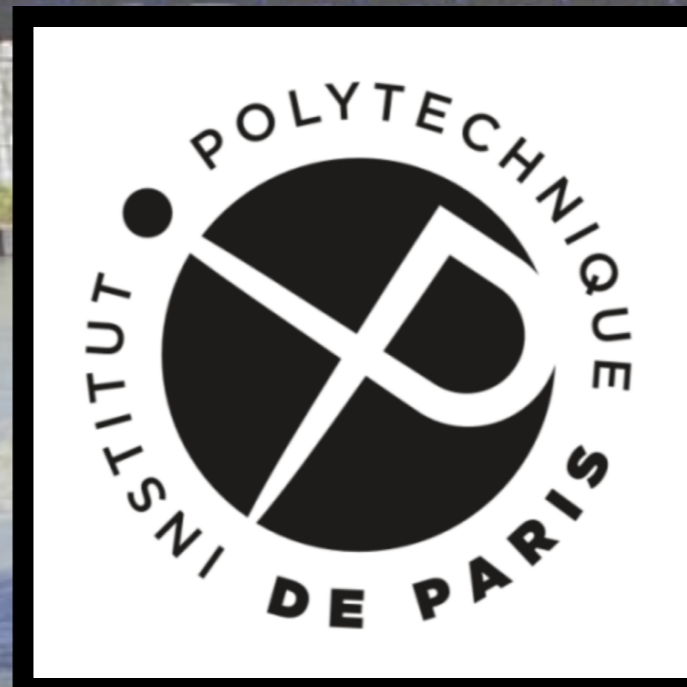


# Di-Higgs Searches @ CMS

**Bruno Alves, for the CMS Collaboration**



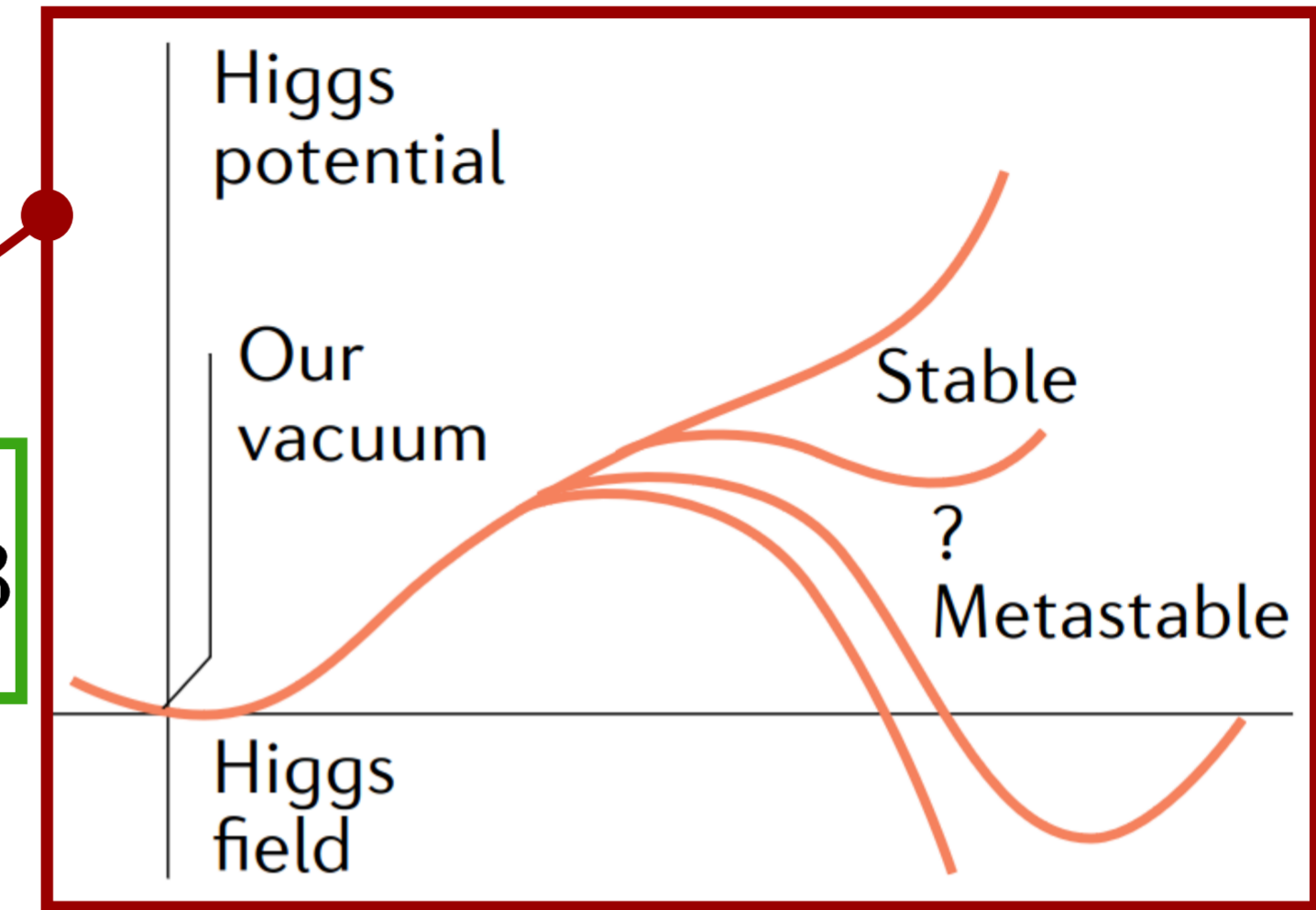
Indico  
**9/04/2024**  
**DIS Grenoble**

# Motivation: HH non-res. searches

## Measurement of the Higgs boson self-interaction

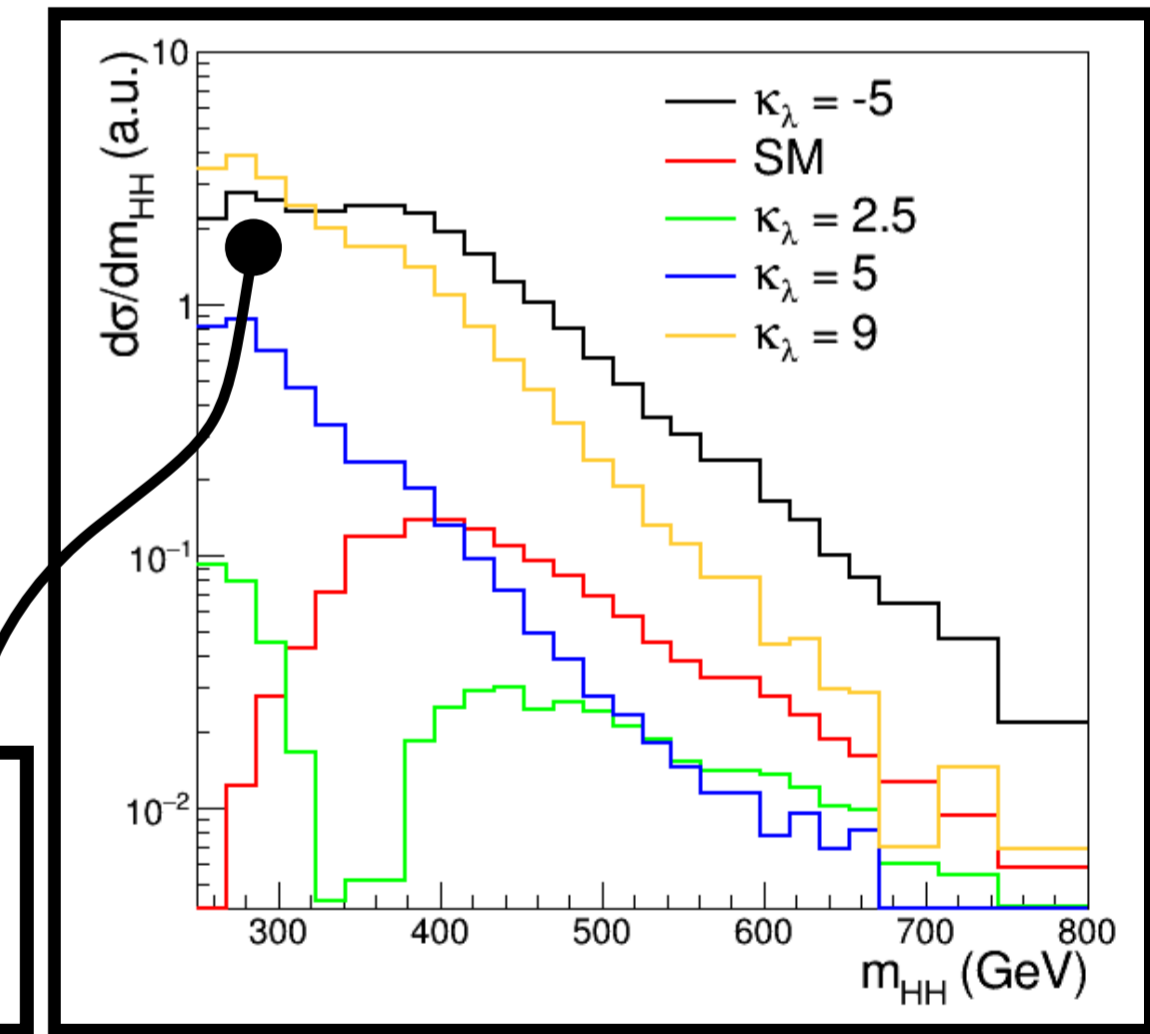
- test vacuum stability
- SM closure:  $\lambda_{HHH}$  is not free!
- deviations can explain baryogenesis

$$\lambda_{HHH}^{SM} = \frac{m_H^2}{2v^2} \simeq 0.13$$

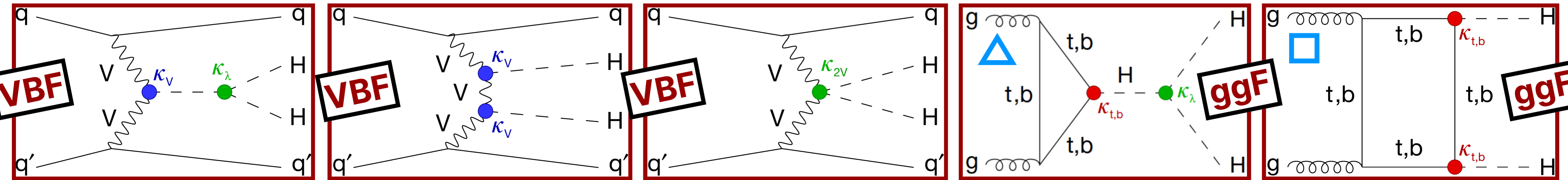


## Test BSM w/ anomalous couplings: $\kappa_\lambda, \kappa_t, \kappa_V, \kappa_{2V}$

- deviations may lead to diffs. in HH production rates and kinematics
- small SM HH cross-section because of  $\Delta$ - $\square$  interference

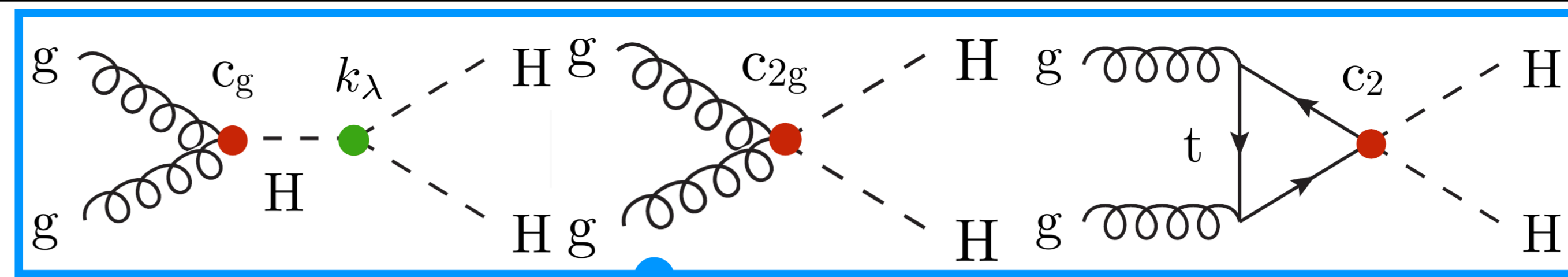


$\Delta$  dominates for large  $|\kappa_\lambda|$



# Motivation: EFT

ggF



- Probe effects from resonances with very high mass at lower energy scales

- BSM effects on ggF HH production can be studied through EFT model with **three new couplings**

- Explore sensitivity to BSM EFT couplings with **EFT**

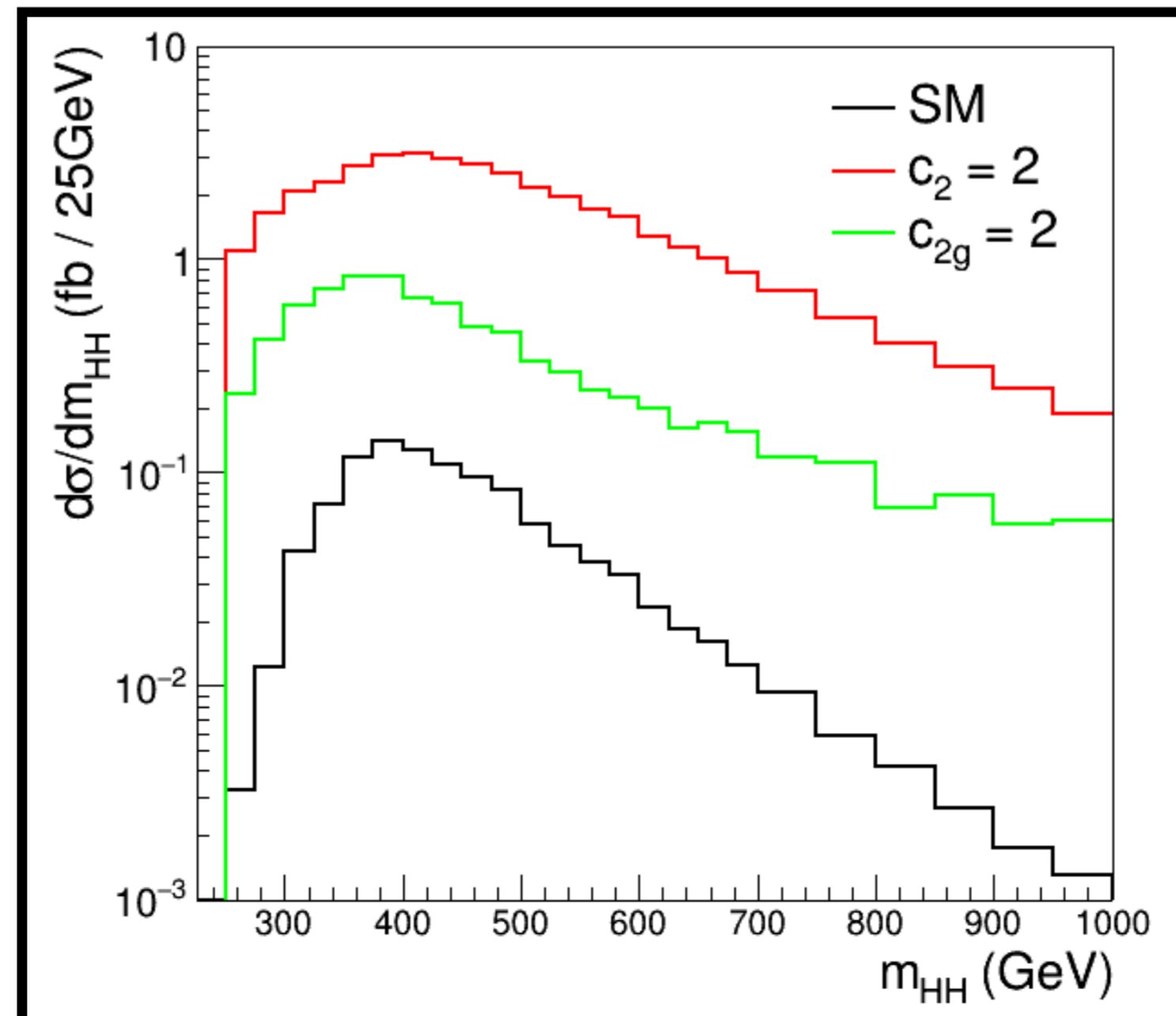
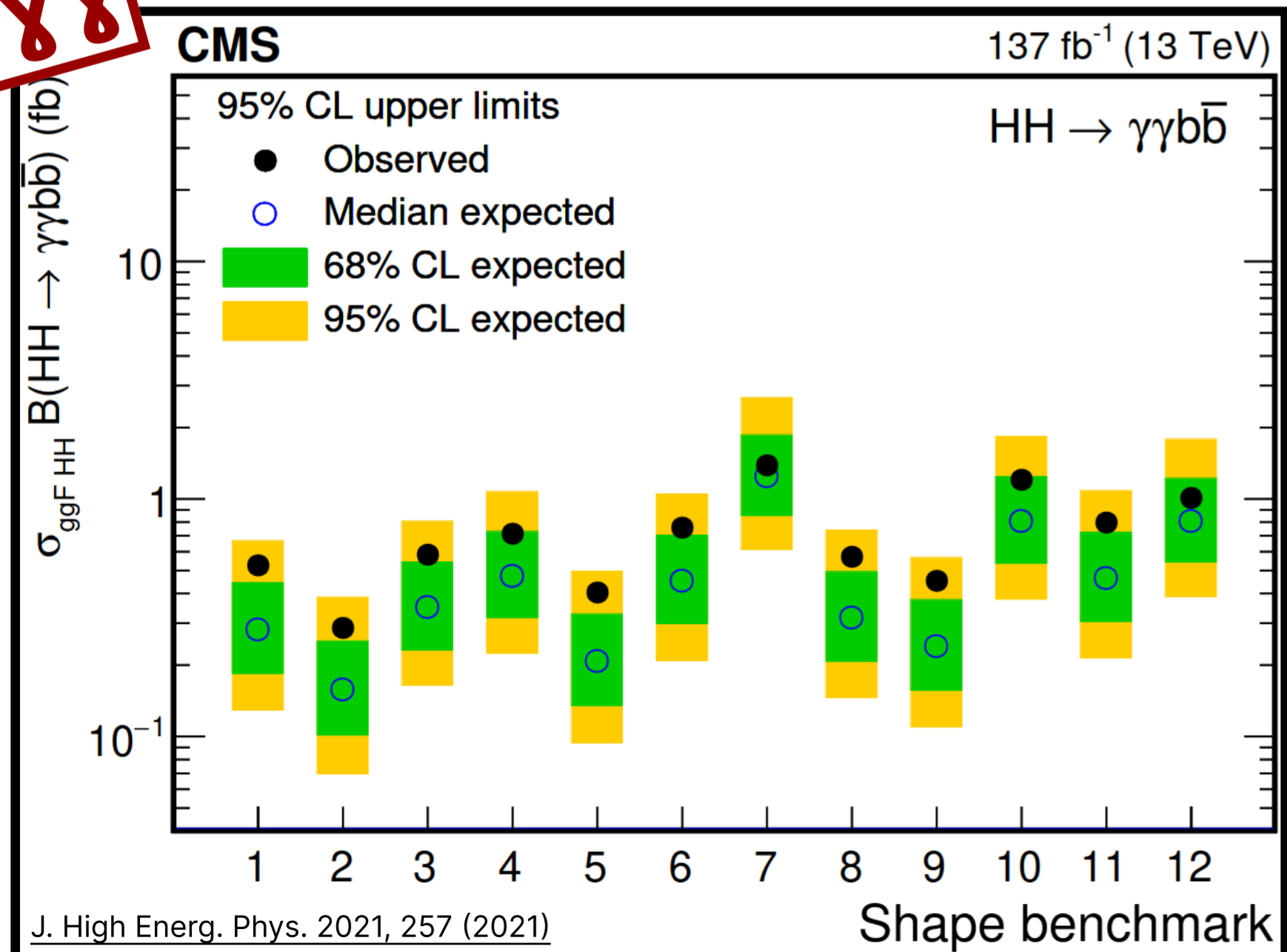
## benchmark points:

- based on test statistic measuring kinematics' similarity
- allow extrapolation between different points

Benchmarks

	$\kappa_\lambda$	$\kappa_t$	$c_2$	$c_g$	$c_{2g}$
SM	1.0	1.0	0.0	0.0	0.0
1	7.5	1.0	-1.0	0.0	0.0
2	1.0	1.0	0.5	-0.8	0.6
3	1.0	1.0	-1.5	0.0	-0.8
4	-3.5	1.5	-3.0	0.0	0.0
5	1.0	1.0	0.0	0.8	-1
6	2.4	1.0	0.0	0.2	-0.2
7	5.0	1.0	0.0	0.2	-0.2
8	15.0	1.0	0.0	-1	1
9	1.0	1.0	1.0	-0.6	0.6
10	10.0	1.5	-1.0	0.0	0.0
11	2.4	1.0	0.0	1	-1
12	15.0	1.0	1.0	0.0	0.0
8a	1.0	1.0	0.5	$\frac{0.8}{3}$	0.0
1b	3.94	0.94	$\frac{-1}{3}$	0.75	-1
2b	6.84	0.61	$\frac{1}{3}$	0.0	1.0
3b	2.21	1.05	$\frac{-1}{3}$	0.75	-1.5
4b	2.79	0.61	$\frac{1}{3}$	-0.75	-0.5
5b	3.95	1.17	$\frac{-1}{3}$	0.25	1.5
6b	5.68	0.83	$\frac{1}{3}$	-0.75	-1.0
7b	-0.10	0.94	1.0	0.25	0.5

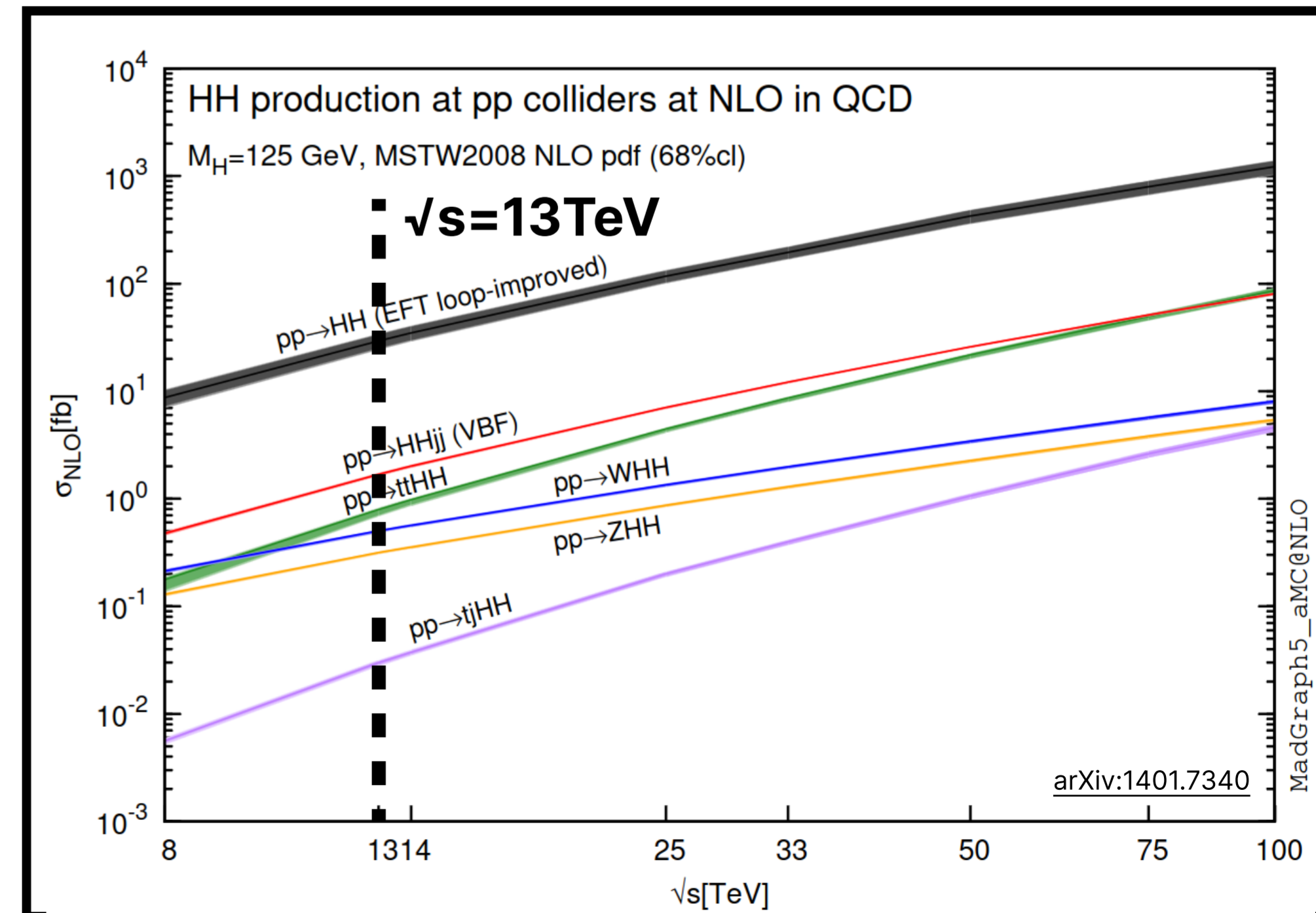
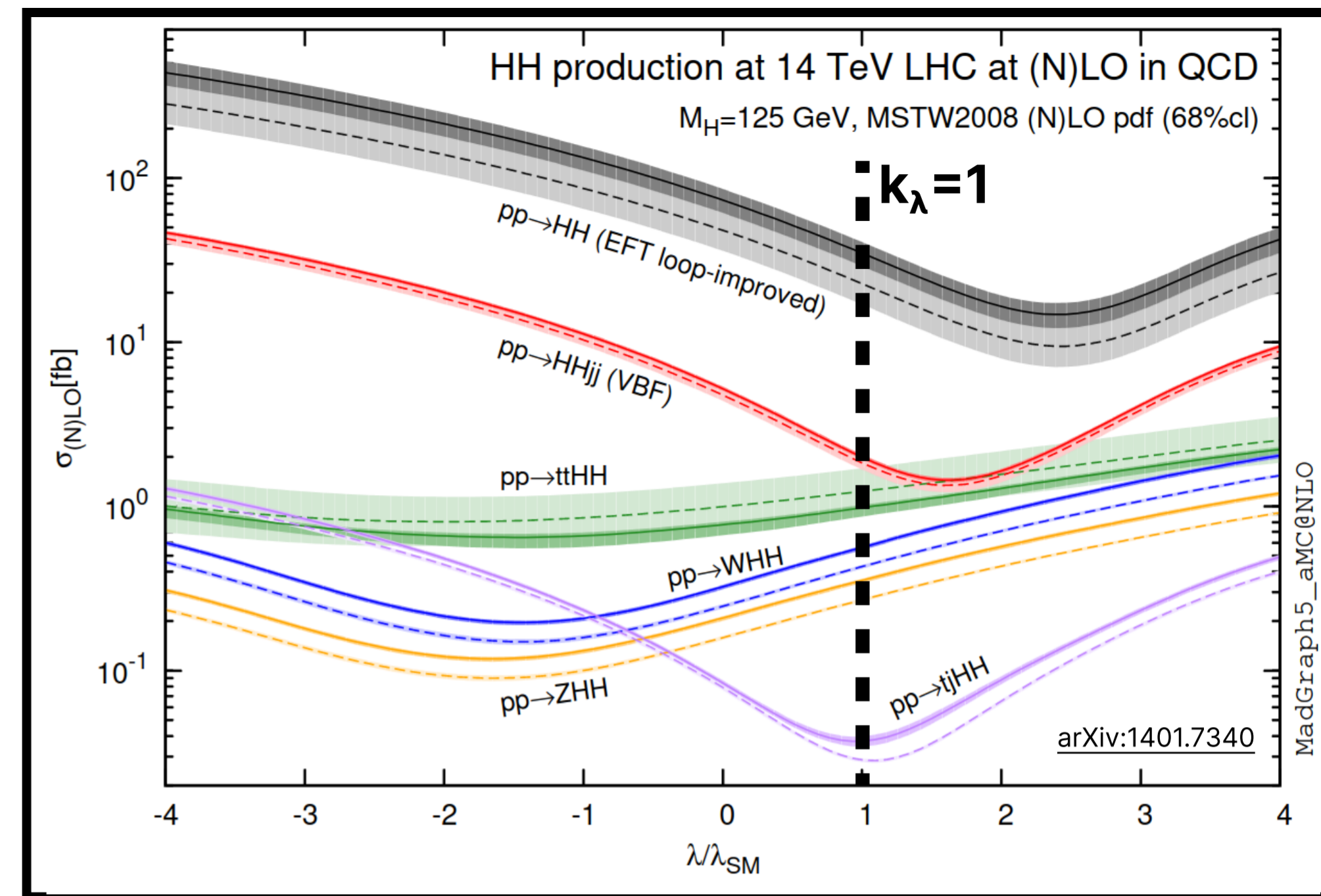
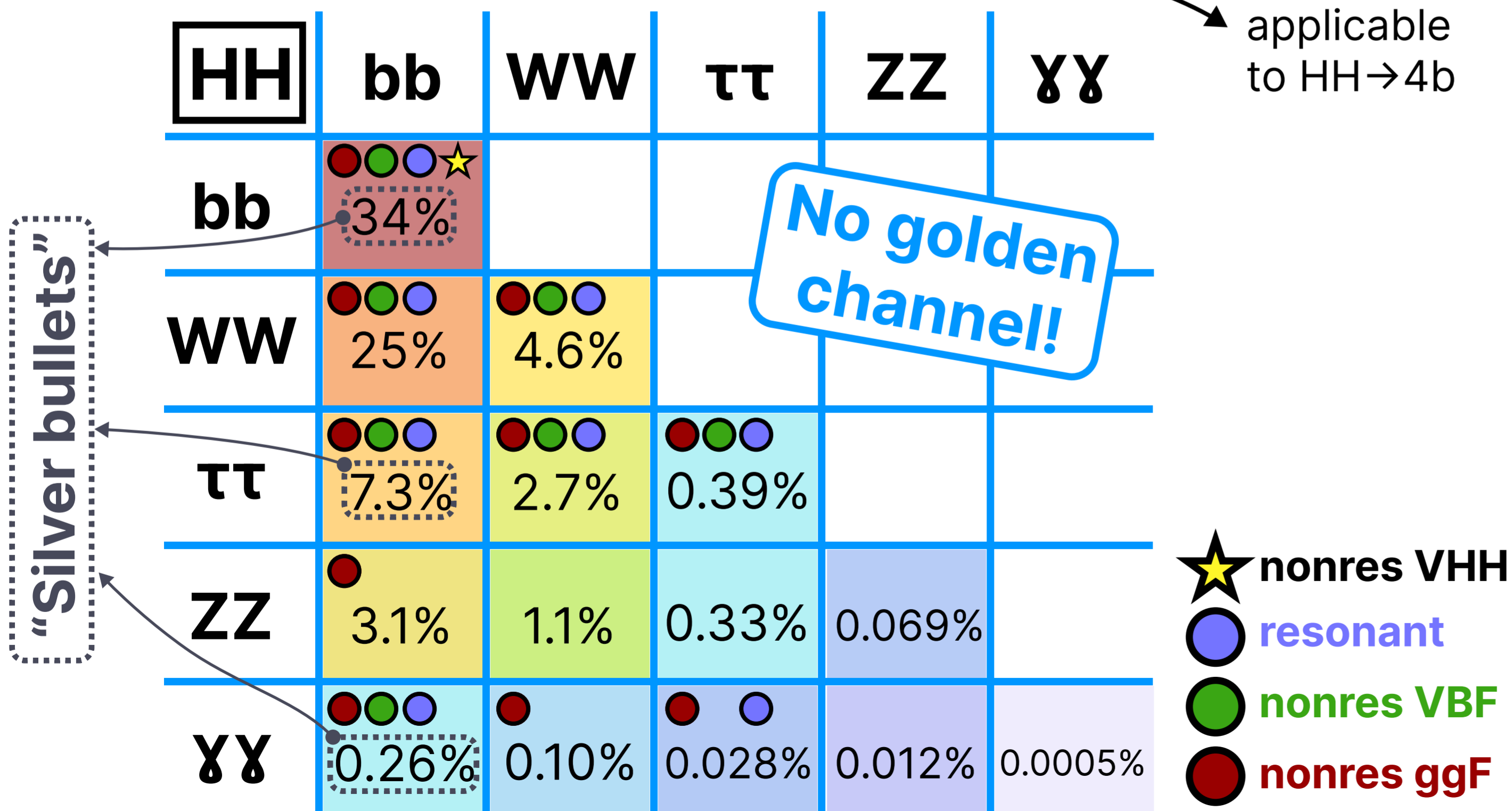
bbγγ



A. Carvalho et al, Capozzi et al, Buchalla et al

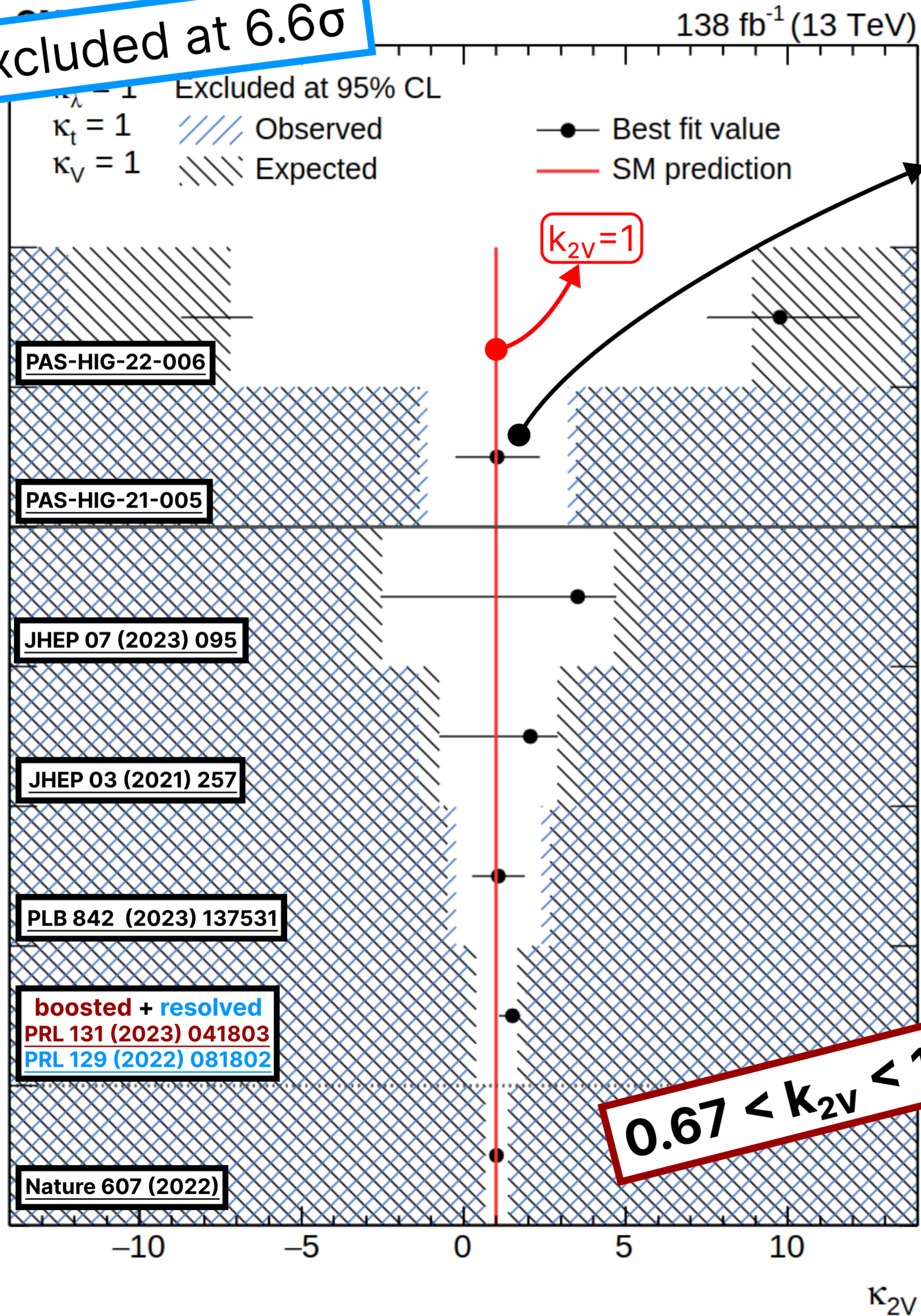
# Production $\rightarrow$ HH $\rightarrow$ Decay

- **ggF**, **VBF** and **VHH** production
  - $\sim 1000x$  rarer than single-H production
- Large variety of HH channels
  - trade-off between selection purity and branching ratio
- **New:**  $HH \rightarrow \gamma\gamma\tau\tau$ ,  $ZZ/ZH \rightarrow 4b$ ,  $H+HH$



# Run2 Combination

$k_{2V}=0$  excluded at  $6.6\sigma$



(VHH) bb bb  
 $\kappa_{2V} = 9.9^{+2.3}_{-2.4} \cup [-10.5, -6.5]$   
 CMS-PAS-HIG-22-006

bb WW  
 $\kappa_{2V} = 1.0^{+1.3}_{-1.3}$   
 CMS-PAS-HIG-21-005

Multilepton ♣  
 $\kappa_{2V} = 3.5^{+1.2}_{-6.1}$   
 Acc. by JHEP (2206.10268)

bb  $\gamma\gamma$  ♣  
 $\kappa_{2V} = 2.1^{+0.8}_{-2.8}$   
 JHEP 03 (2021) 257

bb  $\tau\tau$  ♣  
 $\kappa_{2V} = 1.1^{+0.8}_{-0.8}$   
 Acc. by PLB (2206.09401)

bb bb ♣  
 $\kappa_{2V} = 1.5^{+0.2}_{-0.4}$   
 Nature 607 (2022) 60

Comb. of ♣  
 $\kappa_{2V} = 1.0^{+0.2}_{-0.2}$   
 Nature 607 (2022) 60

(VHH) bb bb  
 $\kappa_\lambda = -25.1^{+6.8}_{-5.6}$   
 CMS-PAS-HIG-22-006

WW  $\gamma\gamma$   
 $\kappa_\lambda = 14.8^{+5.5}_{-13.3}$   
 CMS-PAS-HIG-21-014

bb WW  
 $\kappa_\lambda = 4.2^{+5.3}_{-5.7}$   
 CMS-PAS-HIG-21-005

bb ZZ ♣  
 $\kappa_\lambda = 2.3^{+5.6}_{-5.4}$   
 Acc. by JHEP (2206.10657)

Multilepton ♣  
 $\kappa_\lambda = 2.3^{+5.2}_{-5.2}$   
 Acc. by JHEP (2206.10268)

bb bb ♣  
 $\kappa_\lambda = -0.2^{+9.9}_{-2.8}$   
 Nature 607 (2022) 60

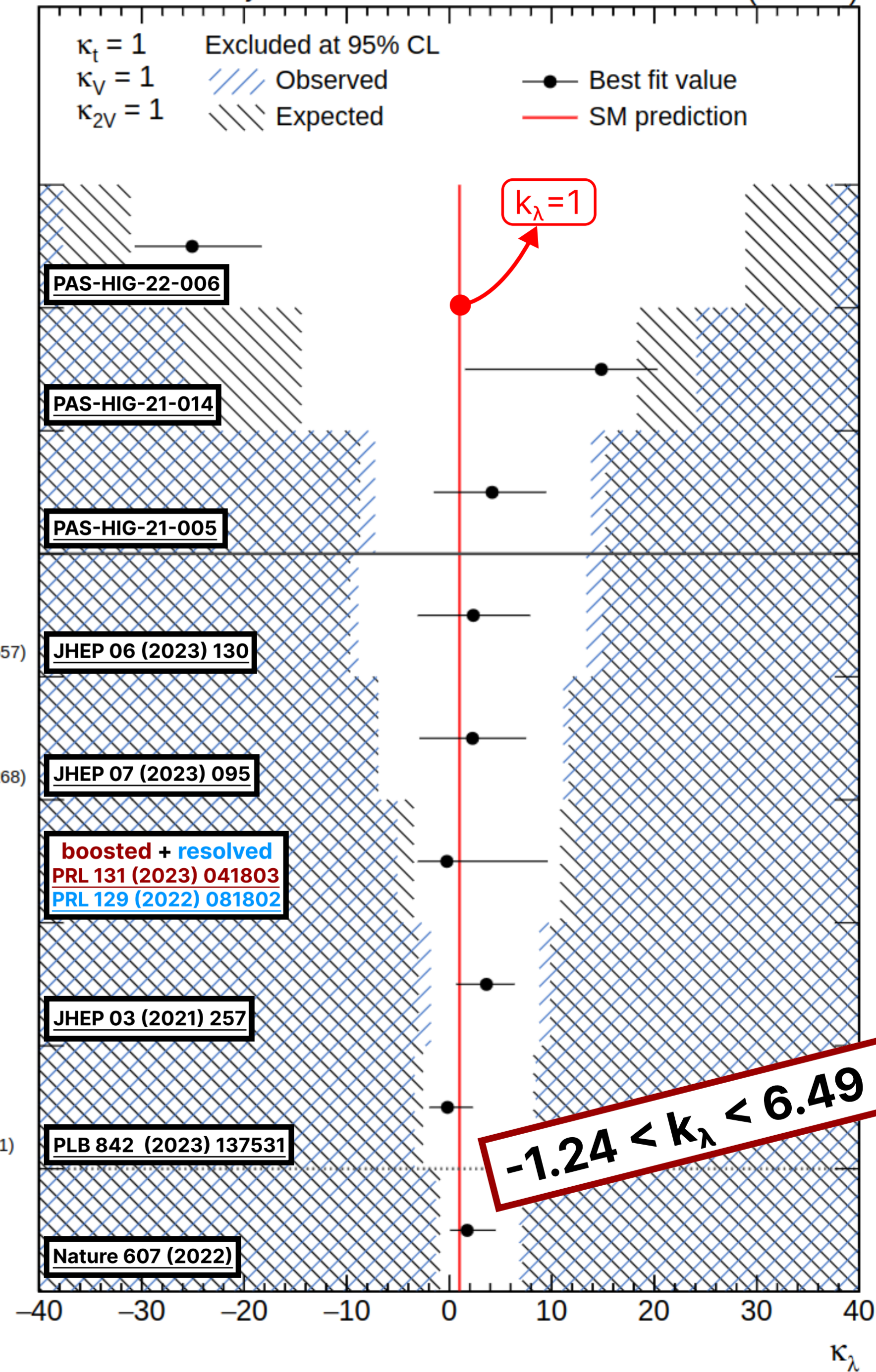
bb  $\gamma\gamma$  ♣  
 $\kappa_\lambda = 3.6^{+2.8}_{-2.9}$   
 JHEP 03 (2021) 257

bb  $\tau\tau$  ♣  
 $\kappa_\lambda = -0.2^{+2.5}_{-1.7}$   
 Acc. by PLB (2206.09401)

Comb. of ♣  
 $\kappa_\lambda = 1.7^{+2.8}_{-1.7}$   
 Nature 607 (2022) 60

CMS Preliminary

138 fb<sup>-1</sup> (13 TeV)



PAS-HIG-22-006

PAS-HIG-21-014

PAS-HIG-21-005

JHEP 06 (2023) 130

JHEP 07 (2023) 095

boosted + resolved  
 PRL 131 (2023) 041803  
 PRL 129 (2022) 081802

JHEP 03 (2021) 257

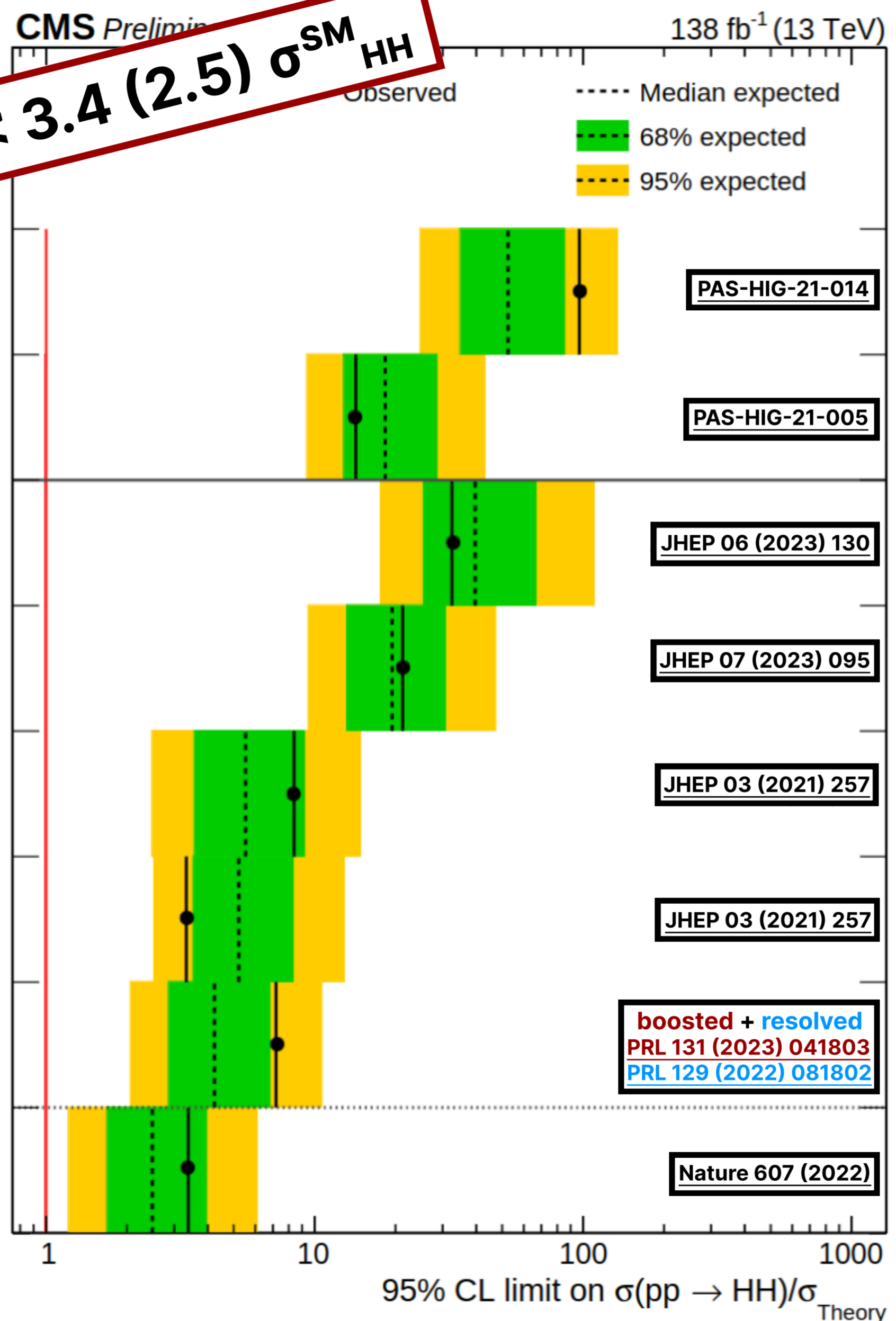
PLB 842 (2023) 137531

Nature 607 (2022)

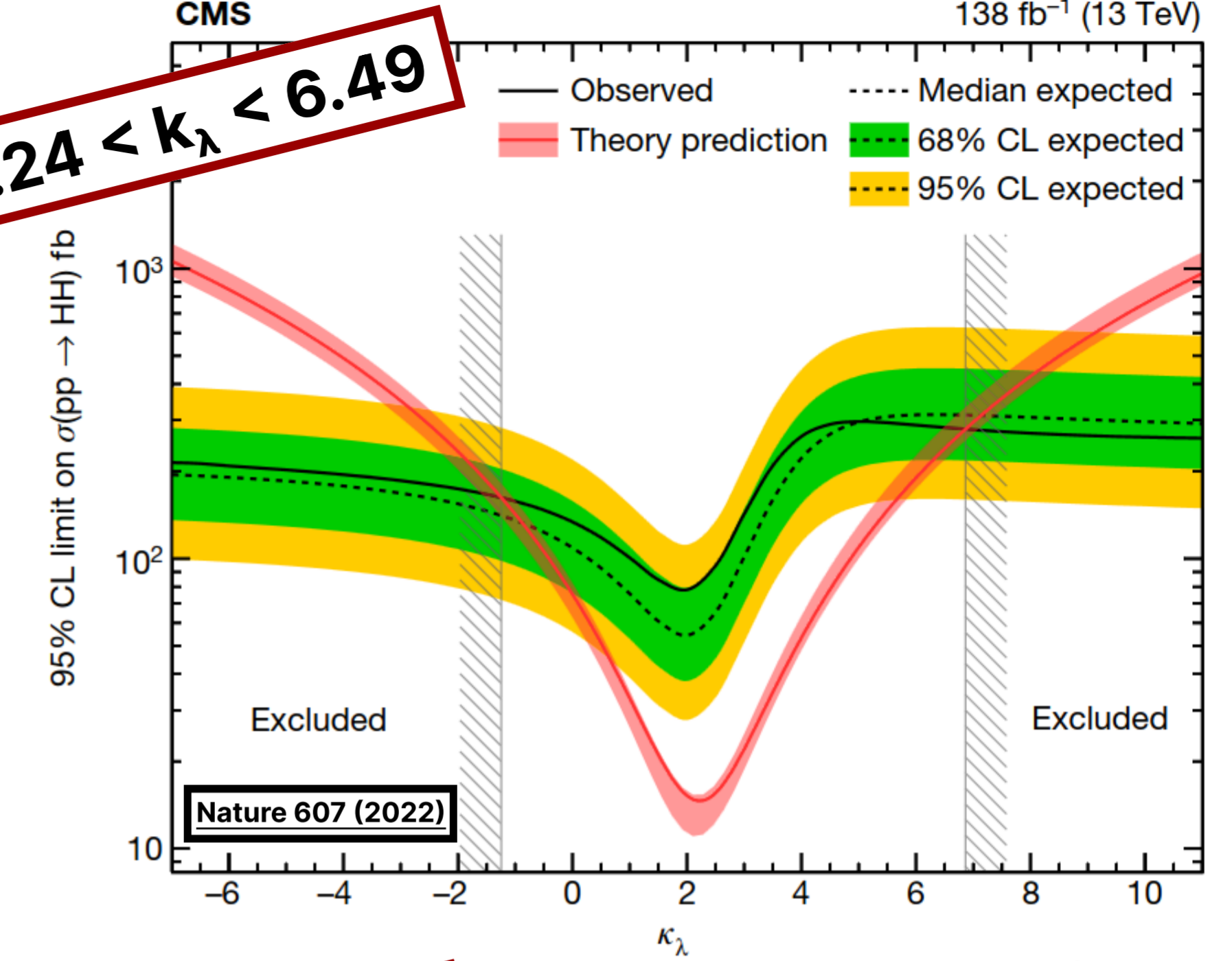
# Run2 Combination

**$\sigma_{HH} < 3.4 (2.5) \sigma_{HH}^{SM}$**

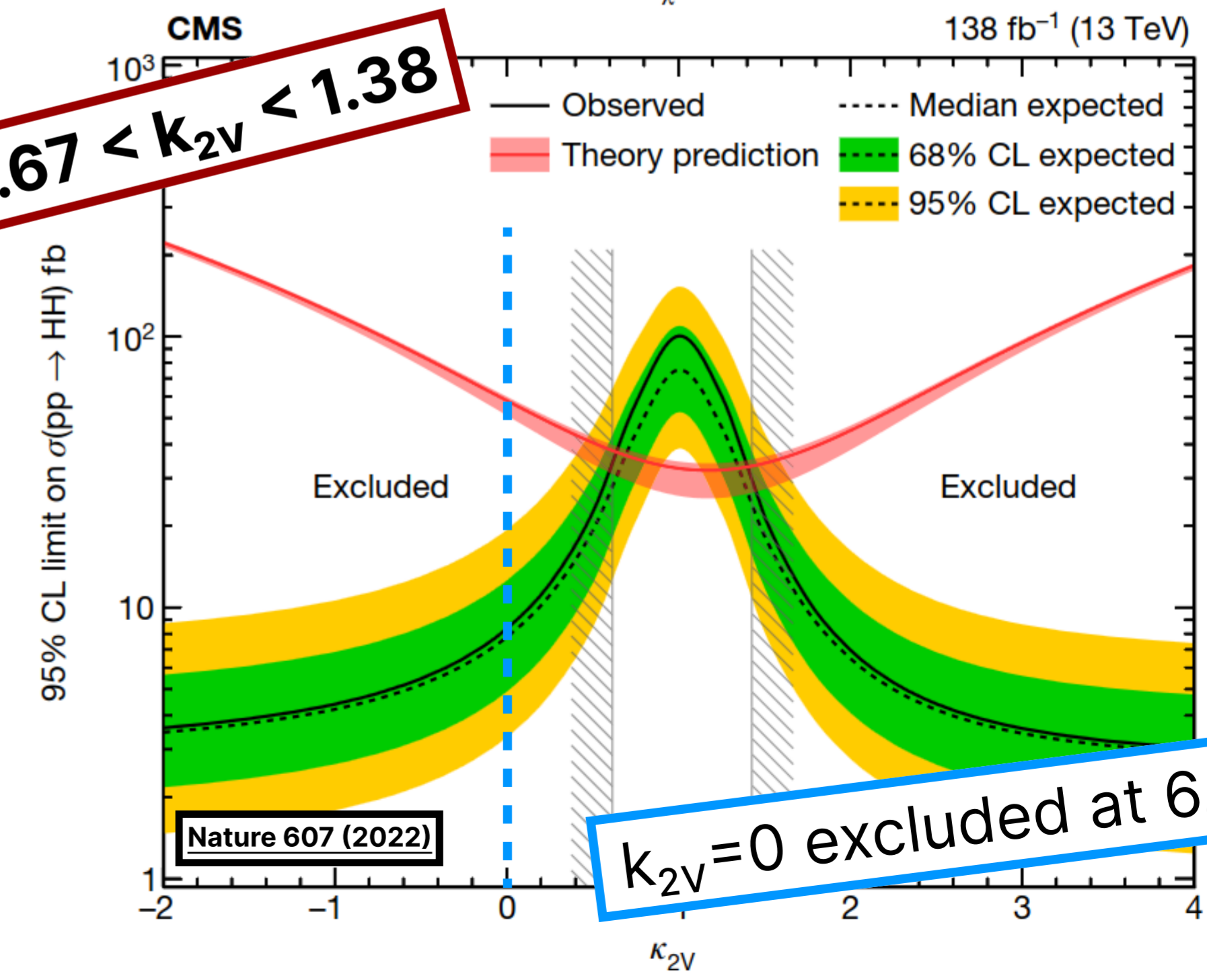
- WW  $\gamma\gamma$   
Expected: 52  
Observed: 97
- bb WW  
Expected: 18  
Observed: 14
- bb ZZ  $\clubsuit$   
Expected: 40  
Observed: 32
- Multilepton  $\clubsuit$   
Expected: 19  
Observed: 21
- bb  $\gamma\gamma$   $\clubsuit$   
Expected: 5.5  
Observed: 8.4
- bb  $\tau\tau$   $\clubsuit$   
Expected: 5.2  
Observed: 3.3
- bb bb  $\clubsuit$   
Expected: 4.2  
Observed: 7.2
- Comb. of  $\clubsuit$**   
Expected: 2.5  
Observed: 3.4



**$-1.24 < \kappa_\lambda < 6.49$**



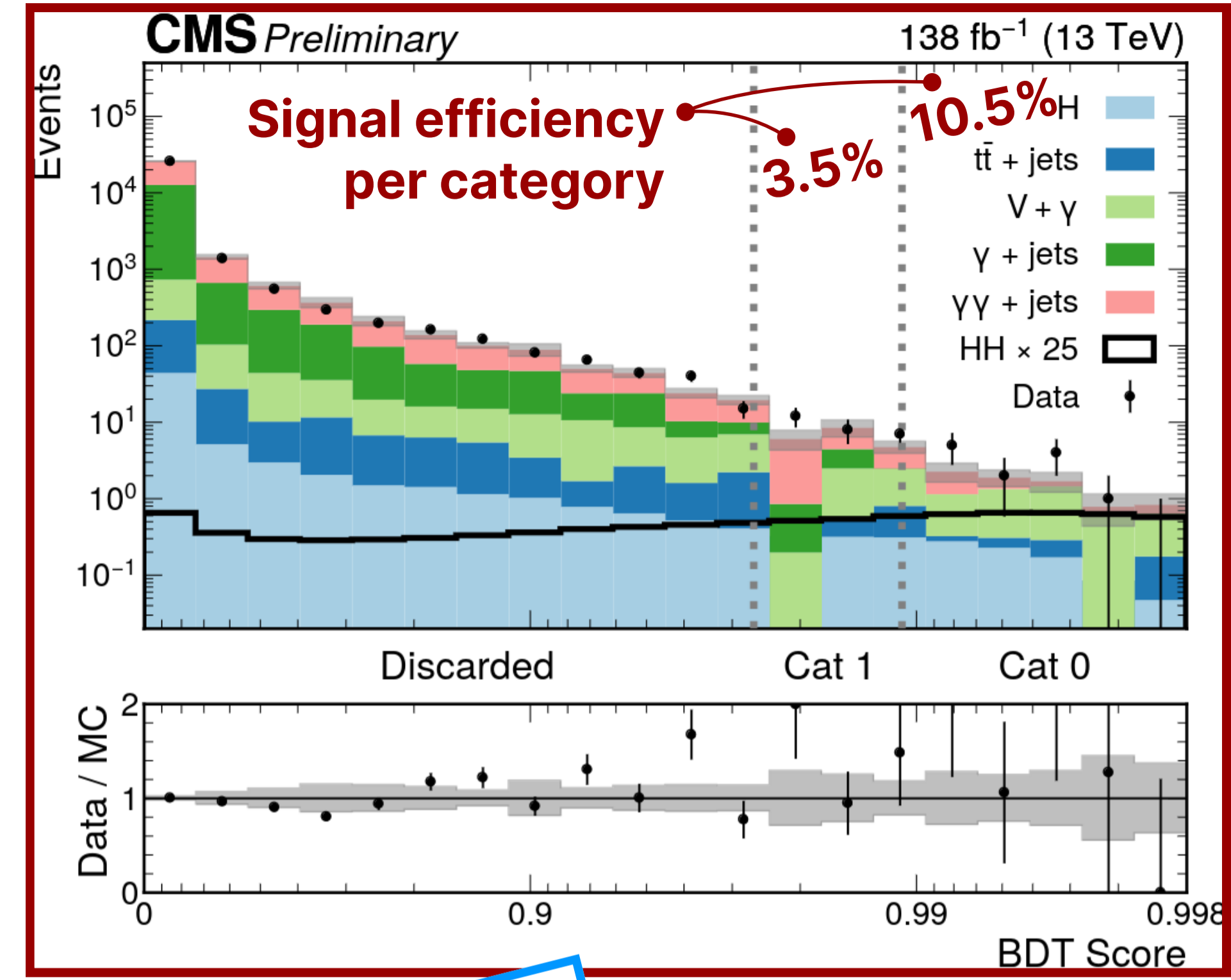
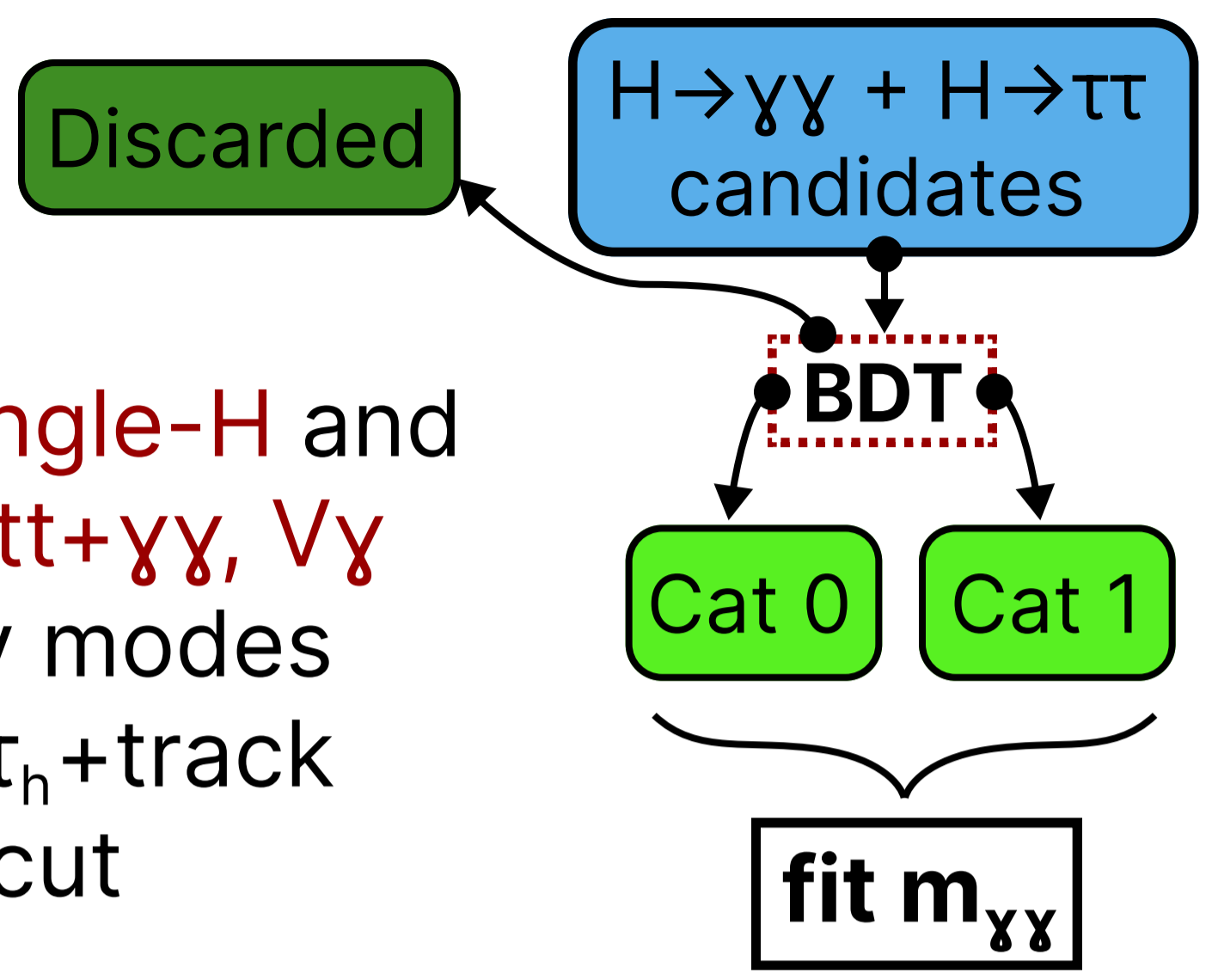
**$0.67 < \kappa_{2V} < 1.38$**



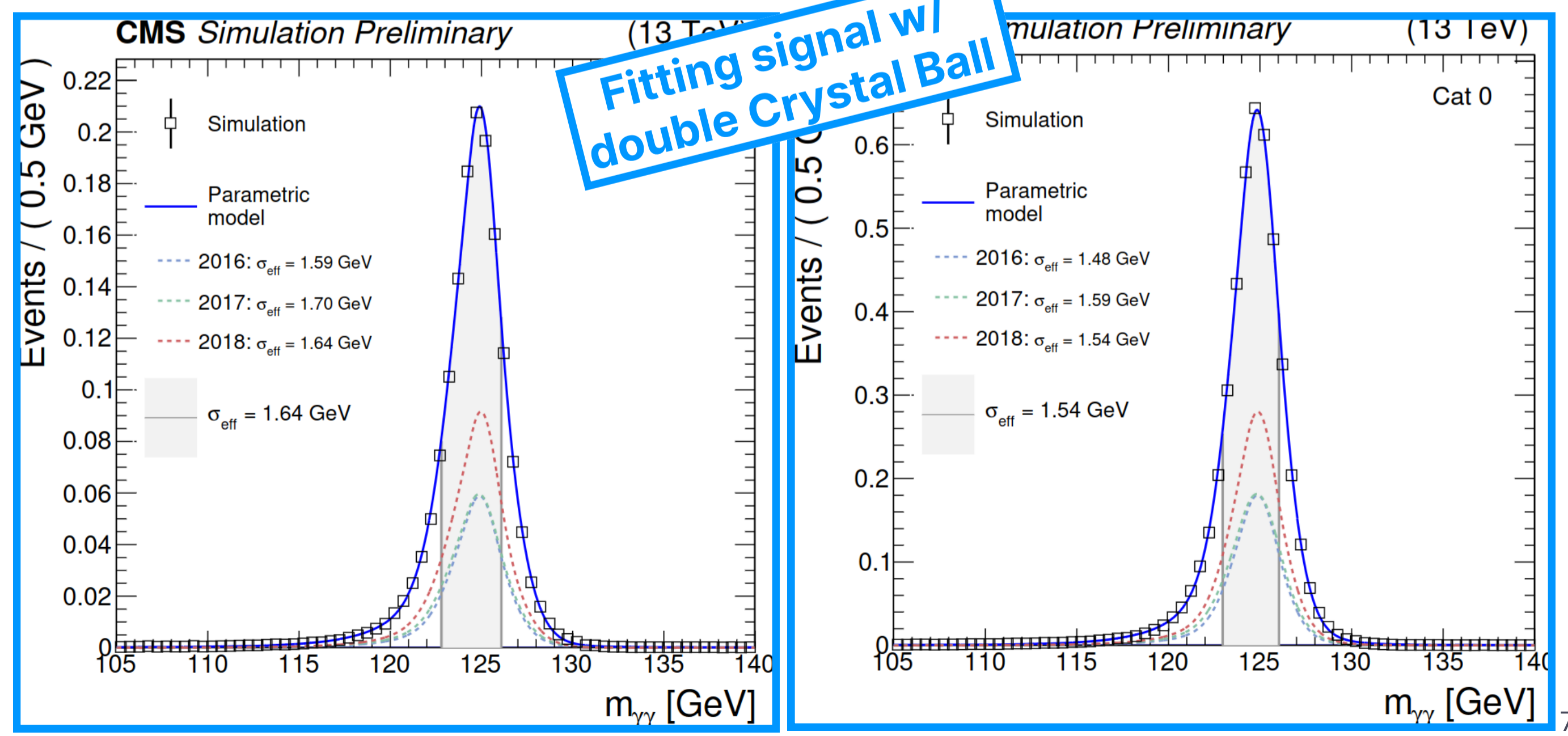
# $HH \rightarrow \gamma\gamma\tau\tau$

ggF

- Dominant bkg. are **peaking single-H** and **non-res.  $\gamma$ +jets,  $\gamma\gamma$ +jets,  $tt+\gamma$ ,  $tt+\gamma\gamma$ ,  $V\gamma$**
- $\tau$ 's reconstructed in all 6 decay modes
  - and consider single  $\tau_h$  and  $\tau_h$ +track
  - apply DY veto with a mass cut
- A BDT uses kinematic features
  - enforces  $m_{\gamma\gamma}$  independence at 1<sup>st</sup> order



- Fit  $m_{\gamma\gamma}$  in signal-enriched categories
  - signal and  $H \rightarrow \gamma\gamma$  bkgd. from simulation
  - bkgd. continuum using the **discrete profiling method**
    - take the minimum likelihood of many analytic functions vs. signal strength: the envelope
    - penalize functions w/ more params



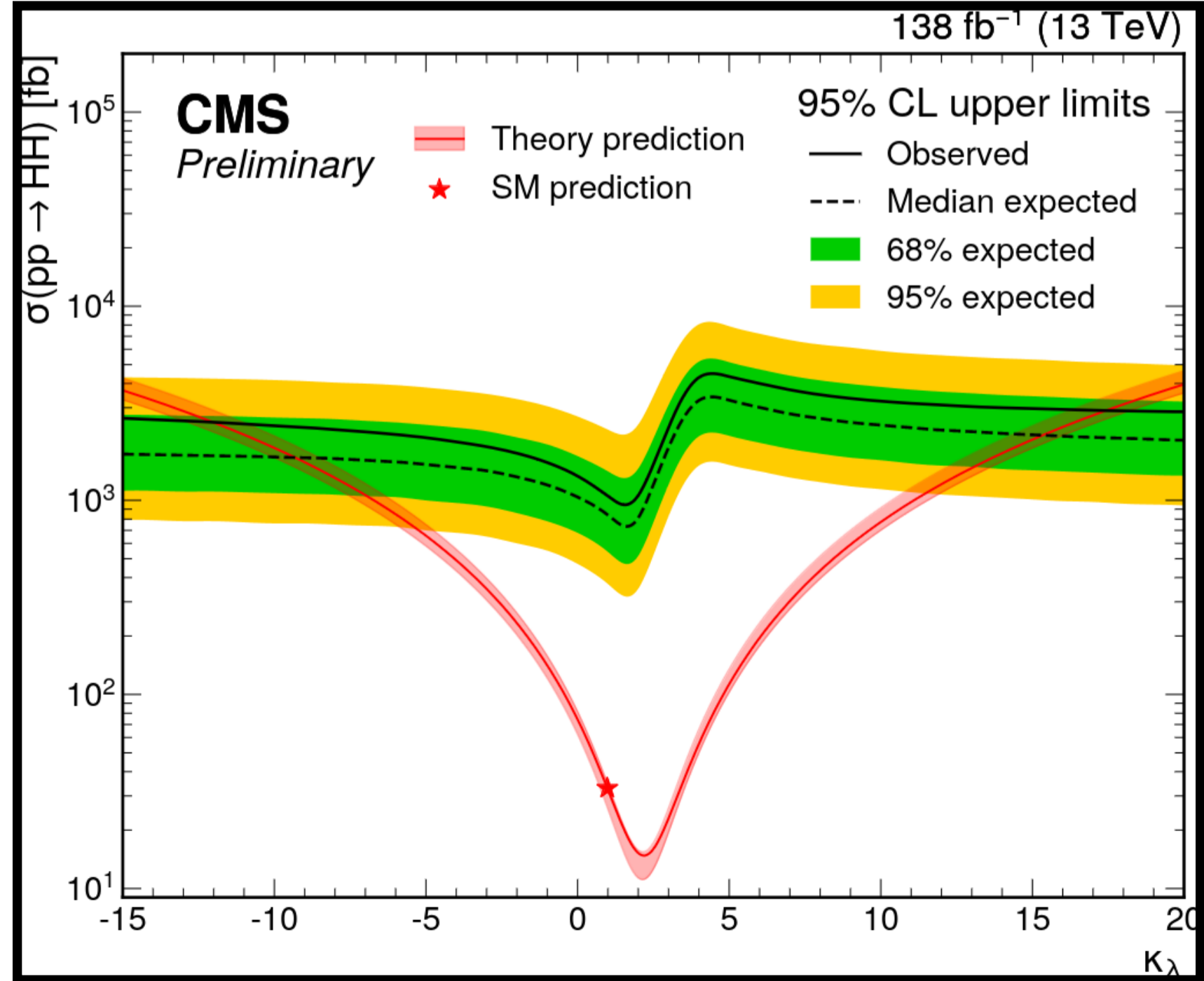
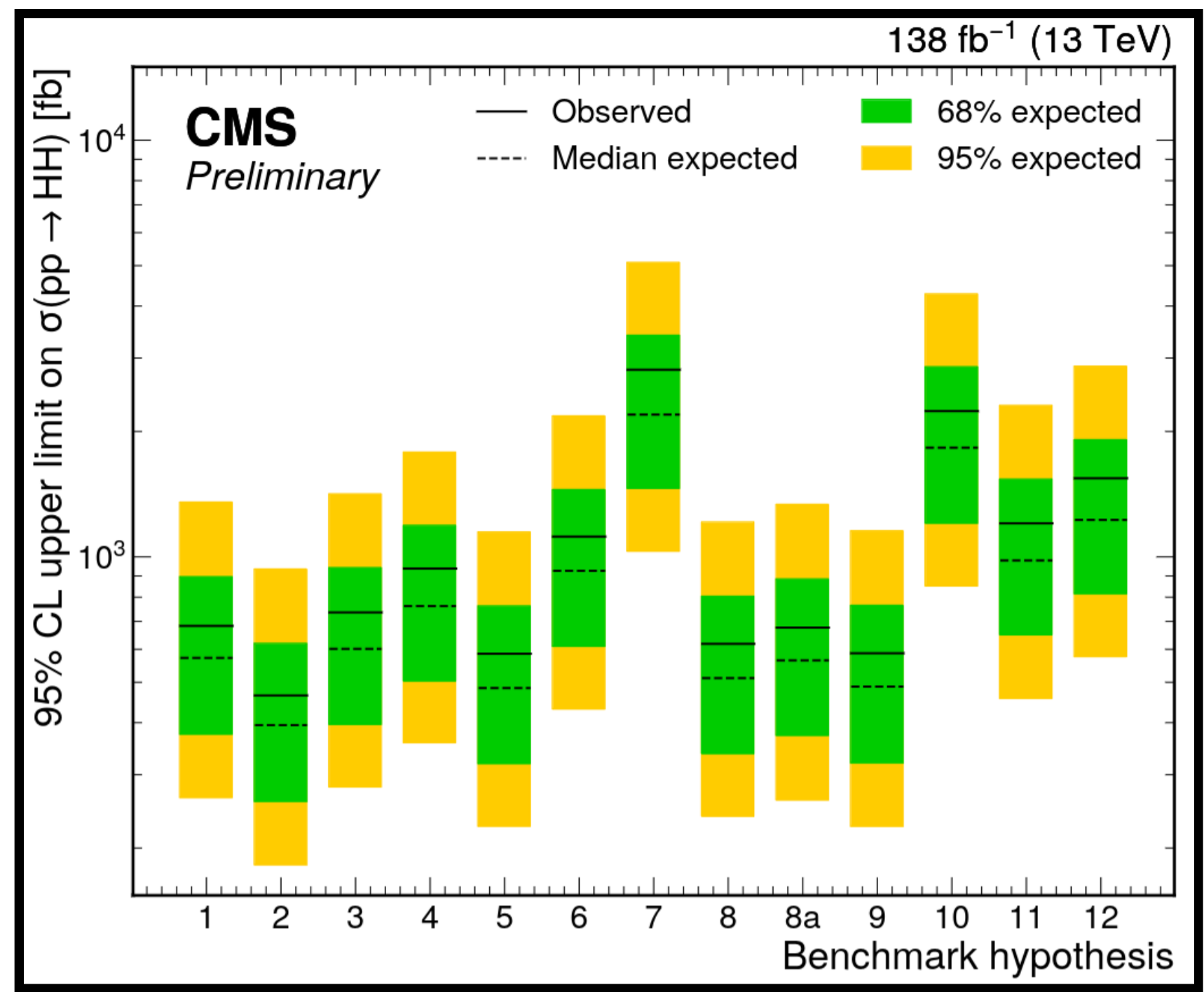
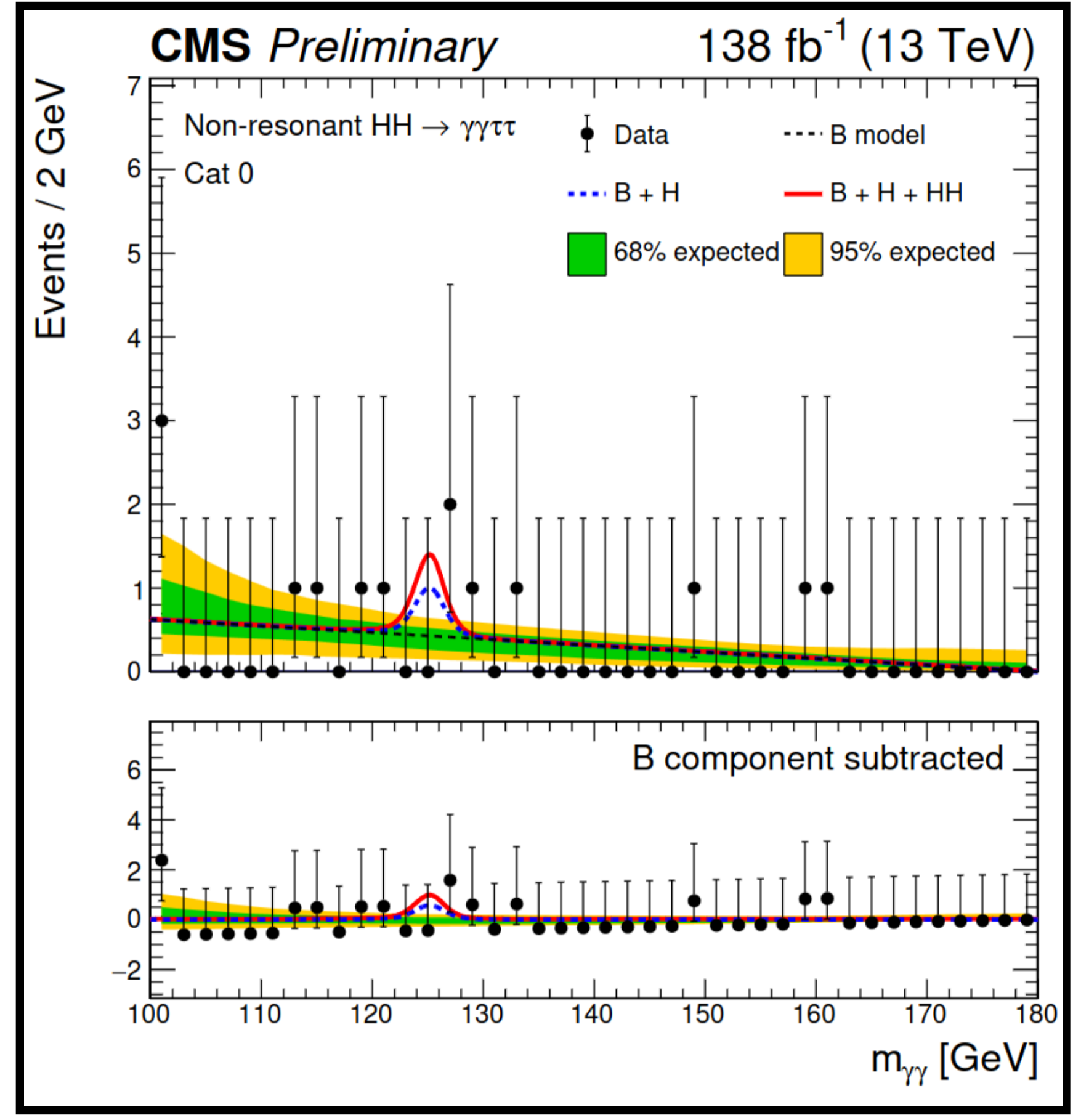
# $HH \rightarrow \gamma\gamma\tau\tau$

ggF

- Results expected to be added to a future HH combination
- The work also covers many resonant channels (not discussed here)

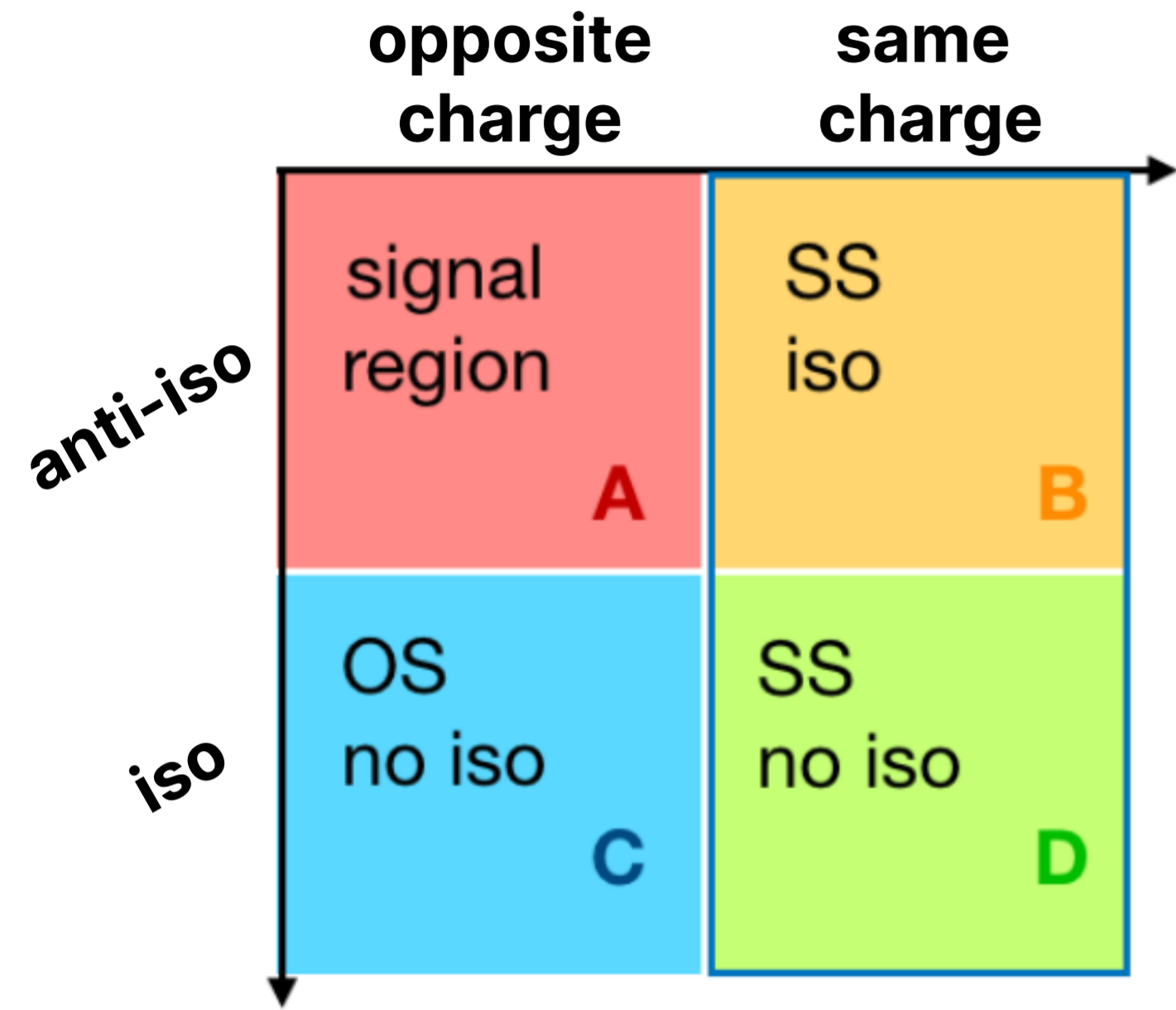
$$\sigma_{HH} < 33 \text{ (26)} \sigma_{HH}^{SM}$$

$$-13 \text{ (-11)} < k_\lambda < 18 \text{ (16)}$$





# Modelling the QCD background



$$A = \begin{matrix} \text{shape} \\ C \\ B \end{matrix} * \begin{matrix} \text{yield correction} \\ B/D \\ C/D \end{matrix}$$

$$N_{SR}^{4b} = \sum_{ibin} \left( \frac{N_{CR}^{4b}}{N_{CR}^{3b}} \right)_{ibin} (N_{SR}^{3b})_{ibin}$$

## HH → bbττ

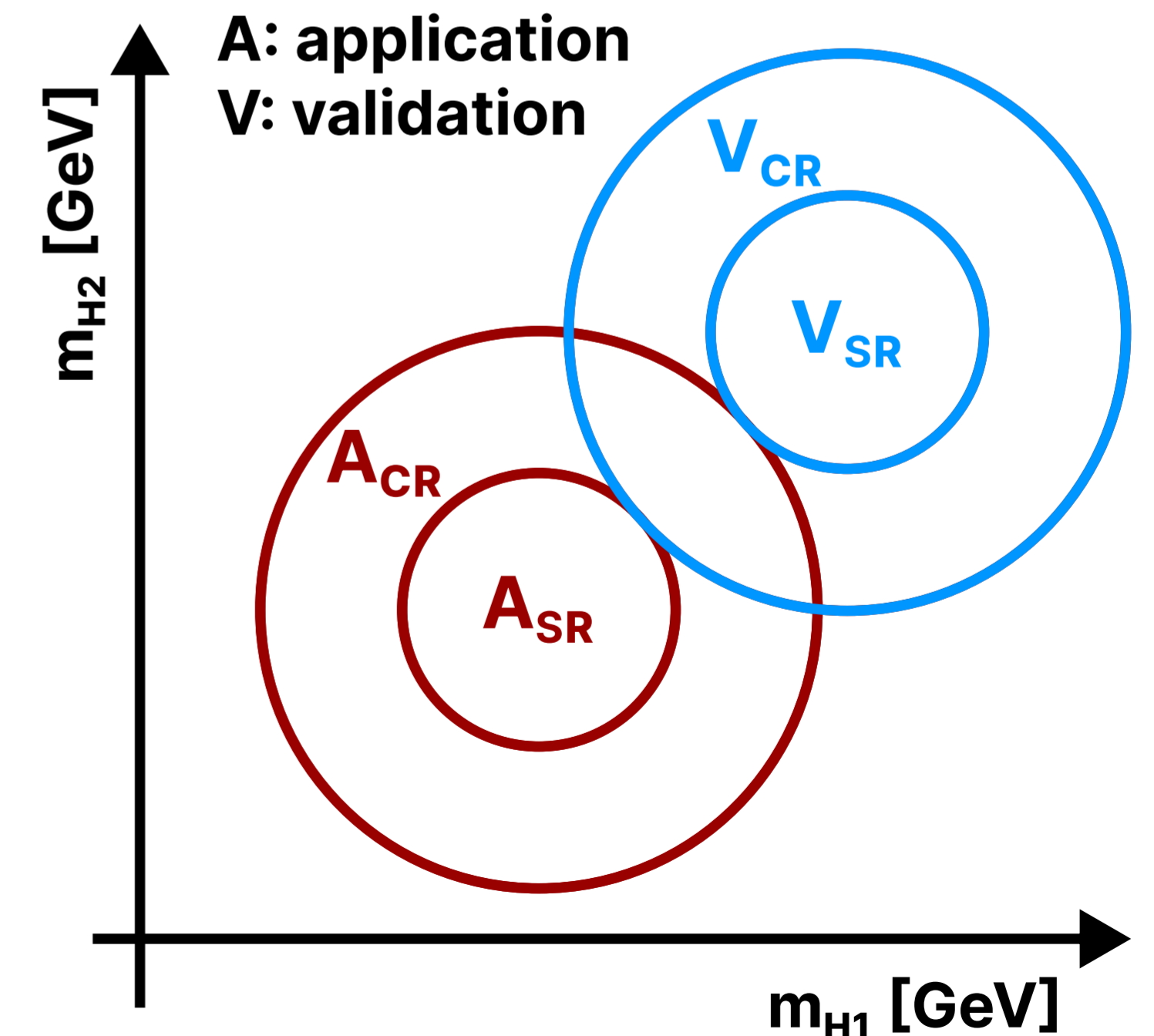
Phys. Lett. B, 842, 137531

- QCD data-driven estimation using tau charge and isolation
- ABCD-like method
  - The shape uncertainty dominates (QCD dominates in the most sensitive τ channel)

## HH → 4b (resolved)

Phys. Rev. Lett. 129, 081802

- QCD data-driven estimation using 3/4 b's CRs
  - BDT reweighting fixes remaining diffs. in the 3b's SR
- ABCD-like method
  - Largest systematics come from the background model

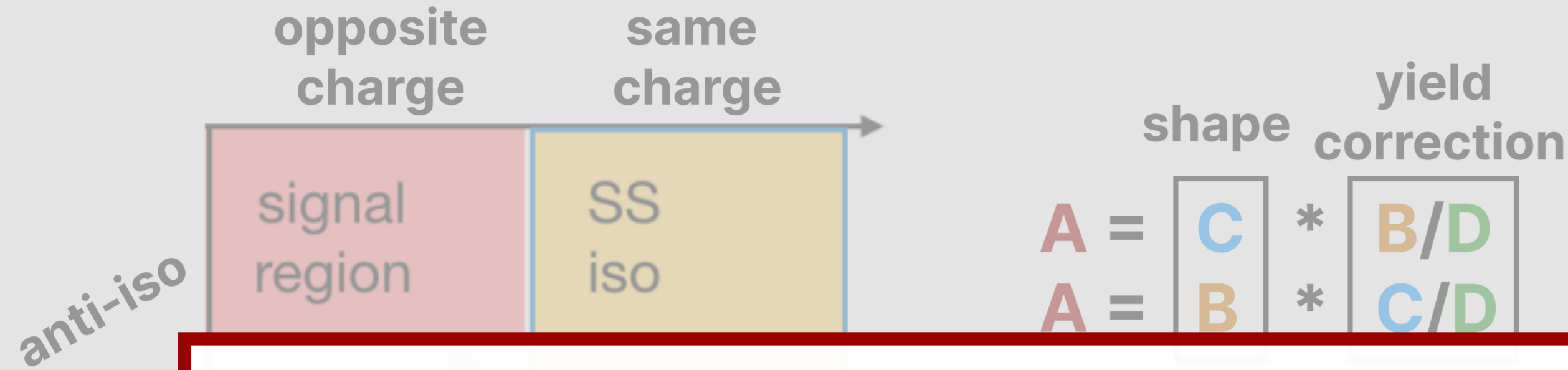


# Modelling the QCD background

## HH → bbττ

Phys. Lett. B, 842, 137531

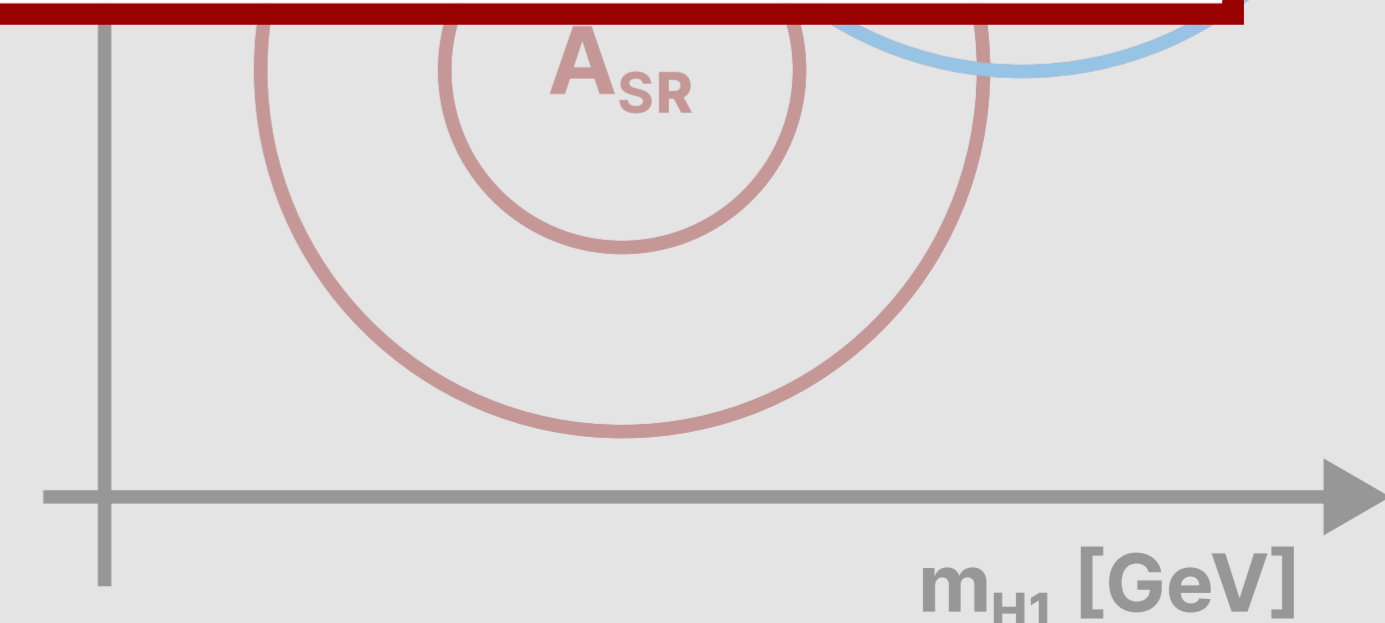
- QCD data-driven estimation using tau charge and isolation
- ABCD-like method
  - The shape uncertainty dominates



Finite data in VRs imply an  
**“Inherent limitation on the capability to validate the performance of the background model”**

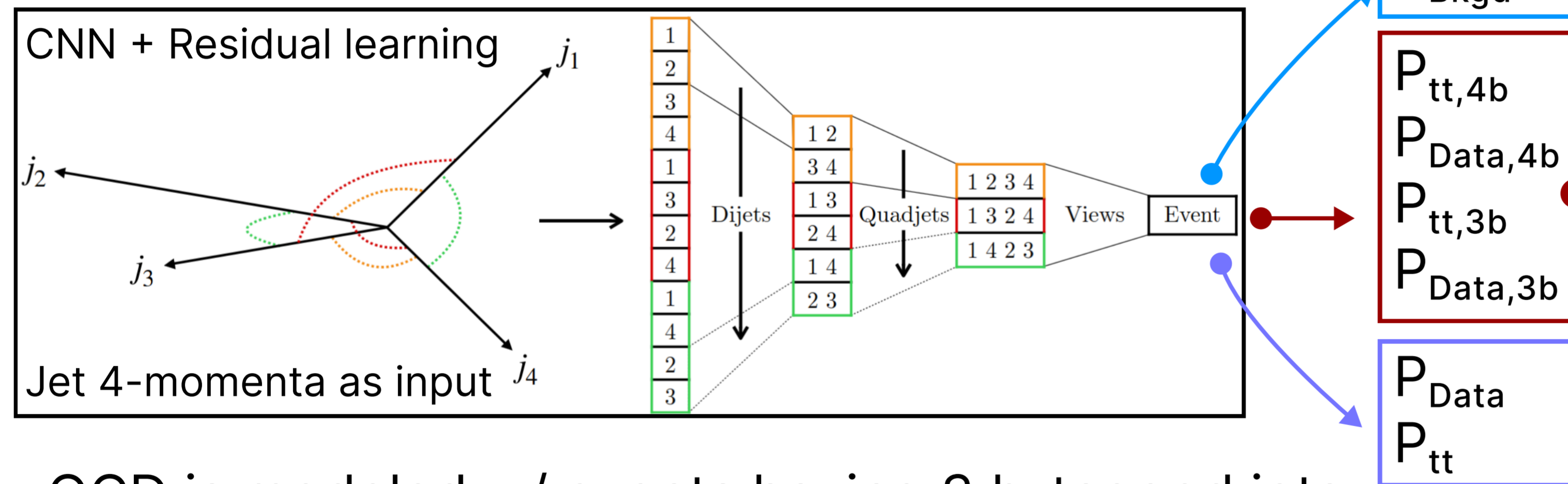
We would also like to  
**directly test the ABCD extrapolation in the SR**

- QCD data-driven estimation using 3/4 b's CRs
  - BDT reweighting fixes remaining diffs. in the 3b's SR
- ABCD-like method
  - Largest systematics come from the background model



# ZZ/ZH → 4b: Techniques for HH → 4b

- The same DNN multiclassifier architecture is used for:
  - signal vs bkgd. discrimination
  - kinematic correction of the background model
  - remove ttbar from synthetic dataset



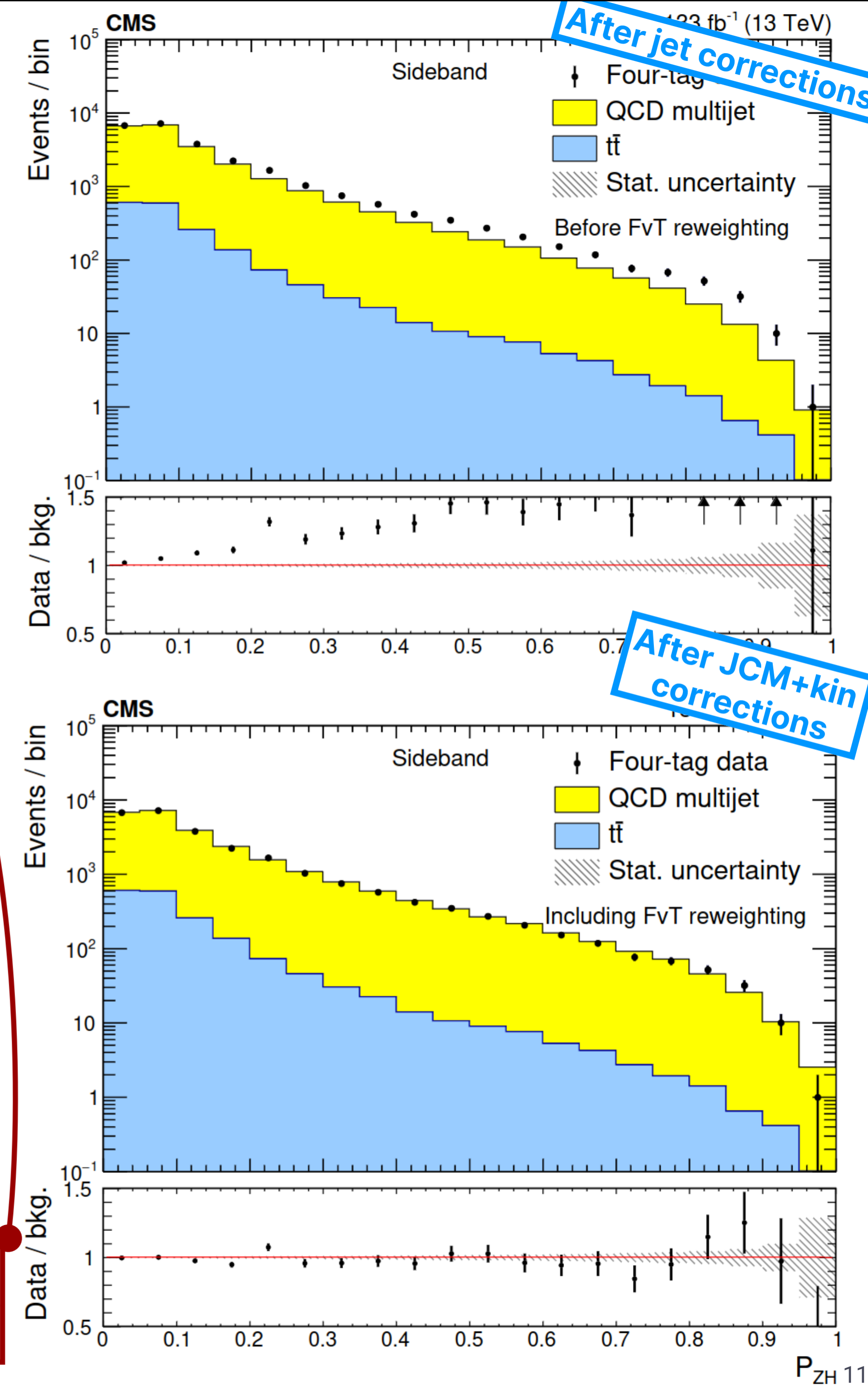
- QCD is modeled w/ events having 3 b-tagged jets
  - 17x more stats. (also loosening the b-tag requirement)
  - two sets of weights to describe the analysis 4b's bkgd.
    - account for additional jet activity
    - correct kinematic differences

$$w_{\text{JCM}} = \begin{cases} t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} (1+e/n^d) & (3+i) \text{ even} \\ t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} & (3+i) \text{ odd,} \end{cases}$$

$$w_{\text{FvT}} = \frac{P(\text{M}_{4b})}{P(\text{D}_{3b})} \equiv \frac{P(\text{D}_{4b}) - P(\text{tt}_{4b})}{P(\text{D}_{3b})}$$

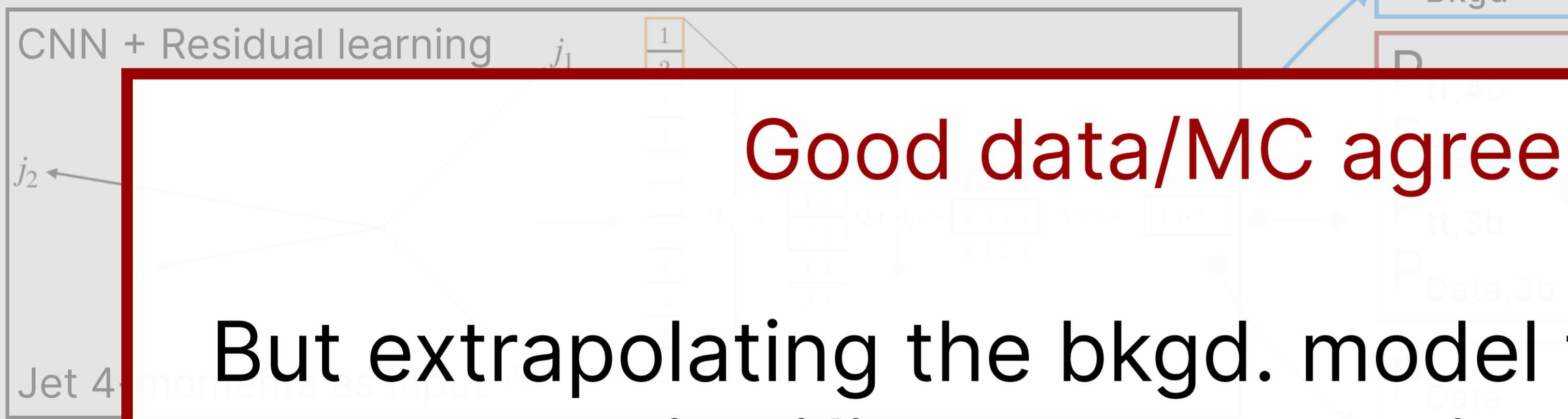
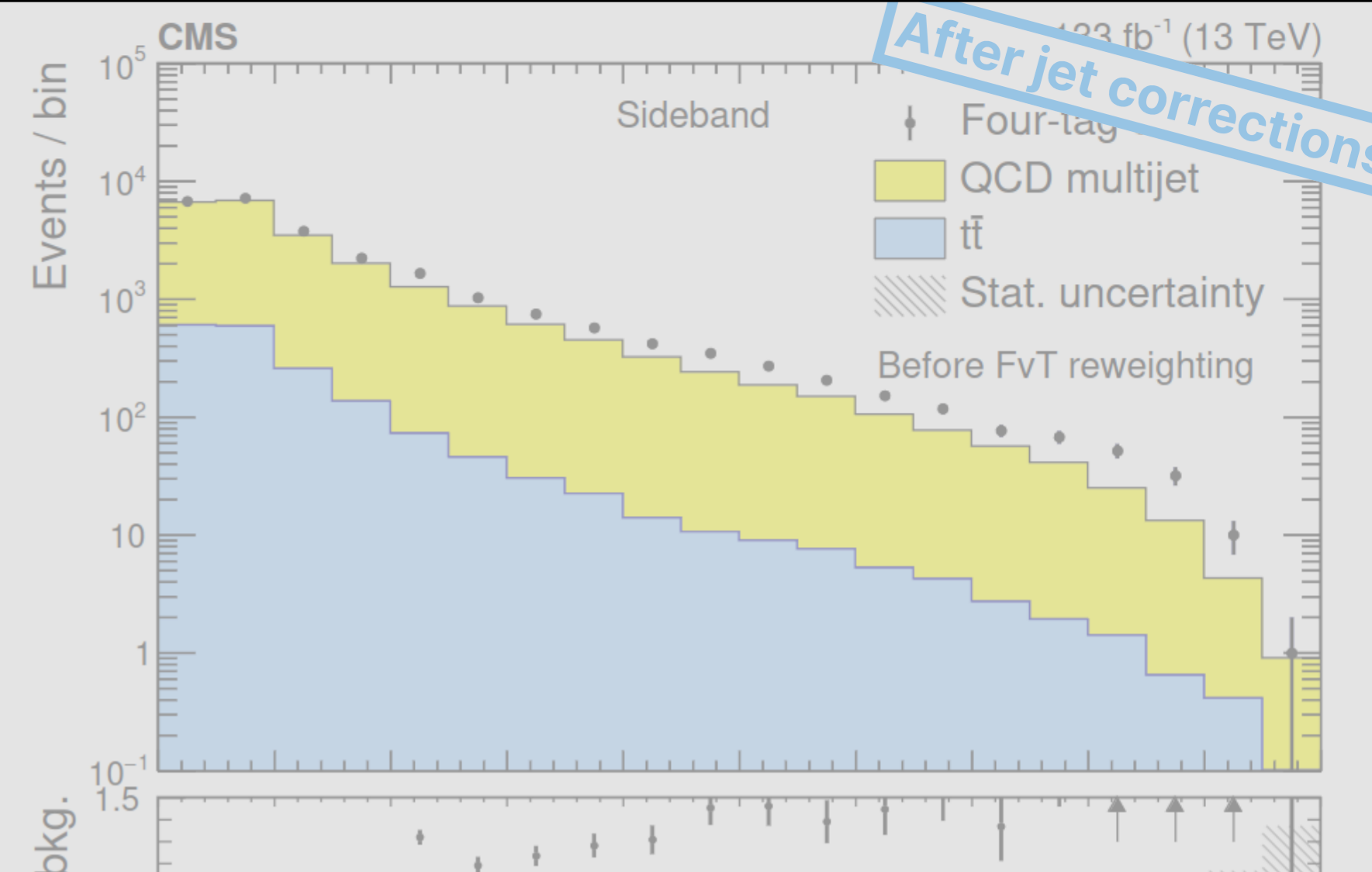
"ABCD-like"

see backup for explanation



# ZZ/ZH → 4b: Techniques for HH → 4b

- The same DNN multiclassifier architecture is used for:
  - signal vs bkgd. discrimination
  - kinematic correction of the background model
  - remove ttbar from synthetic dataset



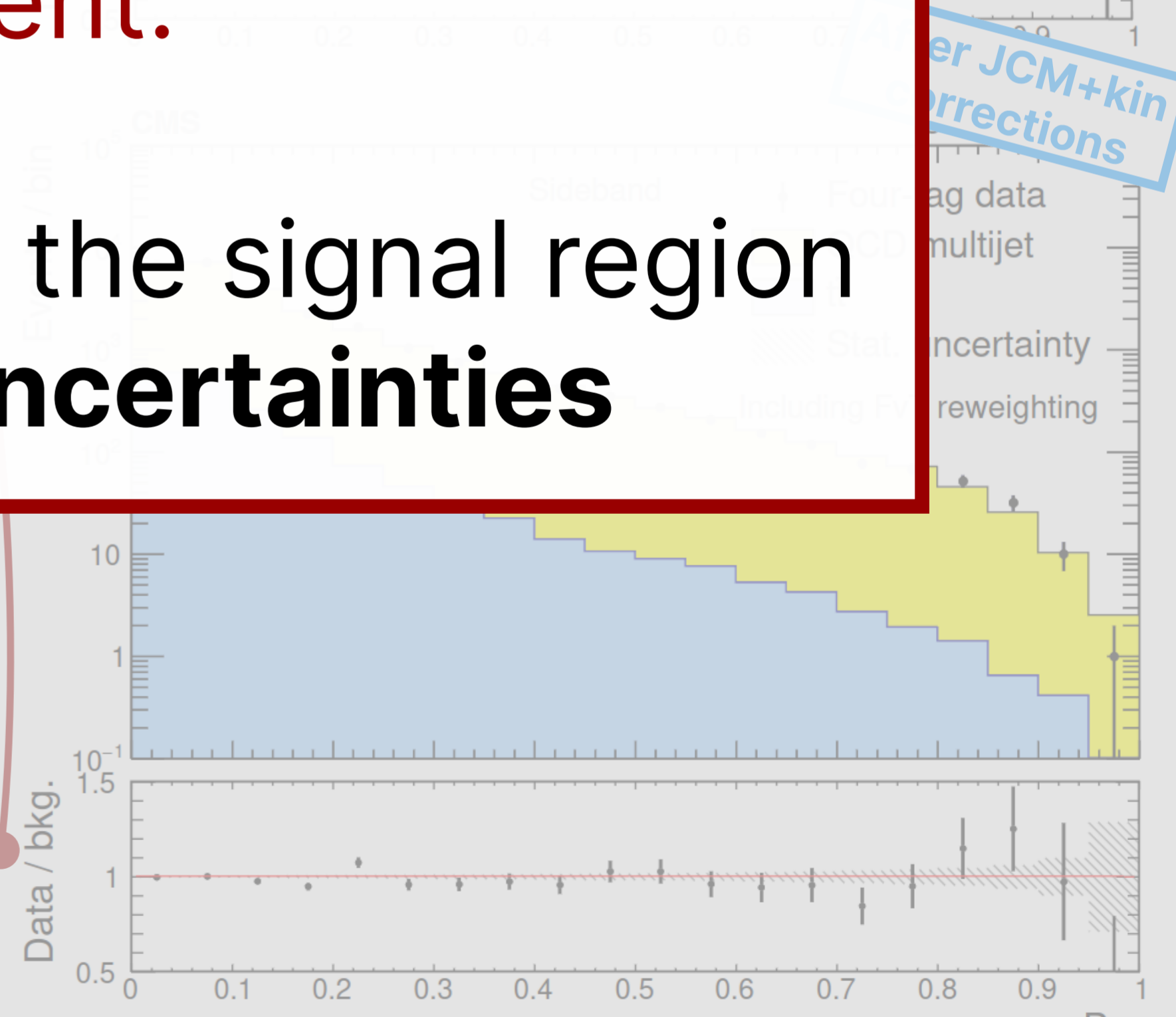
Good data/MC agreement.

But extrapolating the bkgd. model to the signal region adds **significant systematics uncertainties**

- QC... is modeled by events having 3+ tagged jets
  - 1/x more stats. (also loosening the b-tag requirement)
  - two sets of weights to describe the analysis 4b's bkgd.
    - account for additional jet activity
    - correct kinematic differences

$$w_{\text{JCM}} = \begin{cases} t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} (1+e/n^d) & (3+i) \text{ even} \\ t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} & (3+i) \text{ odd,} \end{cases}$$

$$w_{\text{FvT}} = \frac{P(M_{4b})}{P(D_{3b})} \equiv \frac{P(D_{4b}) - P(tt_{4b})}{P(D_{3b})}$$

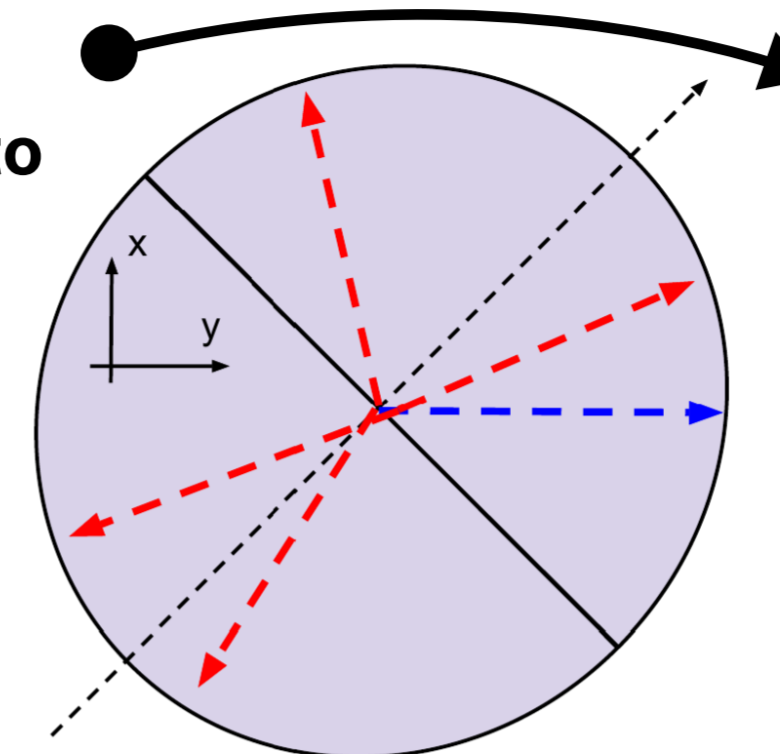


# Hemisphere Mixing

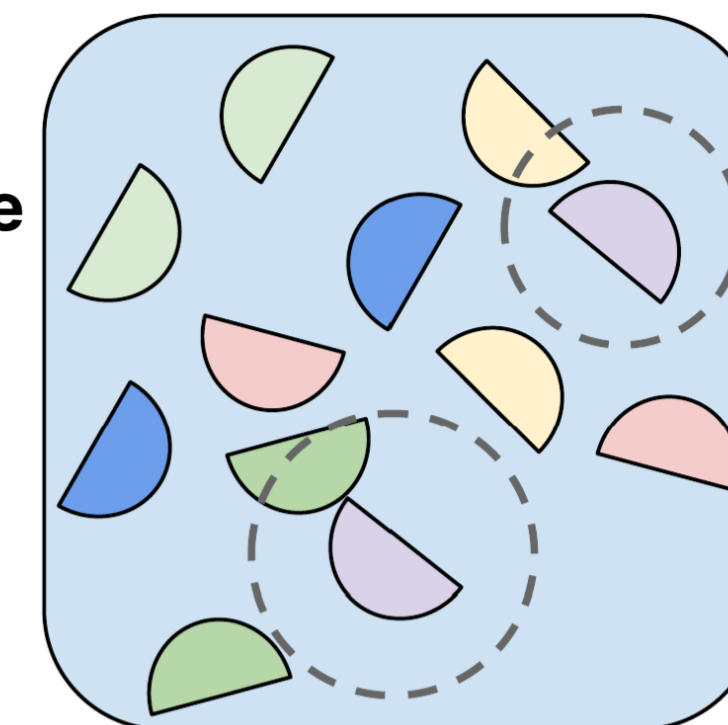
- Generate instead **synthetic data**
  - use it for bkgd. validation
  - technique introduced in an older CMS HH→4b analysis
- **HM improvements (new!)**
  - a. use 3-tagged data in the mixing: more stats, less signal contam.
  - b. Avoid mixing QCD hemispheres with  $t\bar{t}$  hemispheres

**Thrust axis:** the axis where the sum of the absolute values of the projections of the  $p_T$  of the jets is maximal

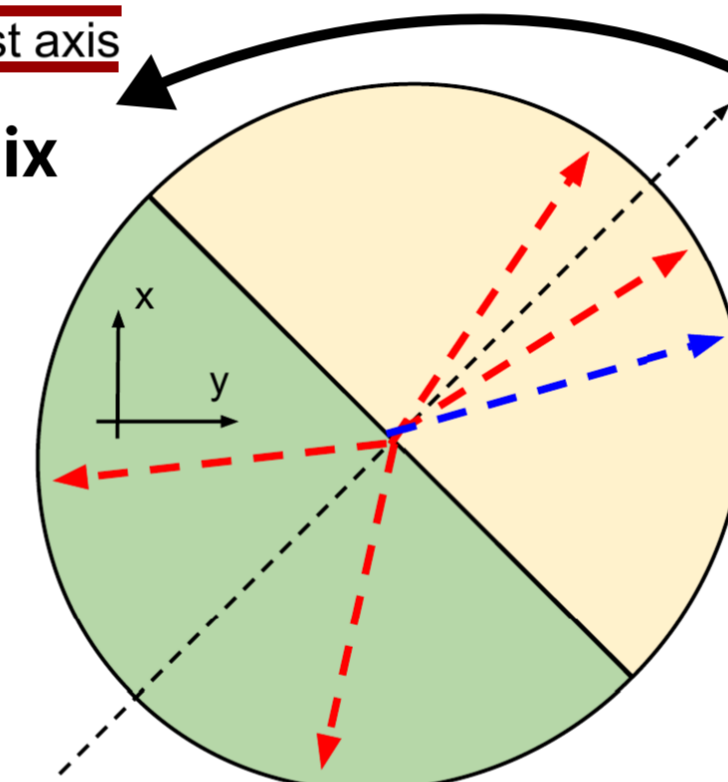
Split event into hemispheres



Create and query an hemisphere library



Rotate and mix hemispheres



---> b-tag jets    - - -> non b-tag jets

Find closest hemispheres

compare hemisphere  $h$  summary variables  $\mathbf{v}$

$$d(h_i, h_j) = \sum_v \left( \frac{v(h_i) - v(h_j)}{\sigma_v} \right)^2$$

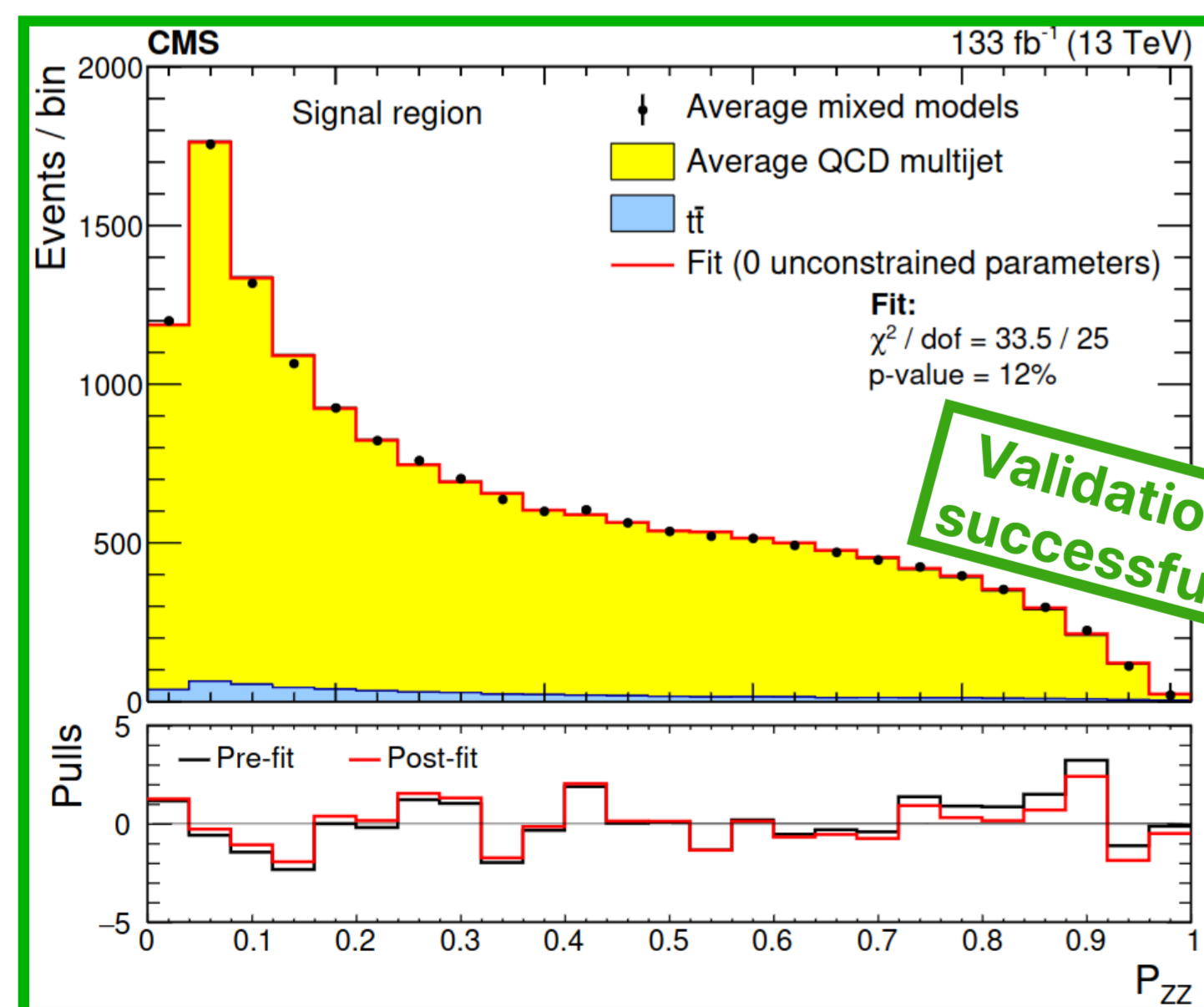
- veto same-event hemispheres
- veto hemispheres w/ different number of jets and b-jets

each mixed model is a subsample of the mixed data to match the stats of the 4-tagged SR

## Systematics

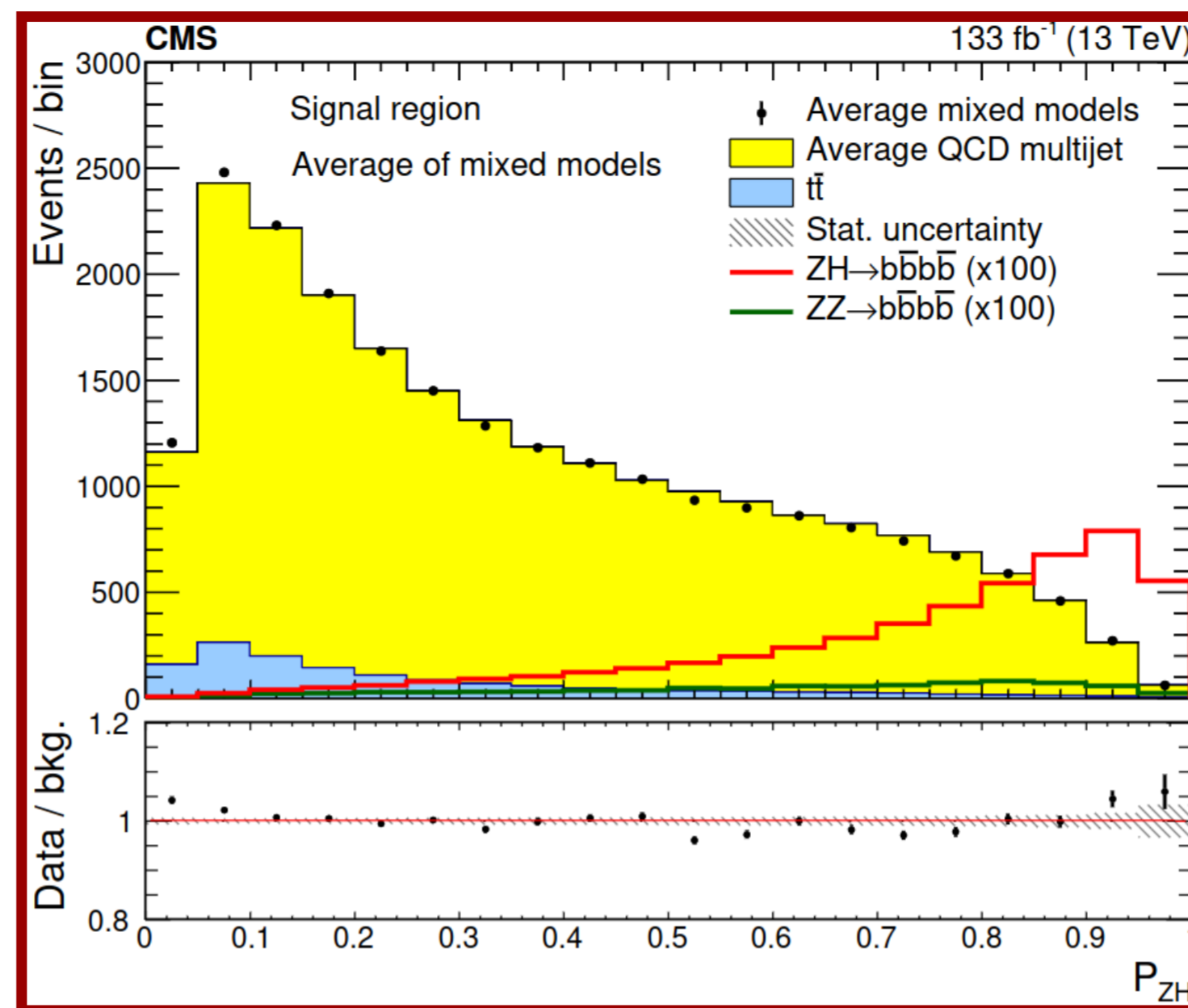
1. diffs. btw. **mixed models** and their averages
2. diffs. btw. bkgd. model and mixed models
3. check fit robustness against the addition of an unconstrained signal template

**Not suffering from low stats!**



# ZZ/ZH $\rightarrow$ 4b: Results and Prospects

- Fit validated using a **mixed model replacing the 4-tag dataset**
- Combined fit in ZZ and ZH
  - Similar sensitivities despite different xsecs
  - ZH has more efficiency and less background



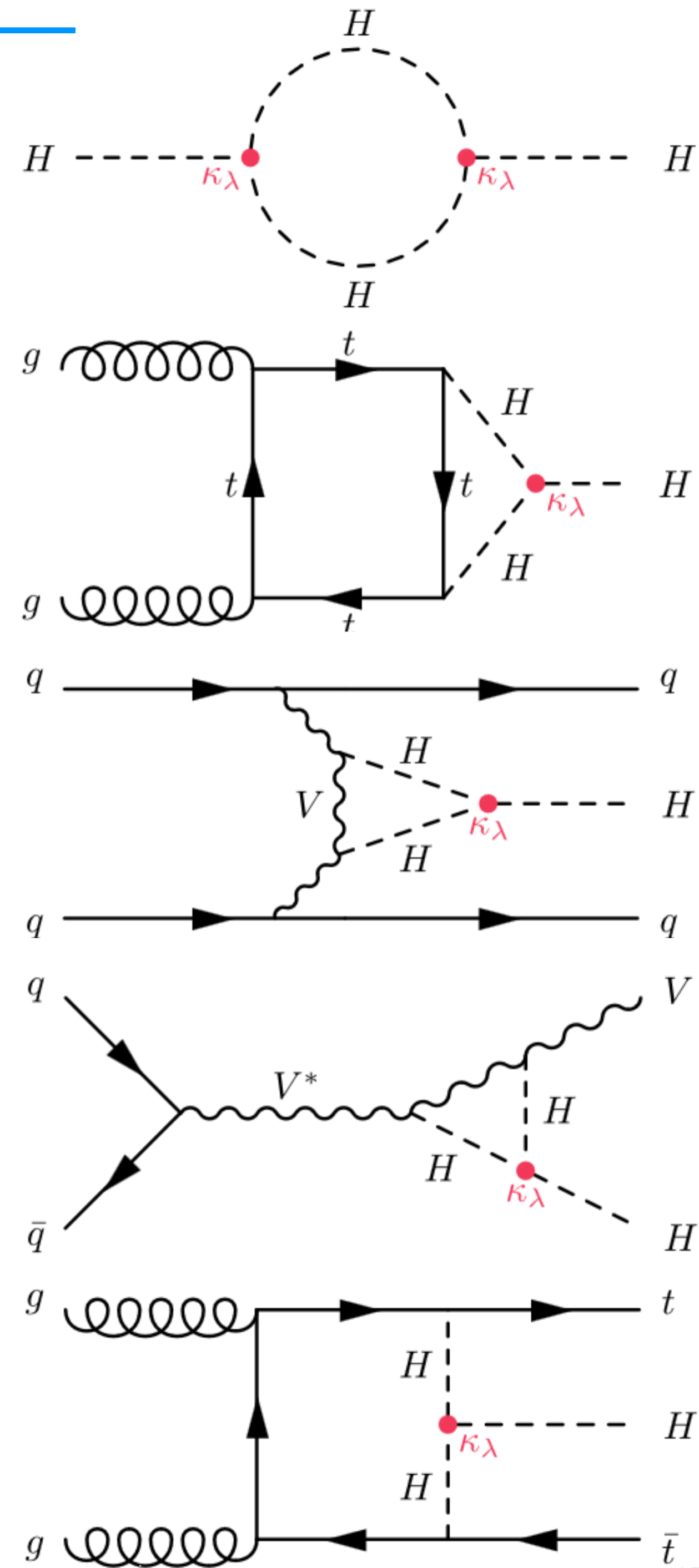
	ZZ	ZH
$\mu(\text{exp.})$	$1^{+1.9}_{-1.7}$ ( $1^{+1.4}_{-1.3}$ )	$1^{+1.5}_{-1.4}$ ( $1^{+1.1}_{-1.1}$ )
$\mu(\text{obs.})$	$0.0^{+2.0}_{-1.7}$	$2.2^{+0.9}_{-0.8}$
Limit(exp.)	3.8 (2.8)	2.9 (2.3)
Limit(obs.)	3.8	5.0

**ZH will likely be observed first!**

**Importantly:** We now have a principled and precise way of measuring the most important systematics directly in the SR.

# Combination H+HH

- We can exploit **NLO corrections** to single-H which depend on  $\kappa_\lambda$ 
  - largest sensitivity is present in VH and ttH processes (up to 10%)
- Complementarity**
  - Single-H provides stronger constraints on H couplings to fermions and vector bosons
  - HH is more sensitive to  $\kappa_\lambda$
- Main challenge: **estimate and efficiently remove overlaps** between signal region of different analysis
  - additional selections are applied** and/or
  - the least sensitive category/analysis is removed**
  - example: HH $\rightarrow$ bbZZ is removed in favour of H $\rightarrow$ ZZ $\rightarrow$ 4l
- The modelling of systematics in HH processes is generally simpler due to their limited statistics



# Combination H+HH

Setting couplings to SM

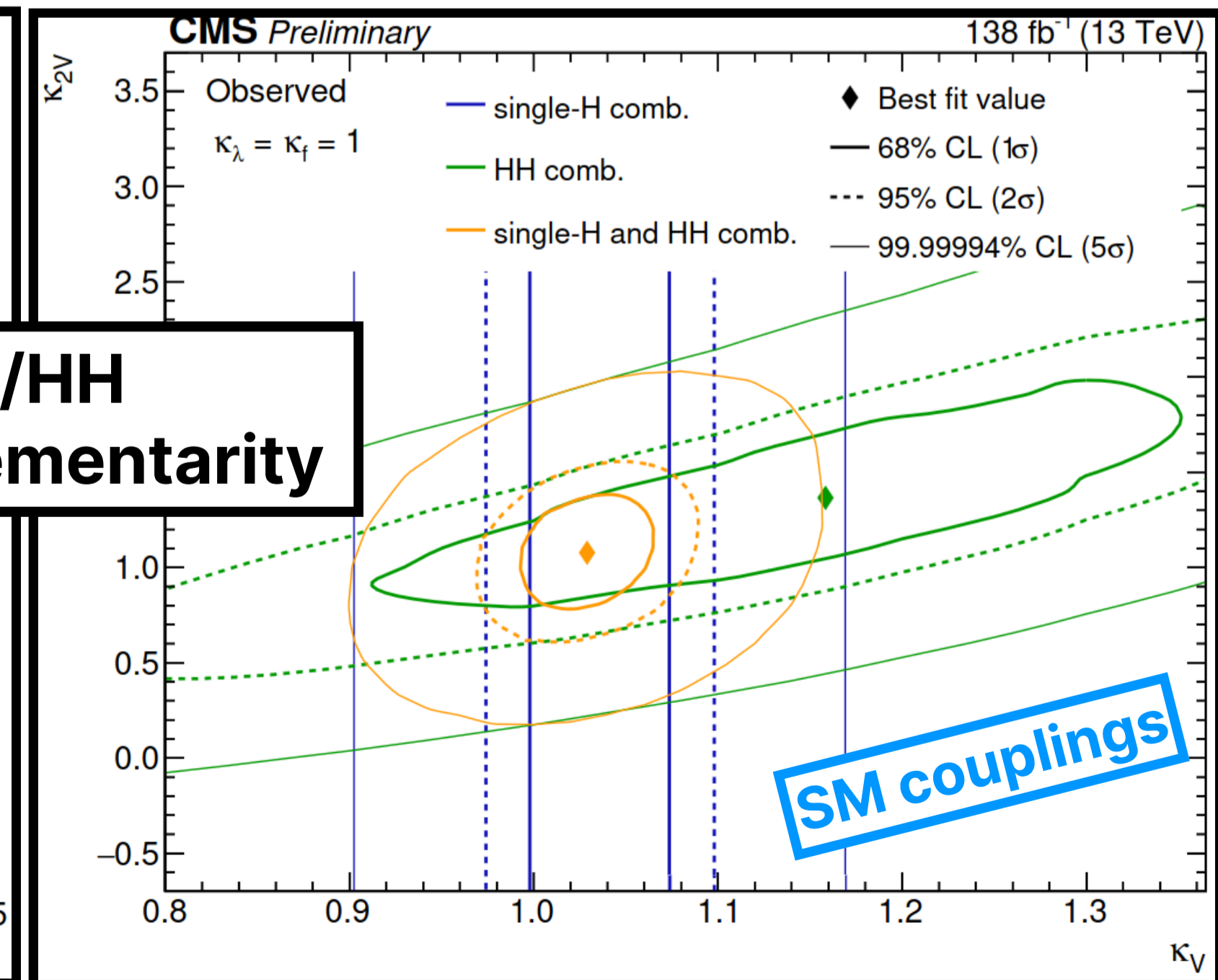
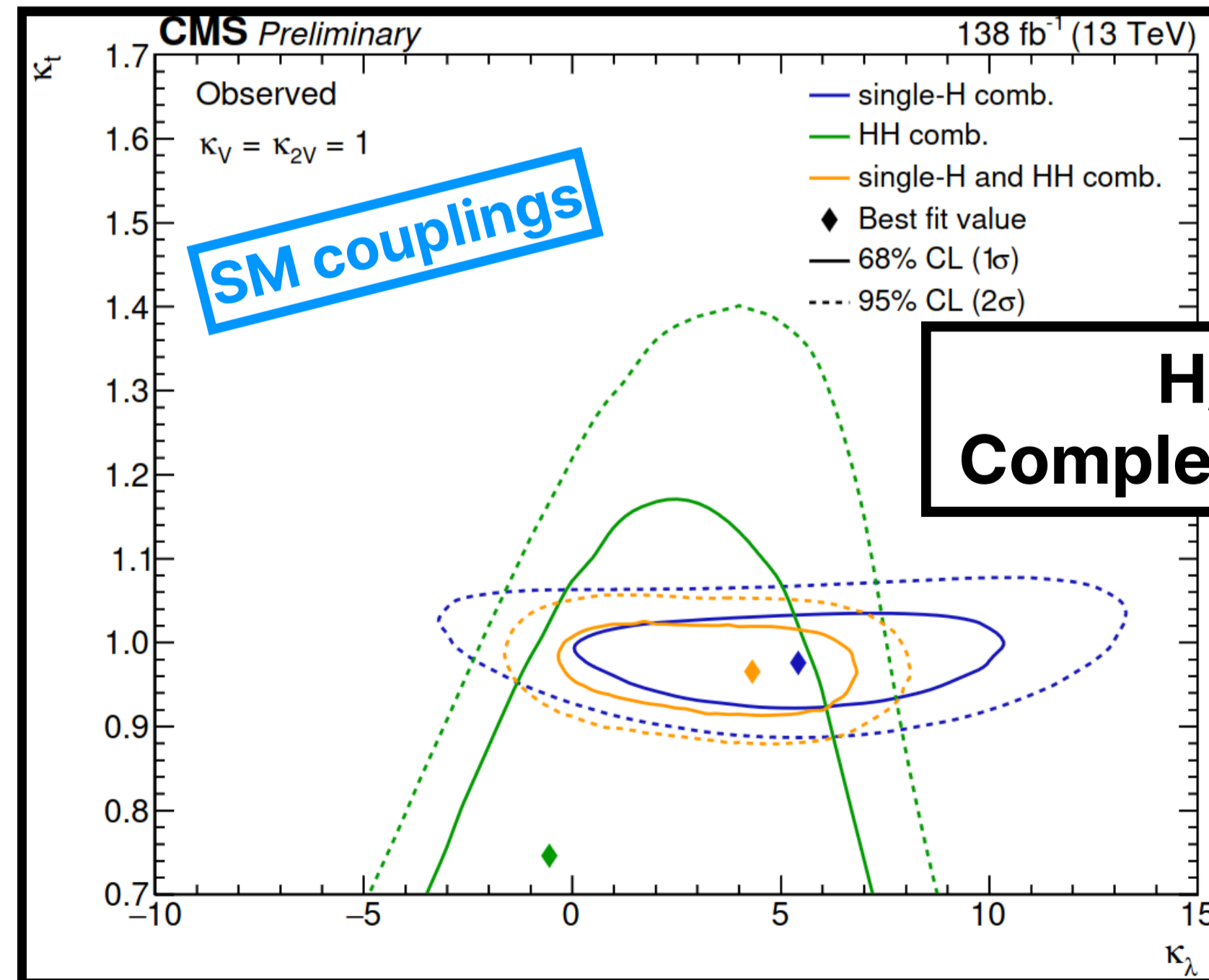
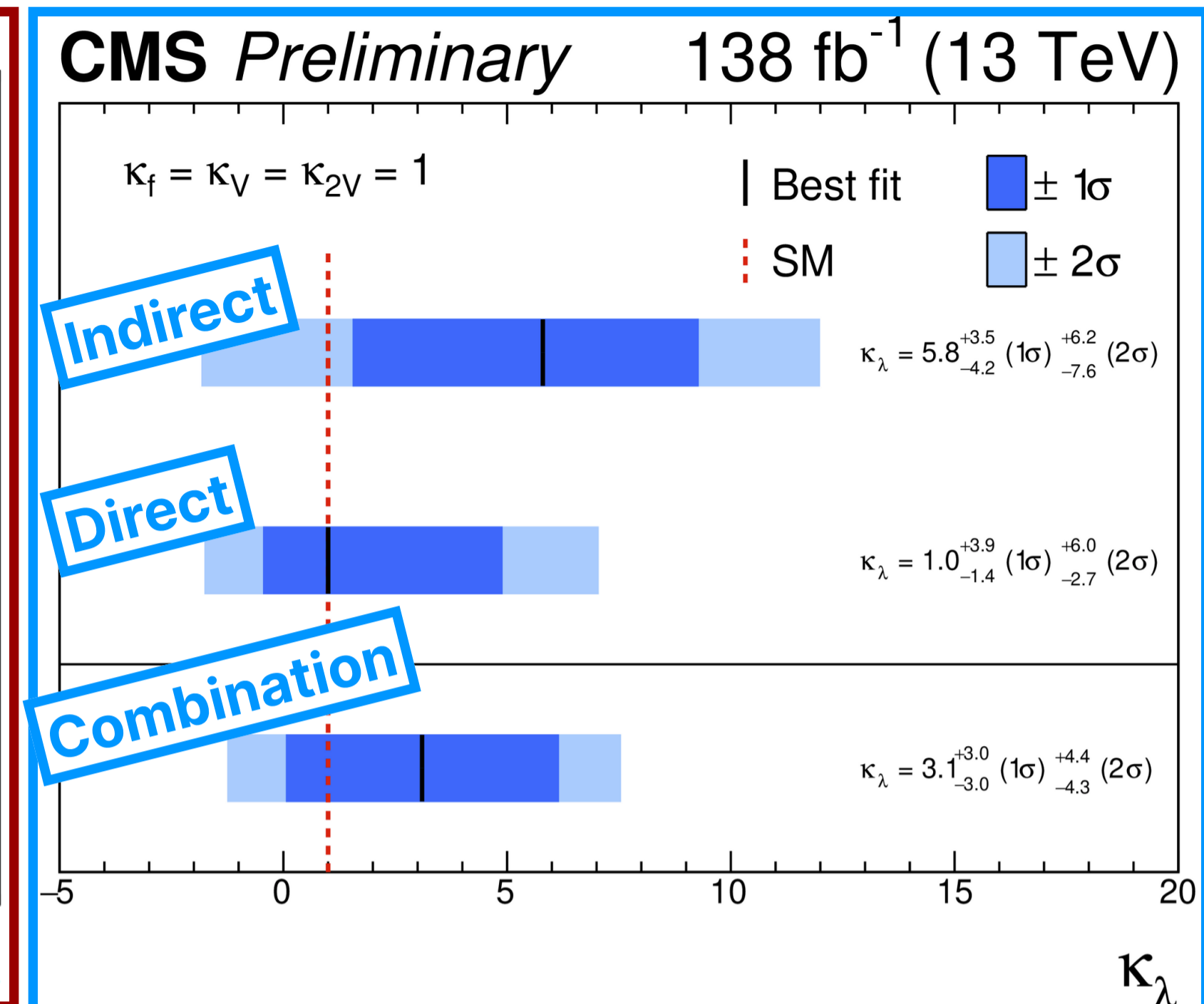
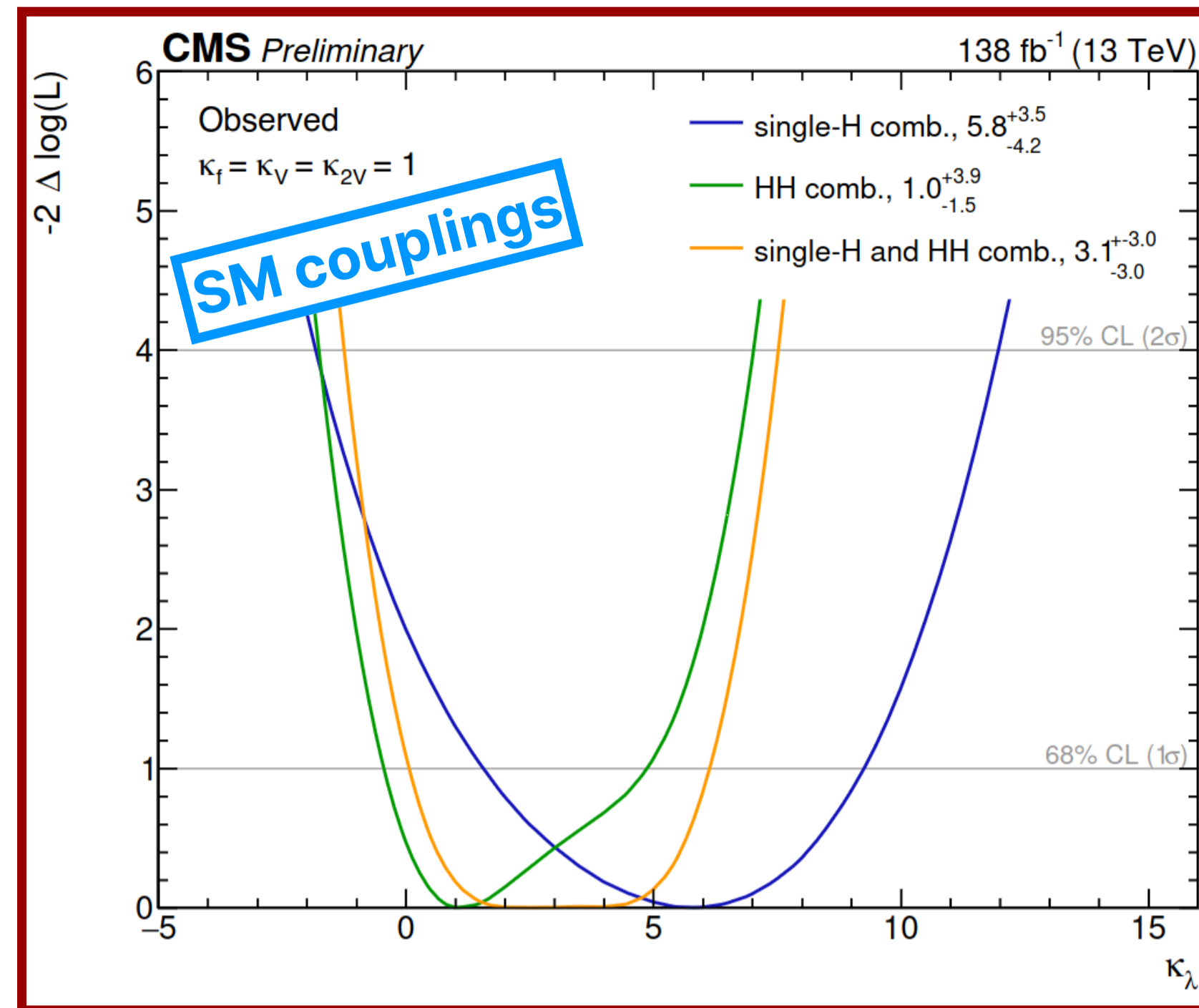
- $-1.2(-2.0) < k_\lambda < 7.5 (7.7)$

Let couplings free in the fit

- $-1.4(-2.3) < k_\lambda < 7.8 (7.8)$

- Similar sensitivity to  $k_\lambda$  as in the ATLAS H+HH comb.

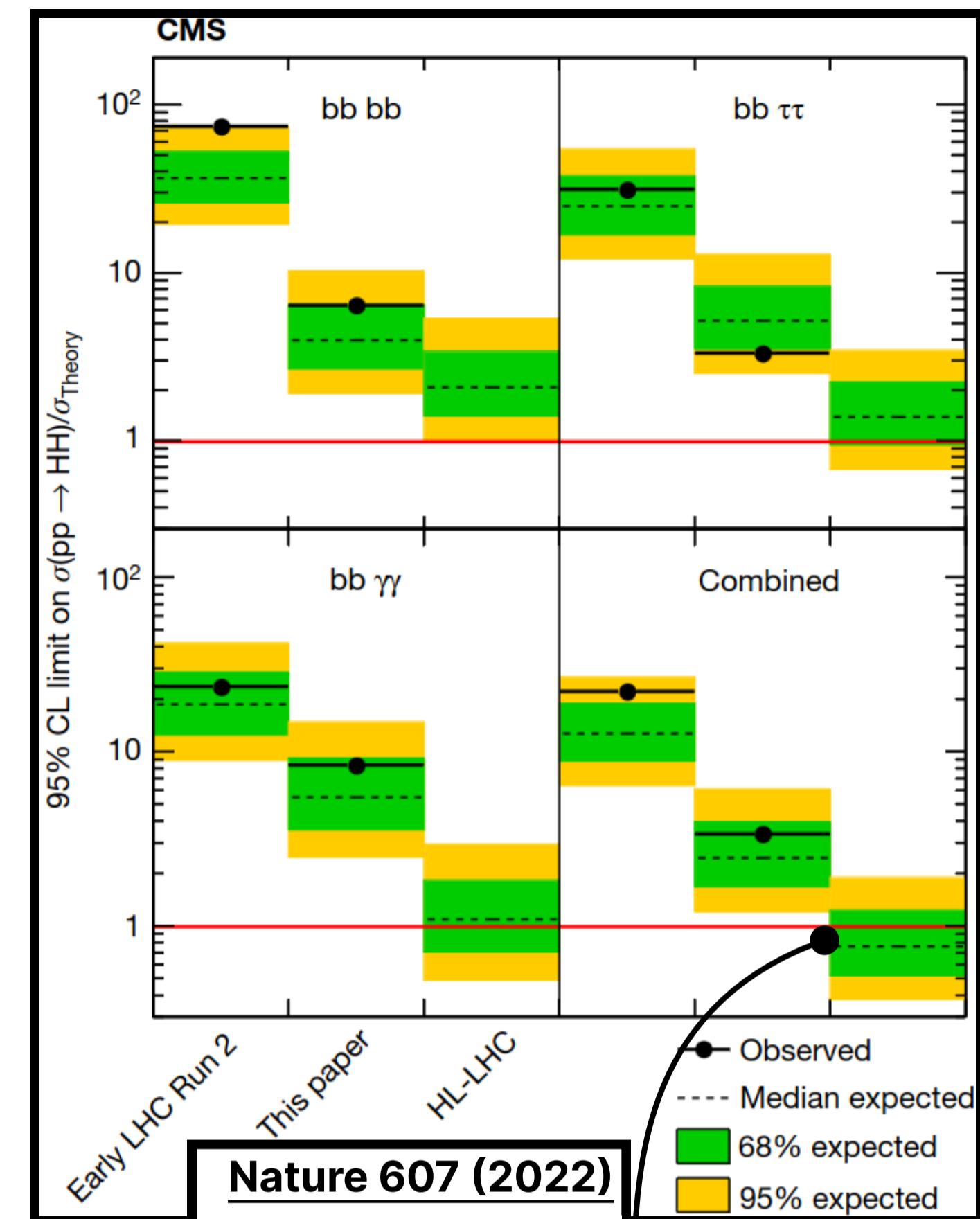
- $k_{2V}=0$  excluded at  $>5\sigma$





# Run 3 and beyond

- $k_\lambda$  and **EFT** will be further constrained in the near future
  - **new HH decay** channels are being explored
  - stats are still a limiting factor
    - but ggF theory uncert. may become important in the future
  - we are **close to SM HH sensitivity and  $k_{2V}=0$  was excluded**
- Run 3 is an opportunity for improvement before the HL-LHC
  - **improved trigger strategy** will boost HH searches
  - **improved taggers**: transformers, PNet for  $\tau$ -jets, ...
  - several analysis might benefit from synthetic datasets
  - first CMS Run3 HH results will be available soon!

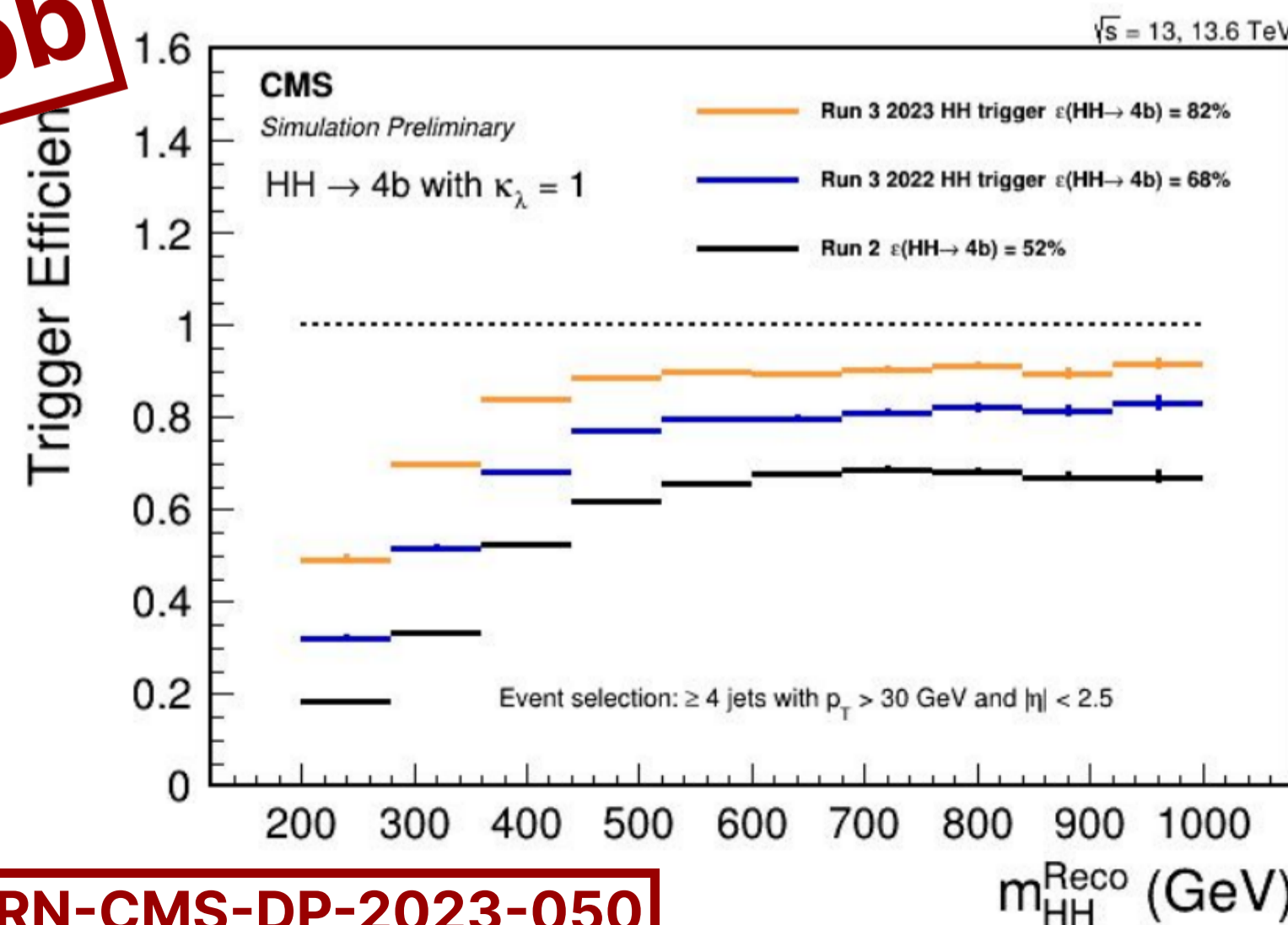


We are getting close...

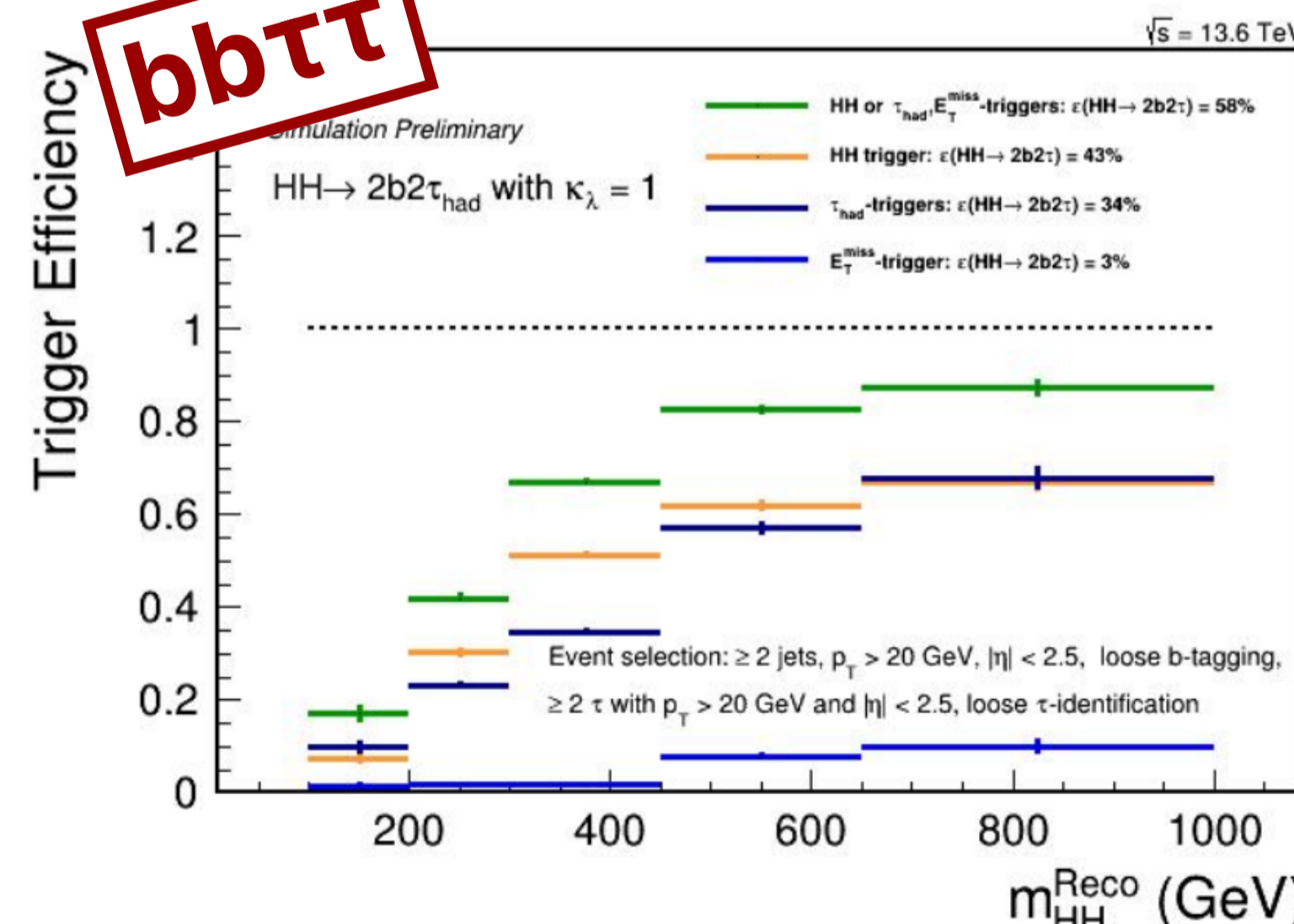
PNet b-tagging at trigger level

Data parking allows lower HT thresholds

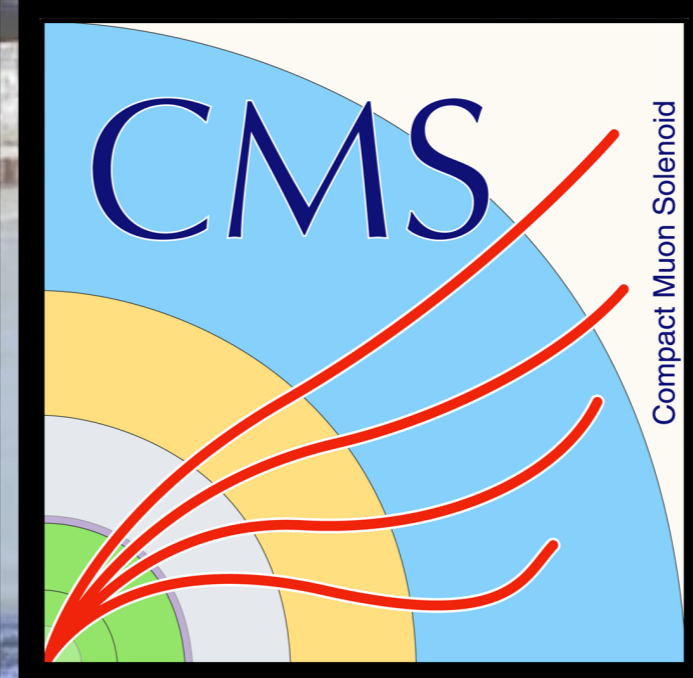
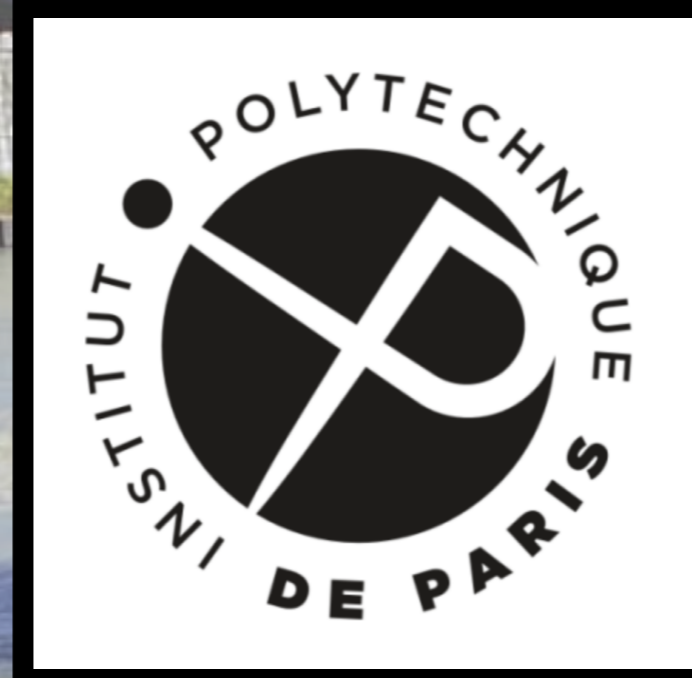
**bbbb**



**bbTT**



# Backup



Indico  
**9/04/2024**  
**DIS Grenoble**

# ZZ/ZH→4b: Weight for additional jet activity

- Requiring 3 b-tagged jets biases the SR (which has 4)
- A “Jet Combinatorial Model” weight is introduced to improve the background description of the four-tag sample
  - introduce “anti-b-tagged” jets: jets not passing the looser b-tagging requirement
  - considers **all combinations** of anti-b-tagged jets where at least one is treated like a real b-jet (so 3+1 b-jets, or 3+2, or 3+3, or 3+...)

$$w_{\text{JCM}} = \begin{cases} t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} (1 + e/n^d) & \text{even} \\ t \sum_{i=1}^n \binom{n}{i} f^i (1-f)^{n-i} & \text{odd,} \end{cases}$$

number of anti-b-tagged jets (points to  $n$ )  
 constant per-jet “transfer factor” (points to  $f$ )  
 dilution of “pair-enhancement” with increasing jet multiplicity (points to  $e/n^d$ )  
 “pair-enhancement” factor (points to  $e/n^d$ )  
 normalization to account for the looser b-tag requirement of the 3-tag sample (points to  $t$ )  
 number of b-tagged jets in the event (points to  $i$ )

The parameters  $t$ ,  $f$ ,  $e$  and  $d$  are obtained with a fit to the distributions of jet and b-jet multiplicities

# Motivation: EFT

- Given the absence of clear NP signals: EFTs!
- Look for effects from an unknown high-energy theory in a model independent way

Taylor expanding the SM in  $(E, v_{ev})/\Lambda$ :

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i^{(5)}}{\Lambda_i} \mathcal{O}_i^{(5)} + \sum_i \frac{c_i^{(6)}}{\Lambda_i^2} \mathcal{O}_i^{(6)} + \sum_i \frac{c_i^{(7)}}{\Lambda_i^3} \mathcal{O}_i^{(7)} + \sum_i \frac{c_i^{(8)}}{\Lambda_i^4} \mathcal{O}_i^{(8)} + \dots$$

19 parameters

1 operator type (Weinberg operator)

Majorana  $\nu$  masses ( $m_\nu$  small  $\rightarrow \Lambda_i$  high)

violate L, some violate B, high suppression

further suppressed

2499 parameters with  $\Delta L = \Delta B = 0$   
 +  $O(300)$  with  $\Delta L = \Delta B = 1 \rightarrow$  proton decay  $\rightarrow \Lambda_i$  high

76 assuming  $U(3)^5$  flavor symmetry

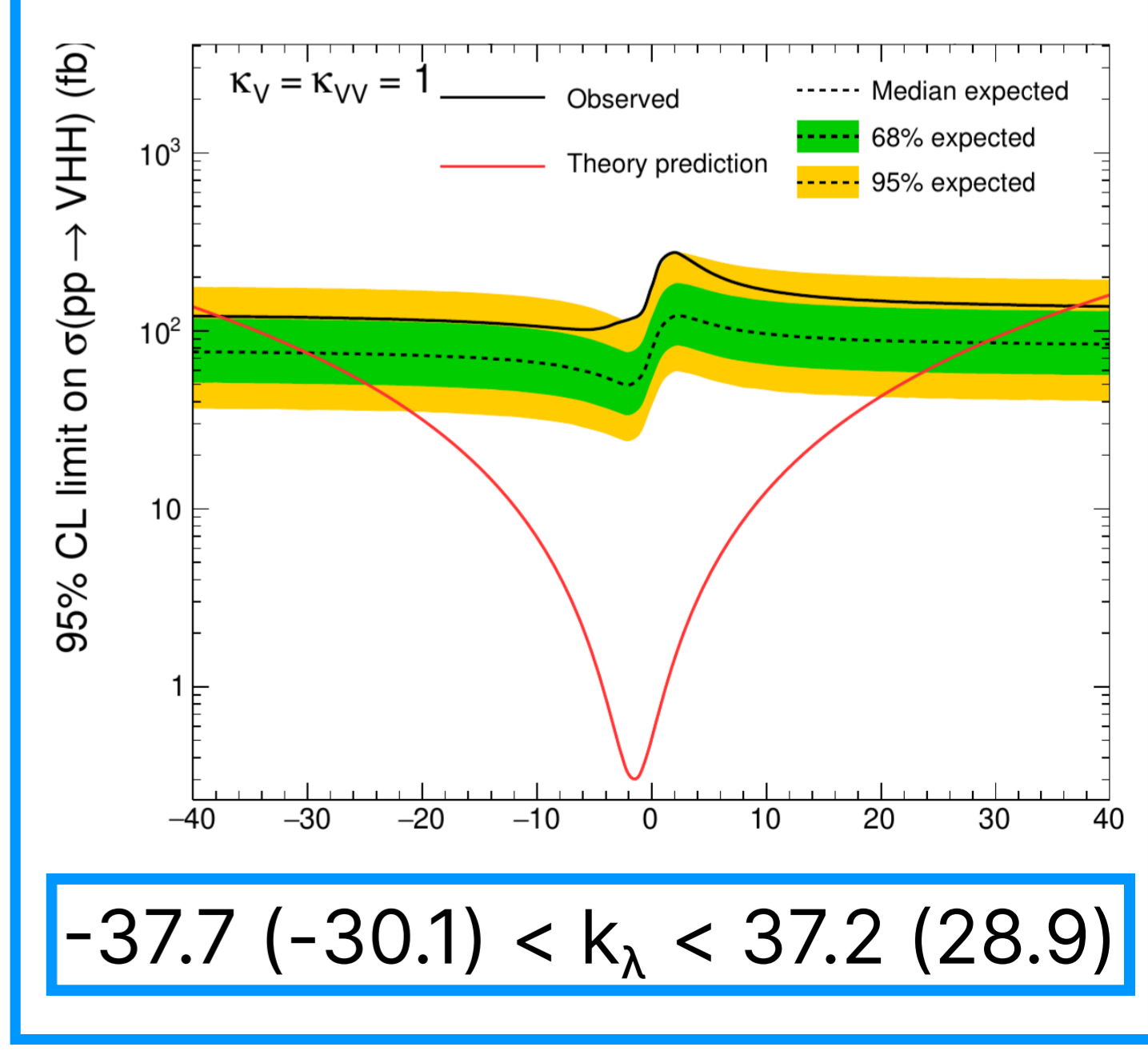
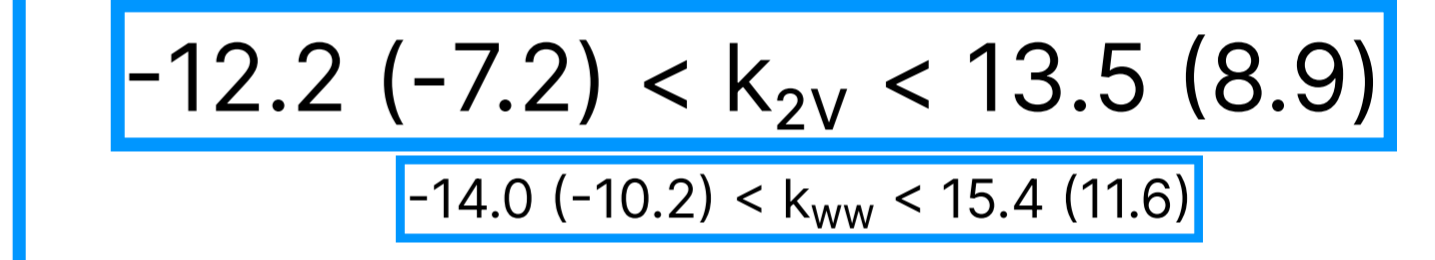
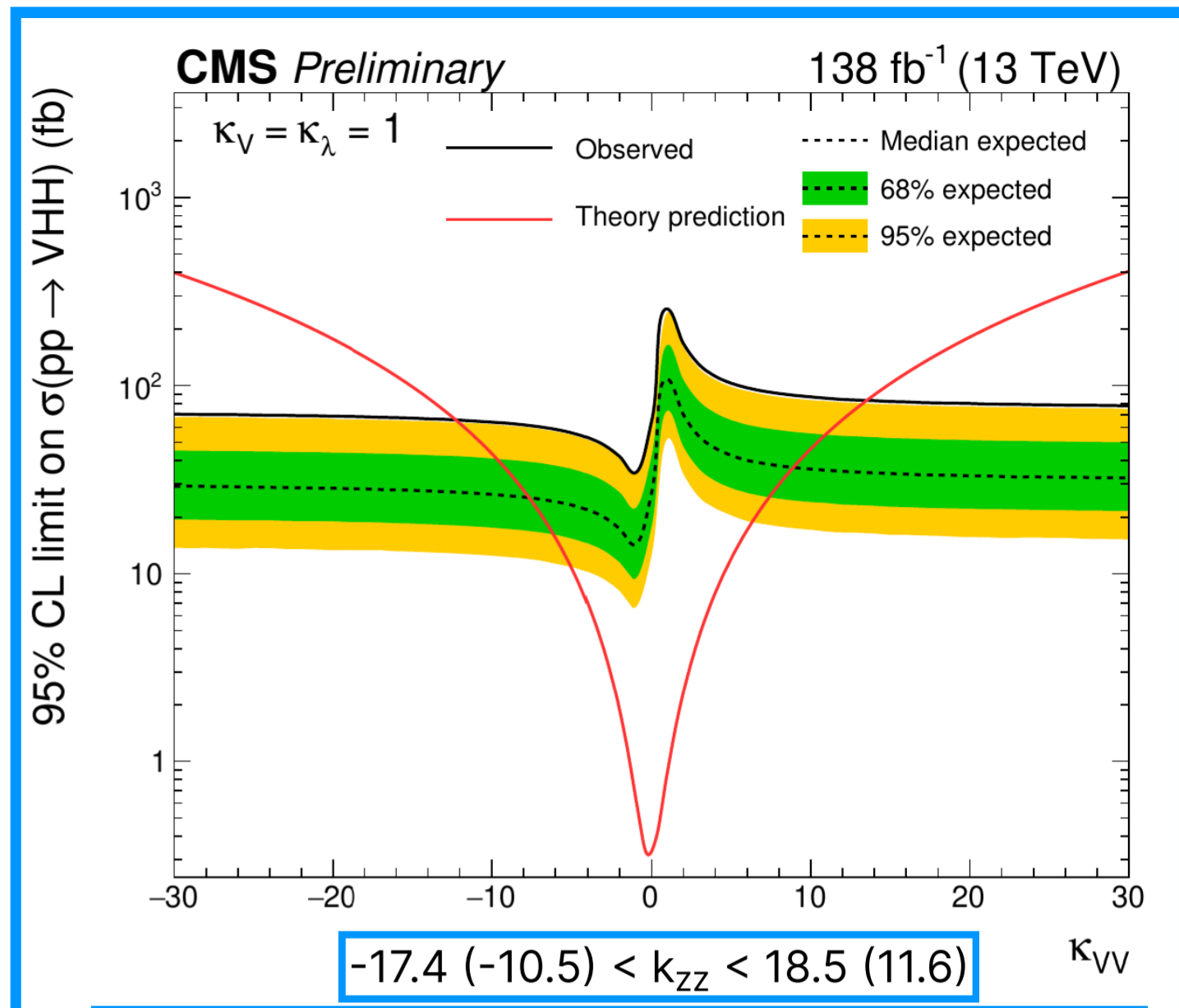
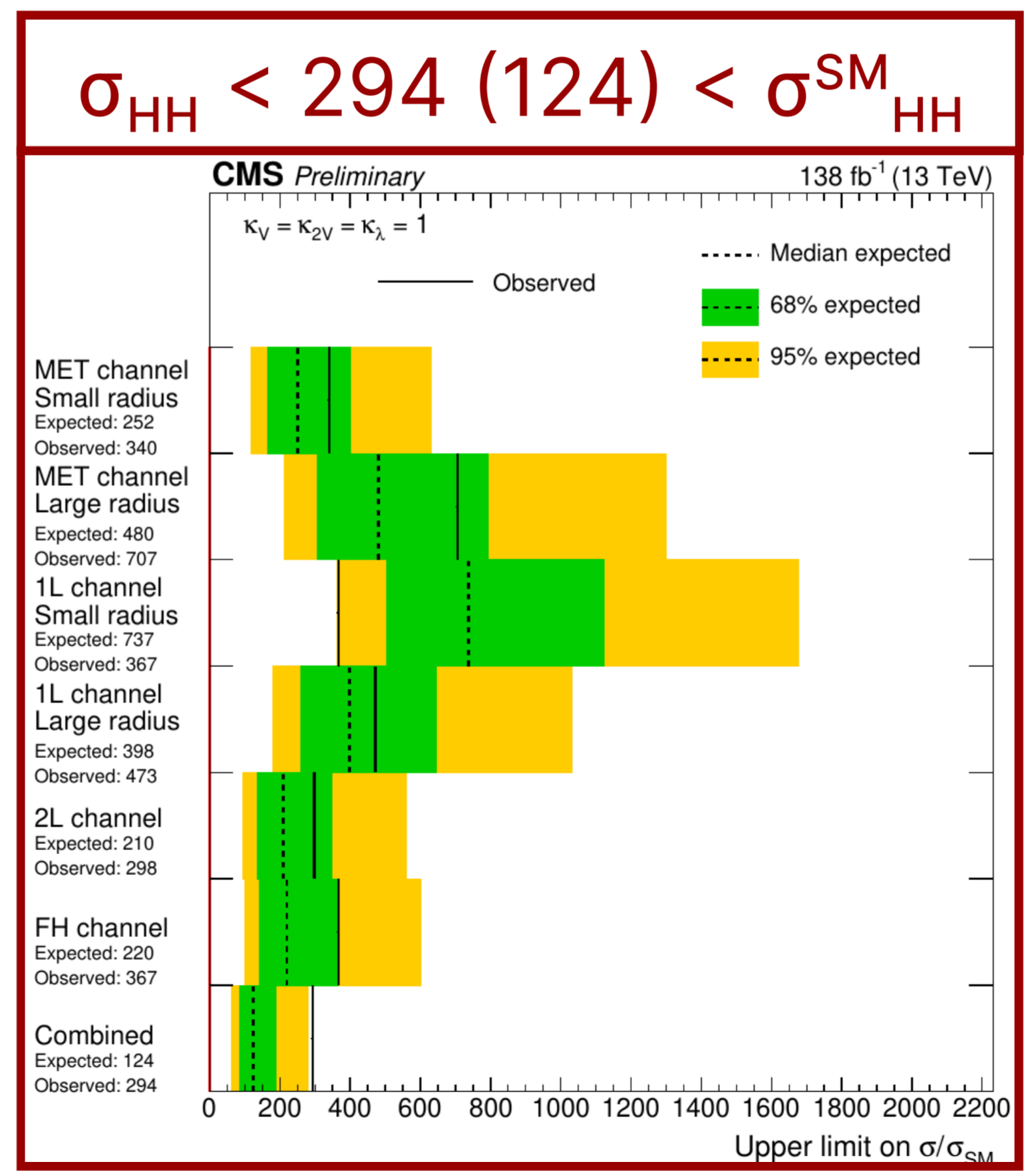
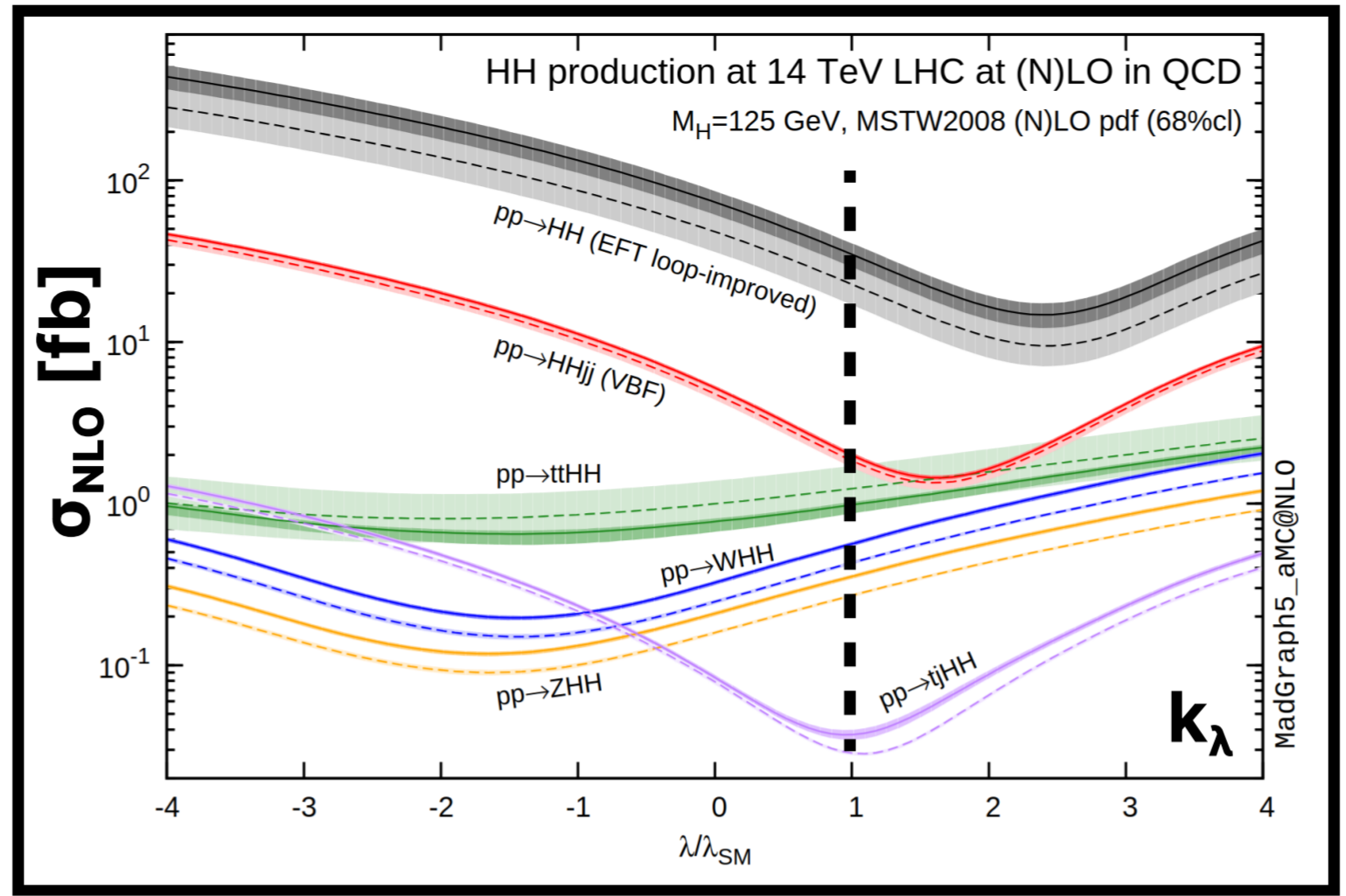
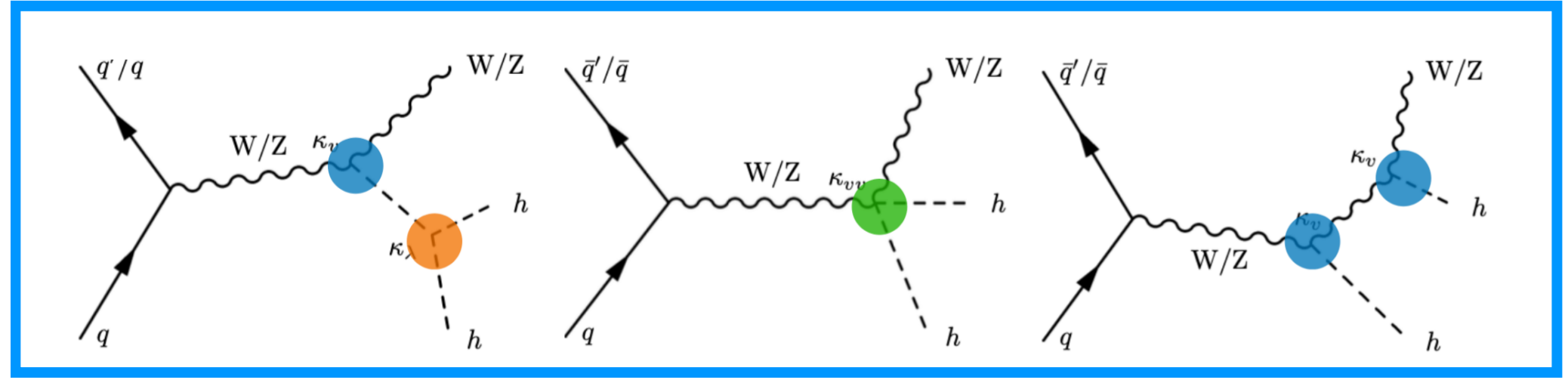
Credit: B. Moser

The first two quark families and all three lepton families are taken to be massless

# VHH ( $\rightarrow 4b$ )

- **VHH for the 1<sup>st</sup> time at CMS**
  - **~110 events expected** (before H decay to b's, without selection)
- **Complementary to ggF and VBF!**
  - especially for  $4 < k_\lambda < 7$
  - because xsec comparable to ggF and VBF HH
- **4 channels:** 0/1/2 leptons and invis.
- **59 categories:** resolv./bosted,  $m_{HH}$ , #b-jets, signal- and tt-enhancement
- BDT and NN classifiers are used as signal vs bkg. discriminants
  - BDT defines regions sensitive to anomalous  $k_\lambda$  or  $k_{2V}$  hypoth.

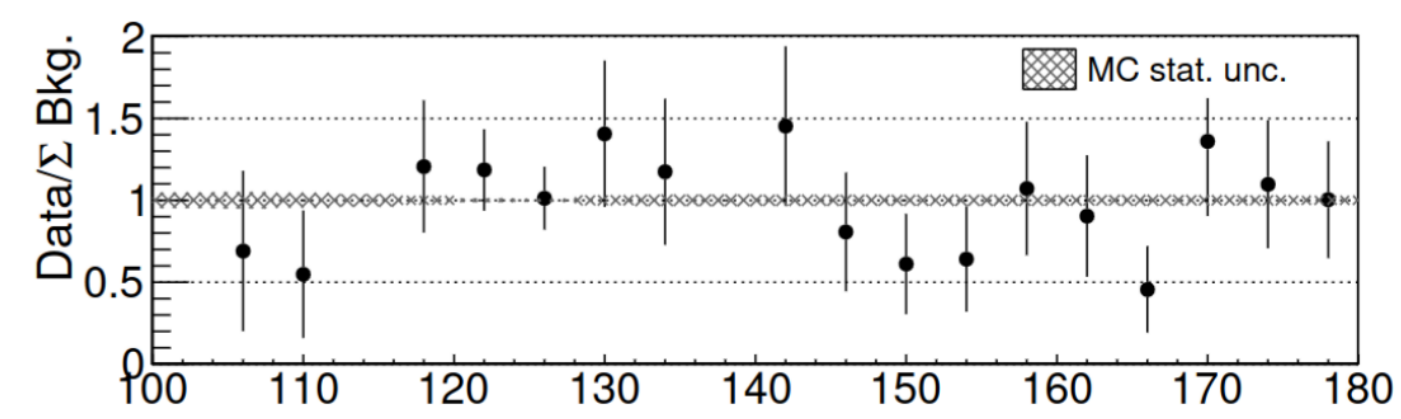
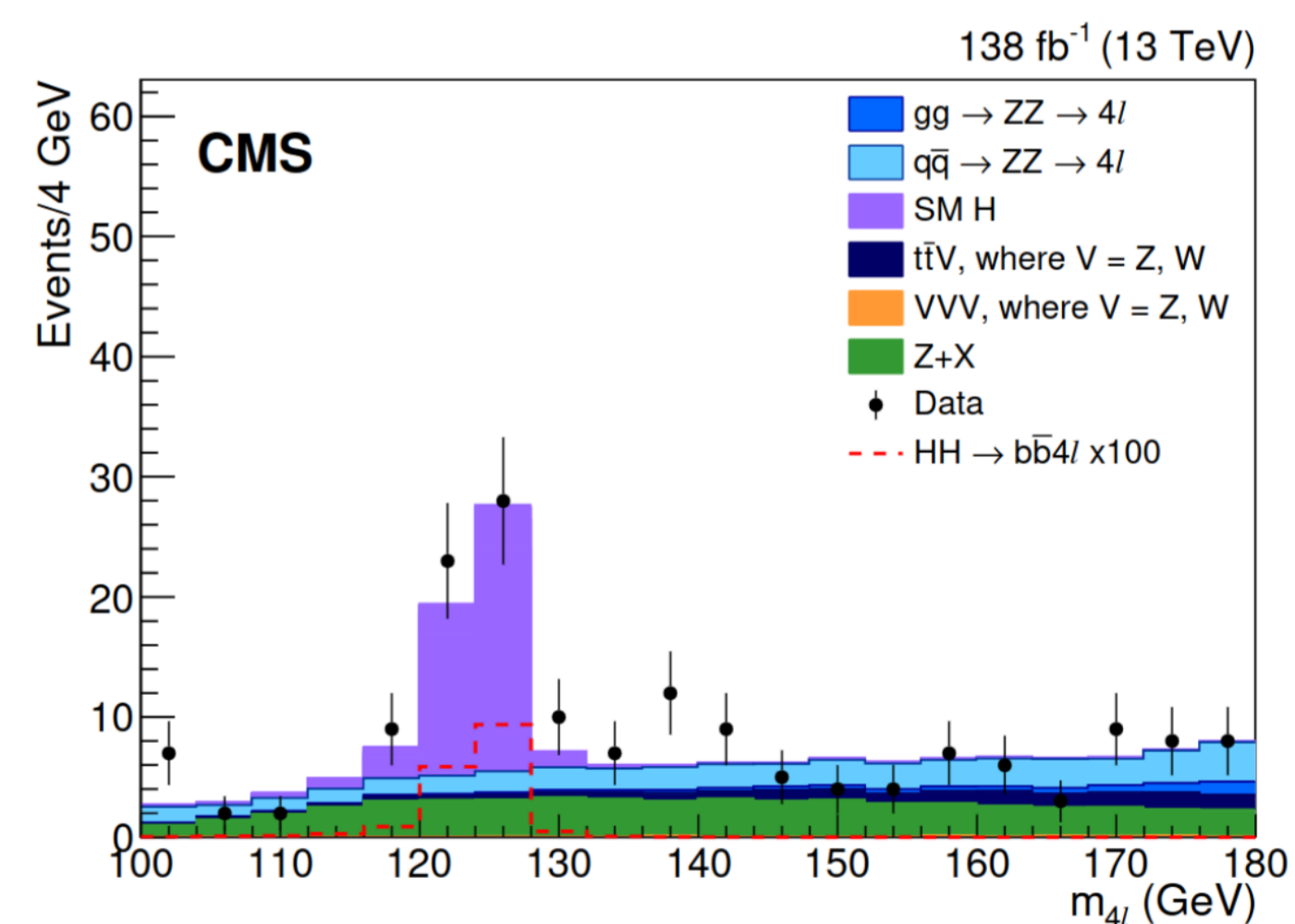
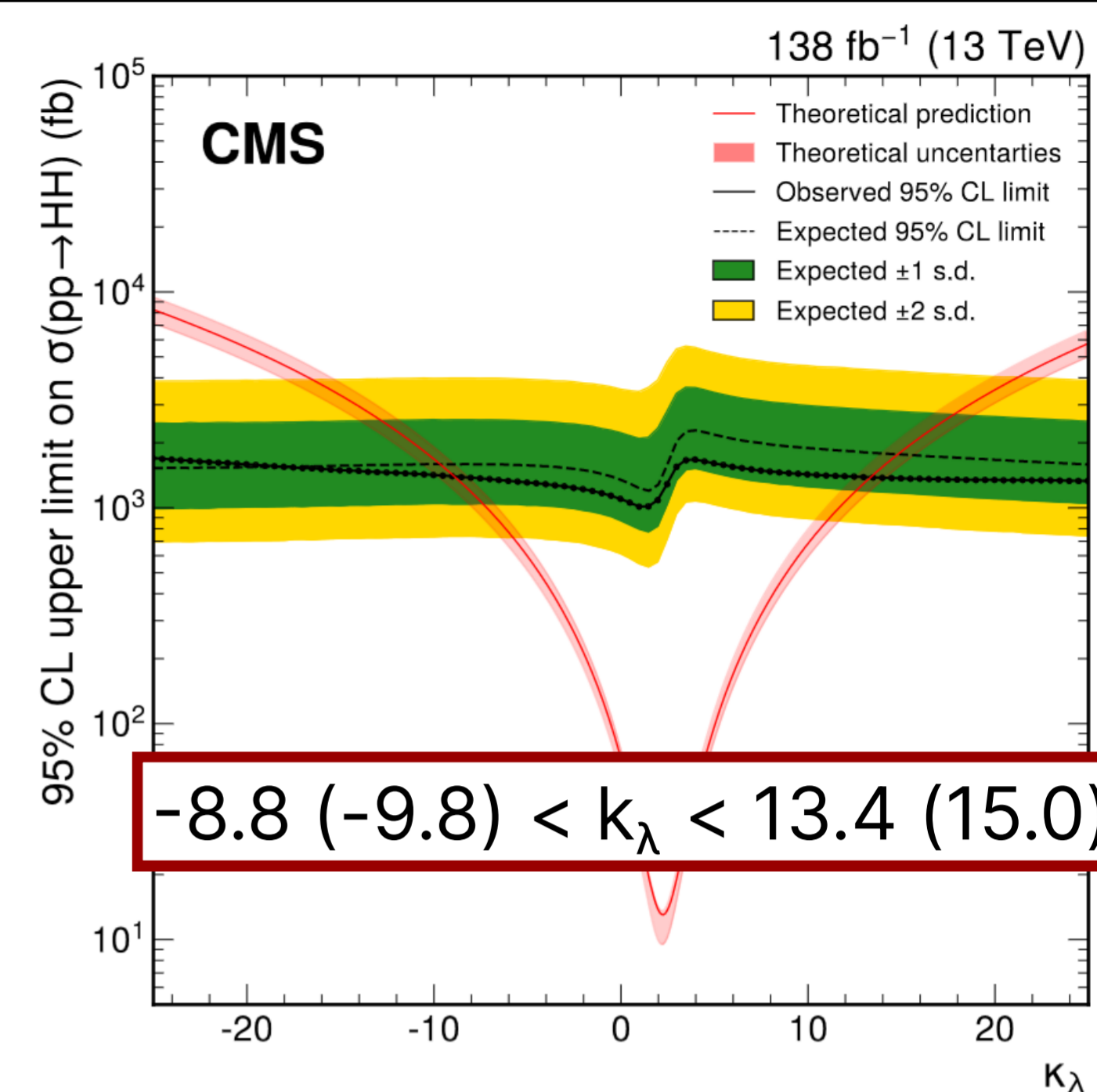
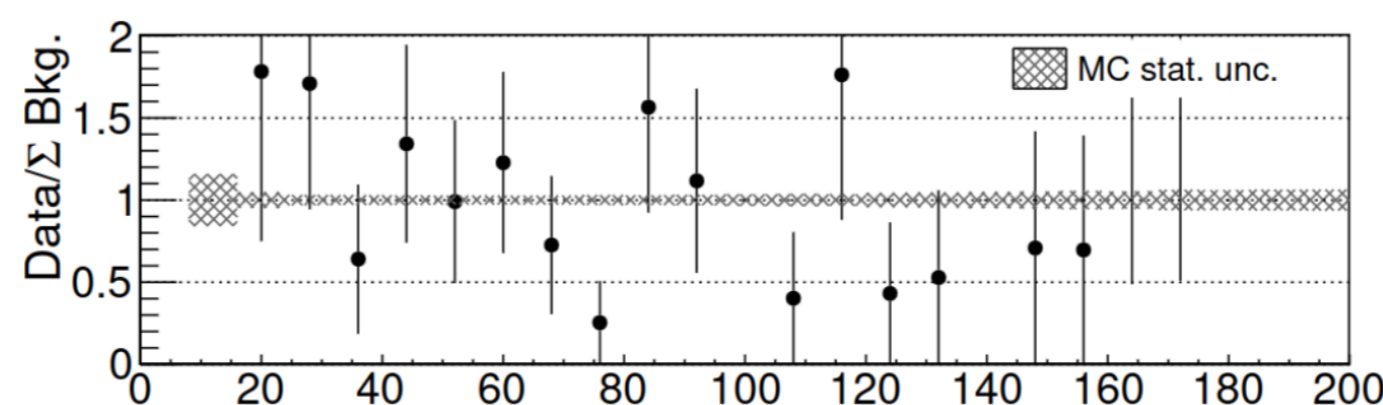
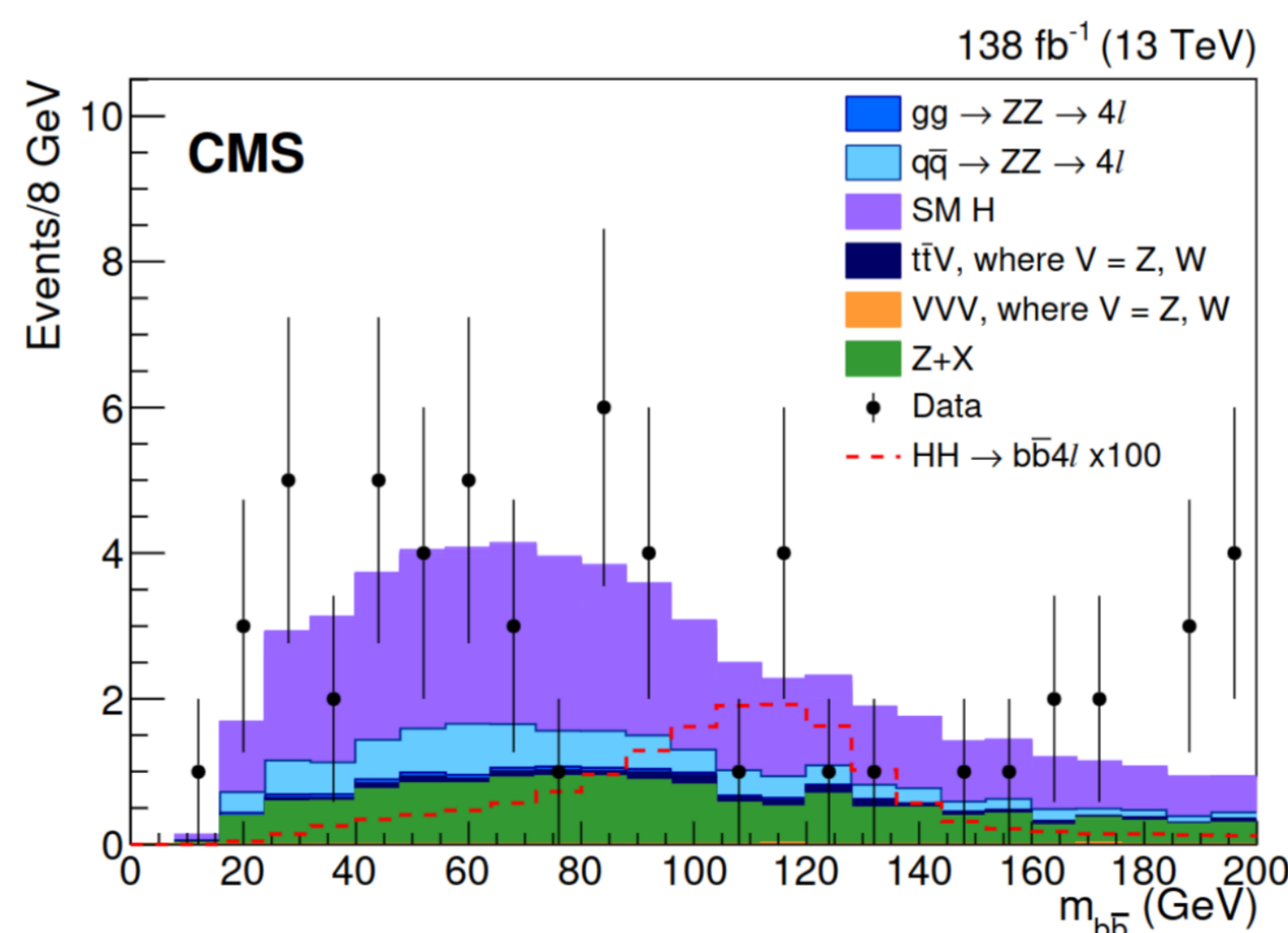
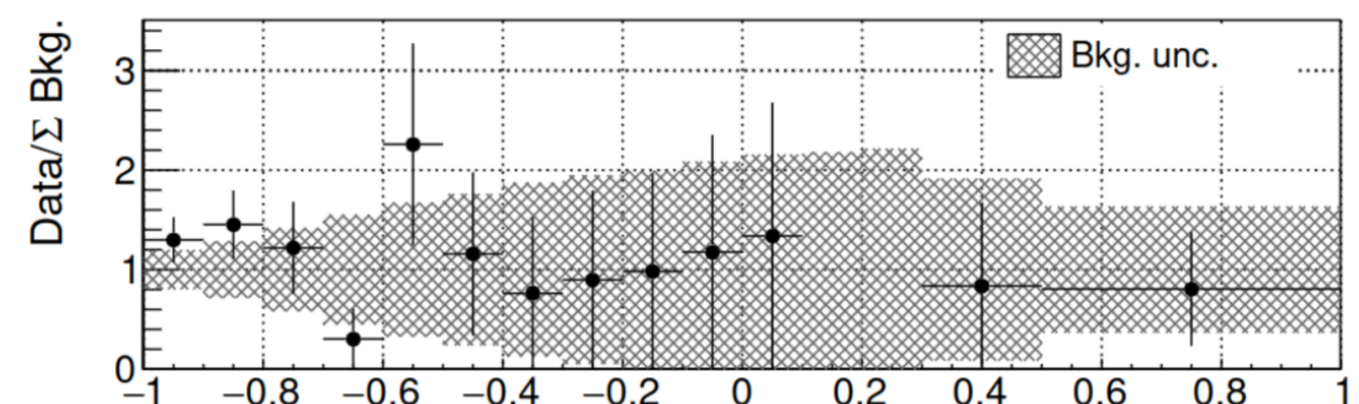
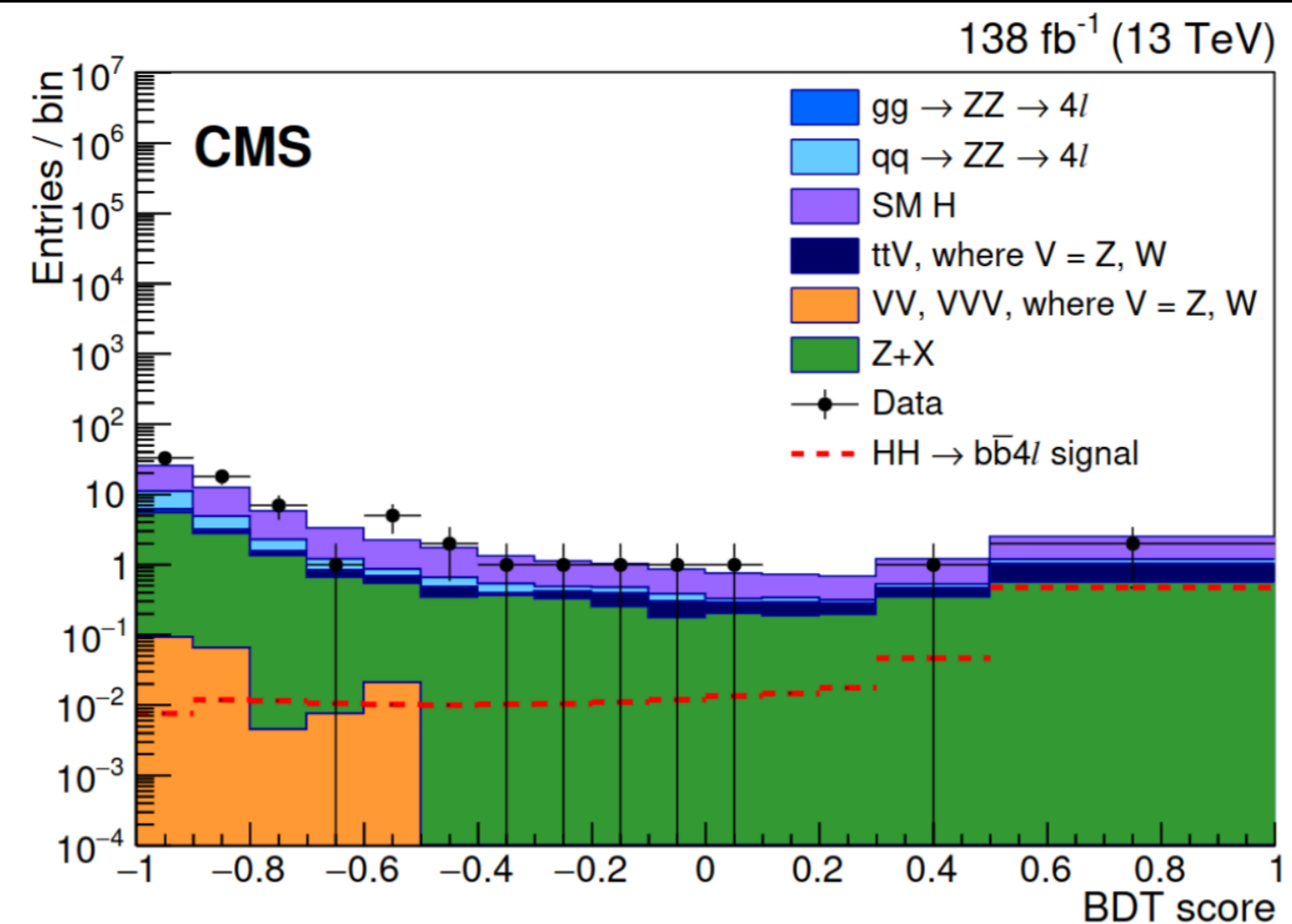
## VHH LO



# HH → bbZZ ggF

- H → ZZ taken from HIG-19-001
- Select 2 extra jets w/ highest DeepCSV score
- “Fake” non-prompt leptons estimated from data
  - sources: e → γ conversion, misrec. jets, HF decays
  - measure fake rate in Z + 1l + 2jets region
  - apply fake rate in Z + 2l + 2jets region
- Signal vs bkg. discrimination w/ BDT being fed full b-tagger distribution of jets
  - year- and channel-dependent training

$$\sigma_{HH} < 32.4 \text{ (39.6)} < \sigma_{HH}^{SM}$$



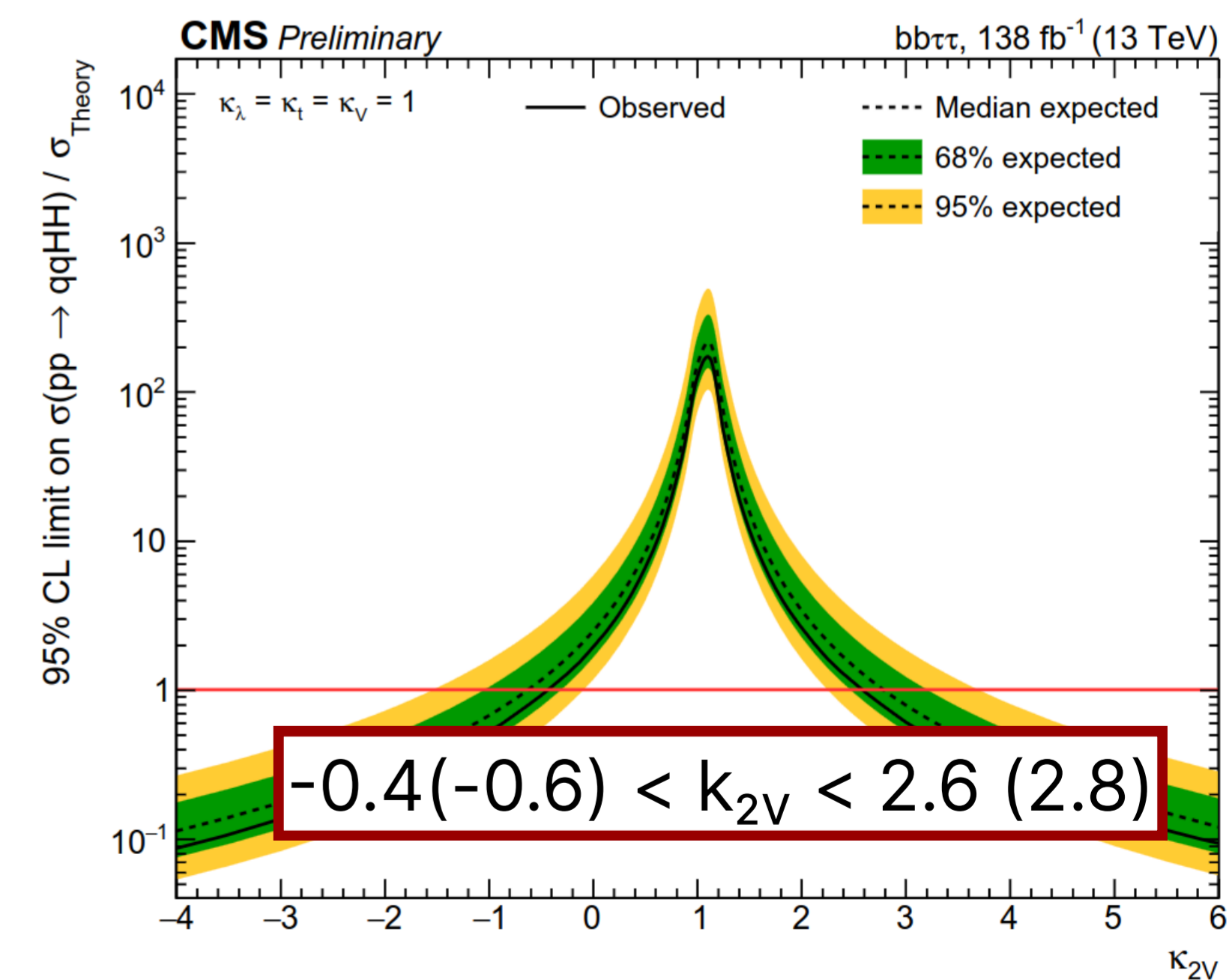
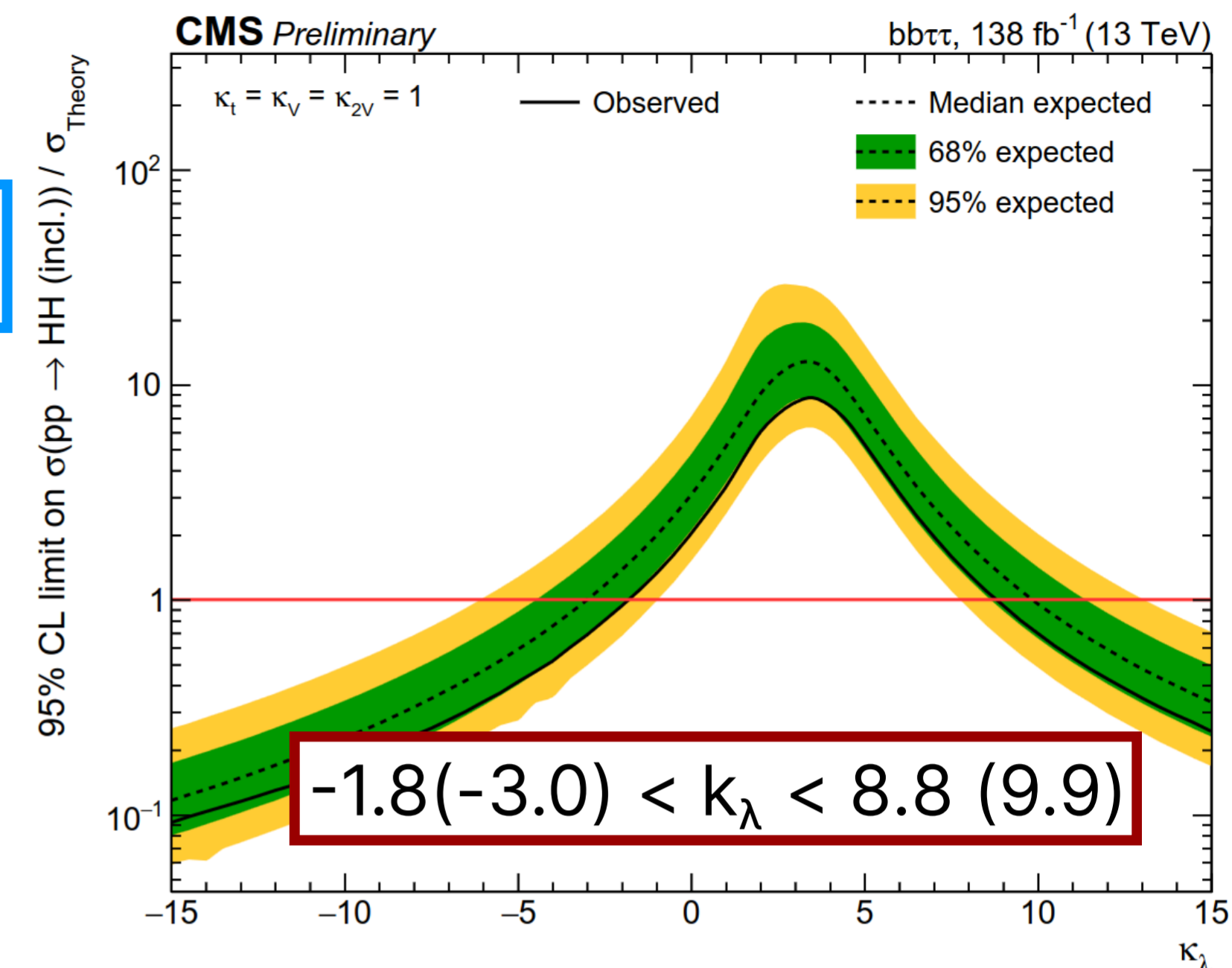
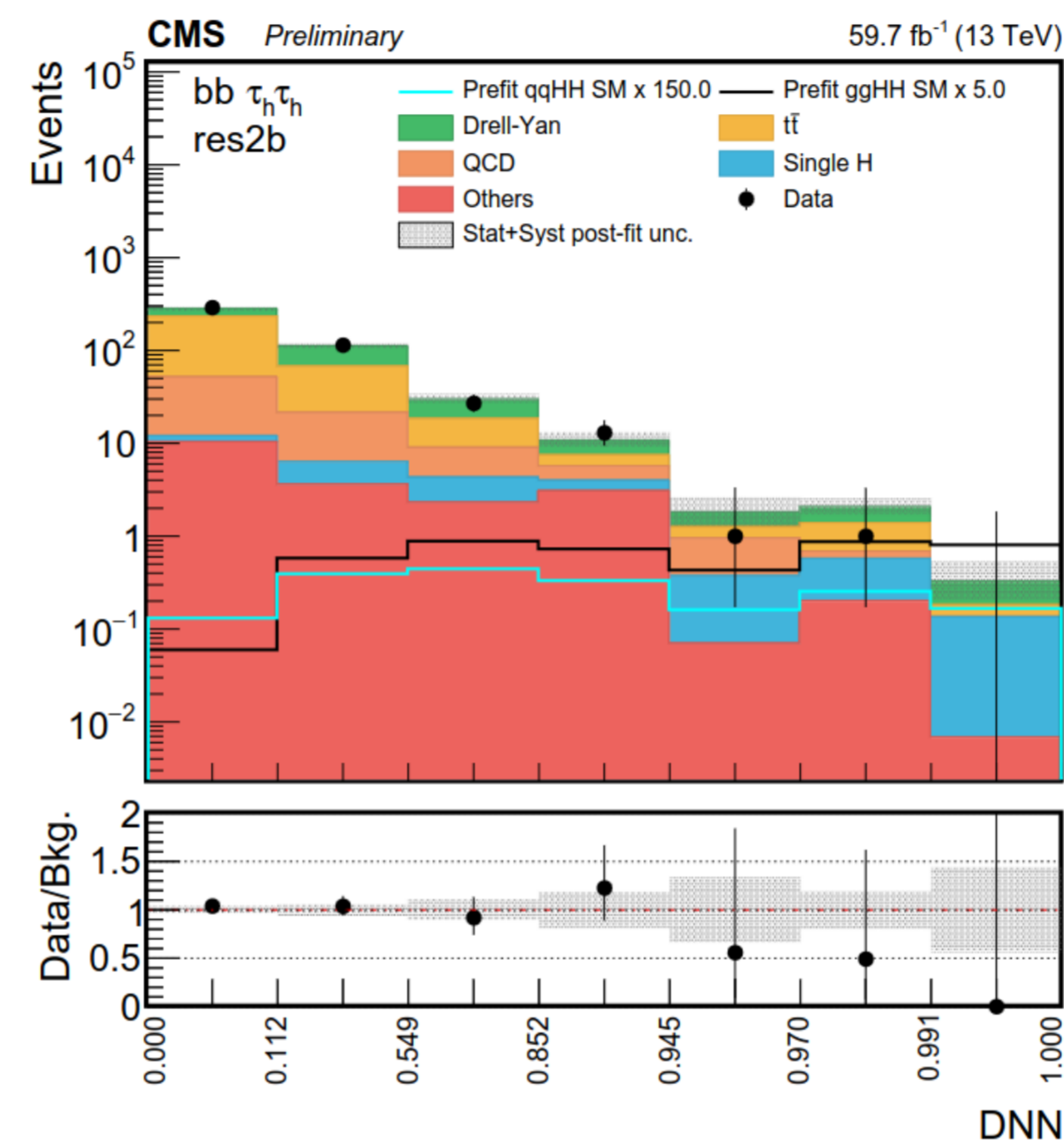
# HH → bbττ

**ggF** **VBF**

$$\sigma_{\text{HH}} < 3.3 \text{ (5.2)} < \sigma_{\text{HH}}^{\text{SM}}$$

$$\sigma_{\text{VBF}} < 124 \text{ (154)} < \sigma_{\text{VBF}}^{\text{SM}}$$

- ID with DeepJet and DeepTau
- 3 channels based on τ DM
- Categories: resolved, boosted and VBF-like
- Multi-classification approach to increase analysis sensitivity in the VBF category
  - 2 signal + 3 bkg. classes
- Fit the DNN score
  - most important features: DeepJet scores, inv. masses and many kinematic variables
  - two discriminators to enable inference on the entire dataset
  - ten networks per discriminator trained with 10-fold stratified cross-validation



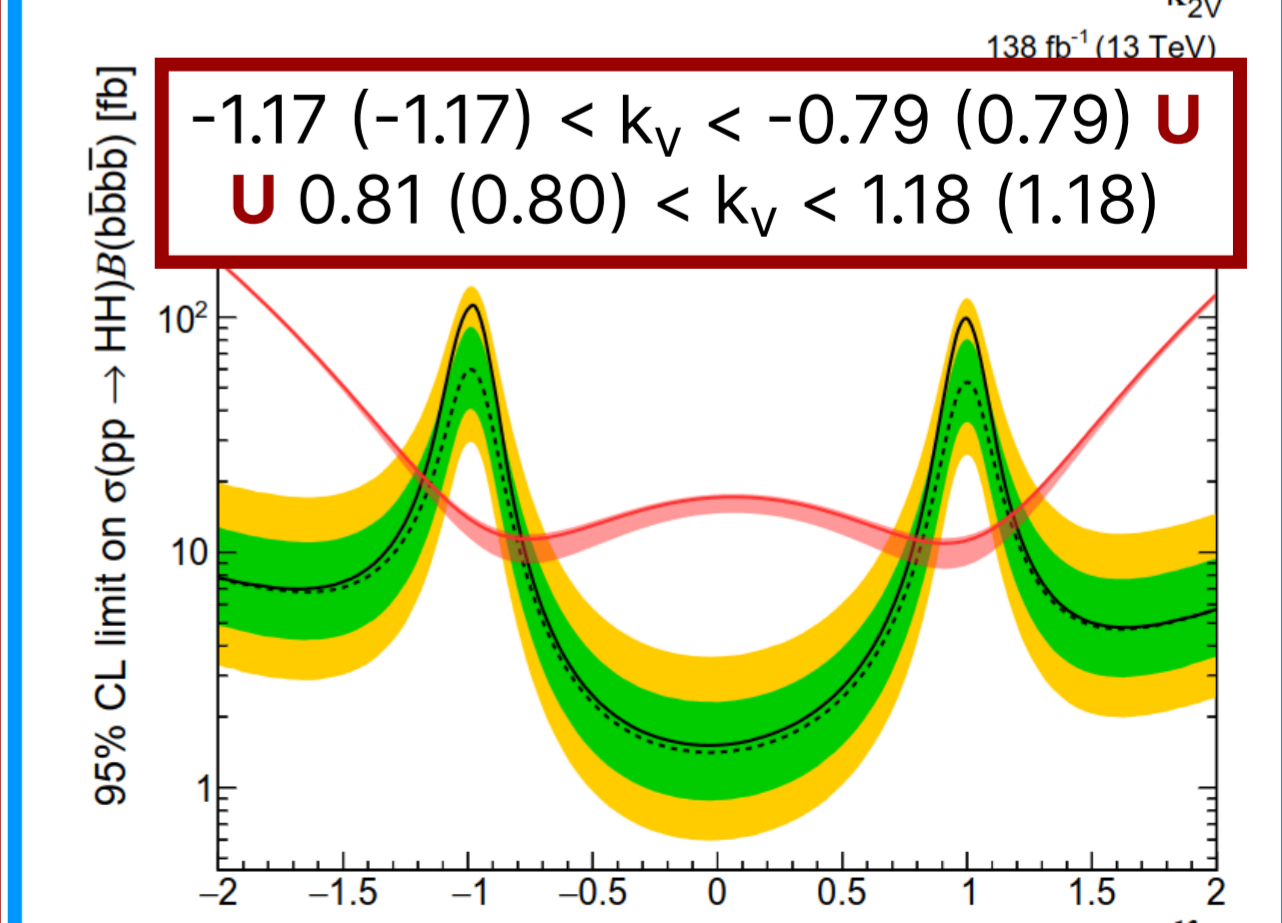
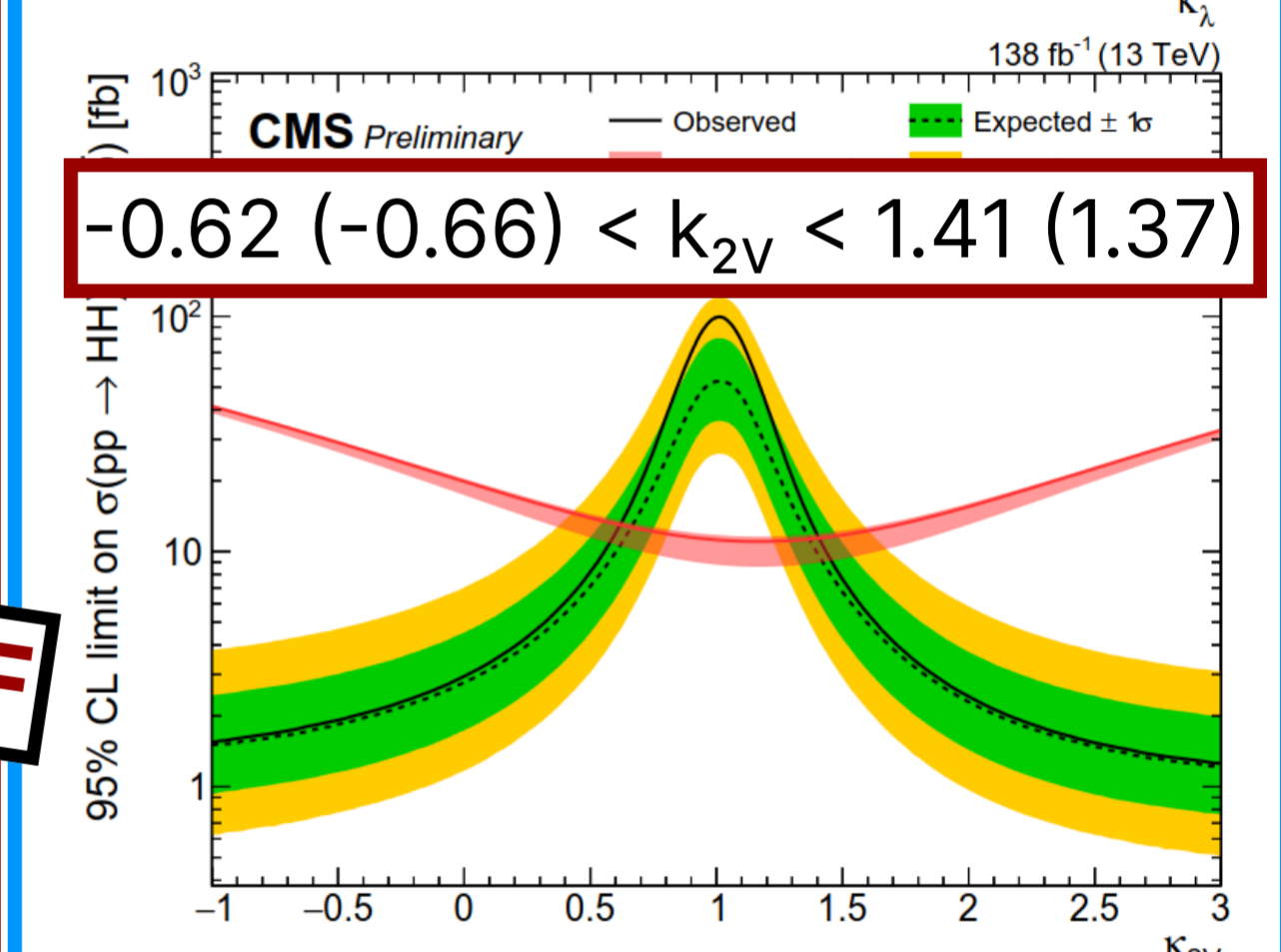
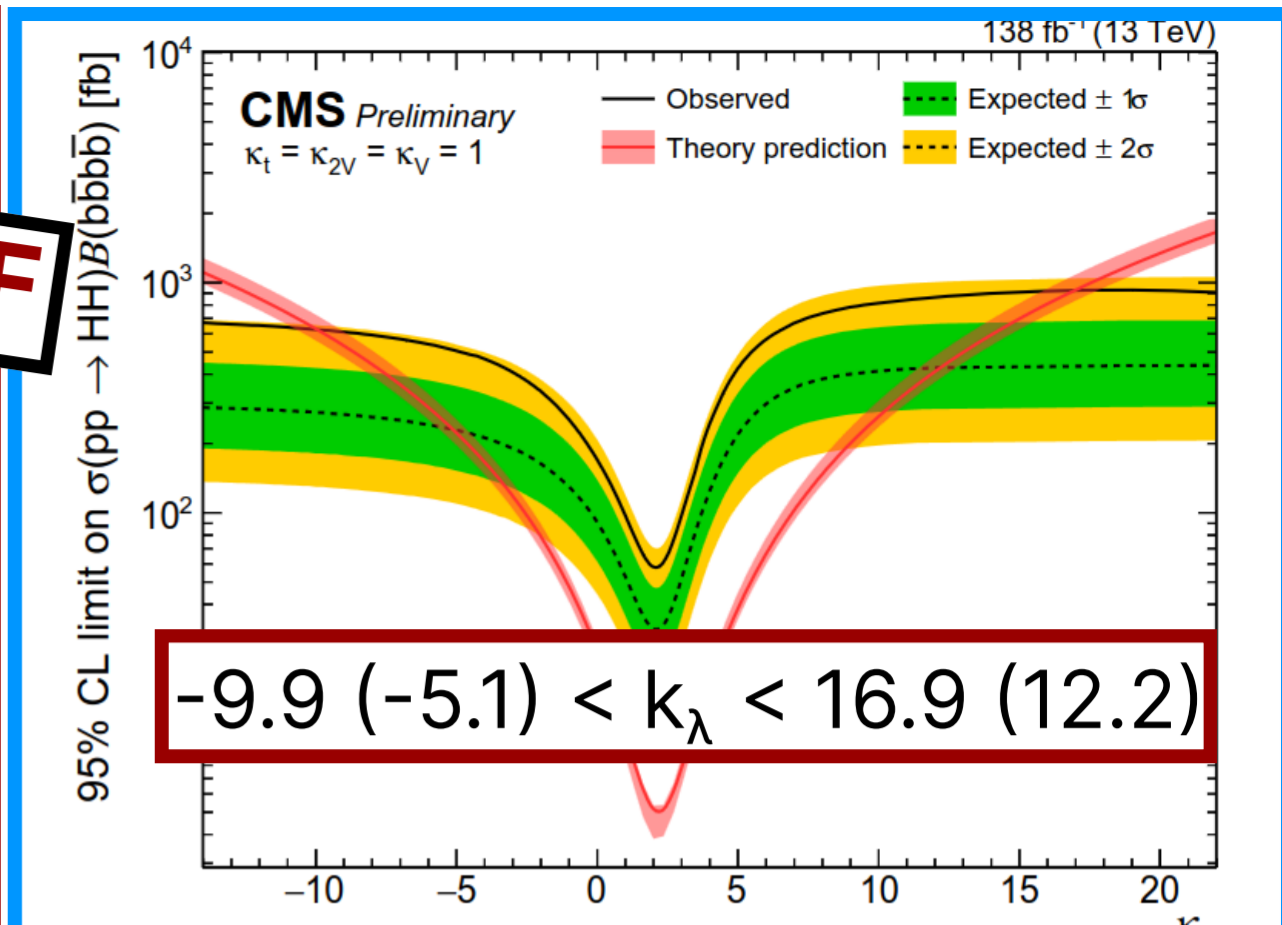
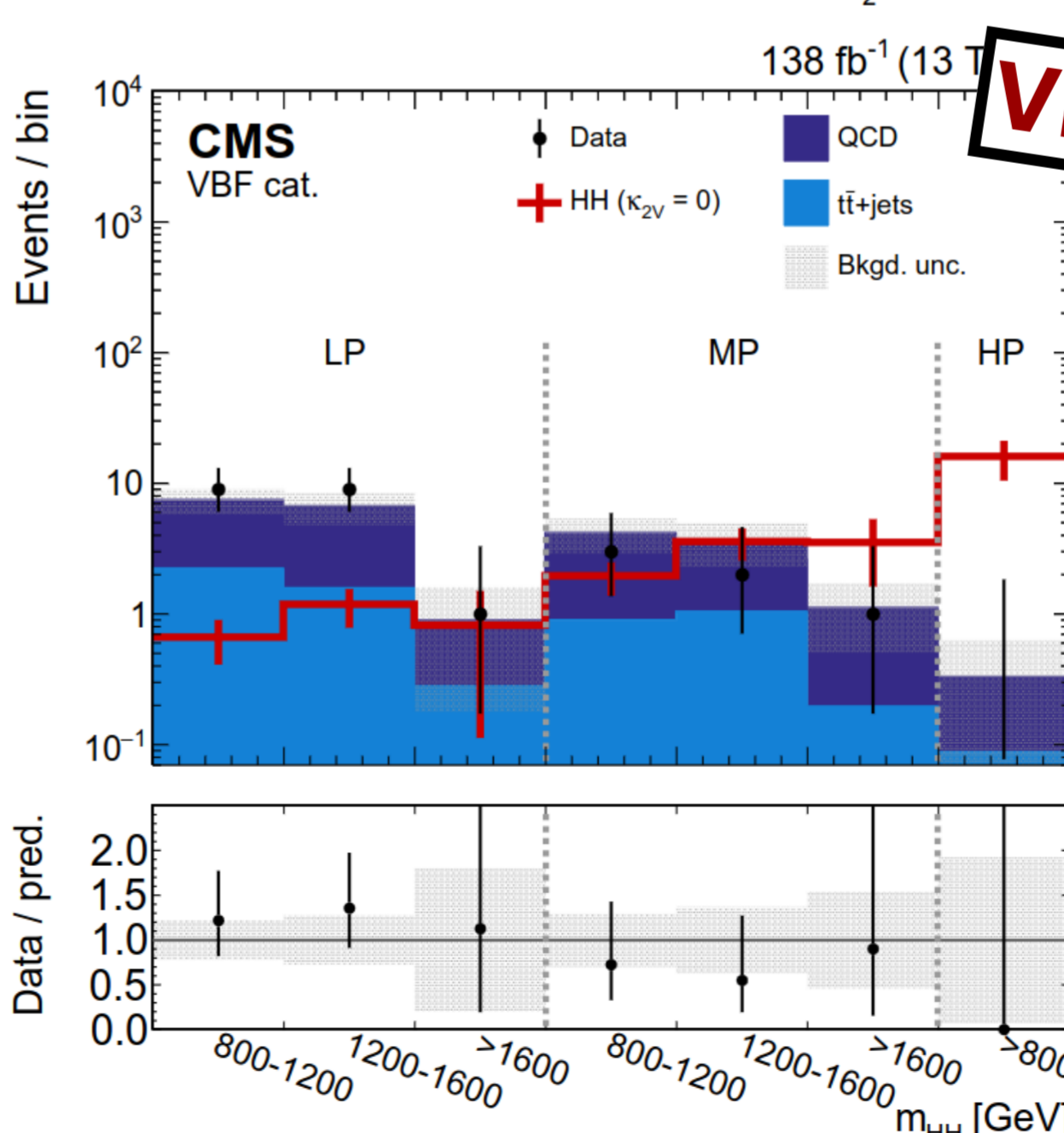
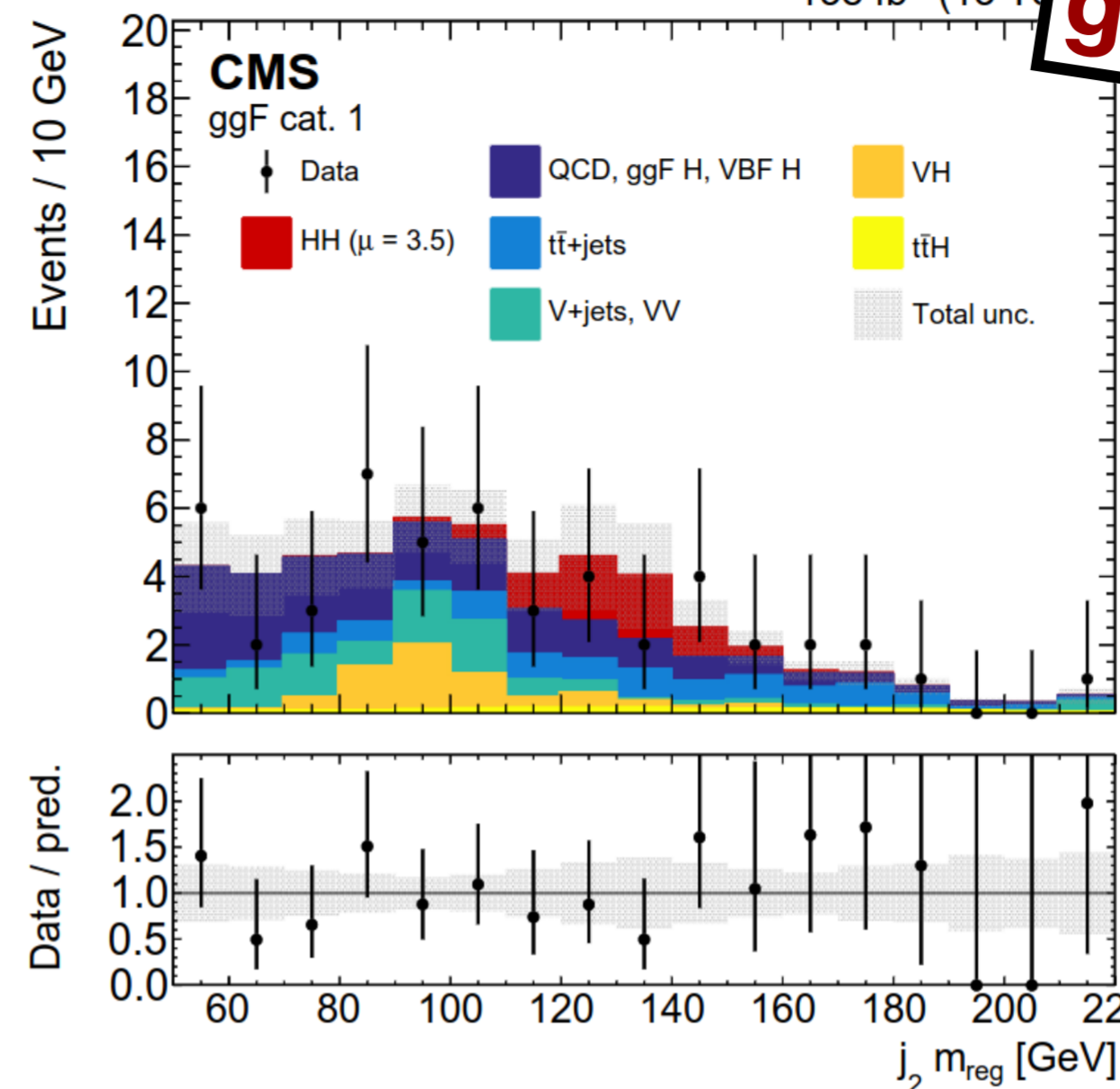
# HH → 4b boosted

**ggF** **VBF**

- 2 AK8 jets w/  $p_T(H) > 300\text{GeV}$
- Background: 85% QCD, 15% ttbar
- **PNet tagger for AK8 jets**
  - discriminate QCD vs. b-jets
  - provides 4x improvement in bkg. rejection over DeepAK8-MD
  - $p_T$ -dependent calibration performed w/ data and QCD-enriched MC
- **PNet regressed jet mass  $m_{\text{PNet}}$** 
  - improved bkg. rejection wrt  $m_{\text{SD}}$
- ggF and VBF categories use PNet tagger
  - ggF also uses BDT, which has 2x better bkg. rejection wrt. cuts
- Simultaneous ML fit in all ggF and VBF categories, plus CRs (QCD and tt)
  - ggF: **fit to PNet mass** of one bb cand.
  - VBF: **fit to  $m_{\text{HH}}$**

$$\sigma_{\text{HH}} < 9.9 \text{ (5.1)} < \sigma_{\text{HH}}^{\text{SM}}$$

138 fb<sup>-1</sup> (13 TeV) **ggF**





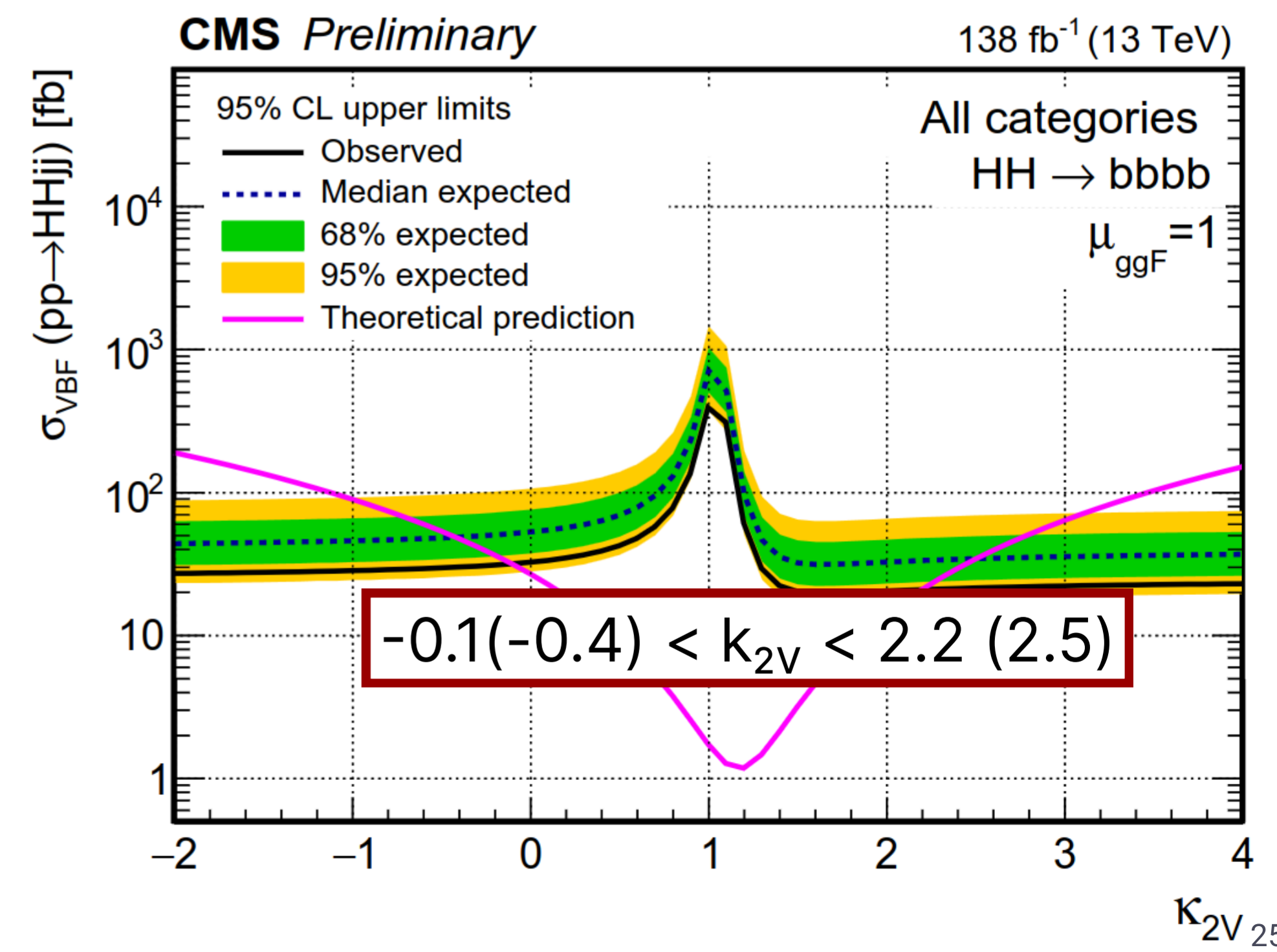
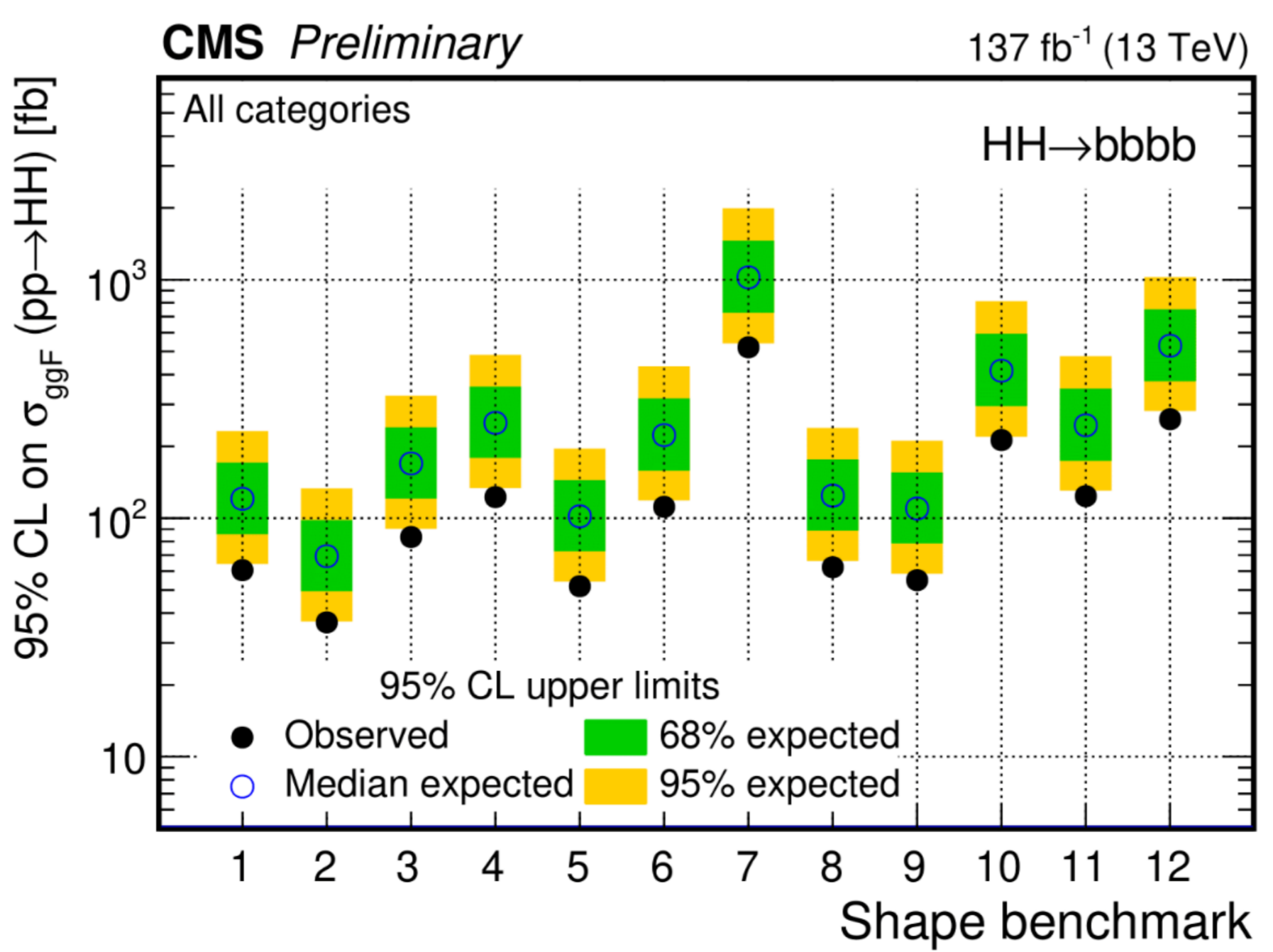
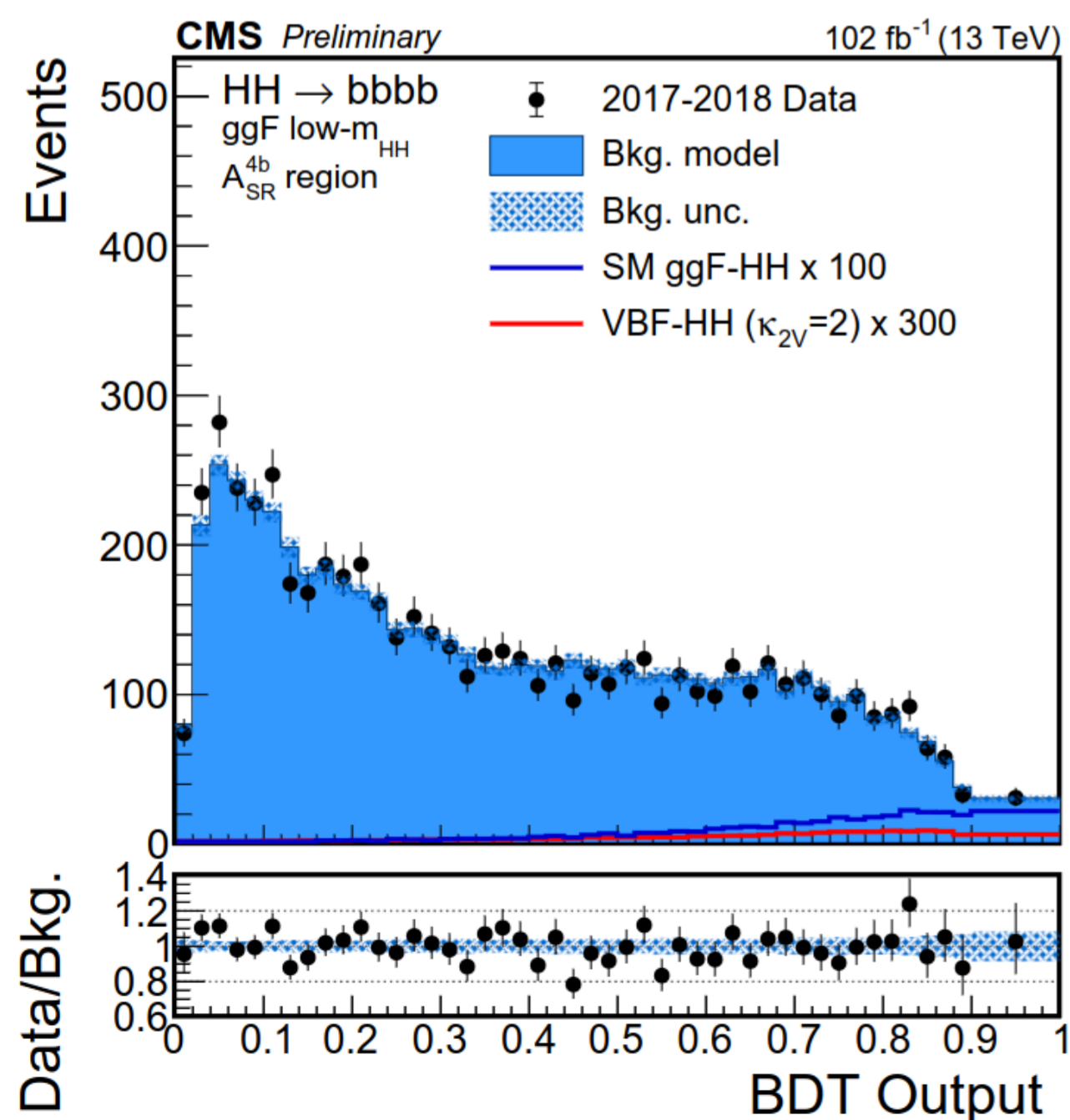
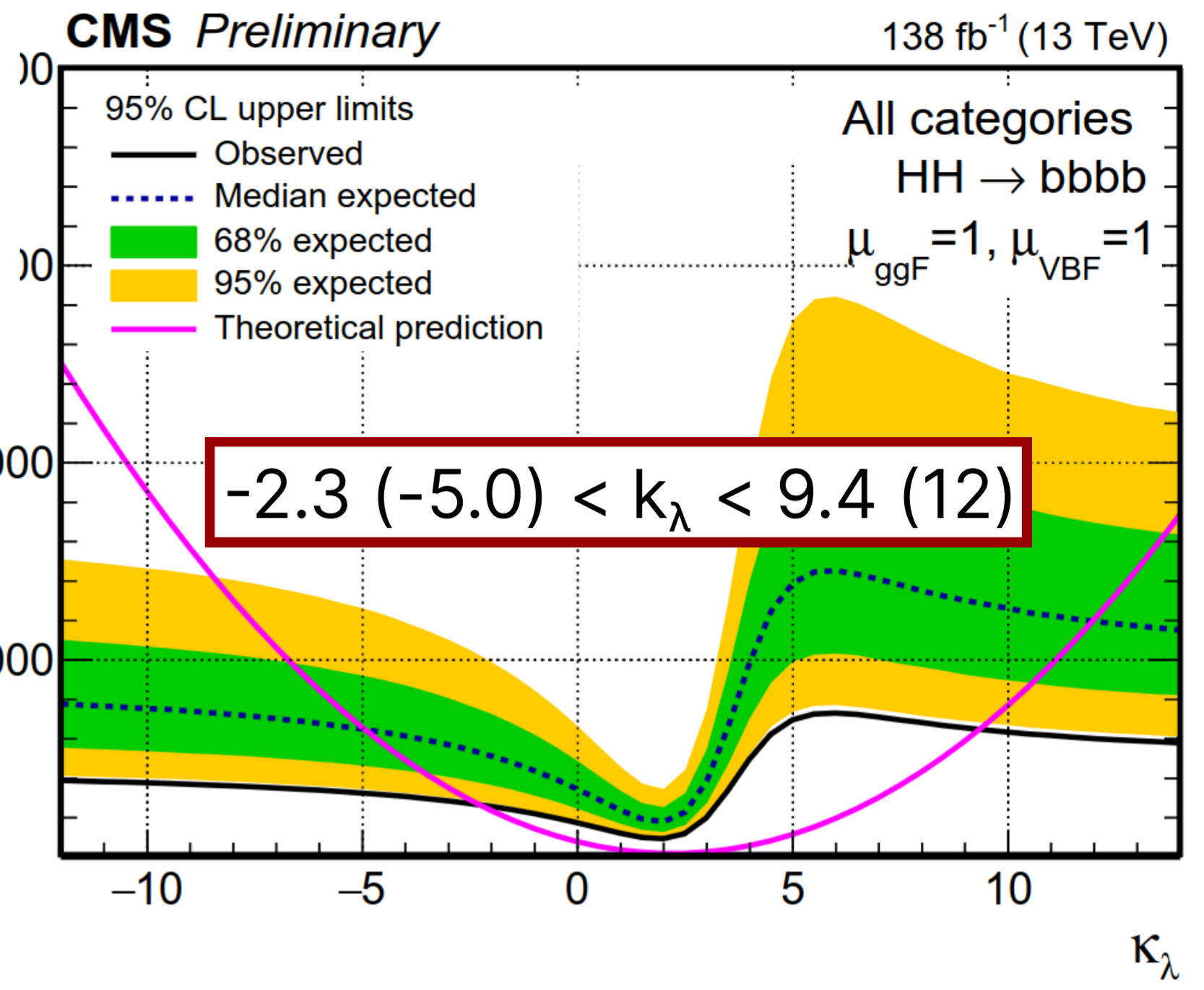
**ggF**  
**VBF**

# HH → 4b resolved

$$\sigma_{HH} < 3.9 \text{ (7.8)} < \sigma_{HH}^{SM}$$

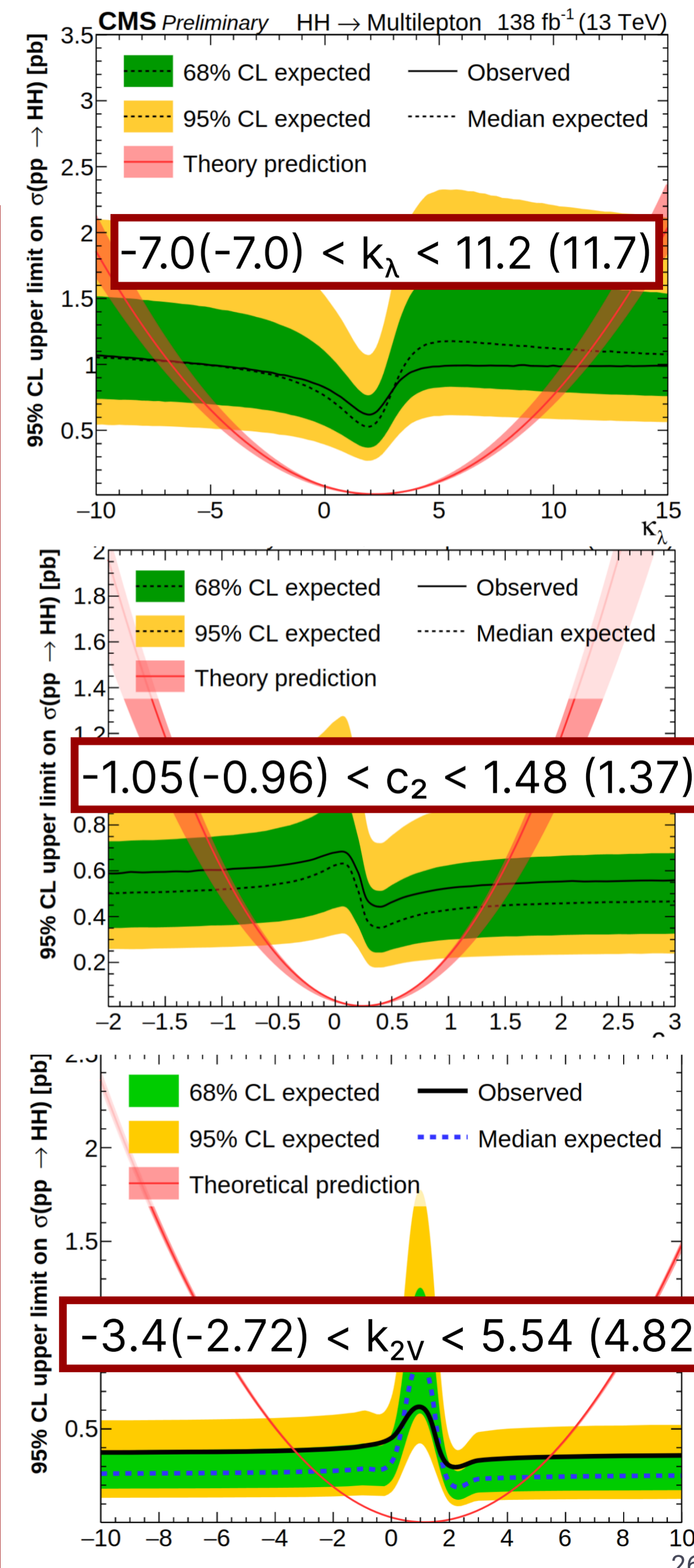
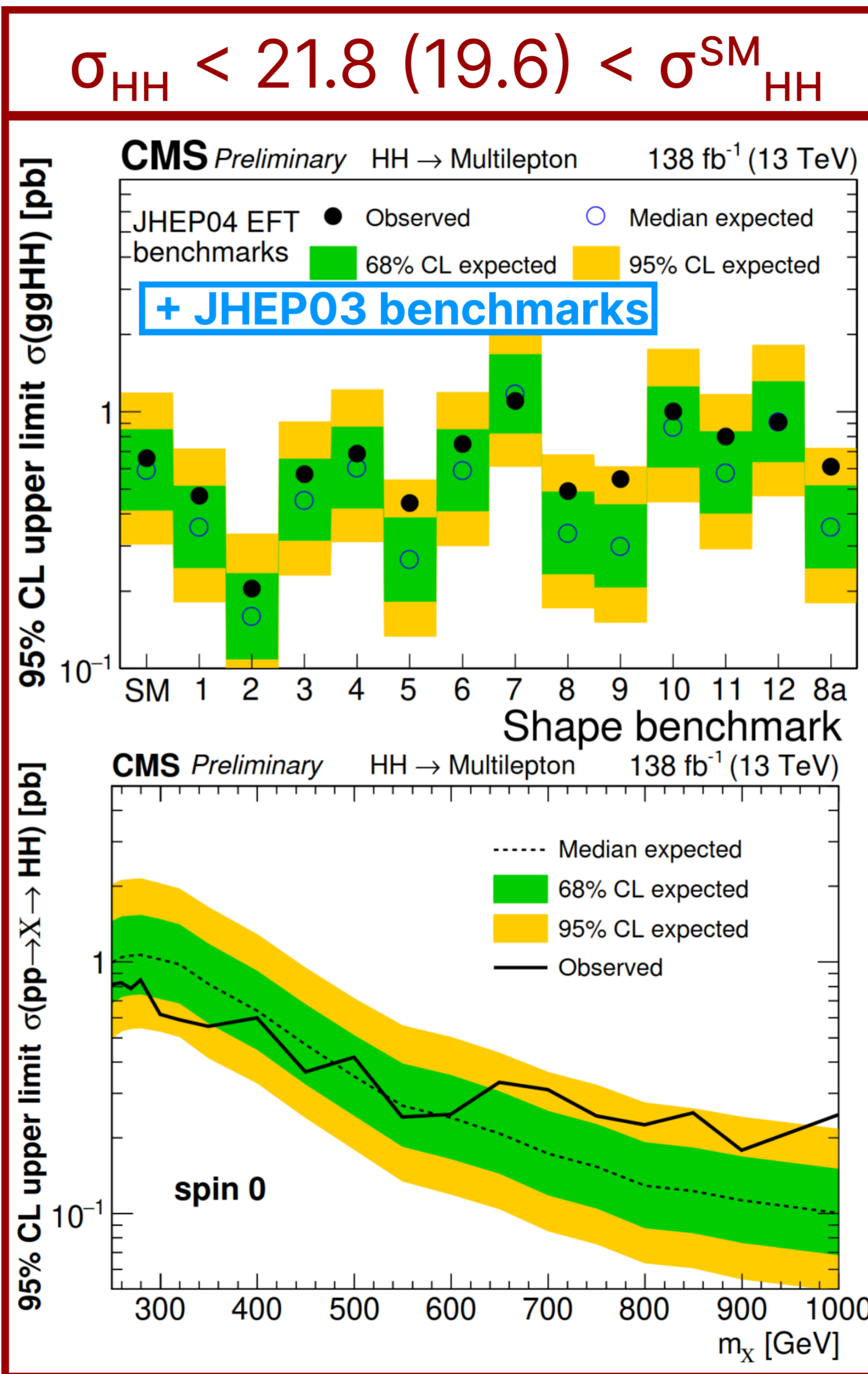
$$\sigma_{VBF} < 226 \text{ (412)} < \sigma_{VBF}^{SM}$$

- Select jets with 4 highest DeepJet score
- 3 possible H pairs built w/  $m_{H1}$  vs.  $m_{H2}$  diagonal
- separate VBF and ggF categories
  - “ggF-killer” BDT increases purity in VBF category
  - additional low/high  $m_{HH}$  split for ggF
- QCD data-driven estimation using 3/4 b’s CRs
- Fit BDT ( $m_{HH}$ ) in ggF (VBF) categories



# HH → Multilepton (4V, 2V2τ, 4τ) ggF VBF Res

- 7.7% BR in total
- **7 channels**, depending on multipl. of hadronic τ, electrons and muons
- Train 3 BDTs (spin0/2, nonres) per channel, parameterized on EFT benchmarks and resonance mass
- Background estimation
  - fakes: **fake factor method**
  - **lepton charge flip**: from data
  - irred. + photon conversion: from MC
- ML fit inputs: **1 BDT / channel + 2 CRs**
  - full stats used for BDT training
- 2 CRs to constrain WZ and ZZ bkg.



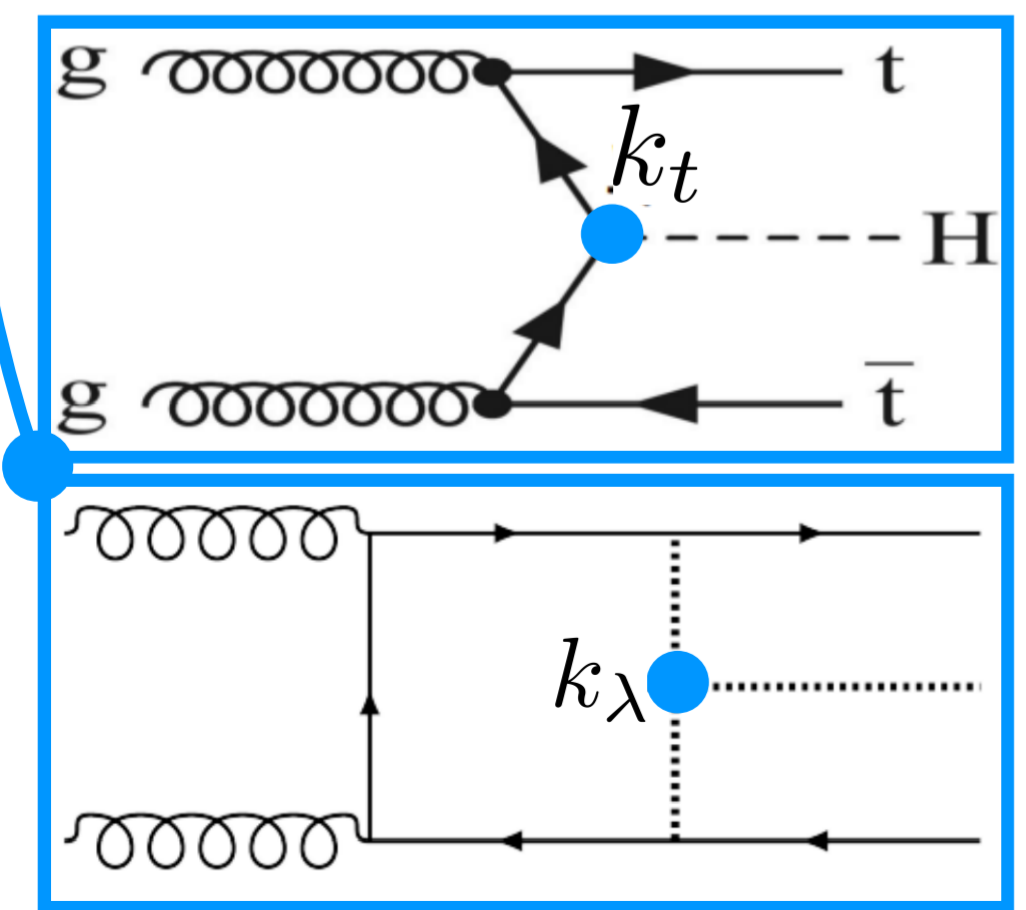
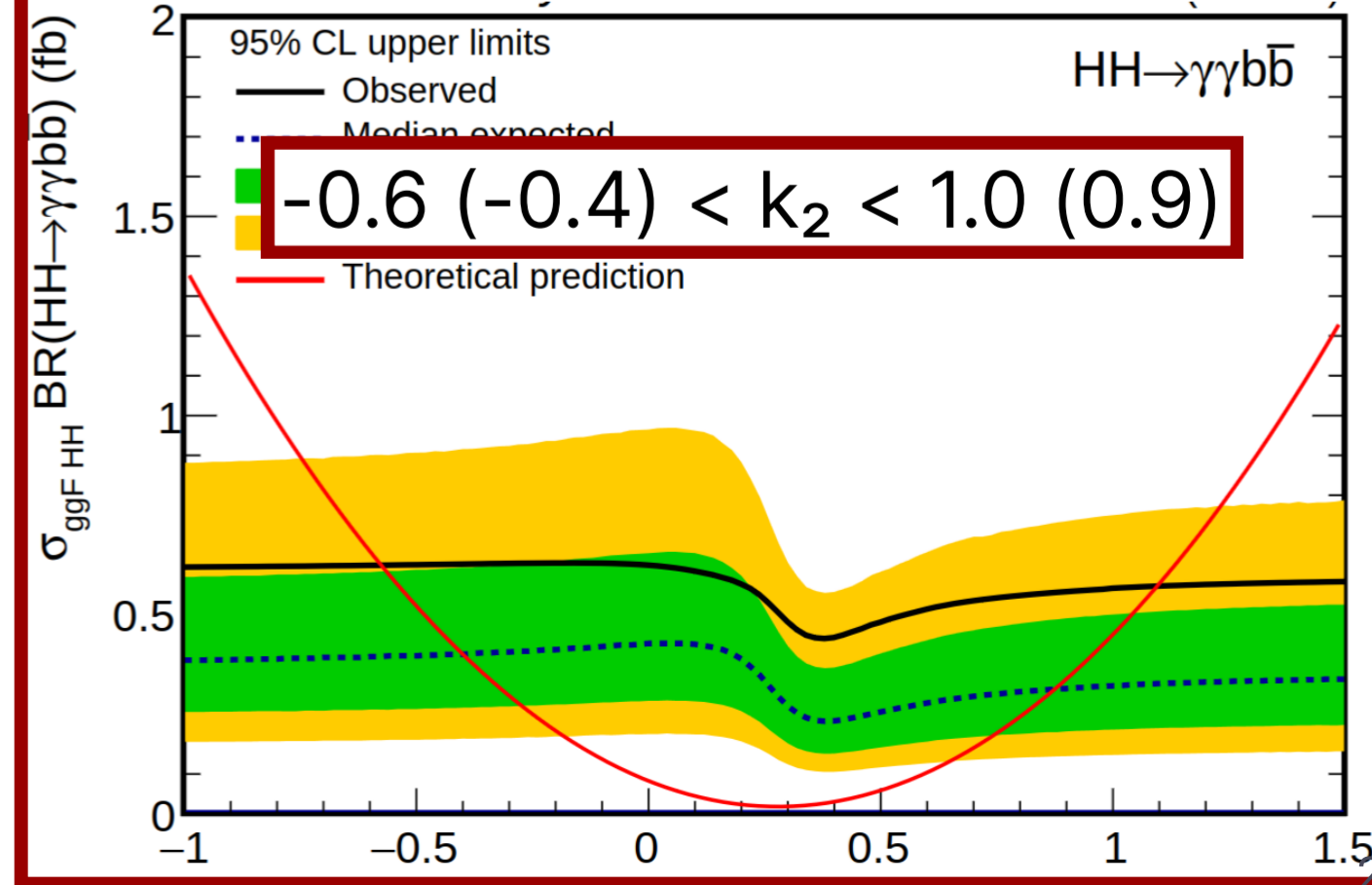
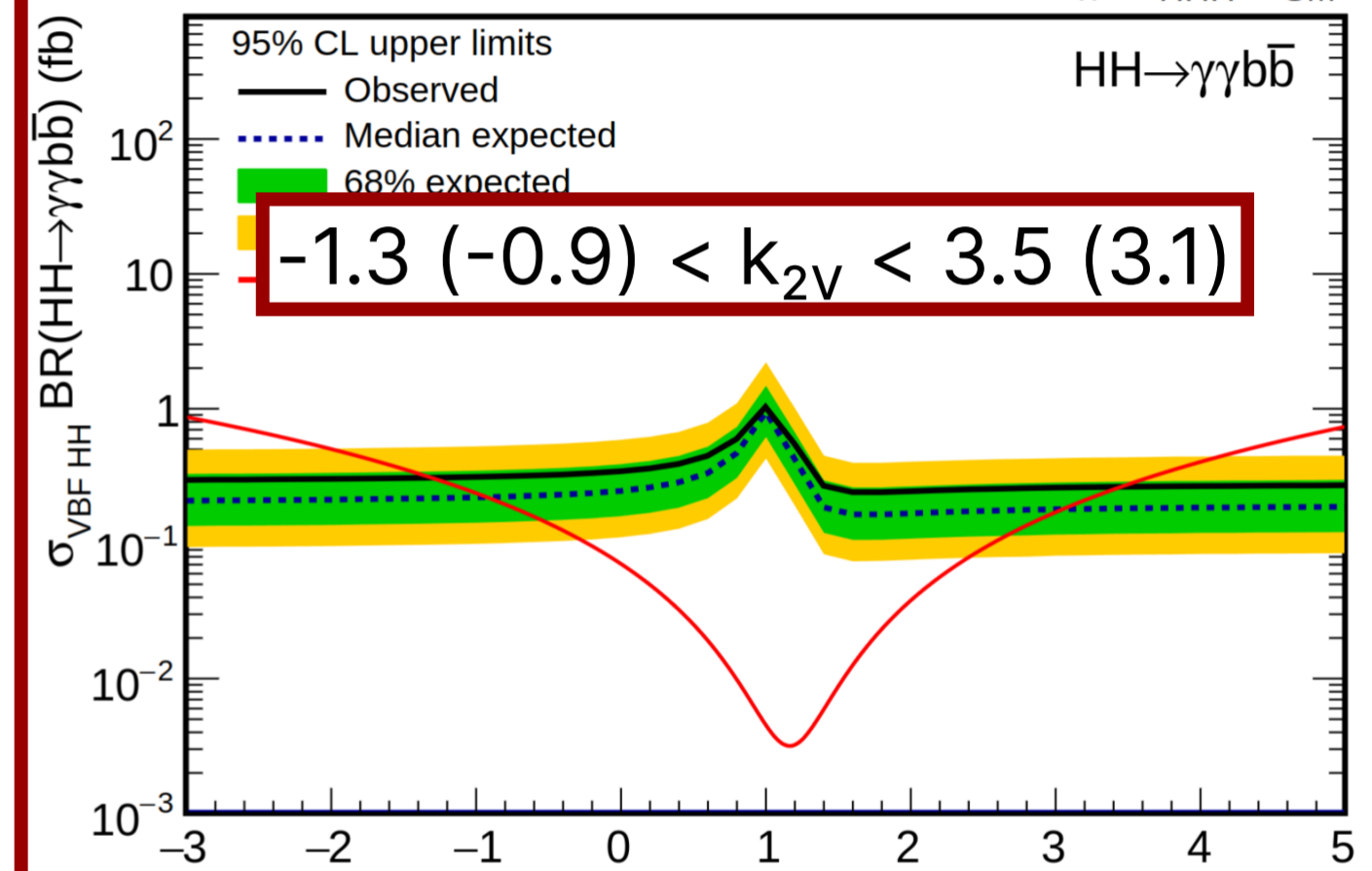
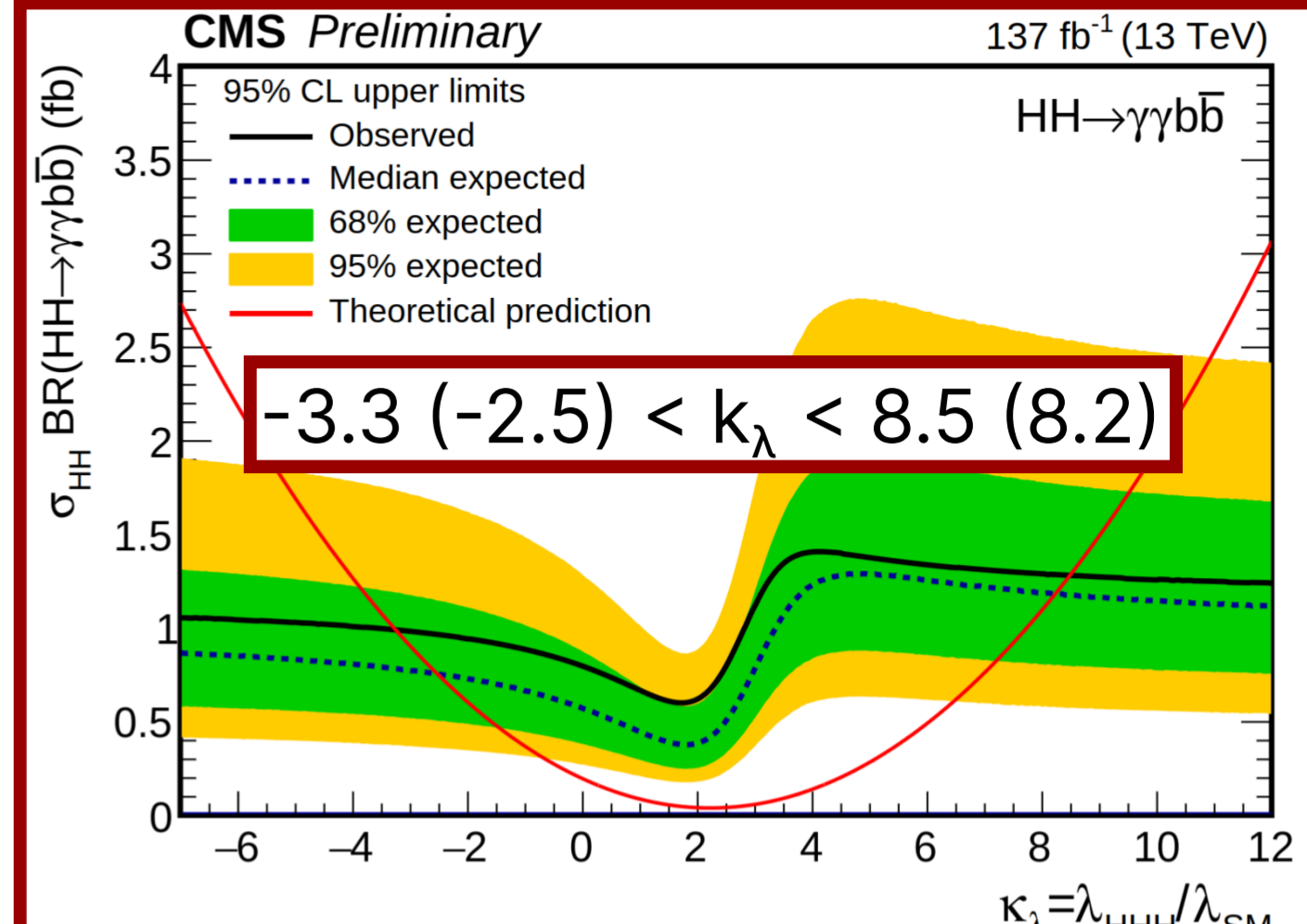
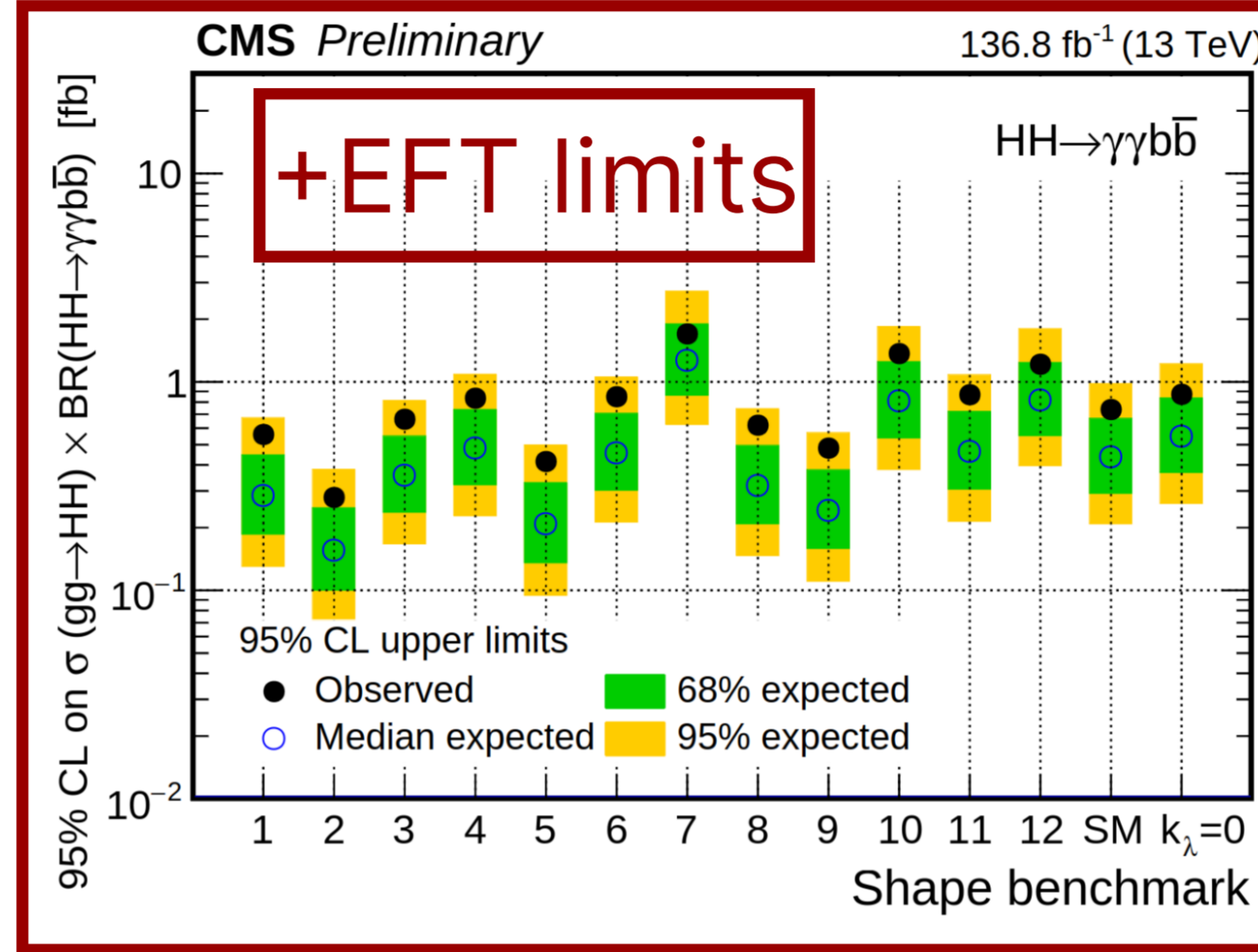
# HH → bbγγ

**ggF** **VBF**

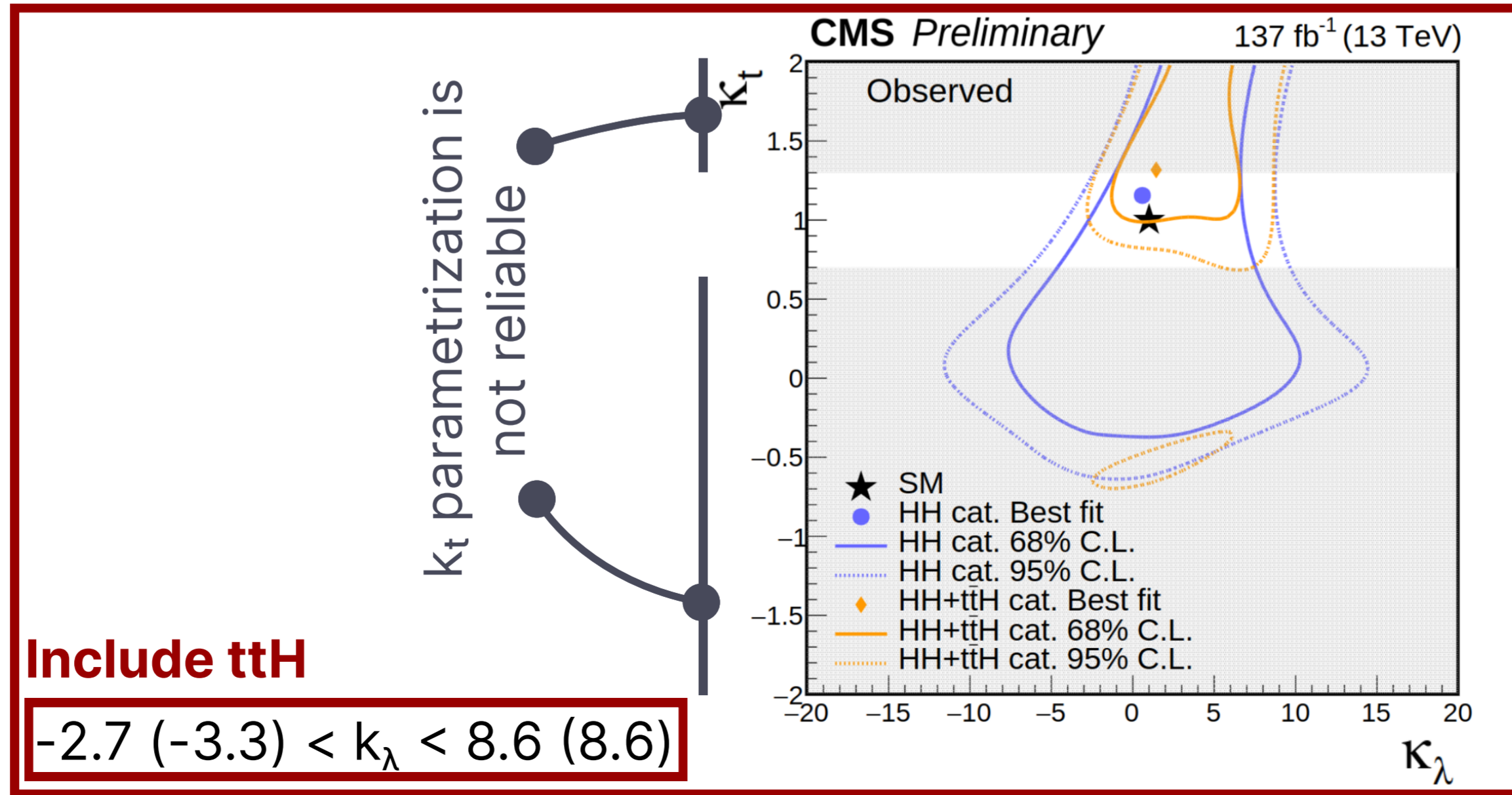
- optimized categories based on modified mass and ggF/VBF BDTs
- dedicated “ttH killer” DNN
- Signal extracted from unbinned 2D  $m_{\gamma\gamma}$  vs.  $m_{bb}$  parametric fit
  - $m_{\gamma\gamma}$ : sum of gaussians
  - $m_{jj}$ : double crystal-ball + gaus.
- HH+H combination: constrain  $\kappa_t$  w/ ttH phase-space

$$\sigma_{HH} < 7.7 \text{ (5.2)} < \sigma_{HH}^{SM}$$

$$\sigma_{VBF} < 225 \text{ (208)} < \sigma_{HH}^{SM}$$



ttH analysis

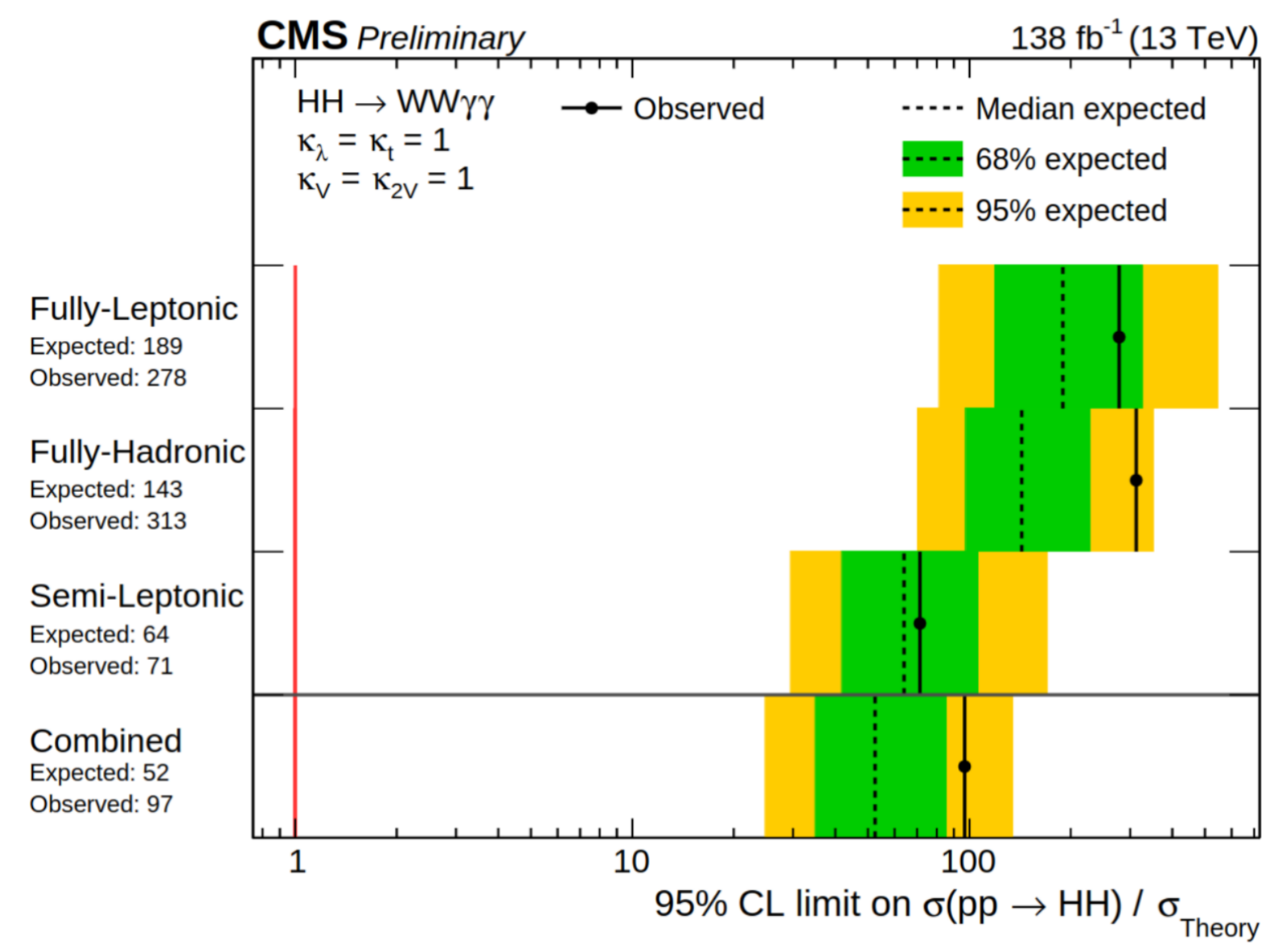
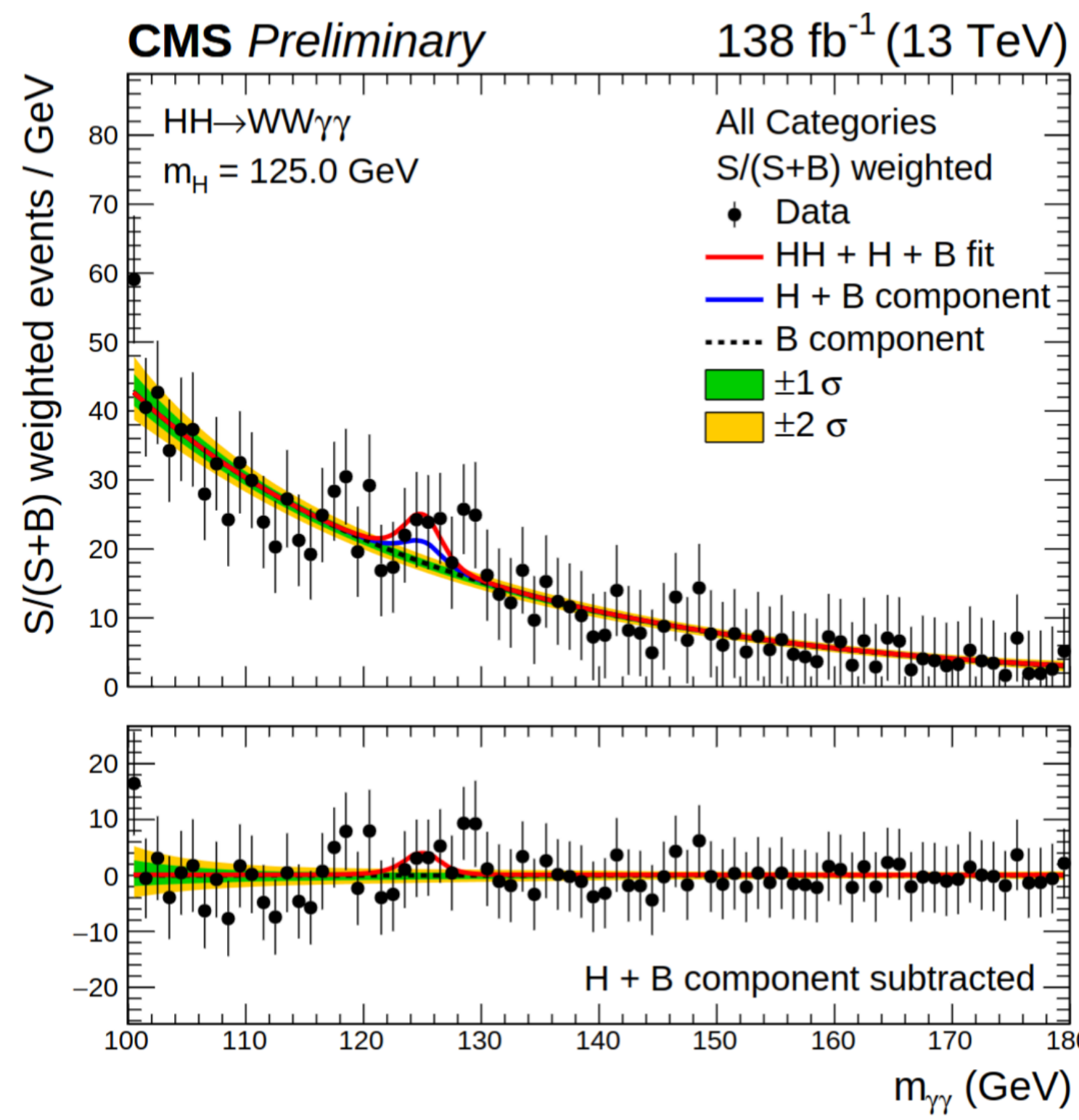


$\kappa_t$  parametrization is not reliable

**Include ttH**  
 $-2.7 \text{ (-3.3)} < \kappa_\lambda < 8.6 \text{ (8.6)}$

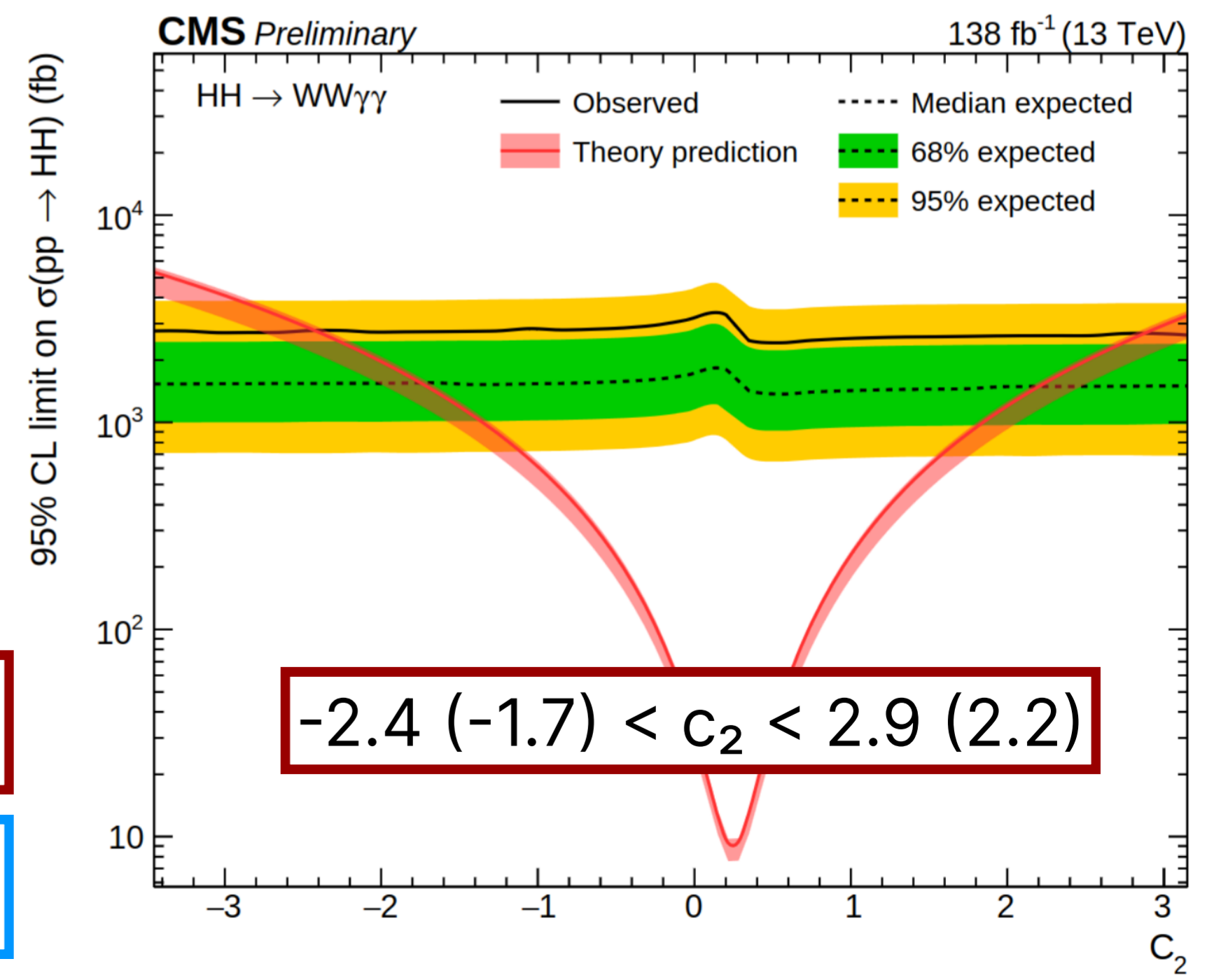
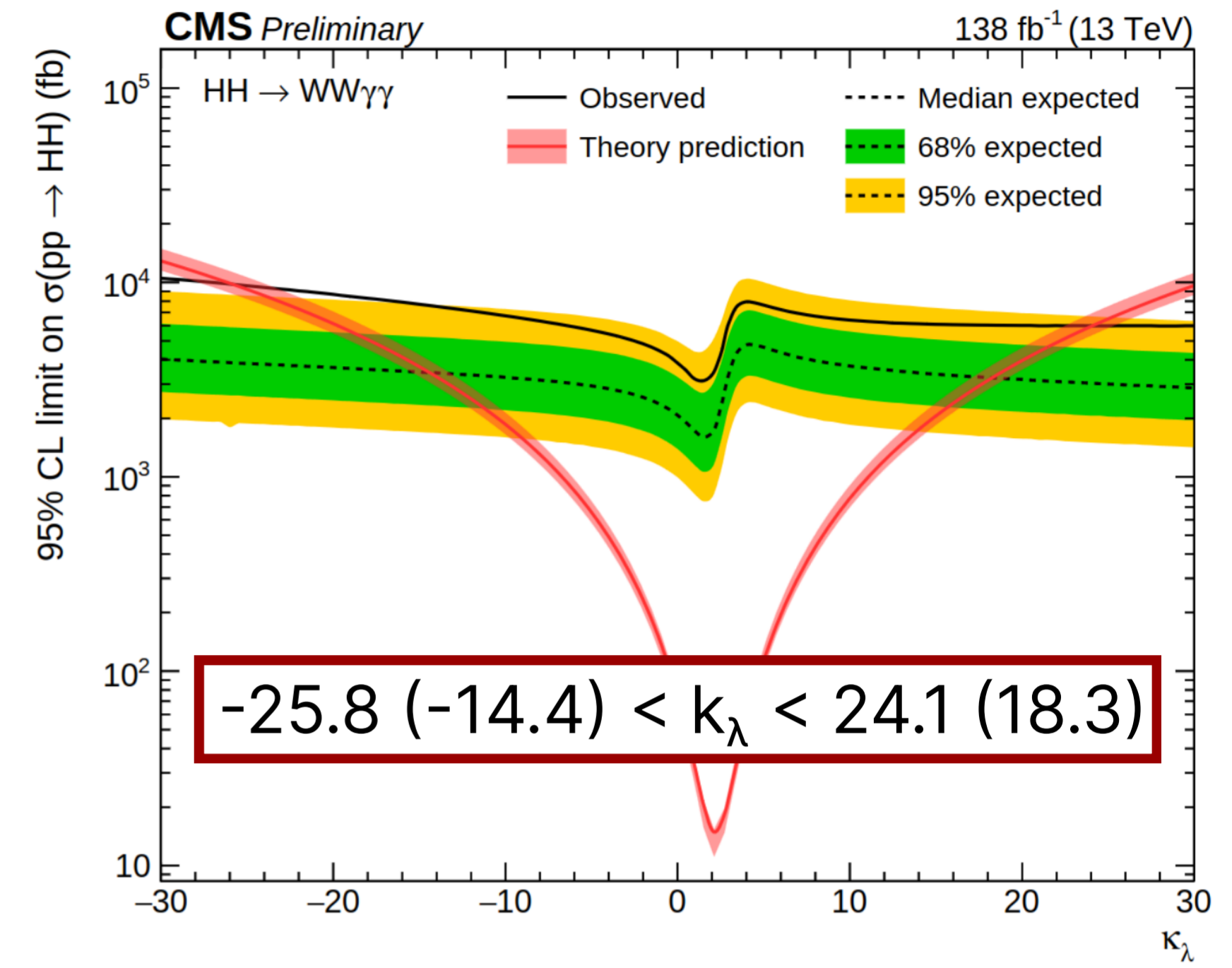
# HH → WWγγ ggF

- Signal extracted from  $m_{\gamma\gamma}$  parametric fit
- 3 channels based on #leptons
  - 0: multiclass DNN to remove H and  $\gamma$ /jets bkg. + binary DNN for EFT benchmarks
  - 1: WWγγ id and “bbyγ killer” binary DNNs
  - 2: cut based



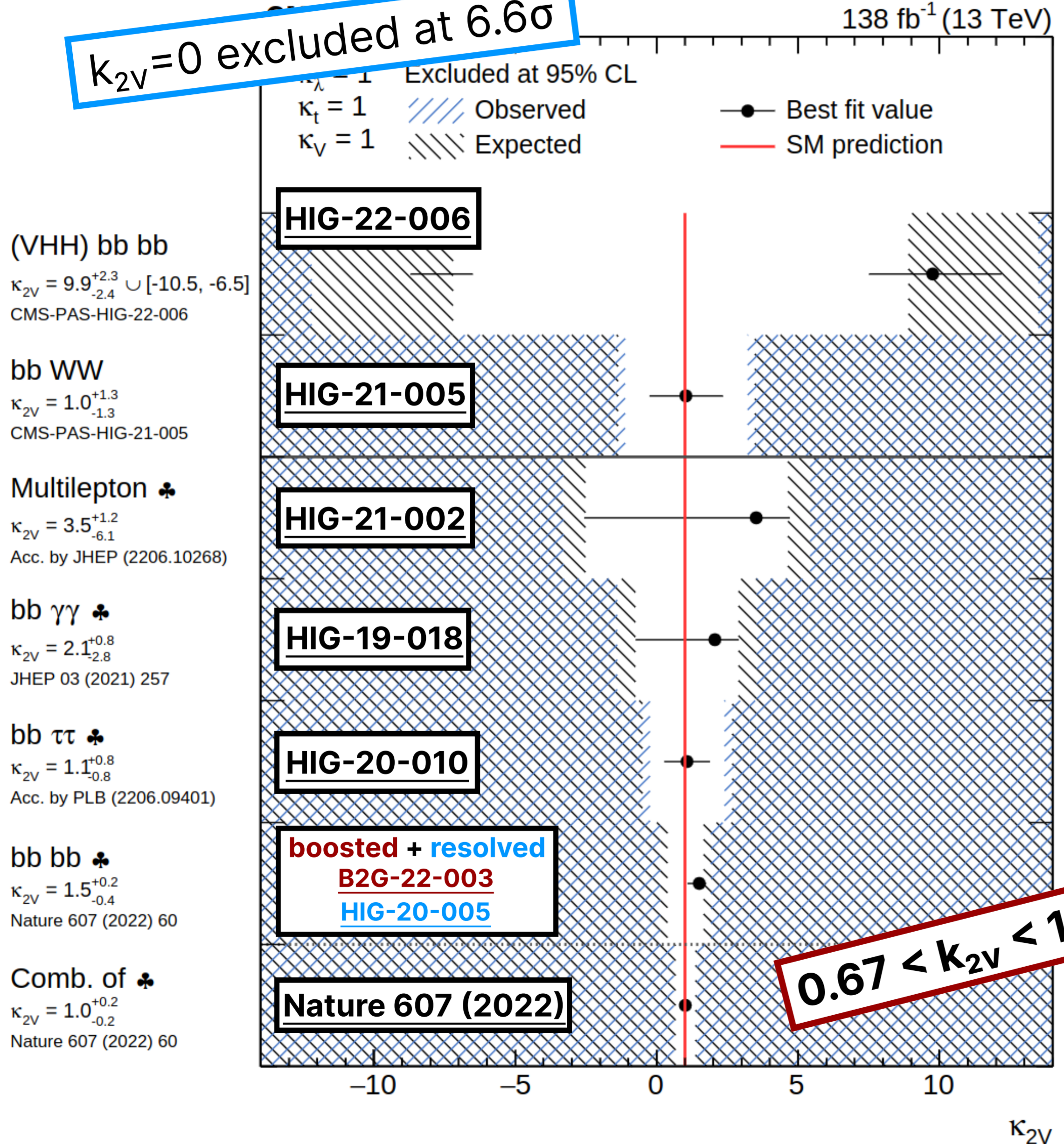
$$\sigma_{\text{HH}} < 96.8 \text{ (52.5)} < \sigma_{\text{HH}}^{\text{SM}}$$

$$\sigma_{\text{EFT}} < 1.7 - 6.2 \text{ (1.0 - 3.9)}$$

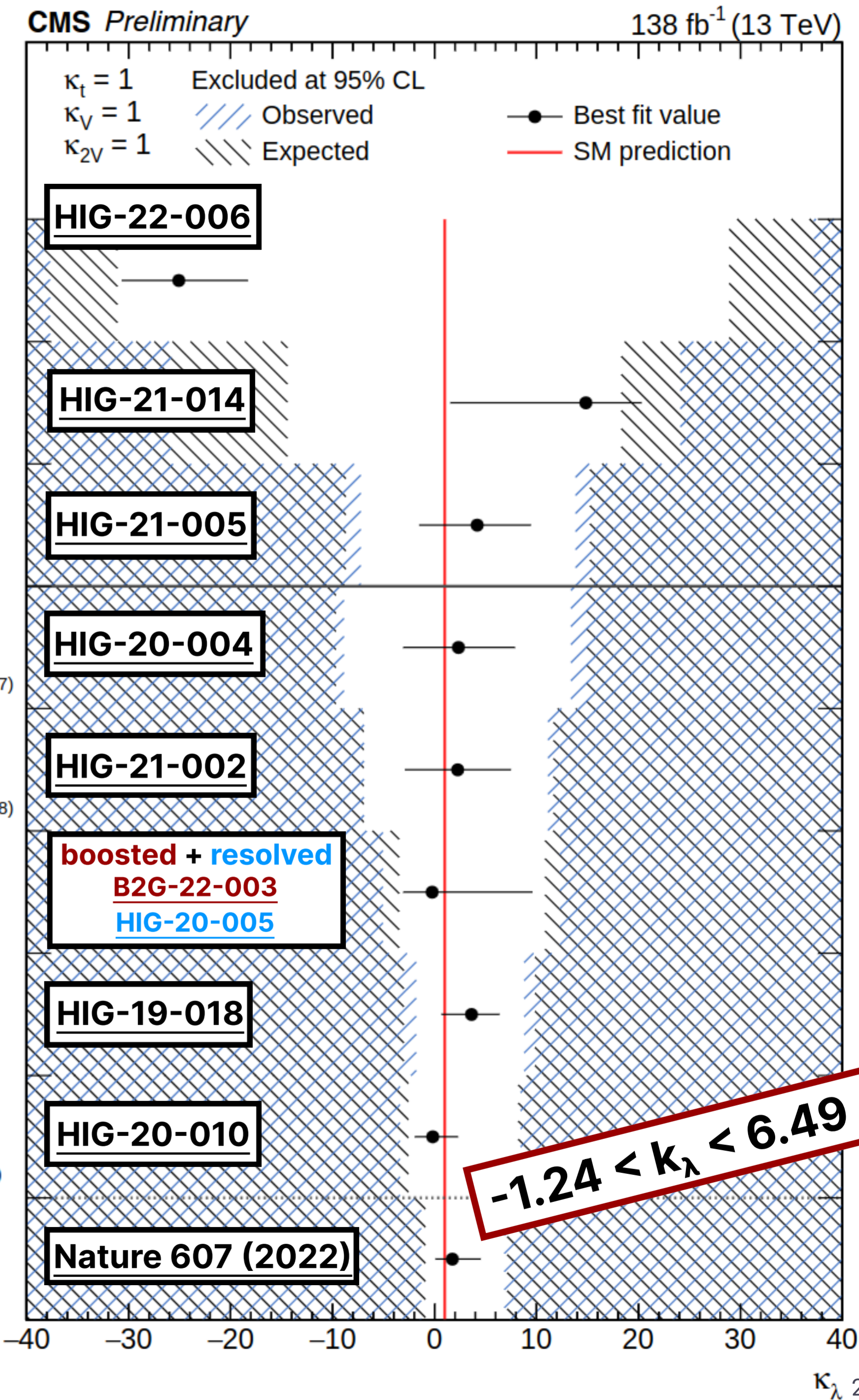


# CMS Internal links

$k_{2V}=0$  excluded at  $6.6\sigma$



- (VHH) bb bb  
 $\kappa_\lambda = -25.1^{+6.8}_{-5.6}$   
 CMS-PAS-HIG-22-006
- WW  $\gamma\gamma$   
 $\kappa_\lambda = 14.8^{+5.5}_{-13.3}$   
 CMS-PAS-HIG-21-014
- bb WW  
 $\kappa_\lambda = 4.2^{+5.3}_{-5.7}$   
 CMS-PAS-HIG-21-005
- bb ZZ ♣  
 $\kappa_\lambda = 2.3^{+5.6}_{-5.4}$   
 Acc. by JHEP (2206.10657)
- Multilepton ♣  
 $\kappa_\lambda = 2.3^{+5.2}_{-5.2}$   
 Acc. by JHEP (2206.10268)
- bb bb ♣  
 $\kappa_\lambda = -0.2^{+9.9}_{-2.8}$   
 Nature 607 (2022) 60
- bb  $\gamma\gamma$  ♣  
 $\kappa_\lambda = 3.6^{+2.8}_{-2.9}$   
 JHEP 03 (2021) 257
- bb  $\tau\tau$  ♣  
 $\kappa_\lambda = -0.2^{+2.5}_{-1.7}$   
 Acc. by PLB (2206.09401)
- Comb. of ♣  
 $\kappa_\lambda = 1.7^{+2.8}_{-1.7}$   
 Nature 607 (2022) 60



# CMS Internal links

