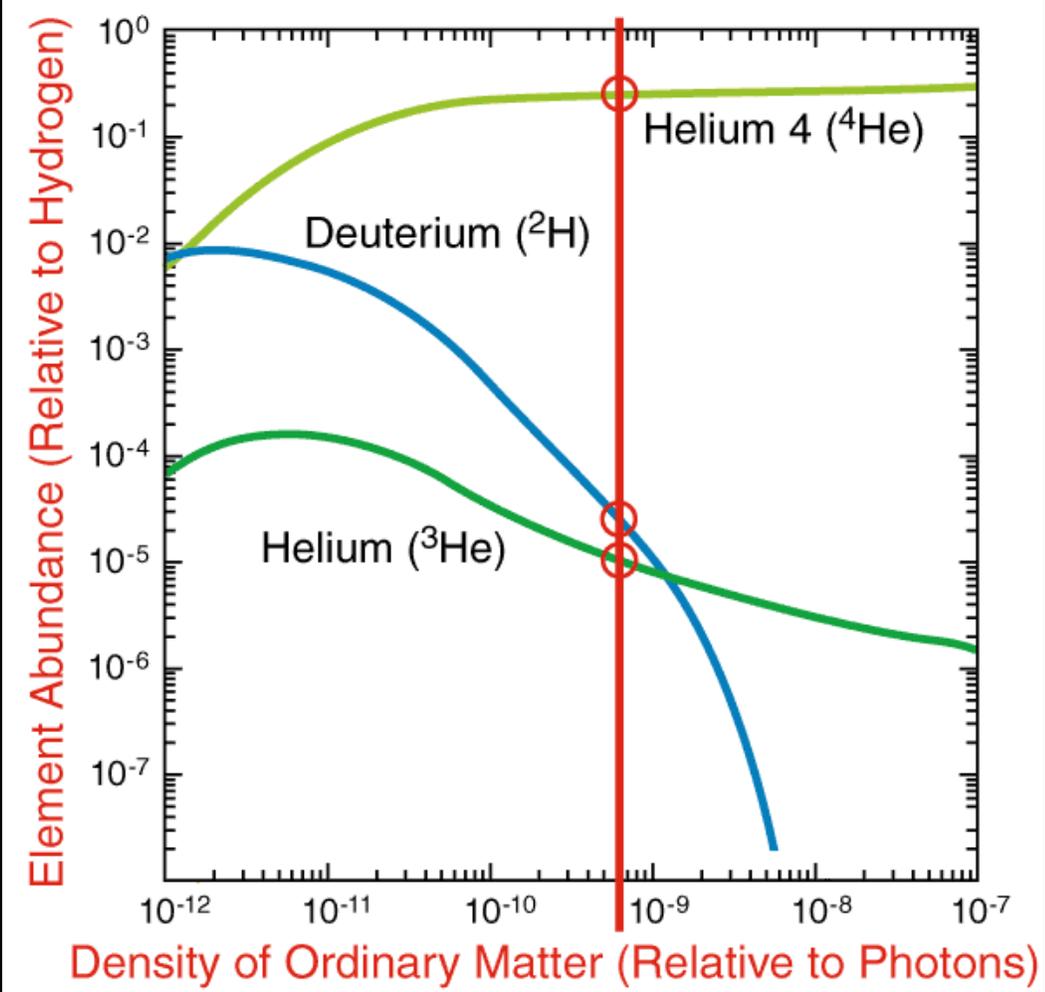
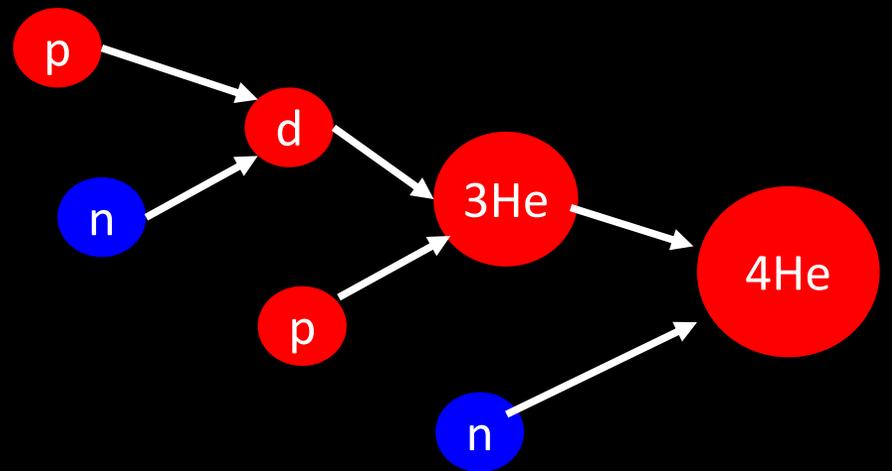


$$\eta = \frac{n_B - n_{\bar{B}}}{n_\gamma} = (6.09 \pm 0.05) \times 10^{-10}$$

[Planck (2016)]

Big Bang Nucleosynthesis

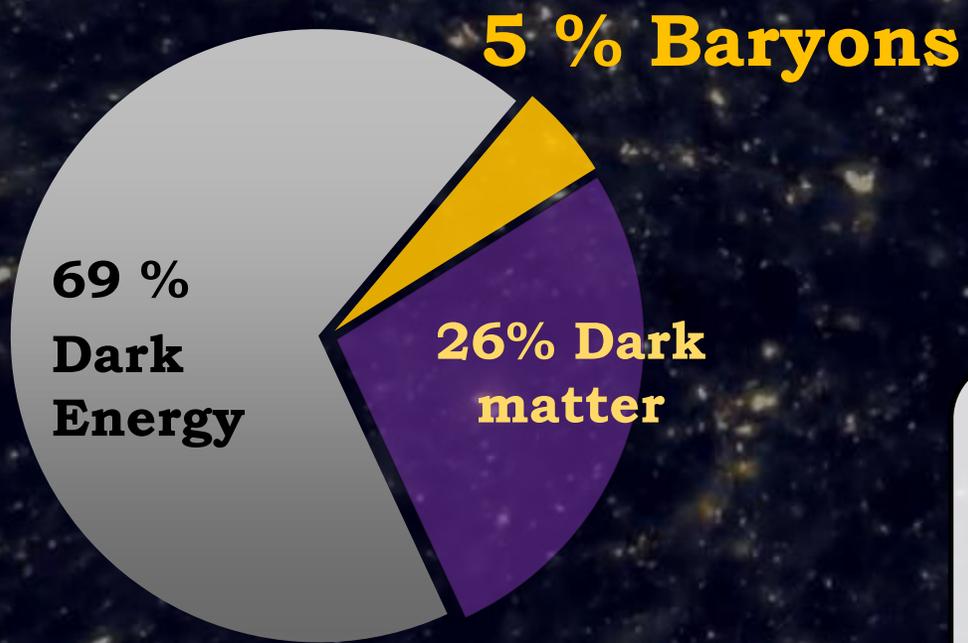
t = 3 minutes after the Big Bang
T = 100 keV



$$\eta = \frac{n_B - n_{\bar{B}}}{n_\gamma} = (6.0 \pm 0.1) \times 10^{-10}$$

[Deuterium abundance from Ly α , Cooke *et al* (2014)]

Content of the Universe Today



The baryons result from an imbalance of

$$\eta = \frac{n_B - n_{\bar{B}}}{n_\gamma} \approx 10^{-9}$$

generated by an totally unknown process before $t = 1 \text{ ns}$

Sakharov's baryogenesis recipe (1967)

- Universe out of equilibrium
- Baryon number not conserved
- violation of C and CP symmetries

Electroweak Phase Transition

$t = 10 \text{ ps}$ after the Big Bang

$T = 200 \text{ GeV}$

Expanding bubble...

Antiquarks

Quarks

$\langle \text{Higgs} \rangle = 0$

$\langle \text{Higgs} \rangle = 200 \text{ GeV}$

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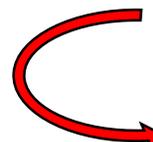
Violation of time reversal



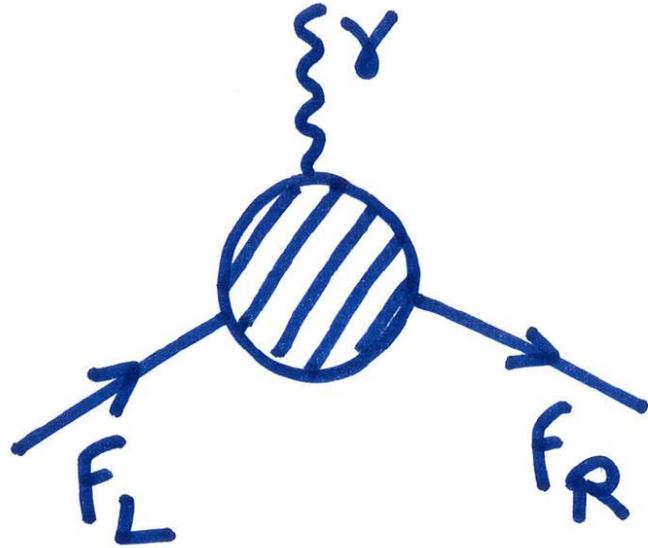
>> PLAY >>

<< REWIND <<

If $d \neq 0$ the process and its time reversed version are different.

CPT  violation of T
violation of CP

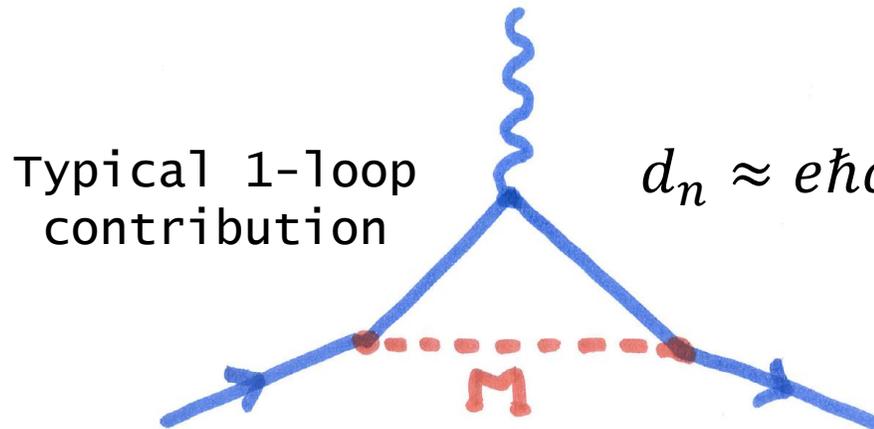
Electric dipoles & CP symmetry



EDM = CP-violating fermion-photon coupling
 -imaginary part of the diagram-
 generated by radiative corrections

$$\mathcal{L} = -\frac{id}{2} \bar{f} \sigma_{\mu\nu} \gamma_5 f F^{\mu\nu}$$

$$\rightarrow \hat{H} = -d \hat{\sigma} E$$



$$d_n \approx e\hbar c \frac{\text{Im}(g^2)}{4\pi} \frac{m_q}{M^2} \approx \frac{\text{Im}(g^2)}{4\pi} \left(\frac{10 \text{ TeV}}{M} \right)^2 \times 10^{-25} e \text{ cm}$$

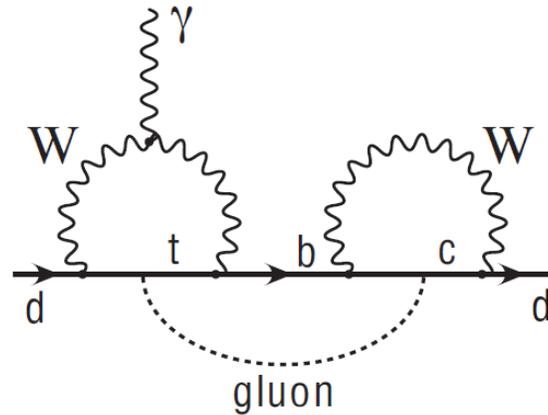
Sources of EDMs in the Standard Model

The QCD contribution $\frac{\alpha}{8\pi} \bar{\theta} G^{\mu\nu} \widetilde{G}_{\mu\nu}$
 Generates a potentially enormous
 neutron EDM

$$d_n \approx \bar{\theta} \times 10^{-16} e \text{ cm}$$

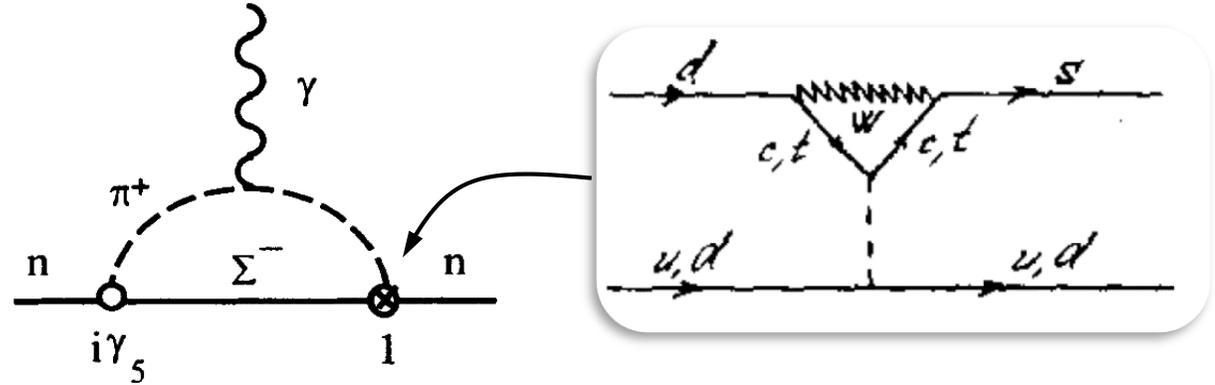
$$\rightarrow \bar{\theta} < 10^{-10}$$

« Strong CP problem »



CKM contribution to the
 quark EDMs: Leading
 order starts at 3 loops!
 Negligible contribution

CKM “long distance” contribution to nEDM

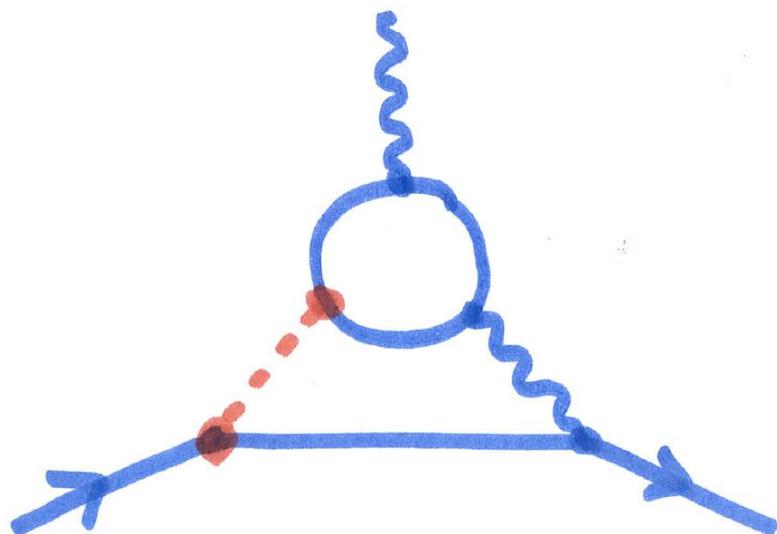


CKM prediction:
 $1 \times 10^{-32} e \text{ cm} < |d_n| < 6 \times 10^{-32} e \text{ cm}$
 Kobayashi-Maskawa background negligible

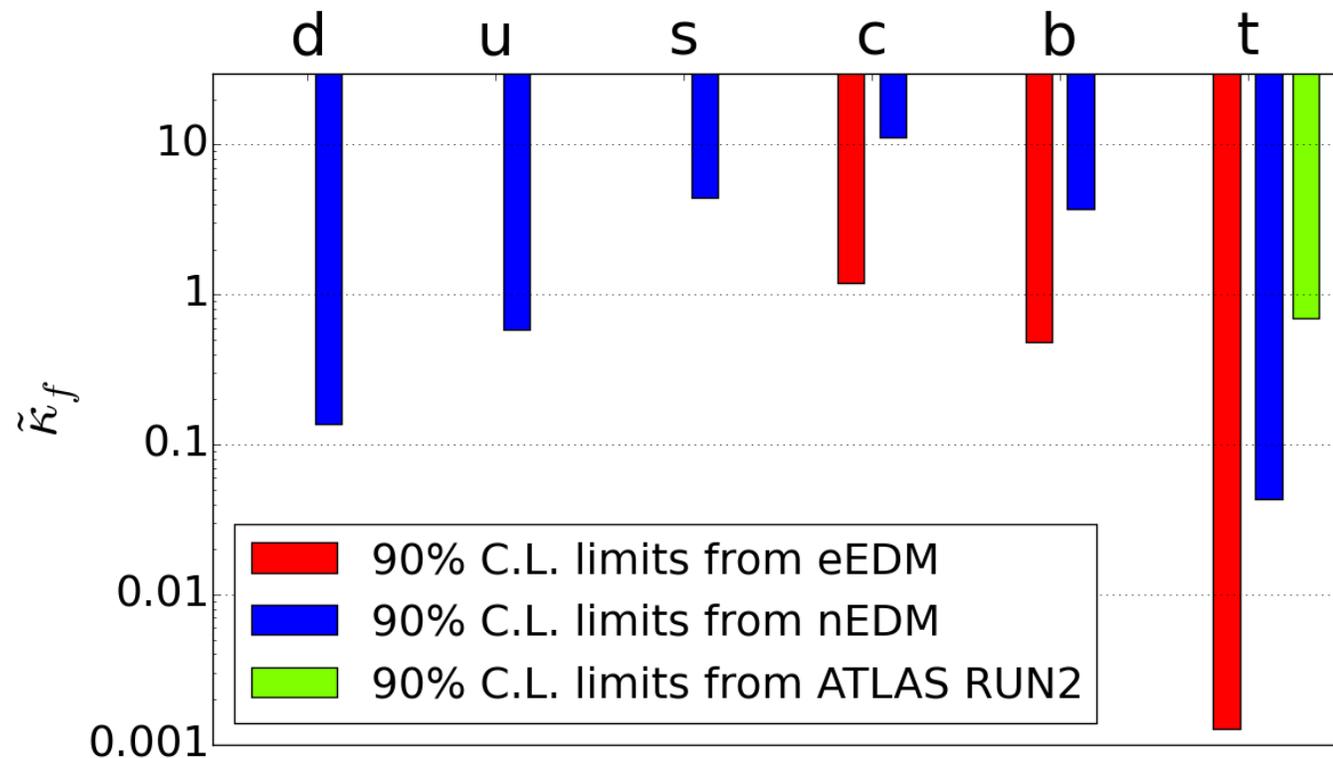
EDMs beyond the SM: modified Higgs couplings

Modified Higgs-fermion Yukawa coupling $\mathcal{L} = -\frac{y_f}{\sqrt{2}} (\kappa_f \bar{f} f h + \overset{\text{CP violating}}{i\tilde{\kappa}_f \bar{f} \gamma_5 f h})$

Generates EDM at 2 loops



Barr, Zee, PRL 65 (1990)



Brod, Haich, Zupan, 1310.1385
 Brod, Stamou, 1810.12303
 Brod, Skodras, 1811.05480
 ATLAS, PRL 125, 061802 (2020)

Take home messages

- 1. Great puzzle:** Baryogenesis still unexplained. CP-violation in the standard electroweak theory fails to explain the observed baryon asymmetry of the Universe.
- 2. Great sensitivity:** EDMs are very sensitive probes of CP violation beyond the SM because
 - (i) New physics at the TeV scale (and beyond) predicts generically sizable EDMs
 - (ii) CKM contribution to EDMs undetectably small
- 3. Complementarity:** Importance of measuring the EDMs in different systems (neutron, atoms, muons...) to cover the many different possible fundamental sources of CP violation

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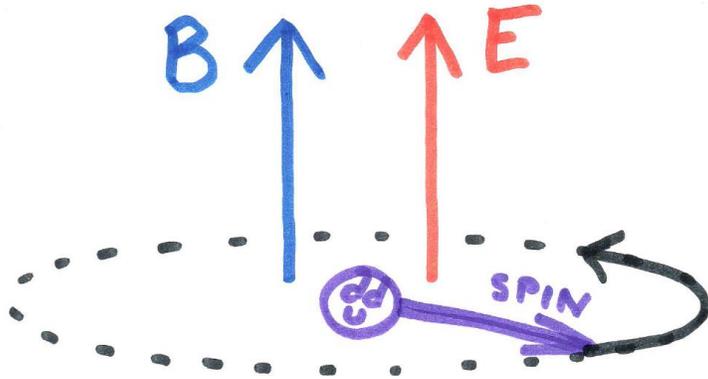
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Basics of EDM measurement



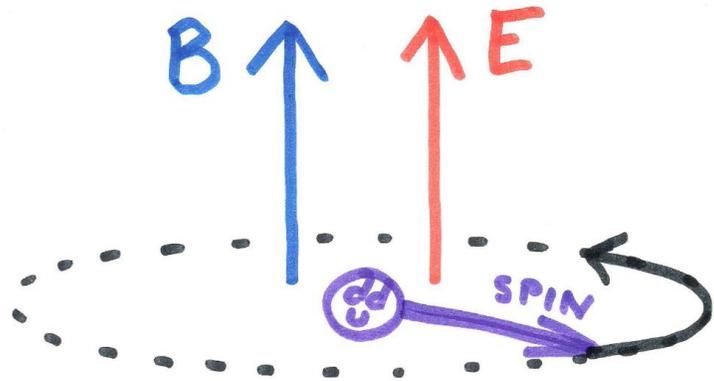
$$2\pi f = \frac{2\mu}{\hbar} B \pm \frac{2d}{\hbar} |E|$$

$$f(\uparrow\uparrow) - f(\uparrow\downarrow) = -\frac{2}{\pi\hbar} d E \quad \text{Easy!}$$

The trick: measure frequencies*

** only if you can't, try something else*

Basics of EDM measurement



$$2\pi f = \frac{2\mu}{\hbar} B \pm \frac{2d}{\hbar} |E|$$

$$f(\uparrow\uparrow) - f(\uparrow\downarrow) = -\frac{2}{\pi\hbar} d E$$

~~Easy!~~

Larmor frequency

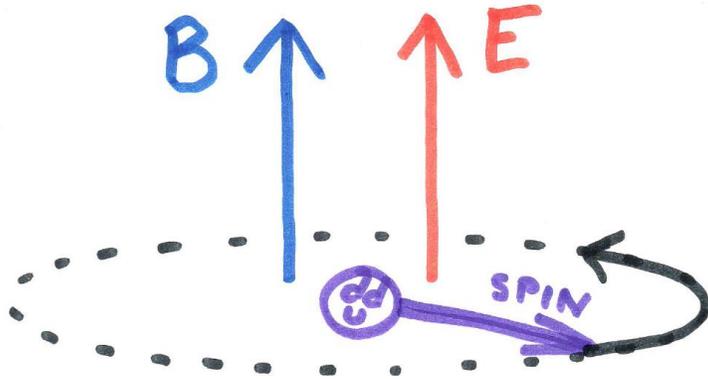
$$f = 30 \text{ Hz @ } B = 1 \mu\text{T}$$

If $d = 10^{-26} e \text{ cm}$ and $E = 11 \text{ kV/cm}$

The spin will make **one full turn** in a time

$$\frac{\pi\hbar}{dE} = \mathbf{200 \text{ days}}$$

Basics of EDM measurement



$$2\pi f = \frac{2\mu}{\hbar} B \pm \frac{2d}{\hbar} |E|$$

A red arrow points from the $|E|$ term in the equation to the text below.

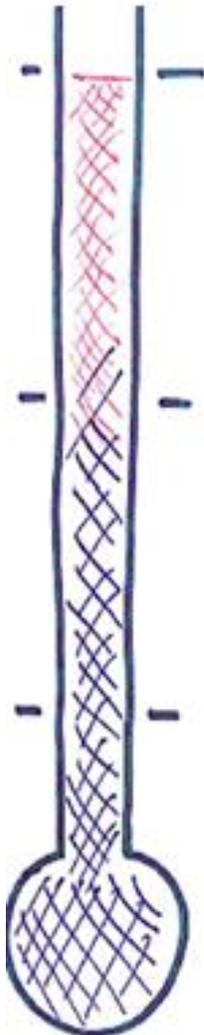
If $d = 10^{-26} e \text{ cm}$ and $E = 11 \text{ kV/cm}$
one full turn in a time

$$\frac{\pi\hbar}{dE} = 200 \text{ days}$$

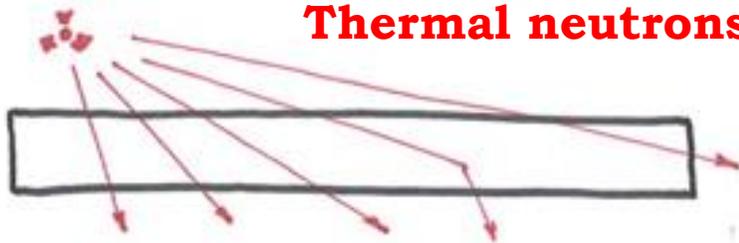
To detect such a minuscule coupling:

- Long interaction time
- High intensity/statistics
- Control the magnetic field

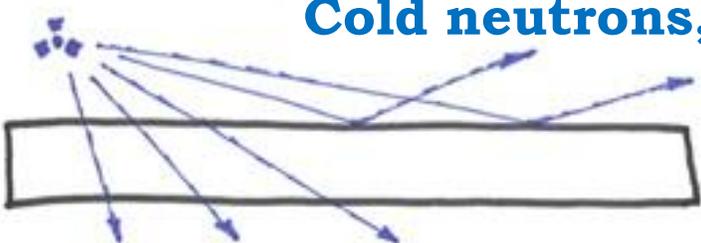
Neutron optics, cold and ultracold neutrons



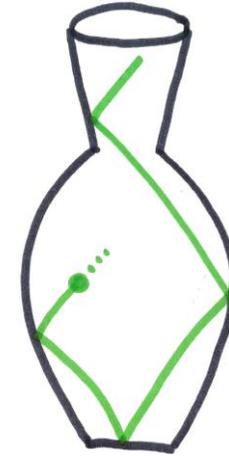
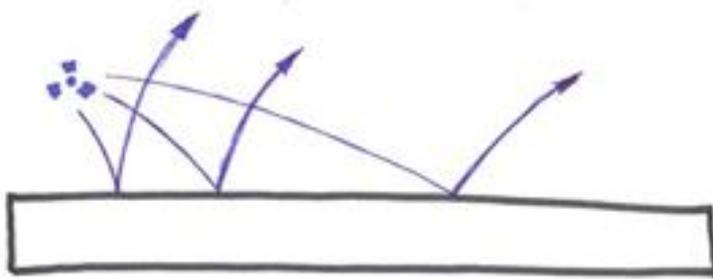
Thermal neutrons, $E=25$ meV



Cold neutrons, $E < 25$ meV

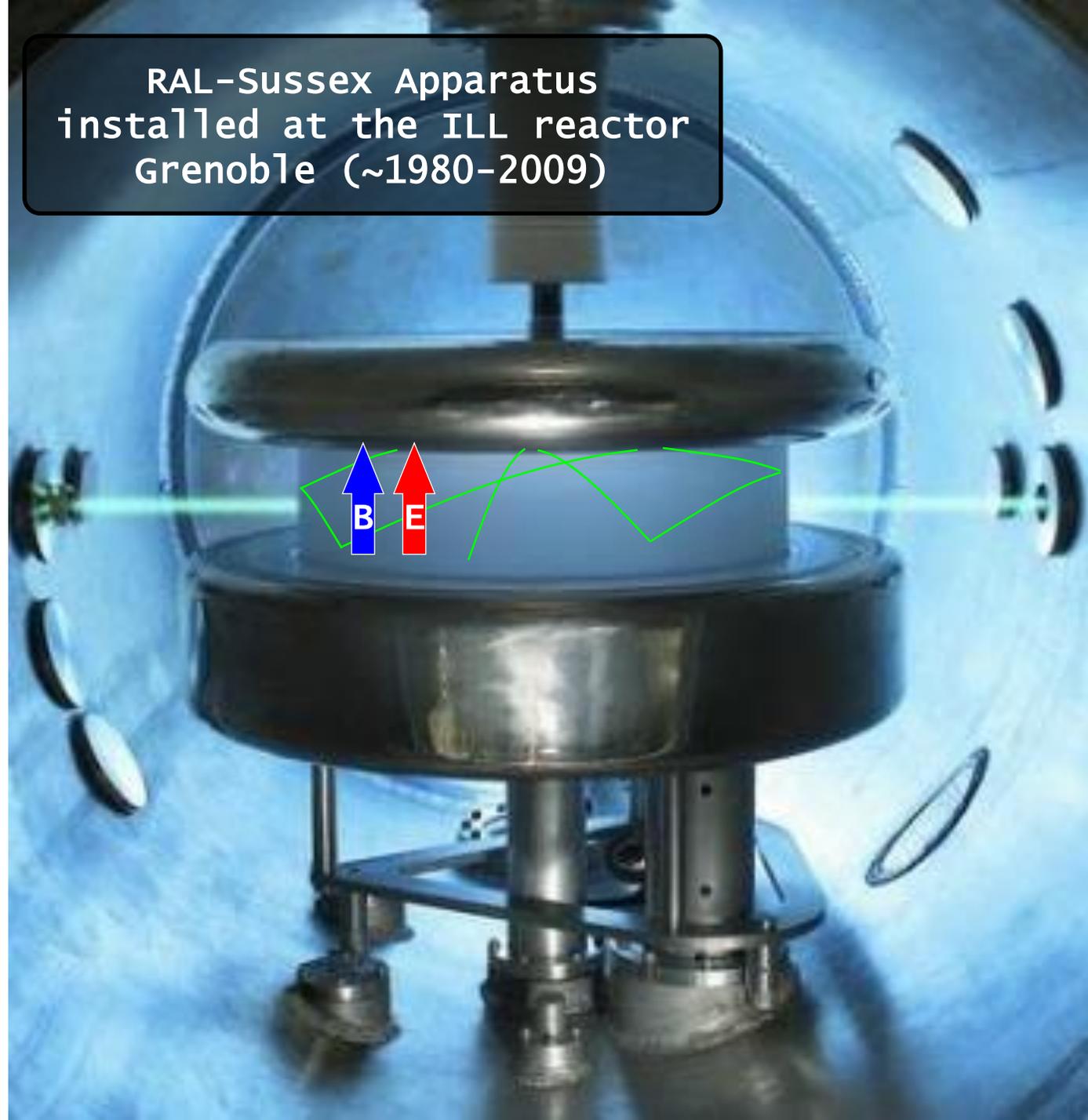
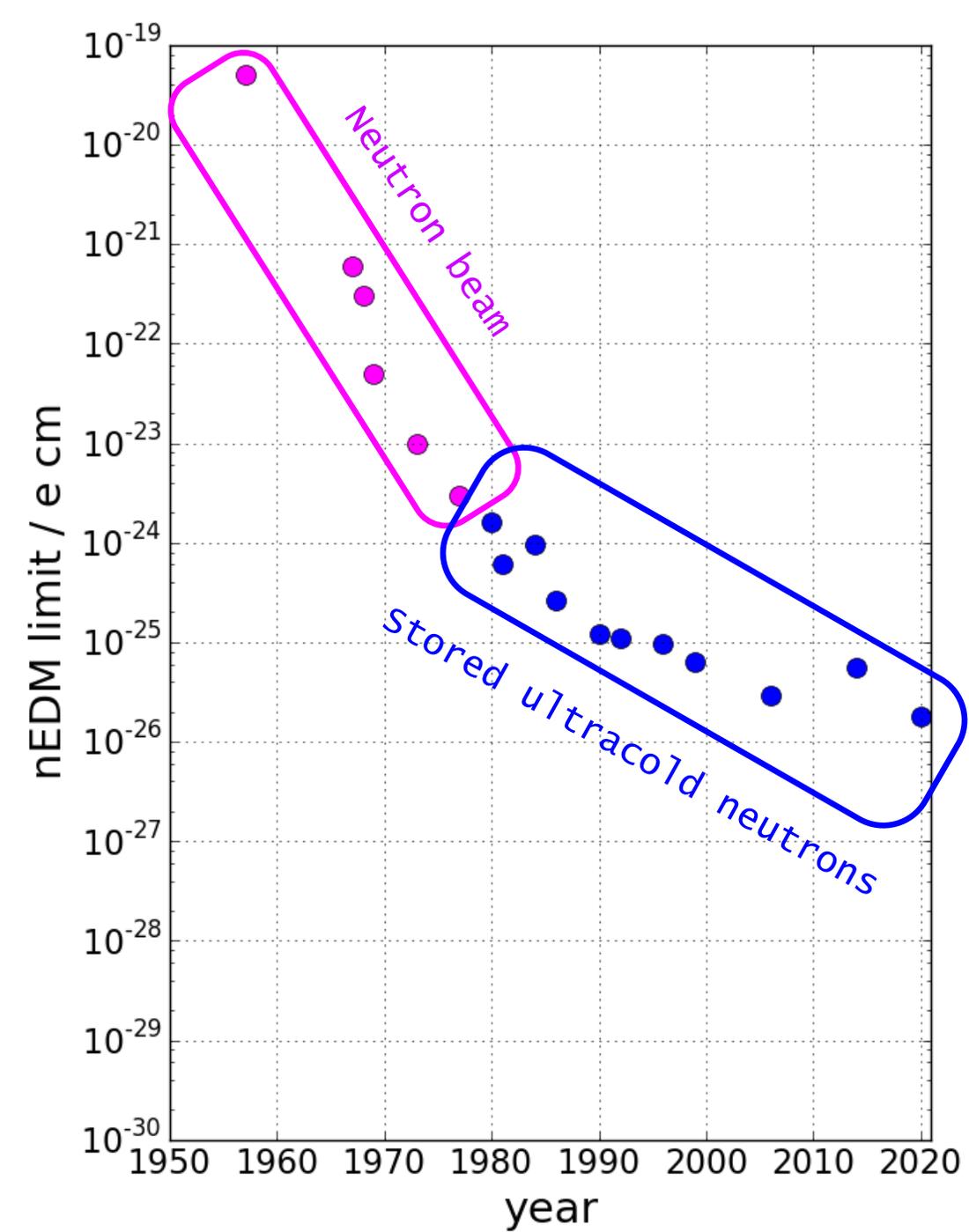


Ultracold neutrons $E < 200$ neV



Neutrons with energy < 200 neV, are totally reflected by material walls.

They can be stored in material bottles for long times, up to 15 minutes.



Recent history of the single-chamber apparatus



ILL data production



UCN source startup & nEDM upgrade



PSI data

Dismantling nEDM
Installing n2EDM



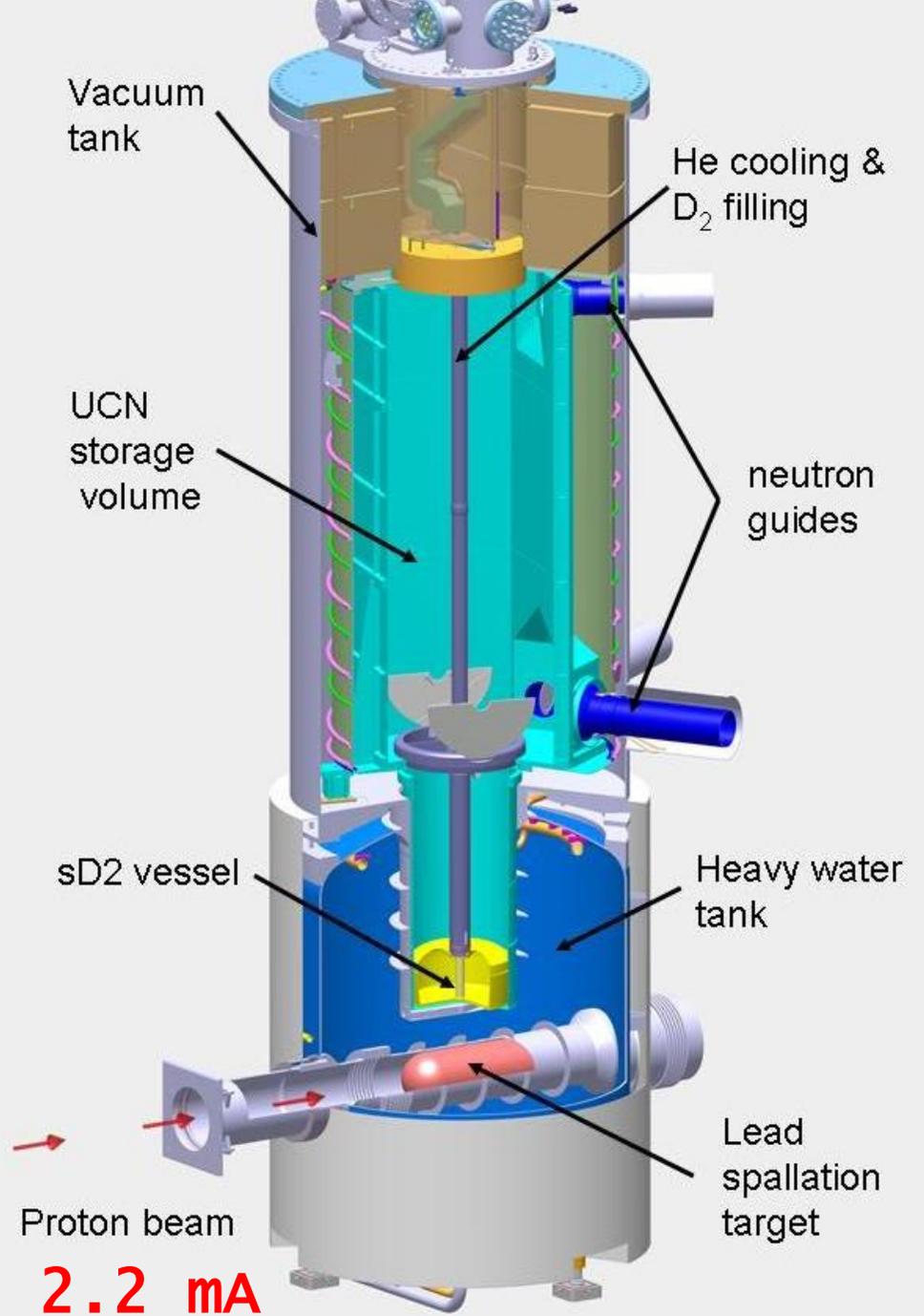
Move of the apparatus at the Paul Scherrer Institute

UCN source at the Paul Scherrer Institute

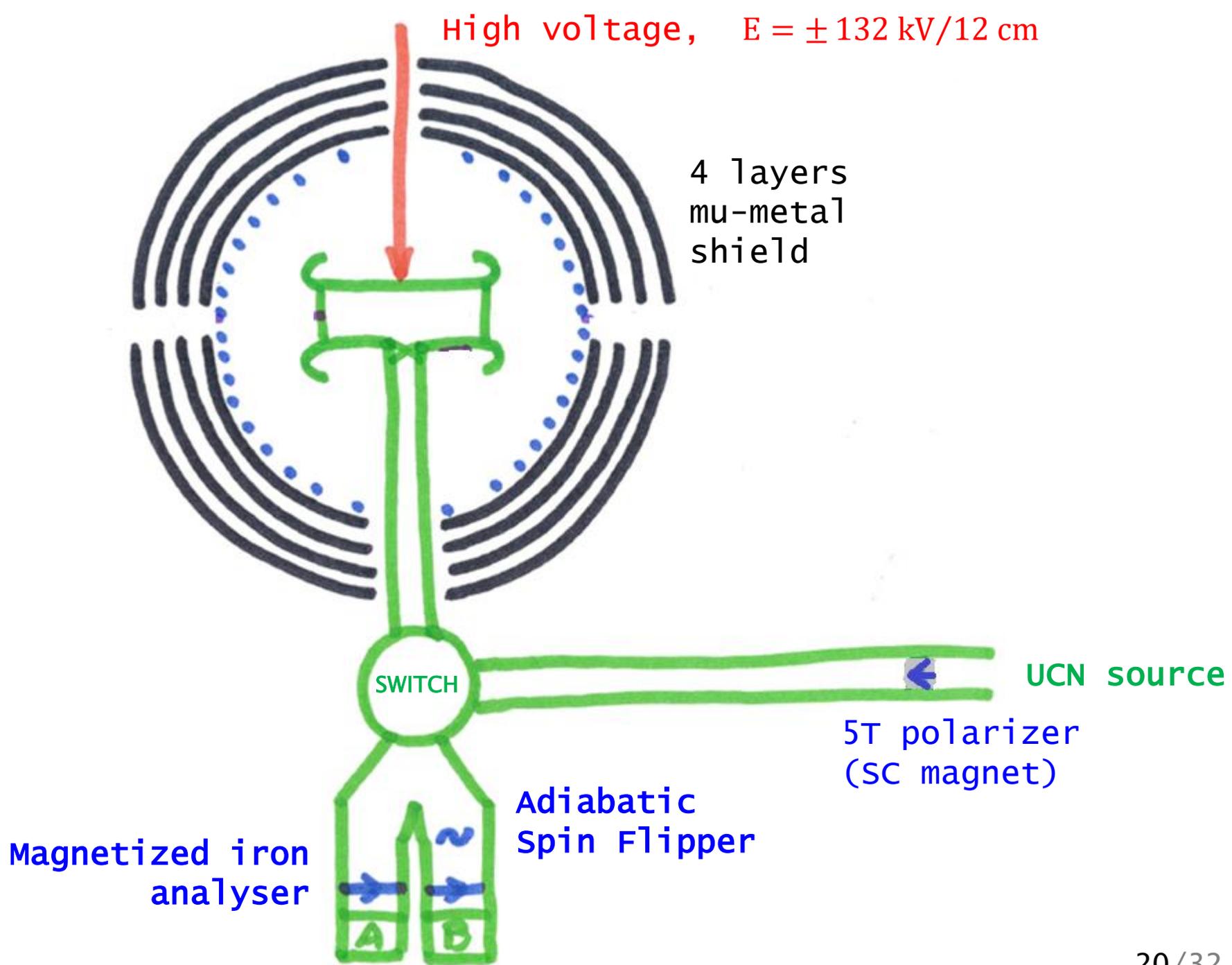


pulsed UCN source
one kick per 5 min
online since 2011

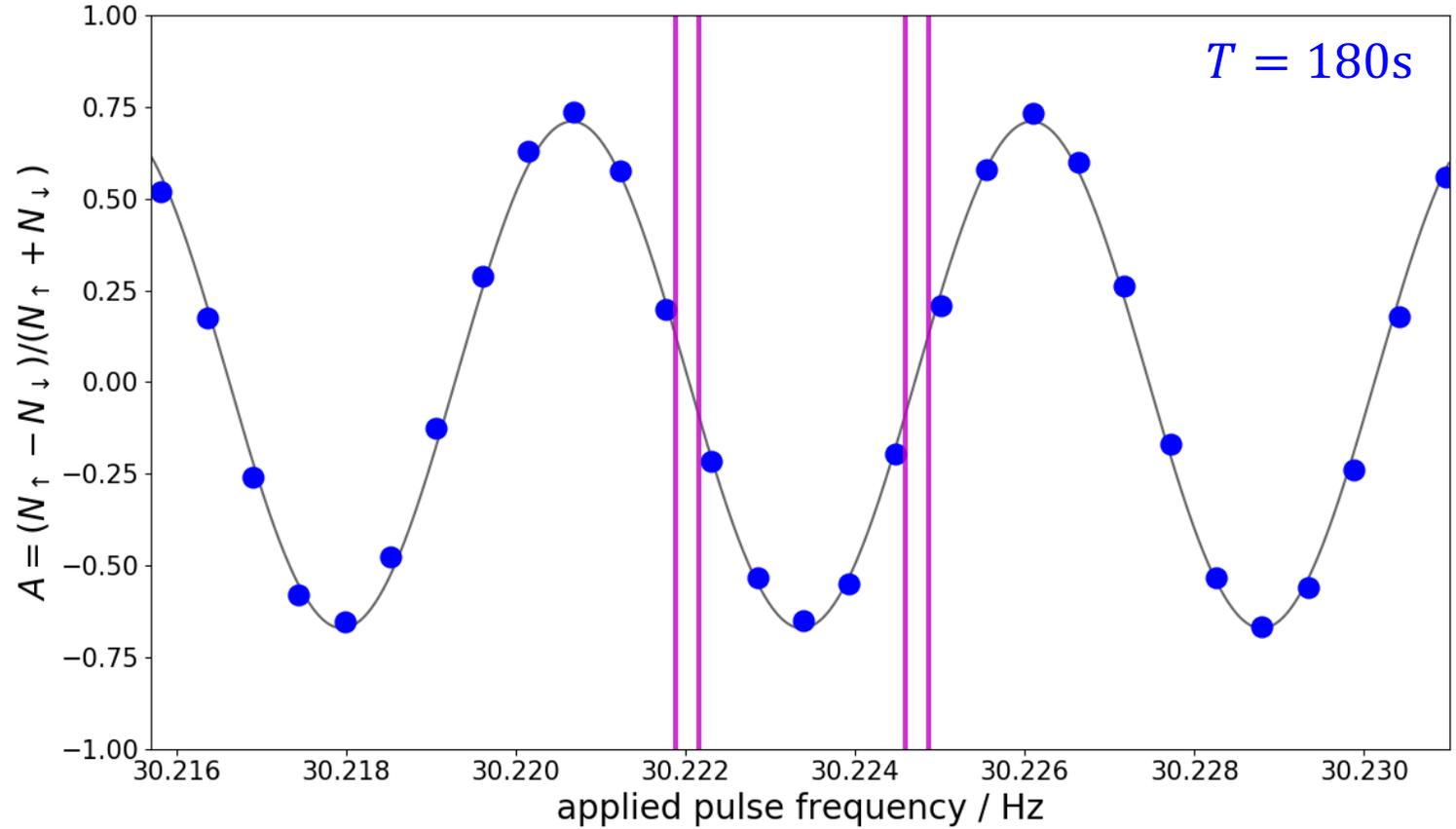
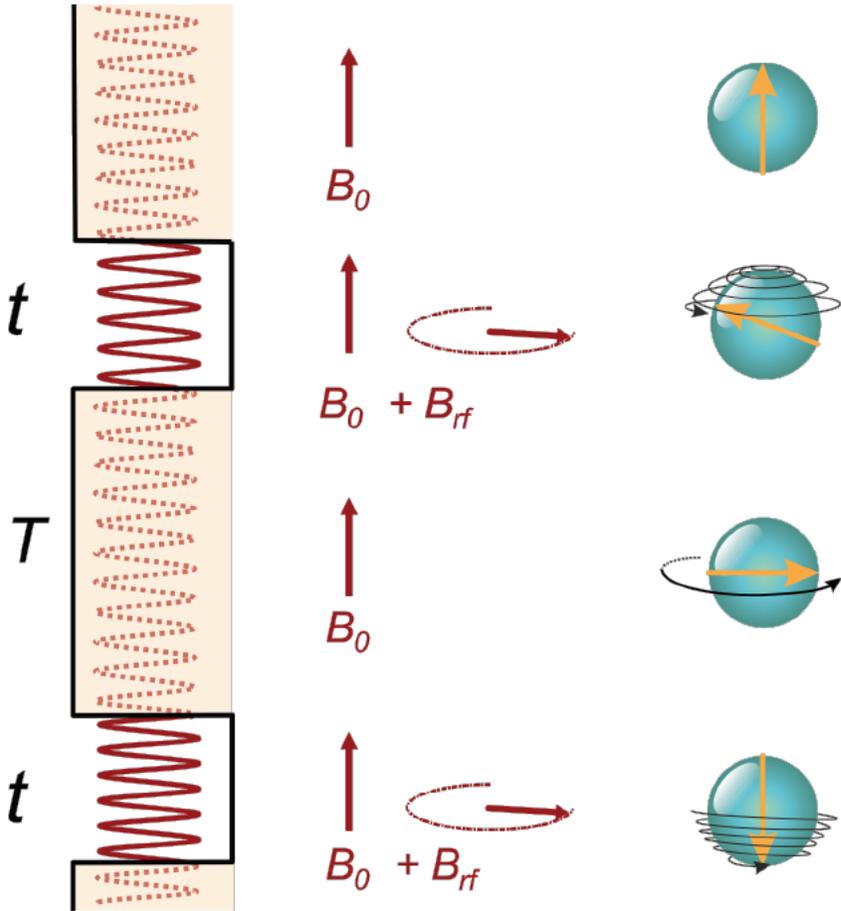
600 MeV, 2.2 mA



Scheme of the apparatus at PSI during EDM data-taking 2015-2016

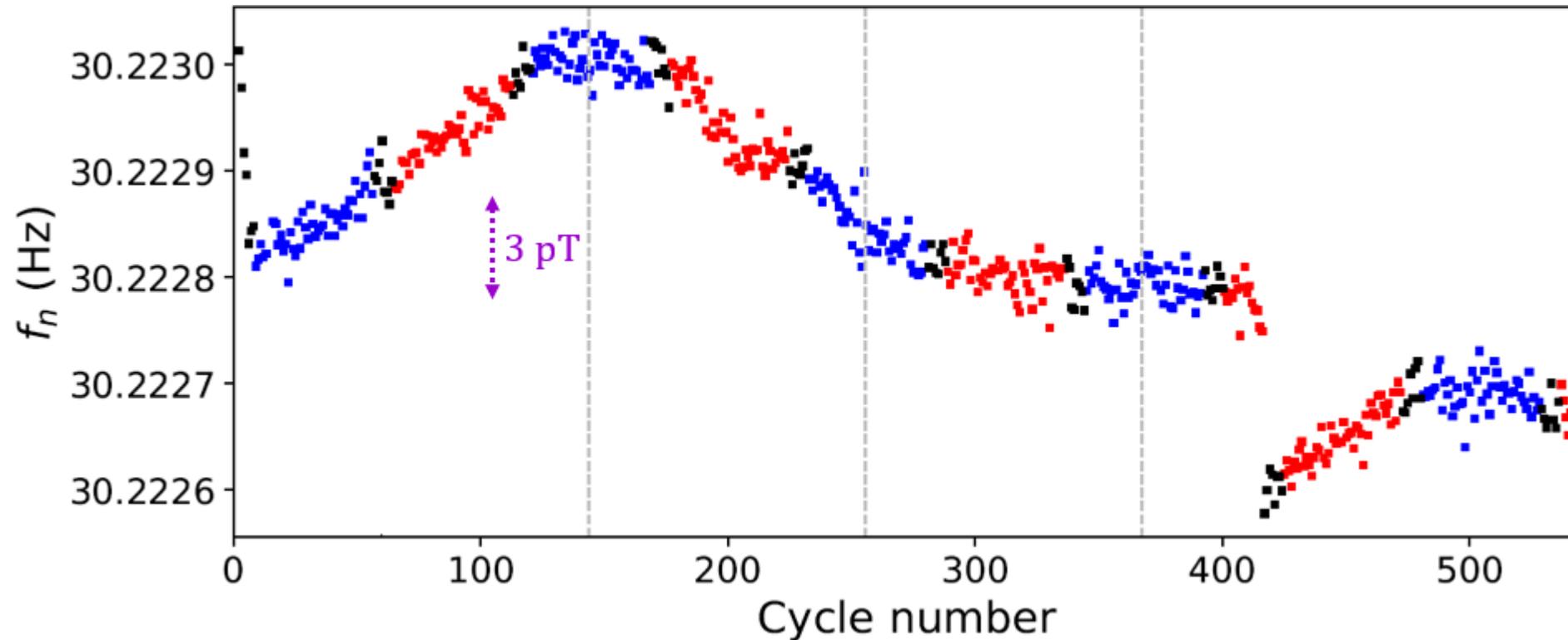


Ramsey's method



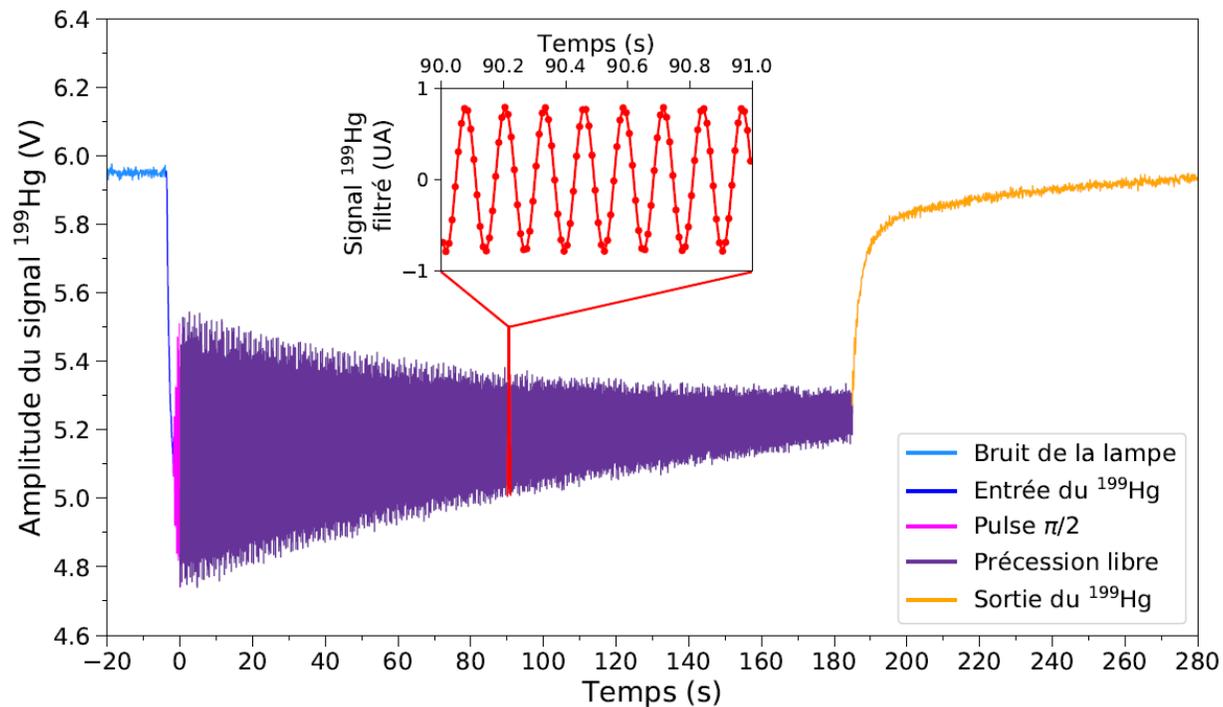
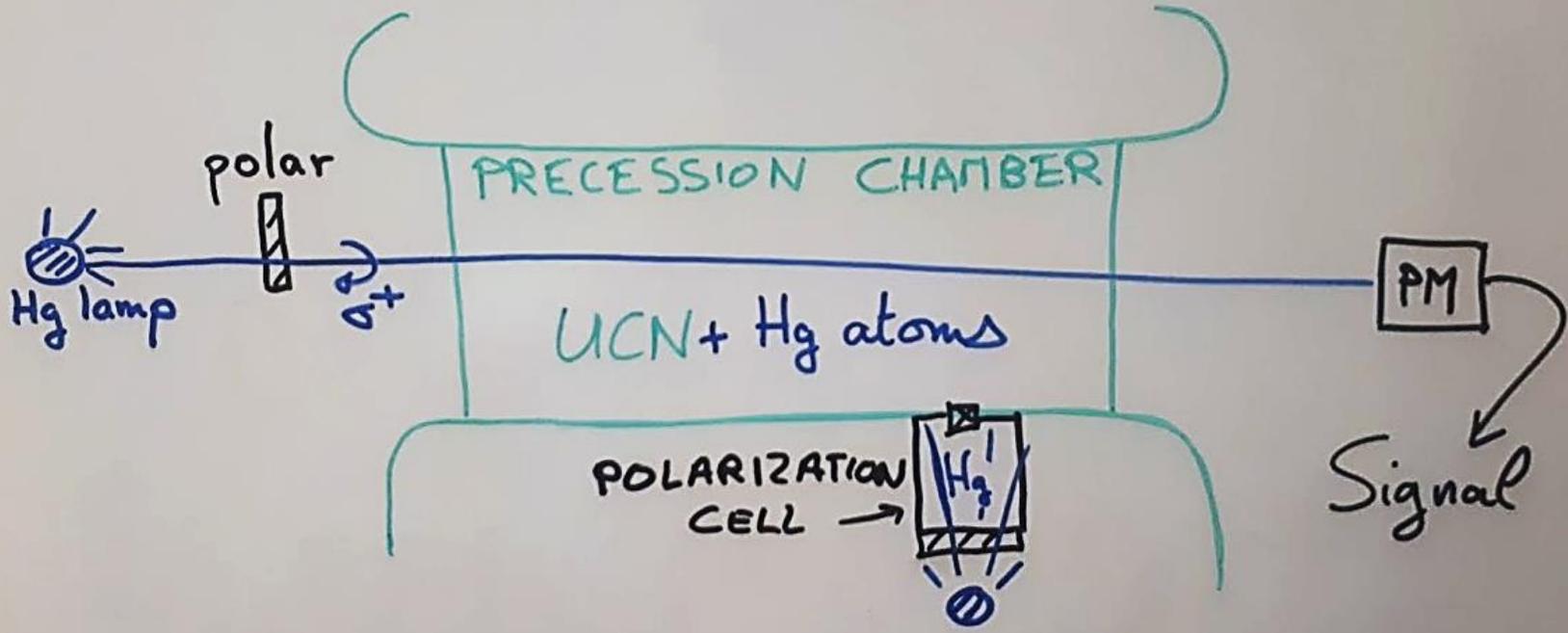
Statistical sensitivity:
$$\sigma d_n = \frac{\hbar}{2 \alpha E T \sqrt{N}}$$

nEDM data collected in 2015-2016



54,068 cycles recorded,
grouped in 99 sequences,
alternating E field polarity every 48 cycles
11,400 neutrons counted per cycle.

Atomic comagnetometry with ^{199}Hg

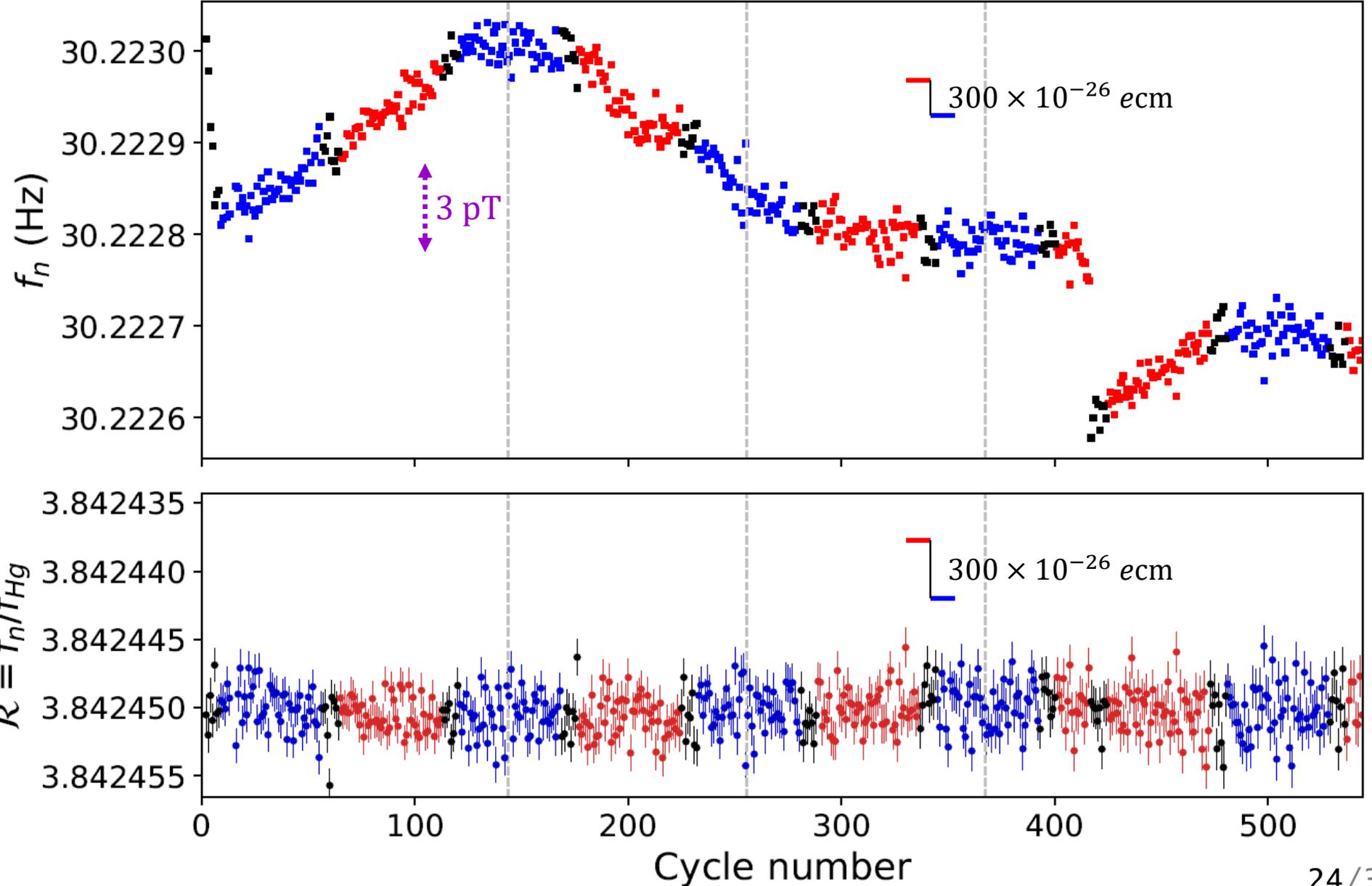


The magnetic field is extracted from the precession frequency of mercury-199 atoms:

$$f_{\text{Hg}} = \frac{\gamma_{\text{Hg}}}{2\pi} B$$

PhD thesis Yoann Kermaidic
(2013-2016)

A sequence of cycles (nEDM data)



Magnetic fluctuations (random and correlated with E) are corrected for at each cycle with the Hg magnetometer by measuring

$$f_{\text{Hg}} = \frac{\gamma_{\text{Hg}} B}{2\pi}$$

d_x (10^{-26} ecm)

THE WEST

THE EAST

DOUBLE BLIND

15.4 ± 1.1

3.8 ± 1.1

SINGLE BLIND

UNBLIND



Budget of systematic errors

TABLE I. Summary of systematic effects in 10^{-28} e.cm. The first three effects are treated within the crossing-point fit and are included in d_{\times} . The additional effects below that are considered separately.

Effect	Shift	Error
Error on $\langle z \rangle$...	7
Higher-order gradients \hat{G}	69	10
Transverse field correction $\langle B_T^2 \rangle$	0	5
Hg EDM [8]	-0.1	0.1
Local dipole fields	...	4
$v \times E$ UCN net motion	...	2
Quadratic $v \times E$...	0.1
Uncompensated G drift	...	7.5
Mercury light shift	...	0.4
Inc. scattering ^{199}Hg	...	7
TOTAL	69	18

Largest effect,
associated with
B-field uniformity

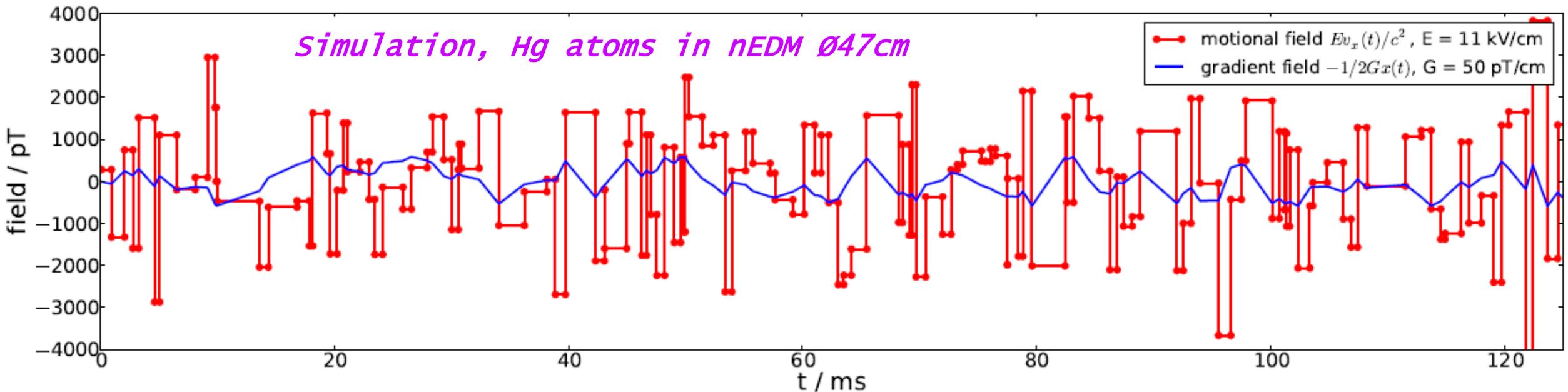
The co-magnetometer problem: $v \times E / c^2$

Transverse “noise”
on a mercury atom
in random motion

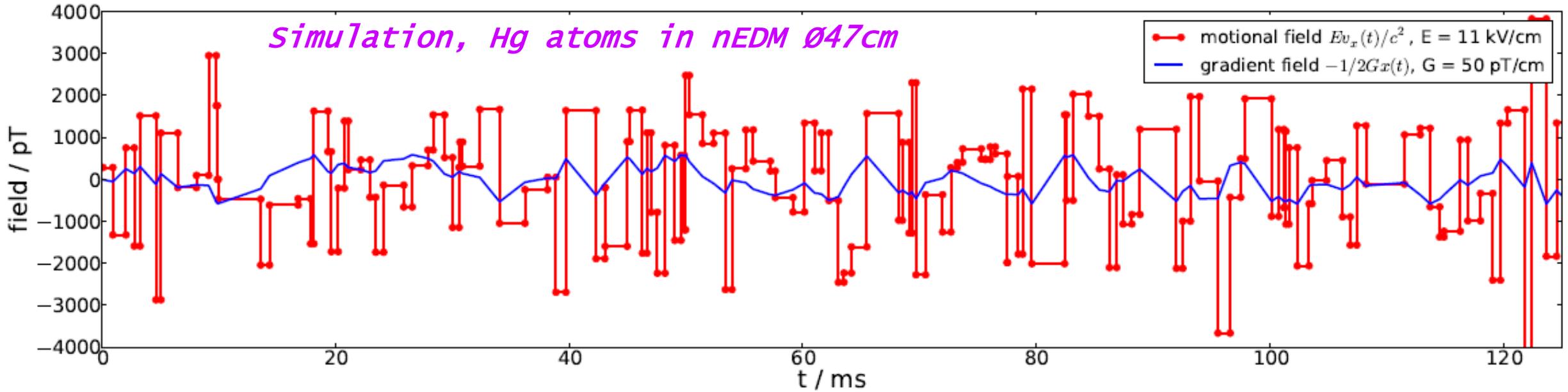
Nonuniform field

relativistic motional field

$$b(t) = \left(\vec{B}(t) + \frac{1}{c^2} \vec{E} \times \vec{v}(t) \right) \cdot (\vec{e}_x + i\vec{e}_y)$$



The co-magnetometer problem: $v \times E / c^2$



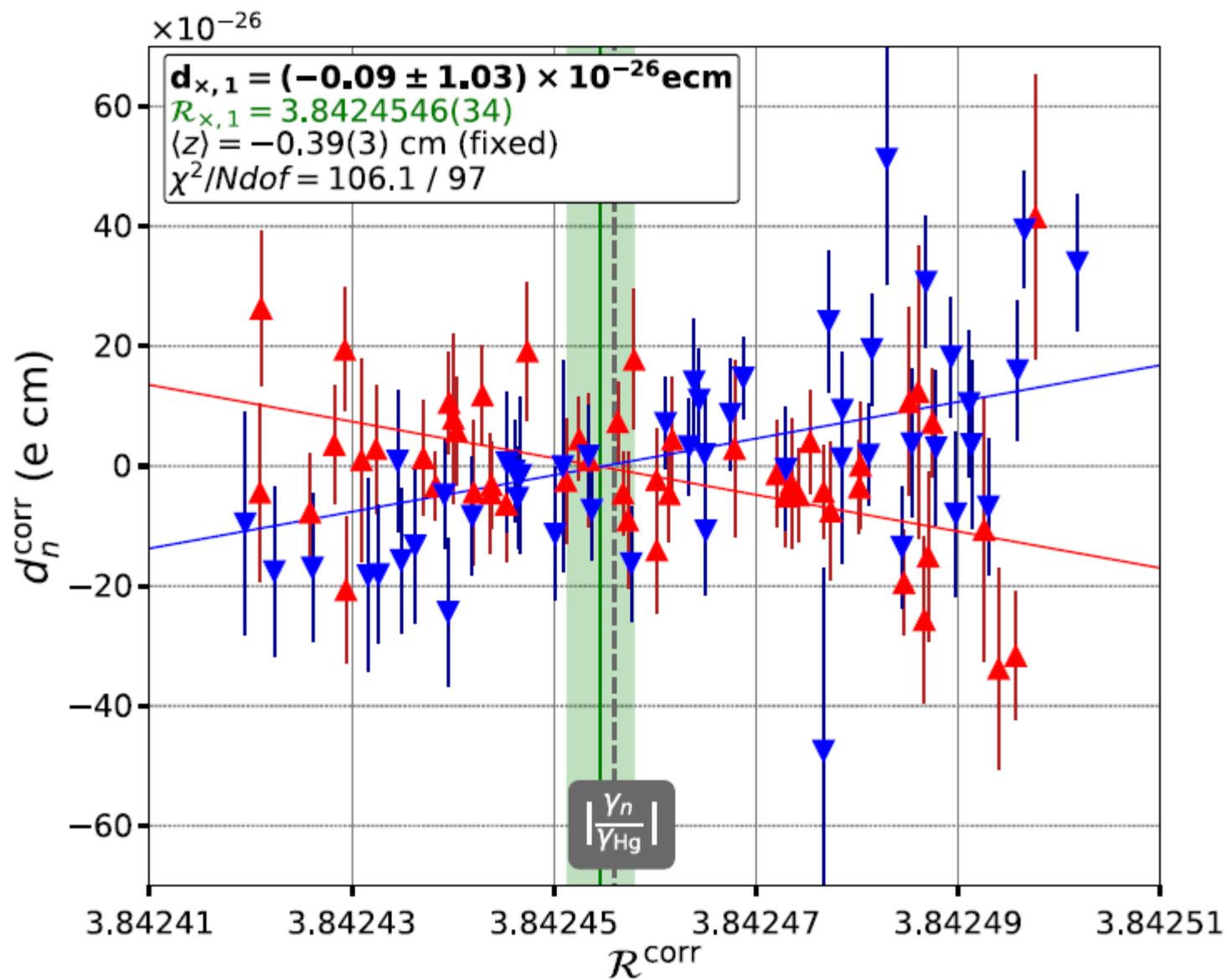
Frequency shift from a transverse magnetic noise \underline{b} (Redfield theory)

$$\delta f = \frac{\gamma^2}{4\pi} \int_0^\infty d\tau \text{Im} e^{-i\omega\tau} \langle \underline{b}(0) \underline{b}^*(\tau) \rangle$$

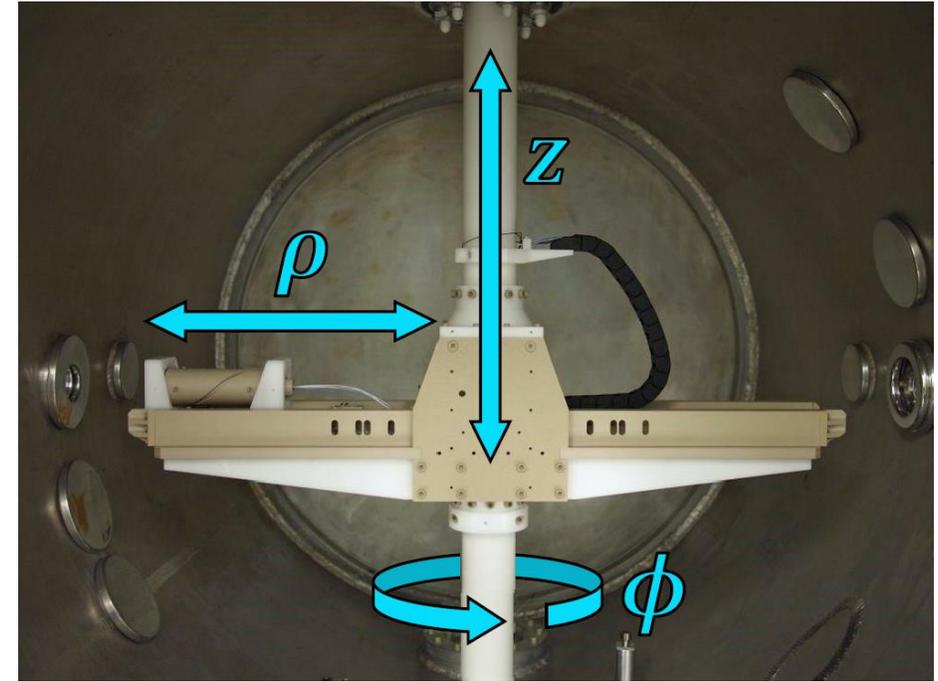
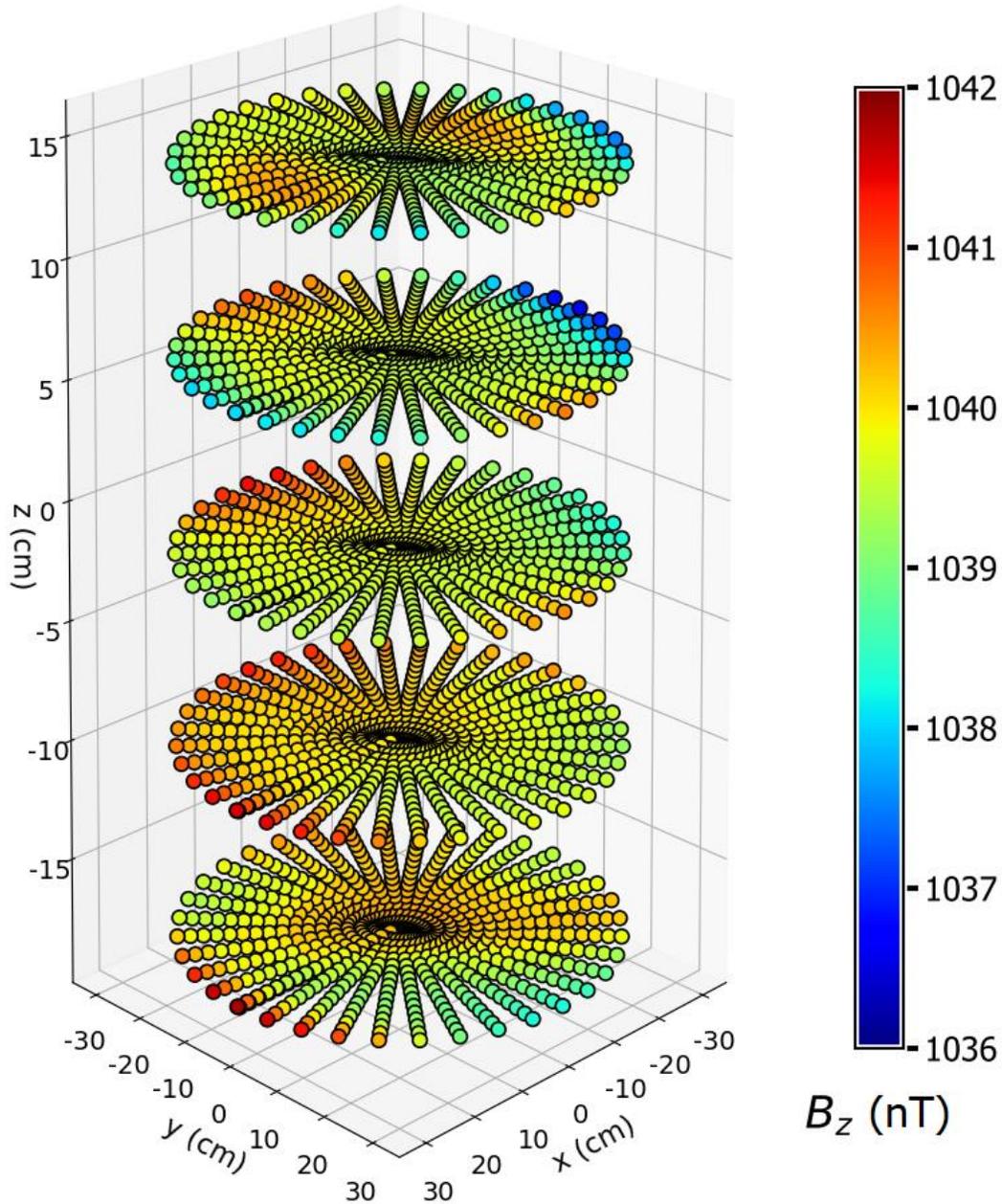
False EDM

$$d_{n \leftarrow \text{Hg}}^{\text{false}} = -\frac{\hbar |\gamma_n \gamma_{\text{Hg}}|}{2c^2} \langle \mathbf{x} B_x + \mathbf{y} B_y \rangle$$

Crossing point analysis



Magnetic field mapping



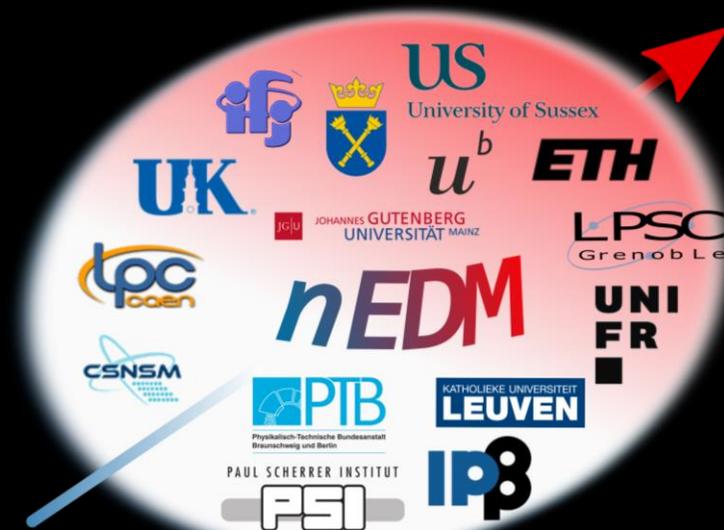
The « phantom mode » of the magnetic field is extracted from a global analysis of magnetic field maps.

PhD thesis Laura Ferraris-Bouchez
(2017-2020)

Measurement of the Permanent Electric Dipole Moment of the Neutron

We present the result of an experiment to measure the electric dipole moment (EDM) of the neutron at the Paul Scherrer Institute using Ramsey's method of separated oscillating magnetic fields with ultracold neutrons. Our measurement stands in the long history of EDM experiments probing physics violating time-reversal invariance. The salient features of this experiment were the use of a ^{199}Hg comagnetometer and an array of optically pumped cesium vapor magnetometers to cancel and correct for magnetic-field changes. The statistical analysis was performed on blinded datasets by two separate groups, while the estimation of systematic effects profited from an unprecedented knowledge of the magnetic field. The measured value of the neutron EDM is

$$d_n = (0.0 \pm 1.1_{\text{stat}} \pm 0.2_{\text{sys}}) \times 10^{-26} \text{ ecm}$$



Formidable investissement collectif du LPSC sur les projets nEDM/n2EDM depuis 15 ans !

Special credits to

Elec : Olivier Bourrion, Eric Lagorio, JP Scordilis, Christophe Vescovi et **l'équipe du routage**

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SDI : Rémi Faure, Marc Marton, JF Muraz, Myriam Migliore, Clément Thomassé

Admin : Colette Deslorieux, Isabelle Dos-Santos, Cécile Martin, Cécile Vannier

Le futur

