

Rencontres des lacs alpins | January 18<sup>th</sup> 2024

# Cosmic shear: from DES to Rubin/LSST

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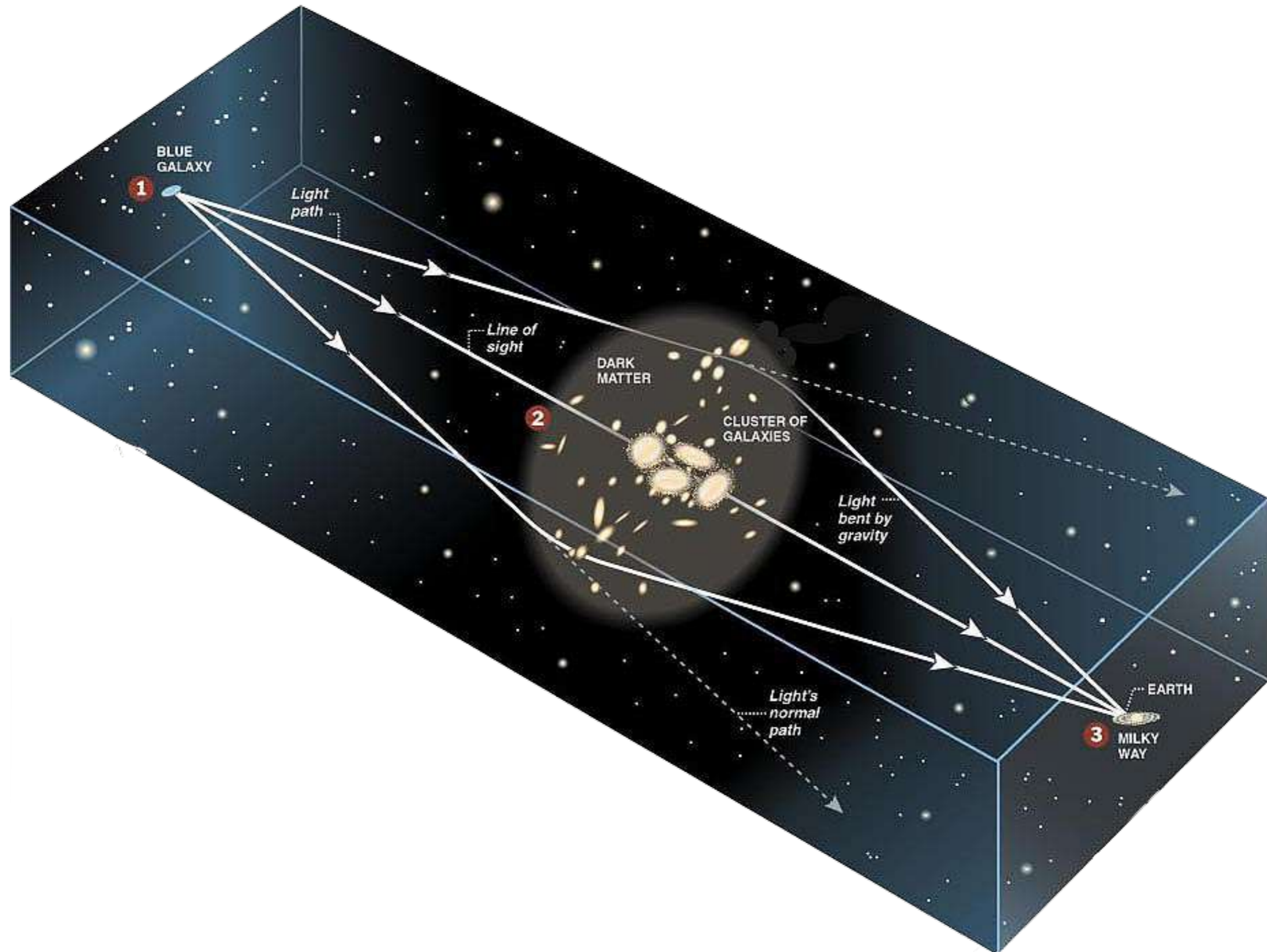


GRENOBLE | MODANE



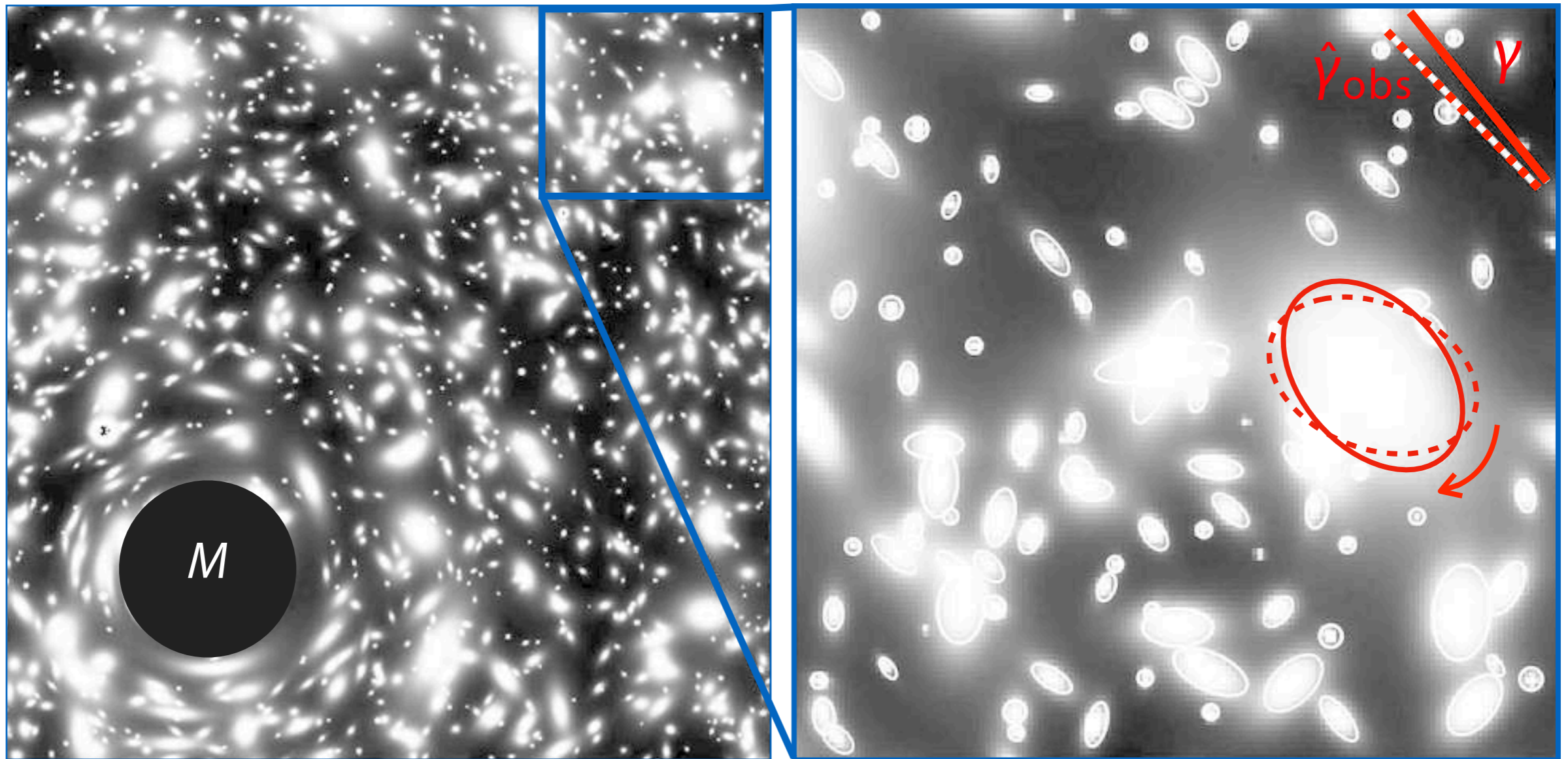
- ▶ Cosmic shear 101
- ▶ Cosmic shear in practice: DES analysis
- ▶ Cosmic shear with LSST: new challenges

# Weak gravitational lensing



# Weak gravitational lensing

## Cosmic shear

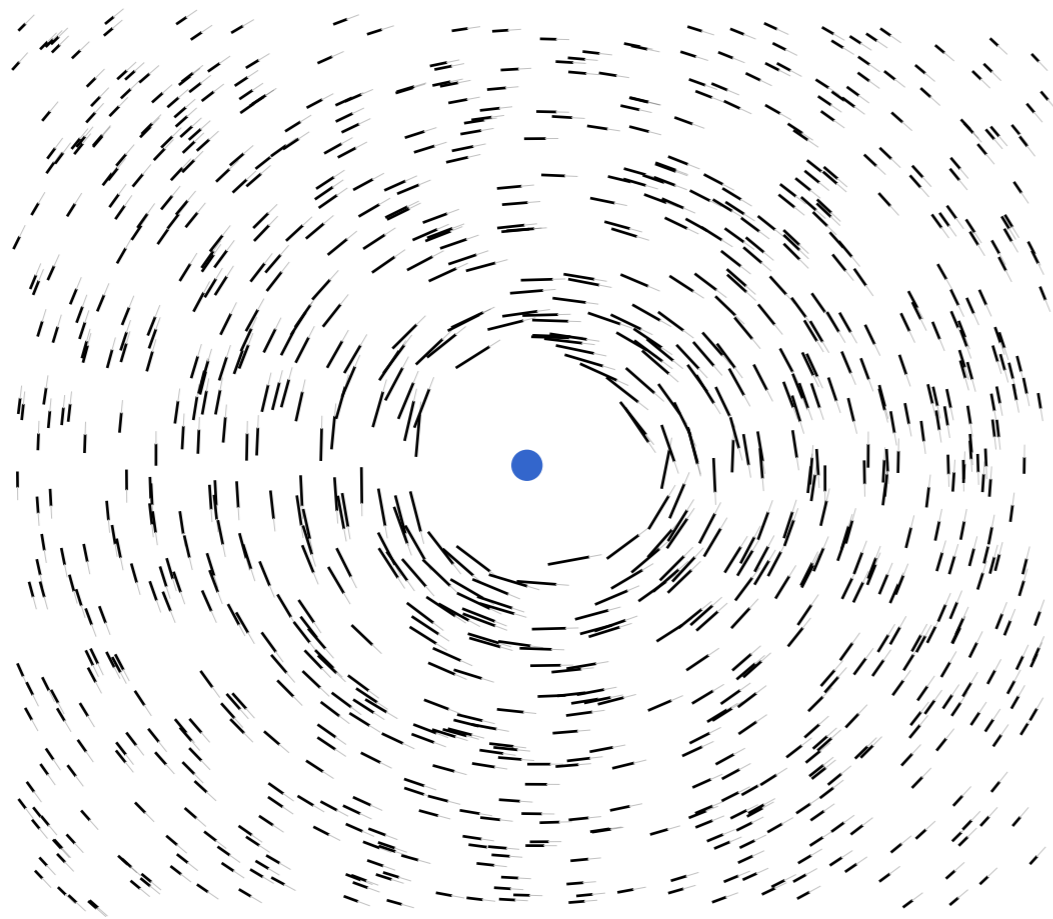


In practice,  $|\gamma| \sim 0.01$  (in the field) to 0.1 (in clusters)

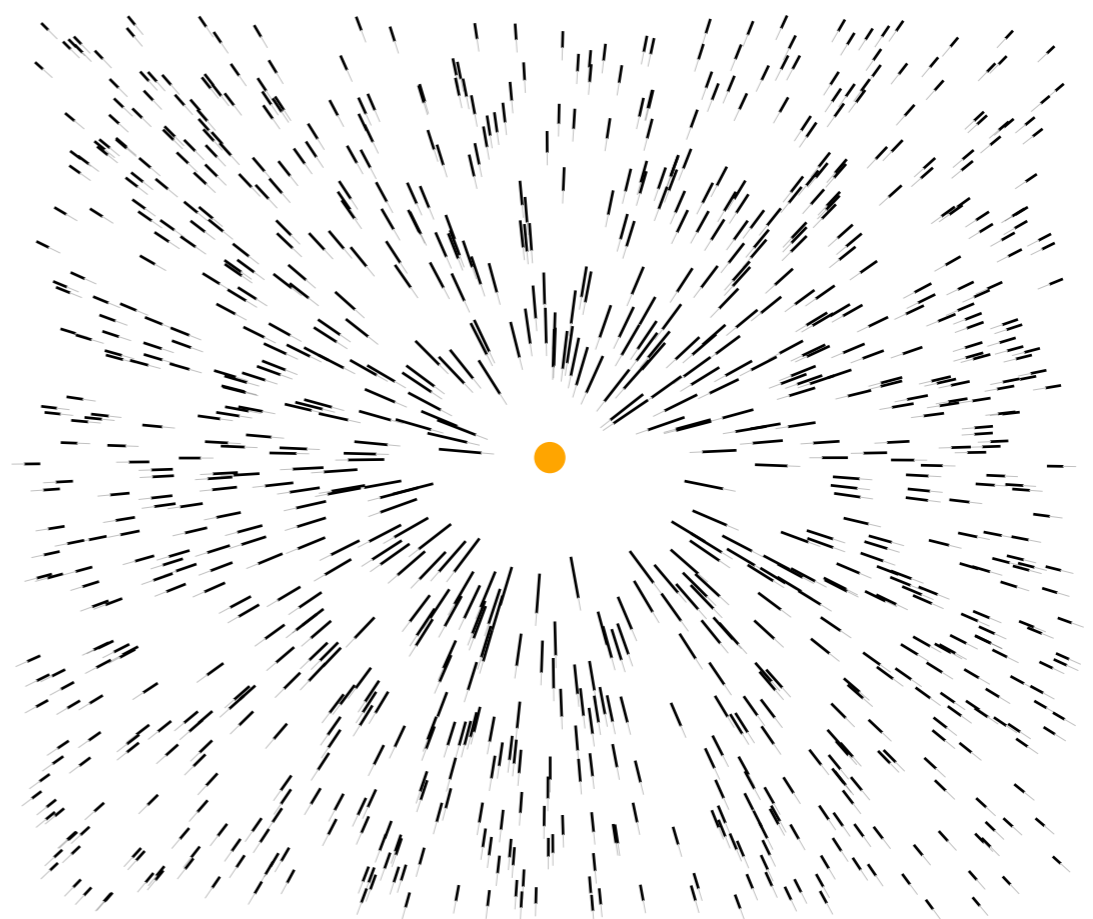
# Weak gravitational lensing

## Cosmic shear

Over-density



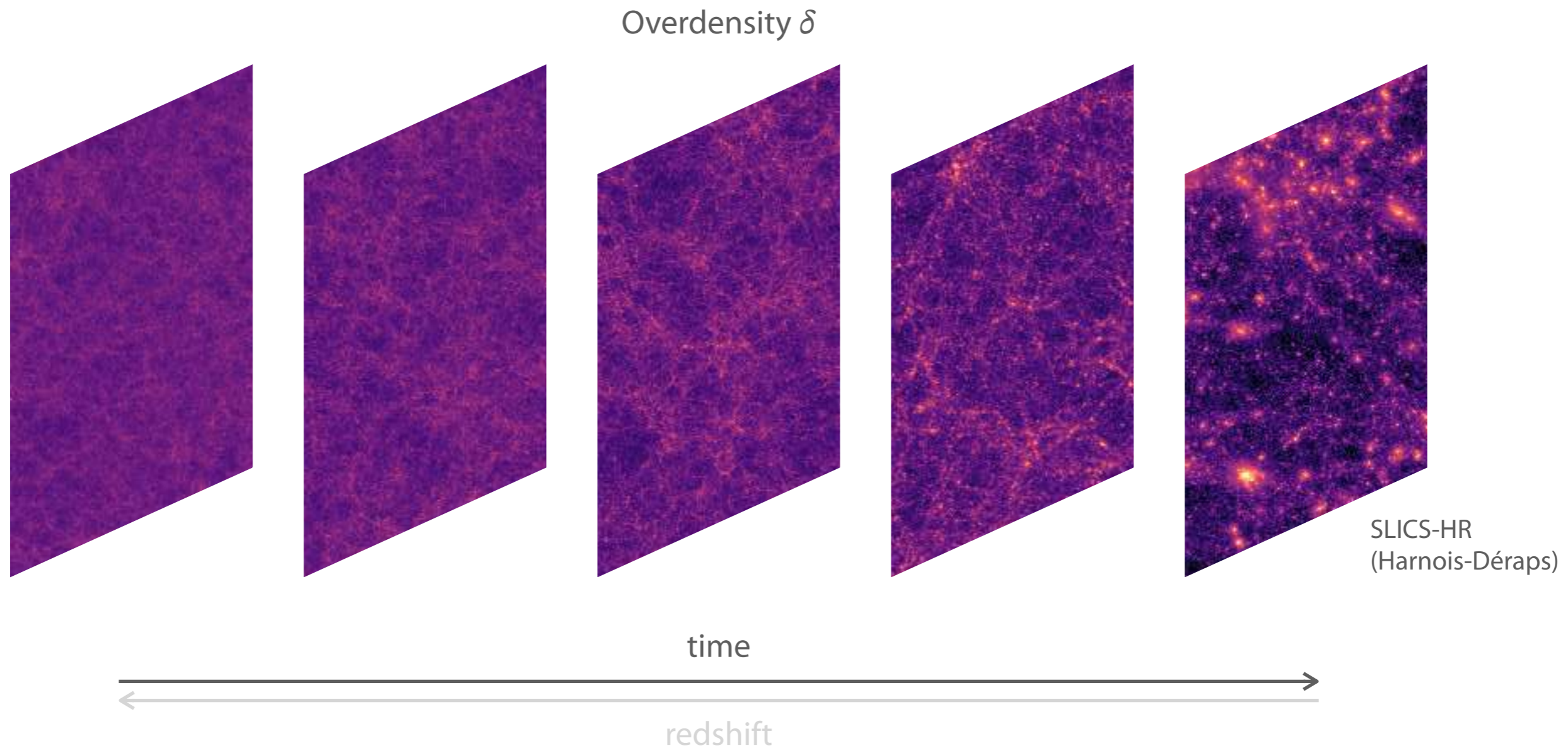
Under-density



\* Lengths do not scale

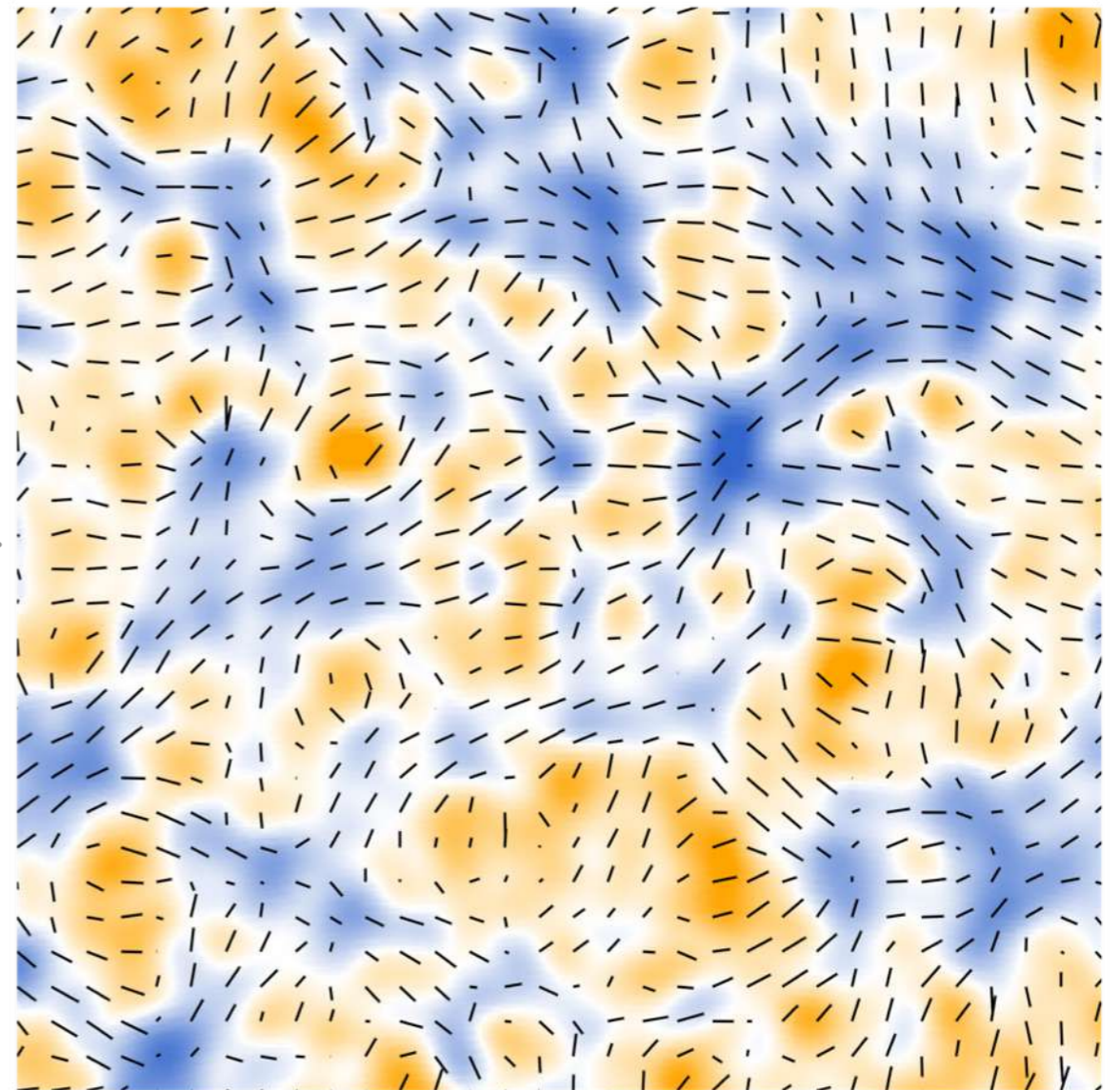
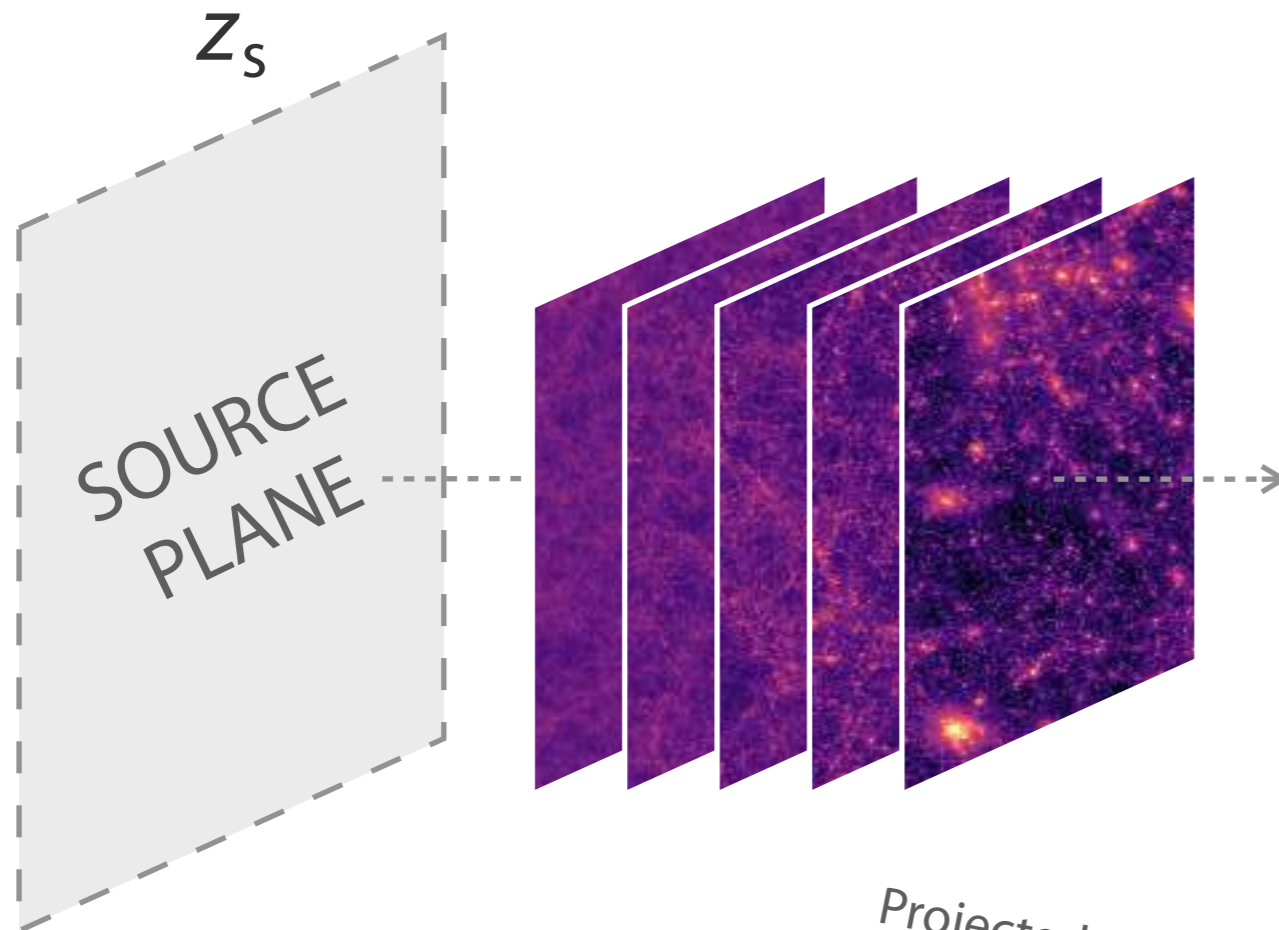
# Weak gravitational lensing

## A large-scale structure probe



# Weak gravitational lensing

## A large-scale structure probe



SLICS-HR  
(Harnois-Déraps)

$$\kappa = \frac{1}{4}(\partial\bar{\partial} + \bar{\partial}\partial)\psi$$
$$\gamma = \gamma_1 + i\gamma_2 = \frac{1}{2}\partial\bar{\partial}\psi$$

Projected gravitational potential

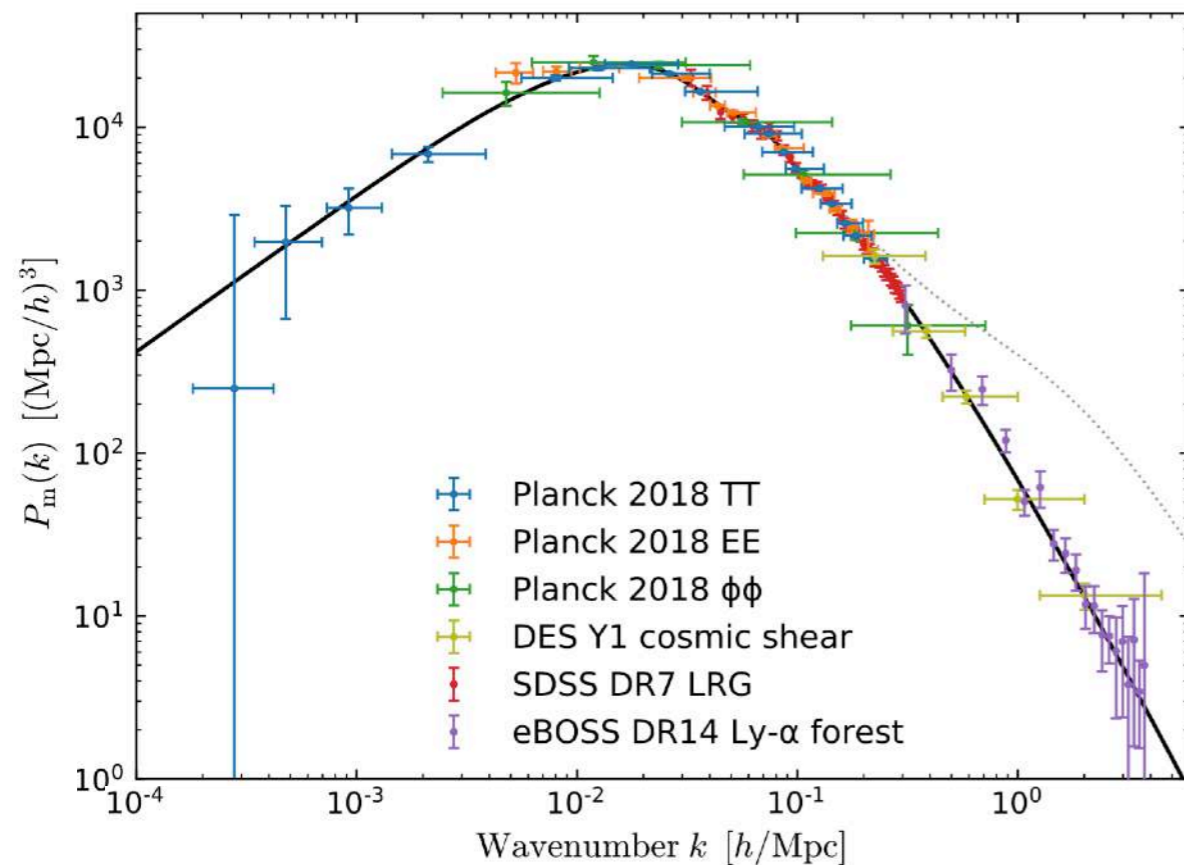
$$\kappa(\theta) = \int dz W^{\kappa}(z, z_s)\delta(\theta, z)$$

# Cosmic shear power spectrum

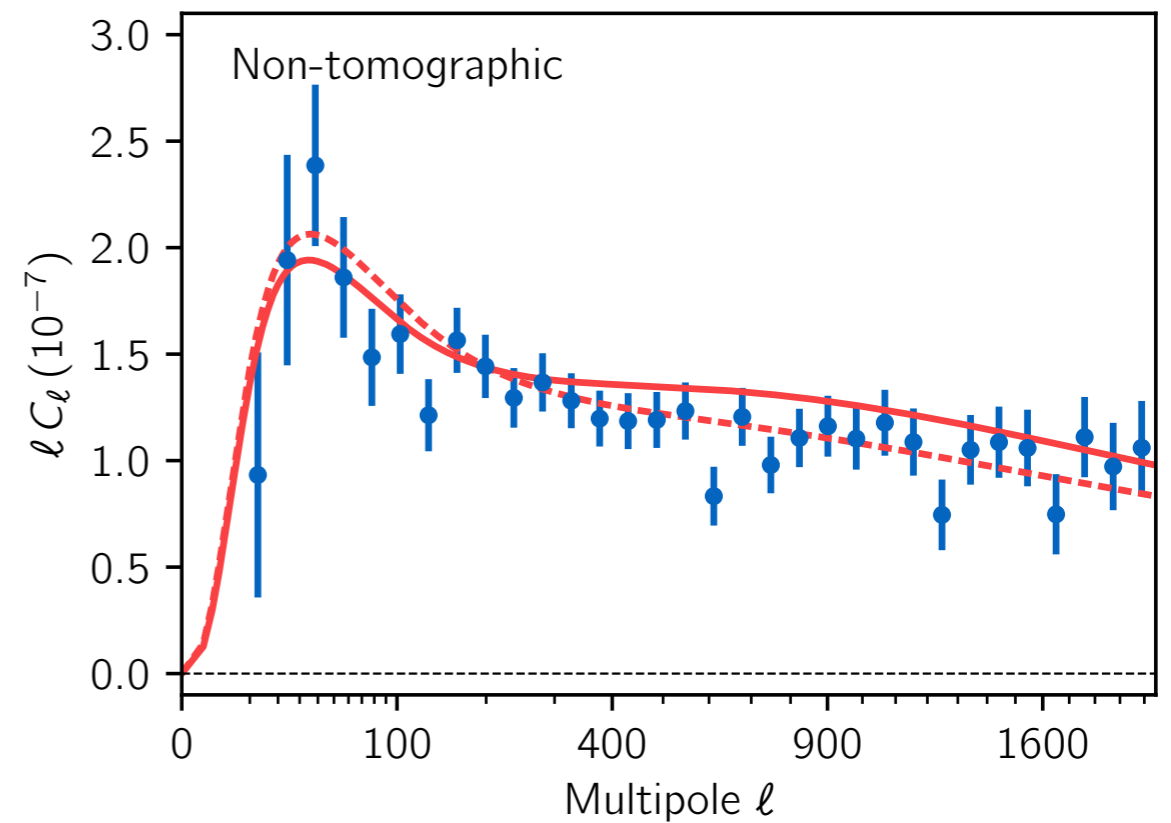
$$C_{\ell}^{\gamma_a \gamma_b} = \int_0^{z_{\star}} dz \frac{H(z)}{c \chi(z)} W^a(z) W^b(z) P_m \left( k = \frac{\ell + 1/2}{\chi(z)}, z \right)$$

GEOMETRY
GROWTH

Matter power spectrum



Cosmic shear power spectrum

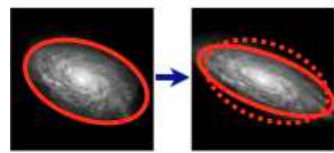


The cosmic shear power spectrum is a *projection* of the matter power spectrum !

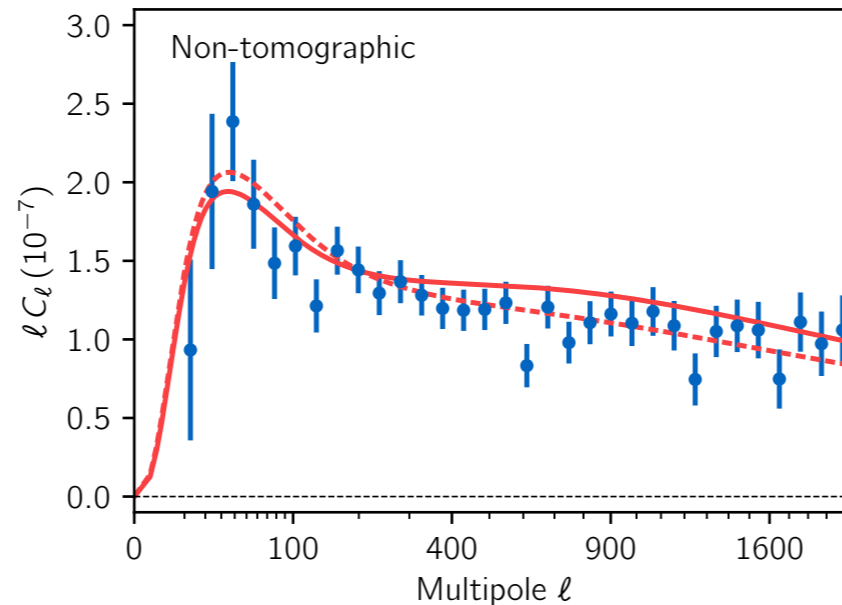


# Cosmic shear pipeline

## STATISTICS



ELLIPTICITIES  
 $e_1/e_2$



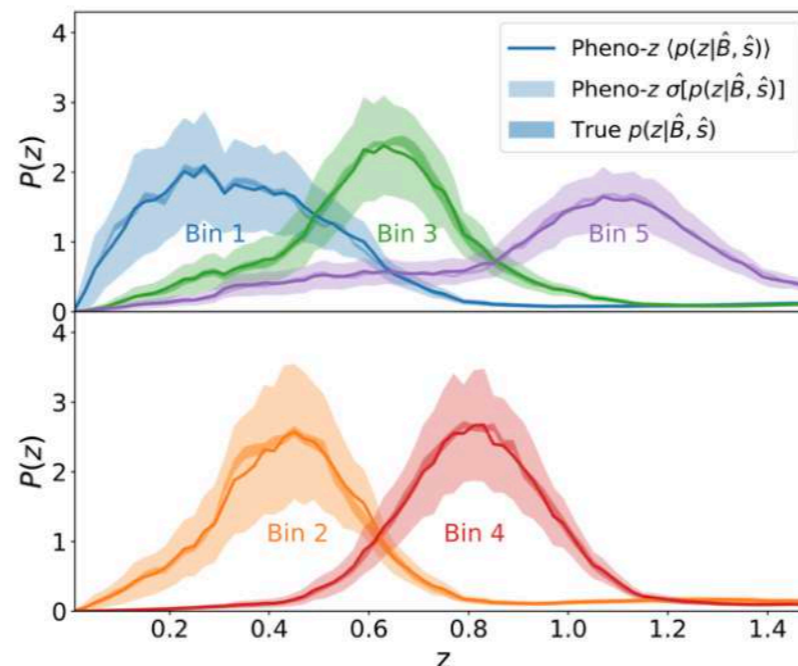
## COSMOLOGICAL SIGNAL

- Matter power spectrum  $P_{\text{NL}}$
- Lensing window functions  $q^i$

$$C_\ell^{ij} = \int_0^{X_H} dX \frac{q^i(X)q^j(X)}{X^2} P_{\text{NL}}\left(k = \frac{\ell + 1/2}{X}, X\right)$$

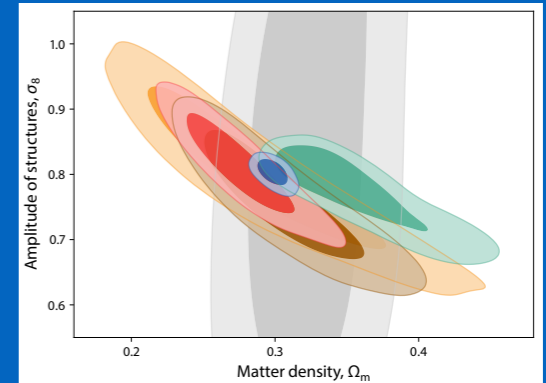
OBSERVATIONS

## REDSHIFT DISTRIBUTIONS



FLUXES  
*griz*

COSMOLOGICAL  
PARAMETERS



## SYSTEMATIC UNCERTAINTIES

- Shear calibration  $m_i$
- Redshift uncertainties  $\Delta z_i$
- Intrinsic alignments model

# Cosmic shear

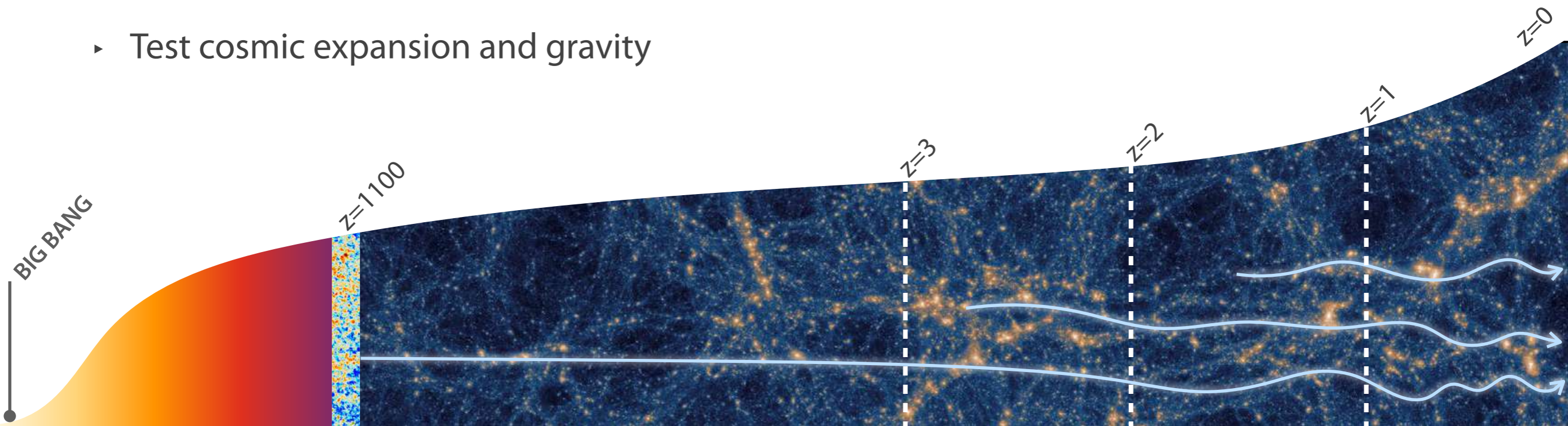
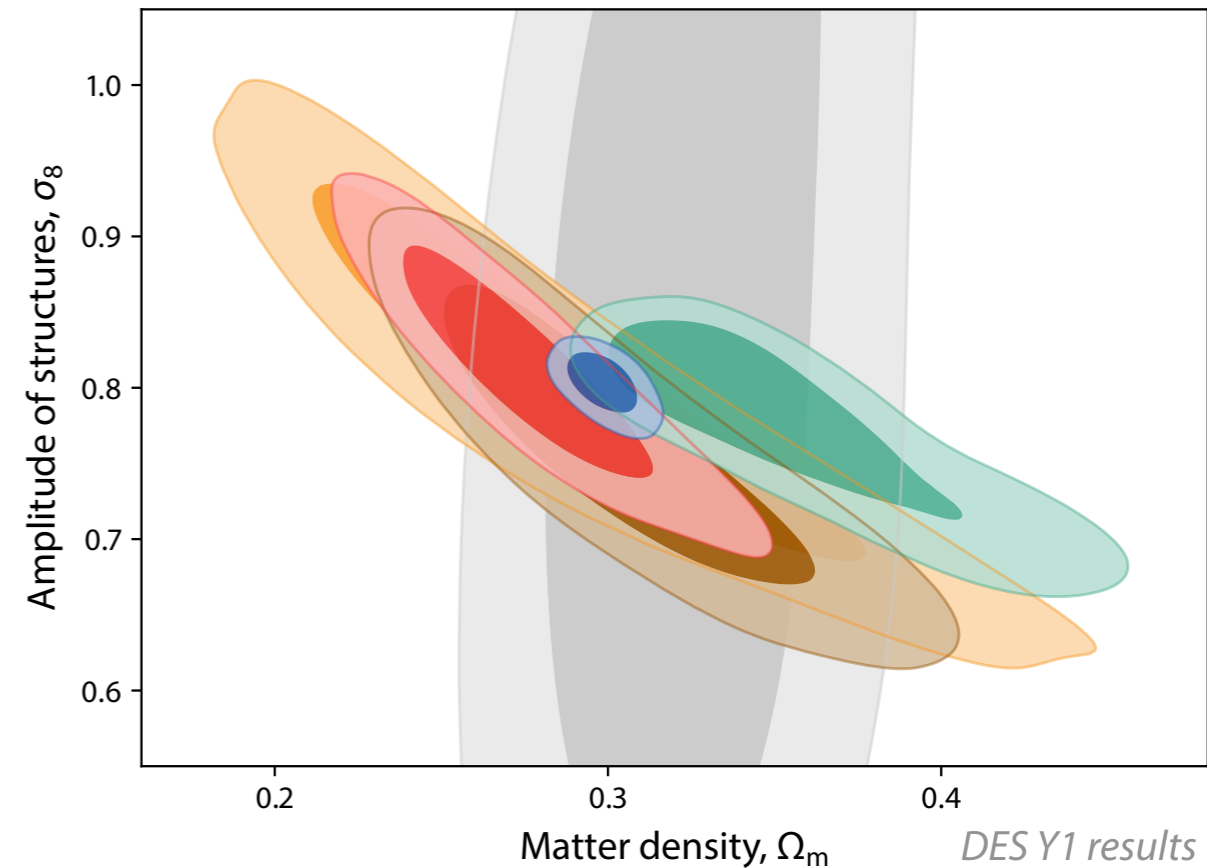
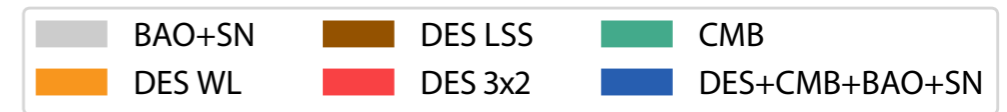
## A dark energy probe

### ▶ Current $\Lambda$ CDM paradigm

- ▶ CMB + BAO + SNIa predict flat  $\Lambda$ CDM...
- ▶ Nature of dark matter and dark energy?
- ▶ Tensions in  $H_0$  and  $\sigma_8$  : cracks in the model?

### ▶ Cosmic shear and dark energy

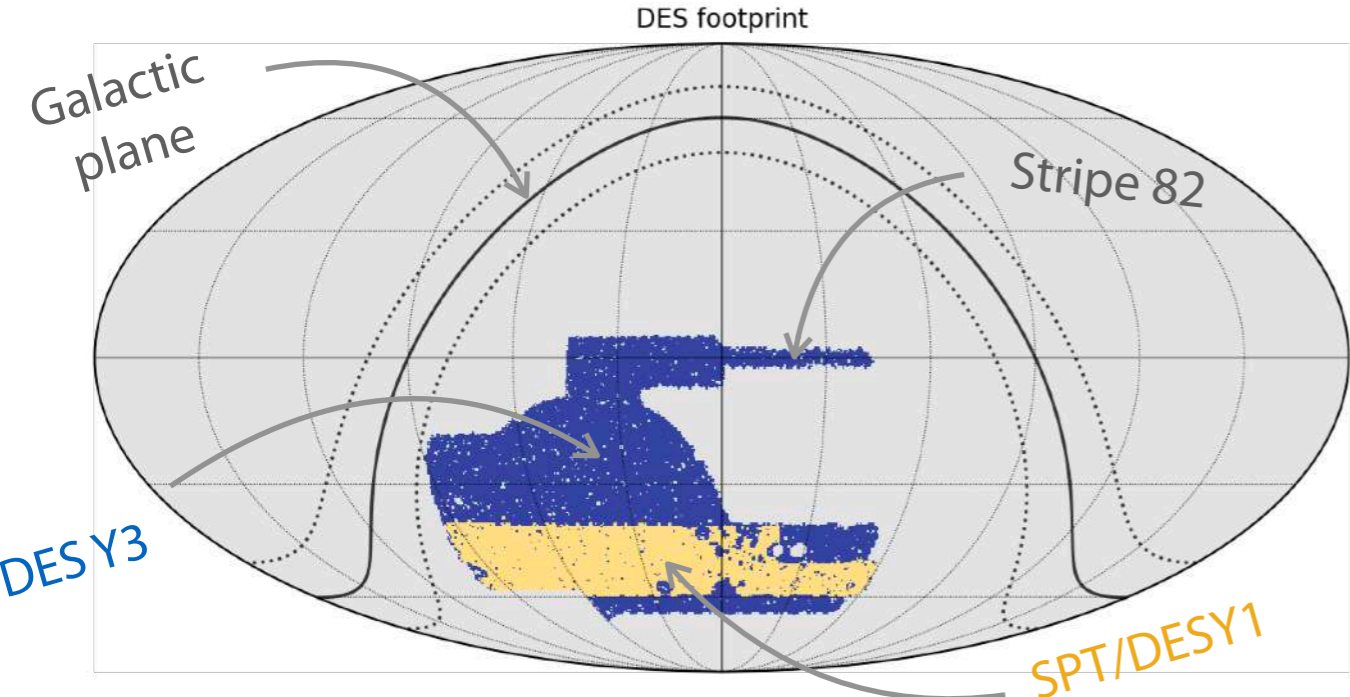
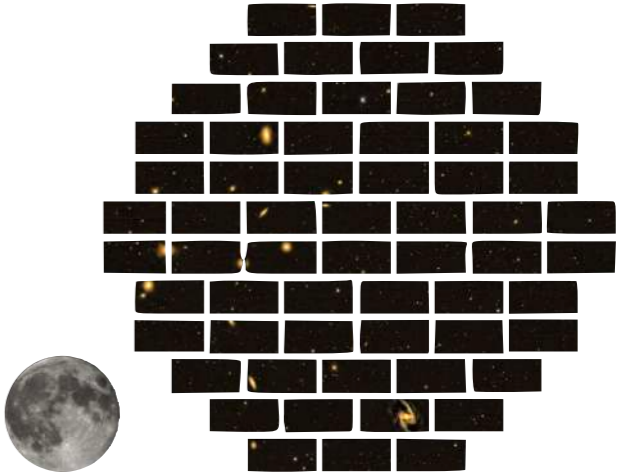
- ▶ Test growth of structure vs geometry
- ▶ Test cosmic expansion and gravity



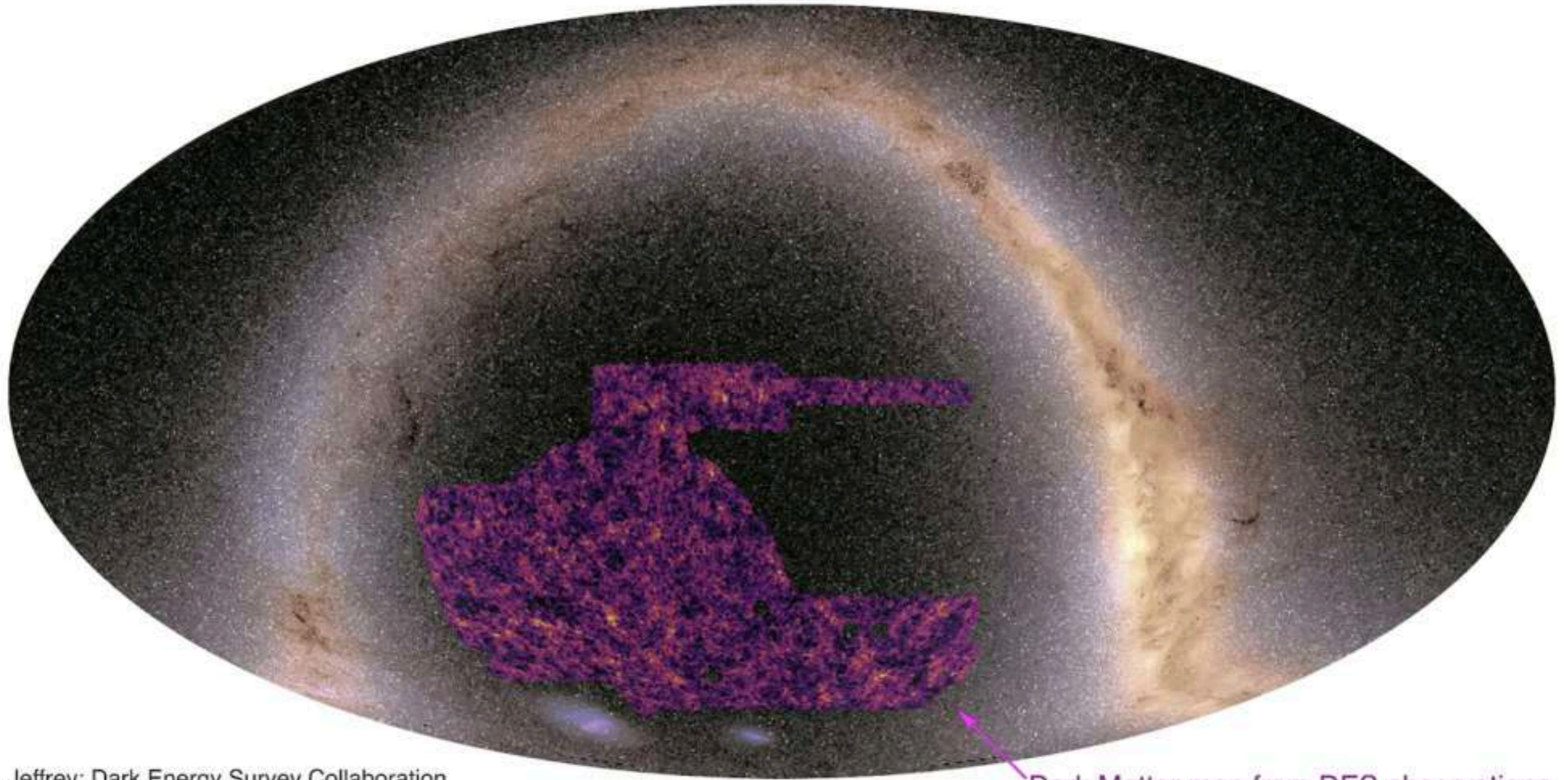
- ▶ Cosmic shear 101
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- ▶ Cosmic shear with LSST: new challenges

# The Dark Energy Survey

- ▶ **Blanco 4-meter telescope** at Cerro Tololo (CTIO) in Chile
- ▶ **Dark Energy Camera (DECam)**
  - ▶ 3.0 deg<sup>2</sup> field-of-view, 70 CCD chips, 570 Mpix, *griz(Y)* filters
  - ▶ Seeing ~0.9' in *r*-band, magnitude  $i_{AB} < 23.0$ ,  $r < 23.5$
- ▶ **Survey(s)**
  - ▶ 5000 deg<sup>2</sup> footprint + **deep fields**, observed 2013-2019



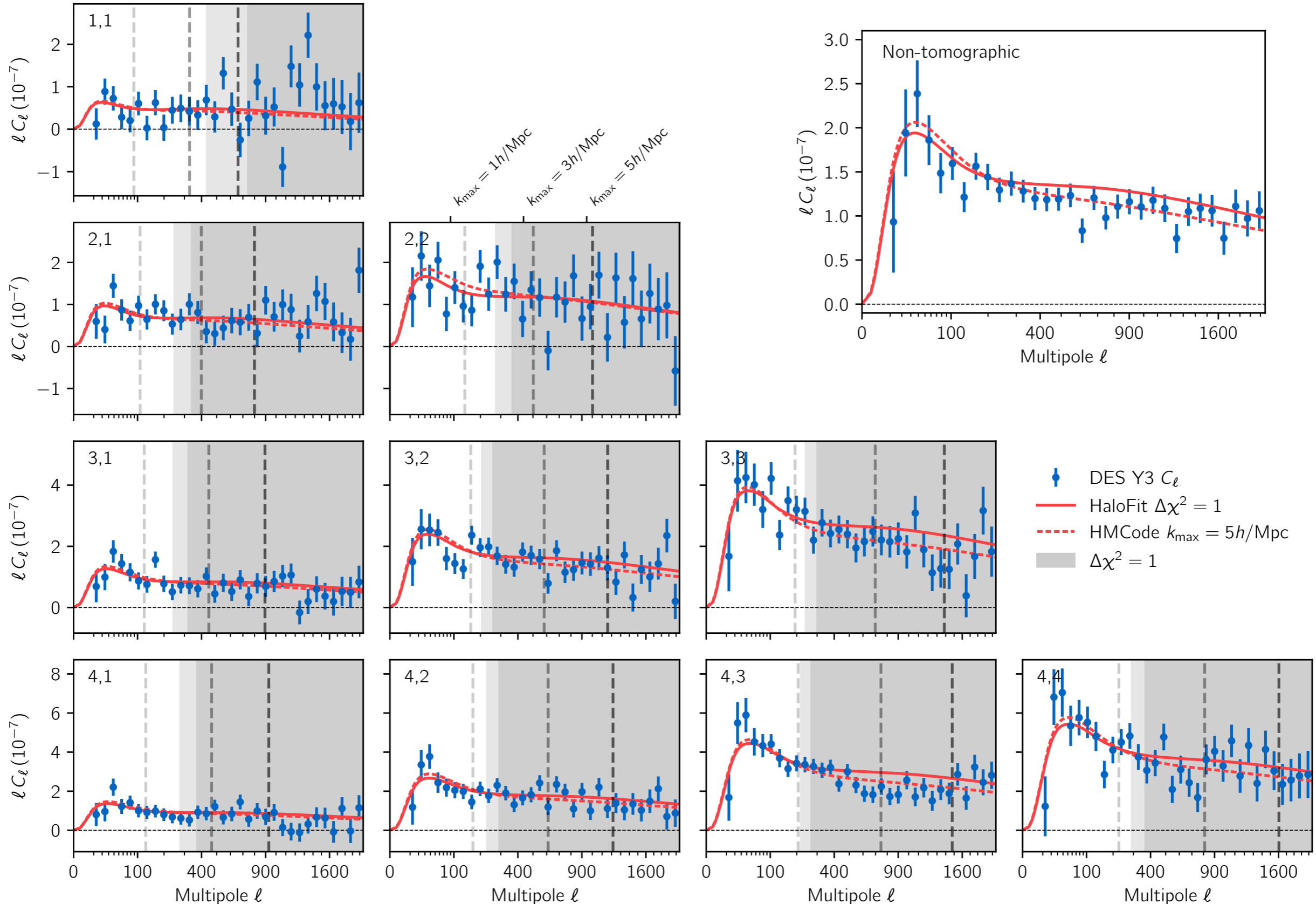
# Dark Energy Survey mass maps



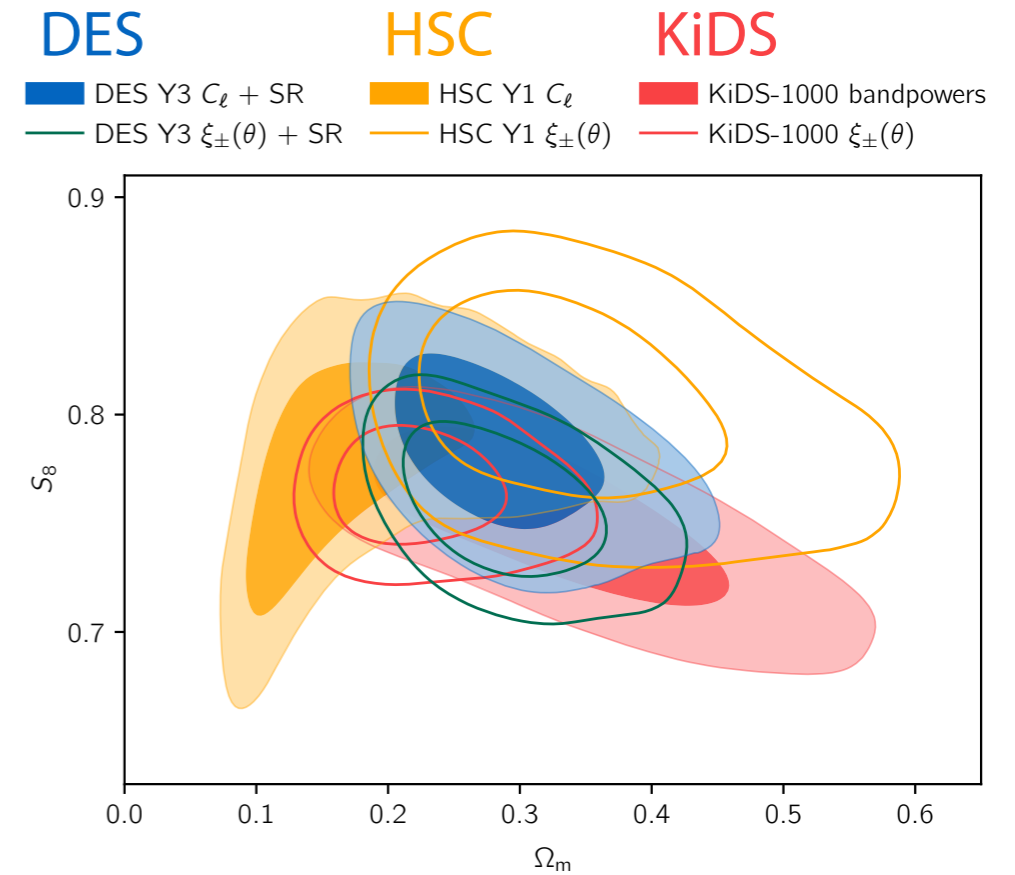
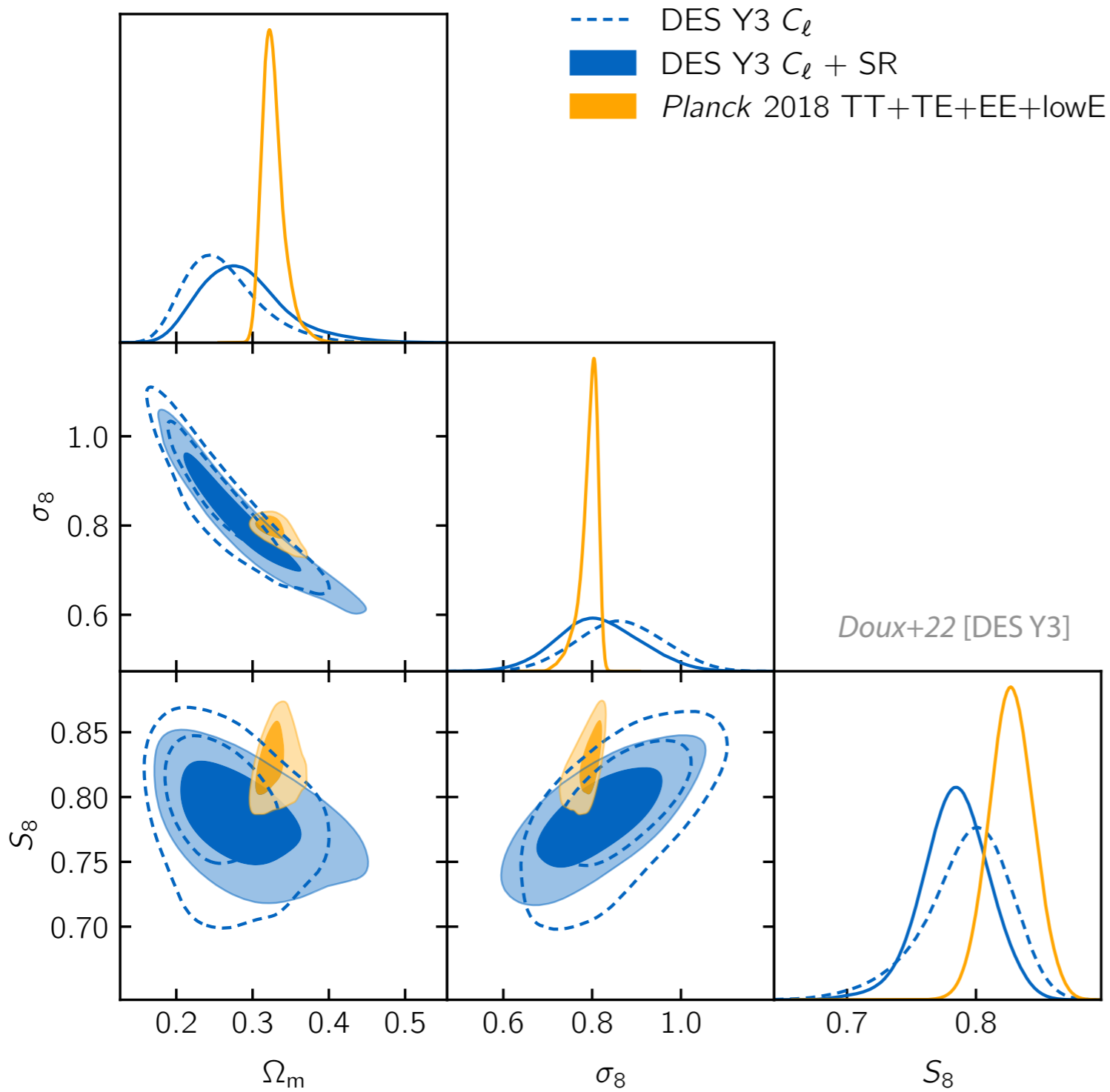
N. Jeffrey; Dark Energy Survey Collaboration

Dark Matter map from DES observations

# DES Y3 cosmic shear power spectra

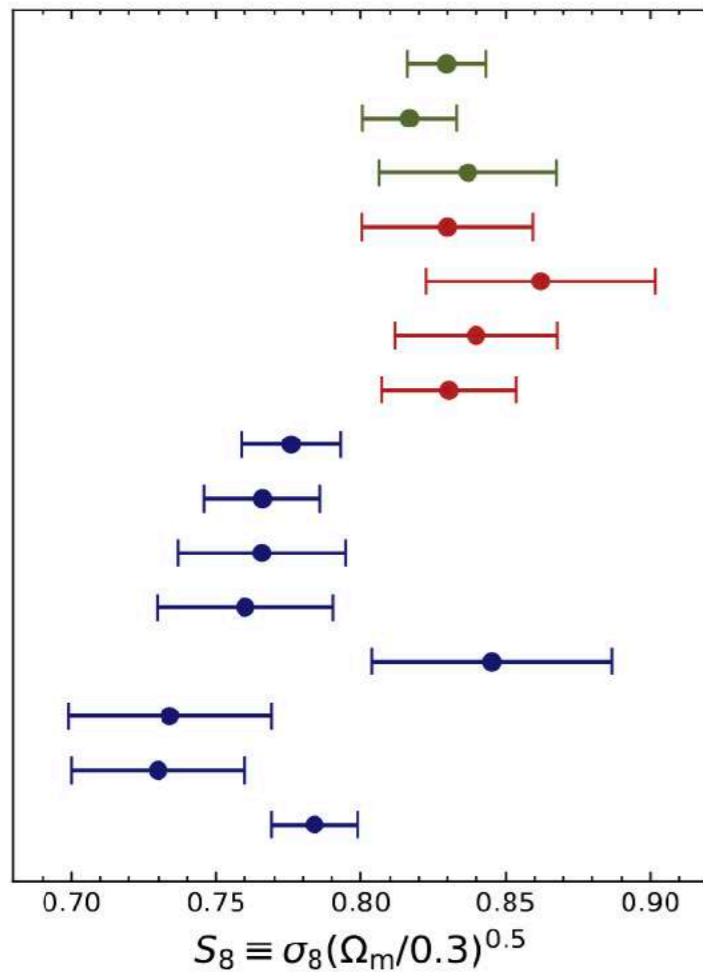


# Cosmological constraints: shear vs CMB



Lensing surveys *consistently* find lower  $S_8$  than Planck CMB

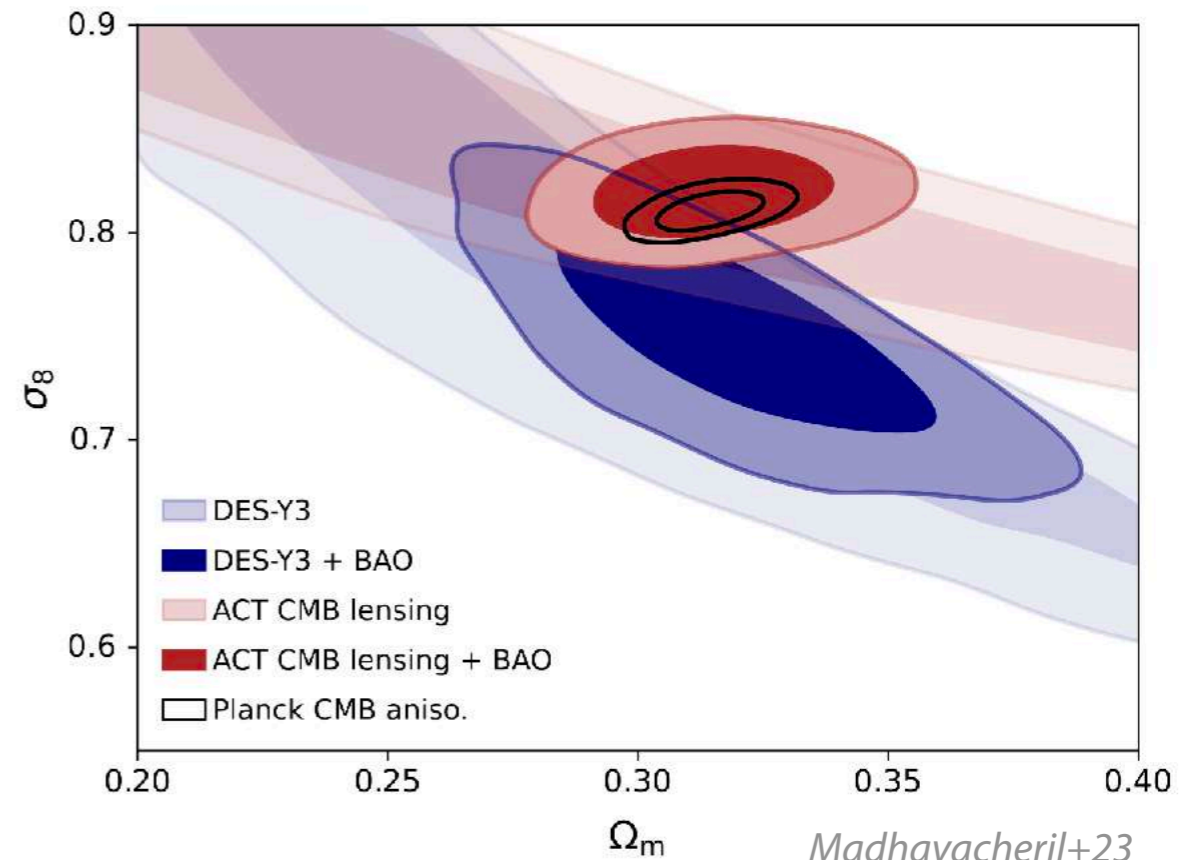
# Galaxy/CMB lensing and the $\sigma_8$ tension



CMB: Planck CMB aniso.  
 CMB: Planck CMB aniso. (+ $A_{\text{lens}}$  marg.)  
 CMB: WMAP+ACT CMB aniso.  
 CMBL: Planck CMB lensing + BAO  
 CMBL: SPT CMB lensing + BAO  
**CMBL: ACT CMB lensing + BAO**  
**CMBL: ACT+Planck CMB lensing + BAO**  
 WL: DES-Y3 galaxy lensing+clustering  
 WL: KiDS-1000 galaxy lensing+clustering  
 HSC-Y3 galaxy lensing (Fourier) + BAO  
 HSC-Y3 galaxy lensing (Real) + BAO  
 GC: eBOSS BAO+RSD  
 CX: SPT/Planck CMB lensing x DES  
 CX: Planck CMB lensing x DESI LRG  
 CX: Planck CMB lensing x unWISE

► Late-time Universe appears more *clumpy* than expected from the CMB

1. Unknown systematics?
2. Theory predictions off?
3. New physics?



Madhavacheril+23



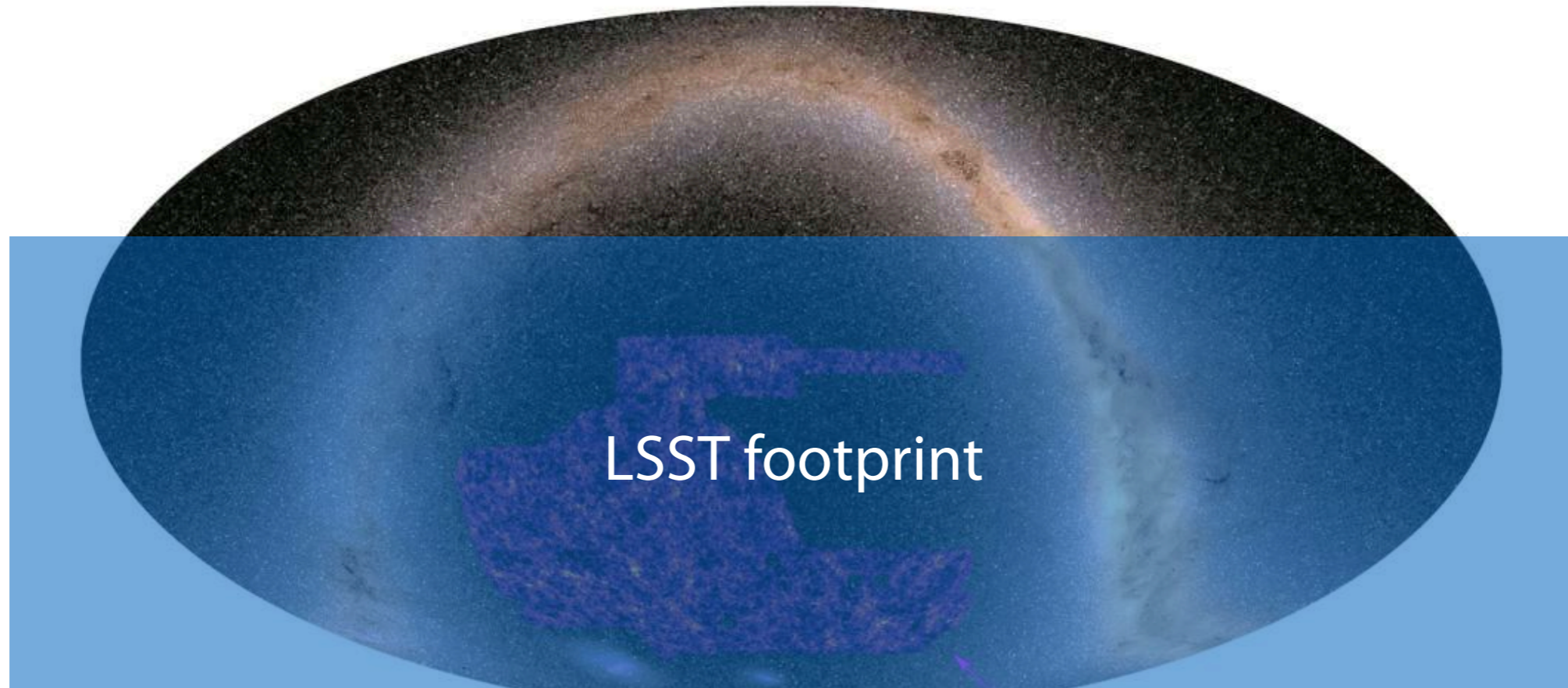
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# DES vs LSST

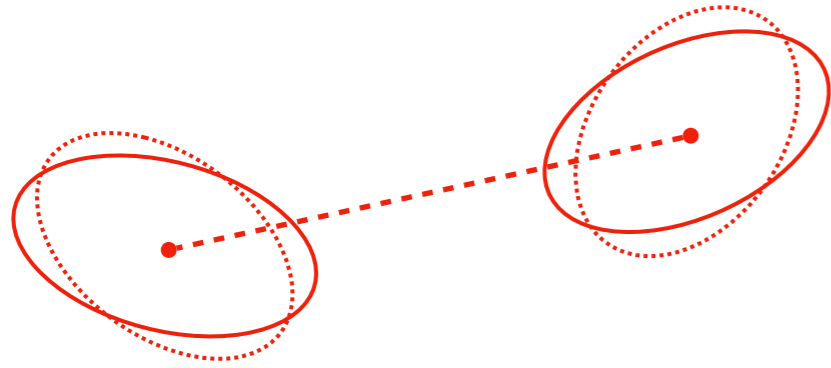


N. Jeffrey; Dark Energy Survey Collaboration

Dark Matter map from DES observations

	DES	LSST
Dates	2013-2019	2025-2035
Footprint	5000 deg <sup>2</sup>	18000 deg <sup>2</sup>
Galaxies for WL	150 millions	Few billions
Density for WL	6 gal/arcmin <sup>2</sup>	30 gal/arcmin <sup>2</sup>

# Intrinsic alignments

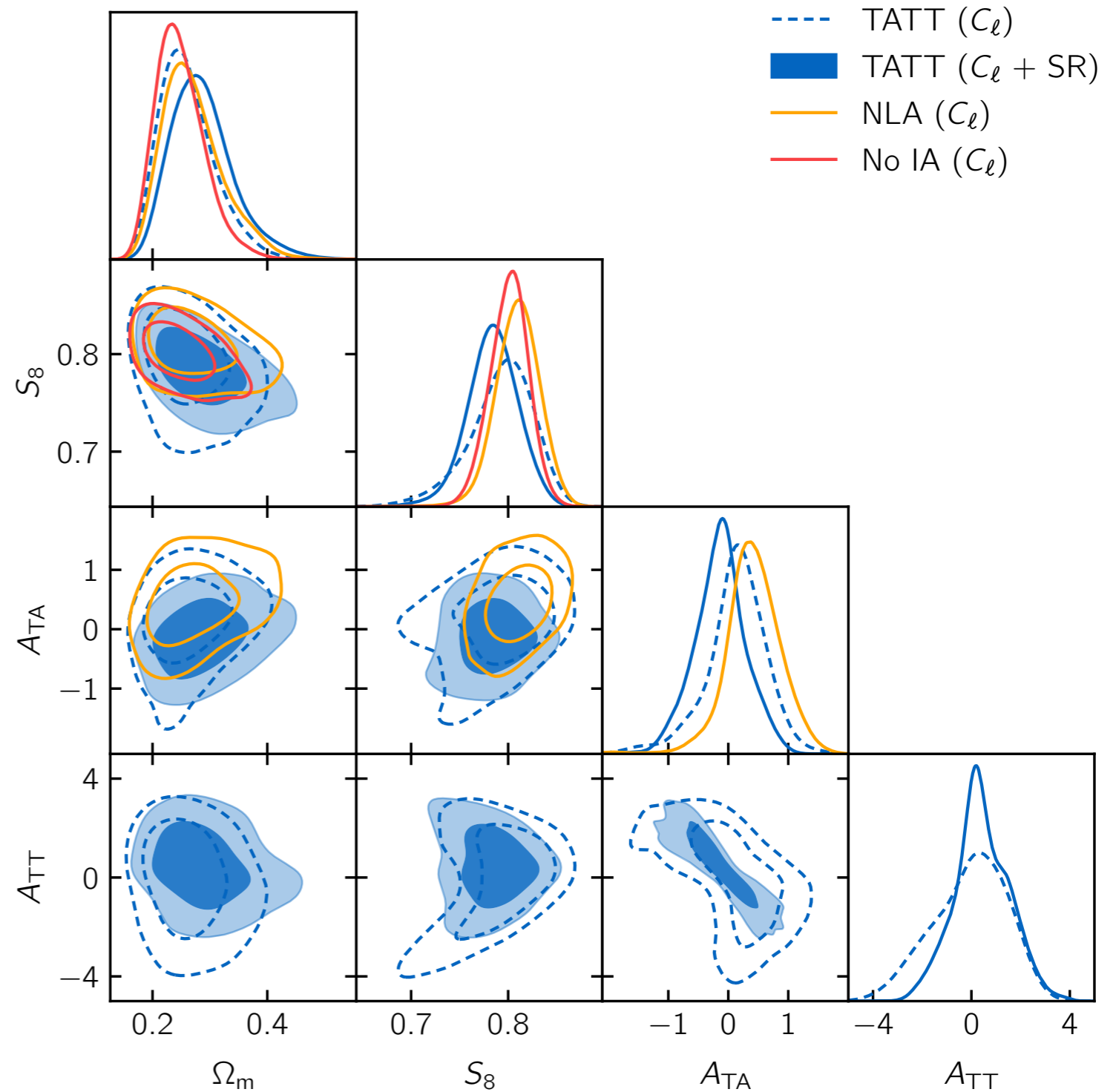


## ► IA modelling

- Tidal alignment (TA)  $\propto A_{TA}$
- Tidal torquing (TT)  $\propto A_{TT}$

## ► DES Y3 results

- Degeneracy partially broken by geometric *shear ratios*
- More complex model (TATT) not favored by data over simpler one (NLA)



Doux+22 [DES Y3]

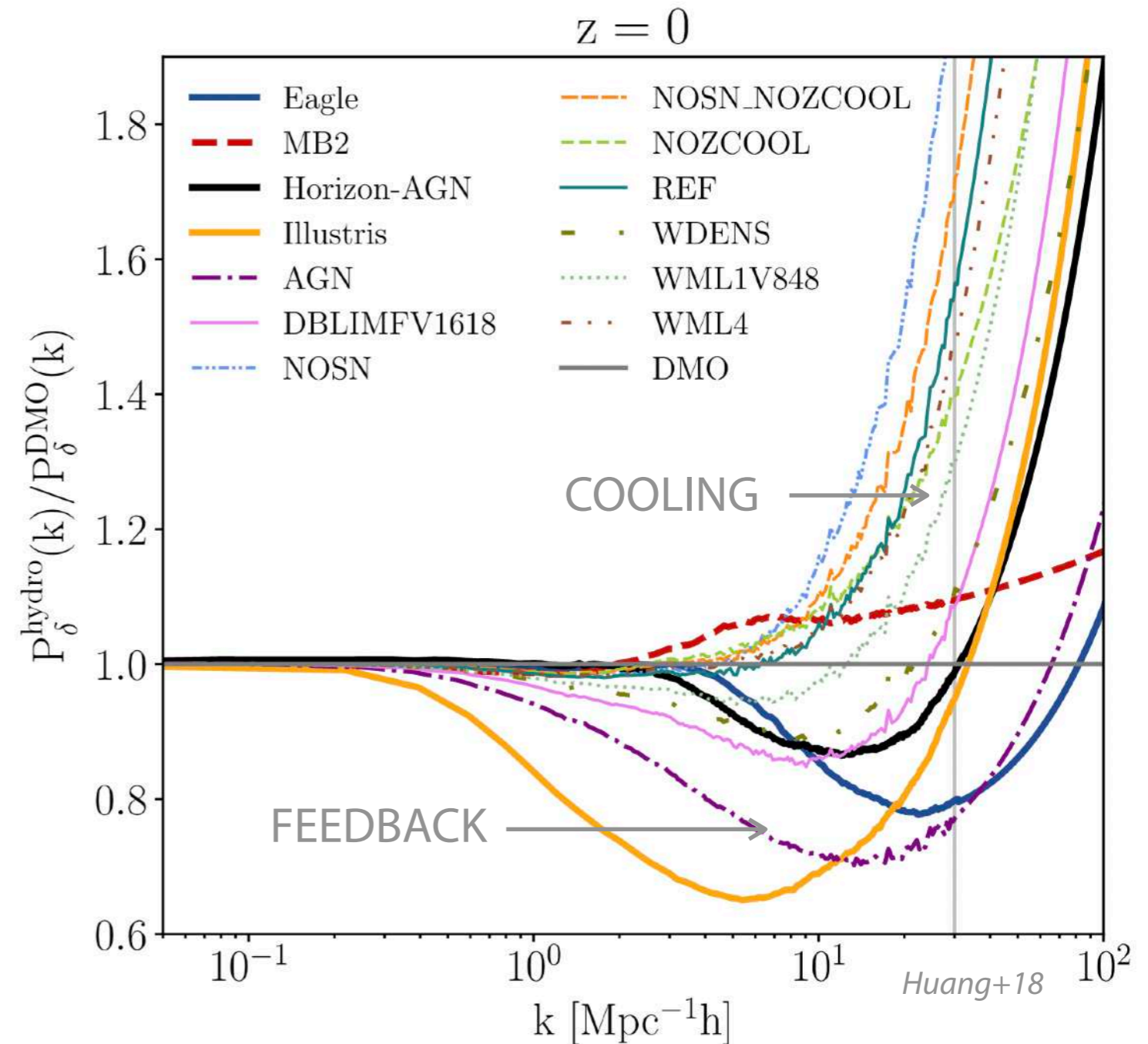
# Impact of baryons

## ► Baryonic effects?

- Feedback from AGN and SN explosions, cooling mechanism
- Redistribute matter

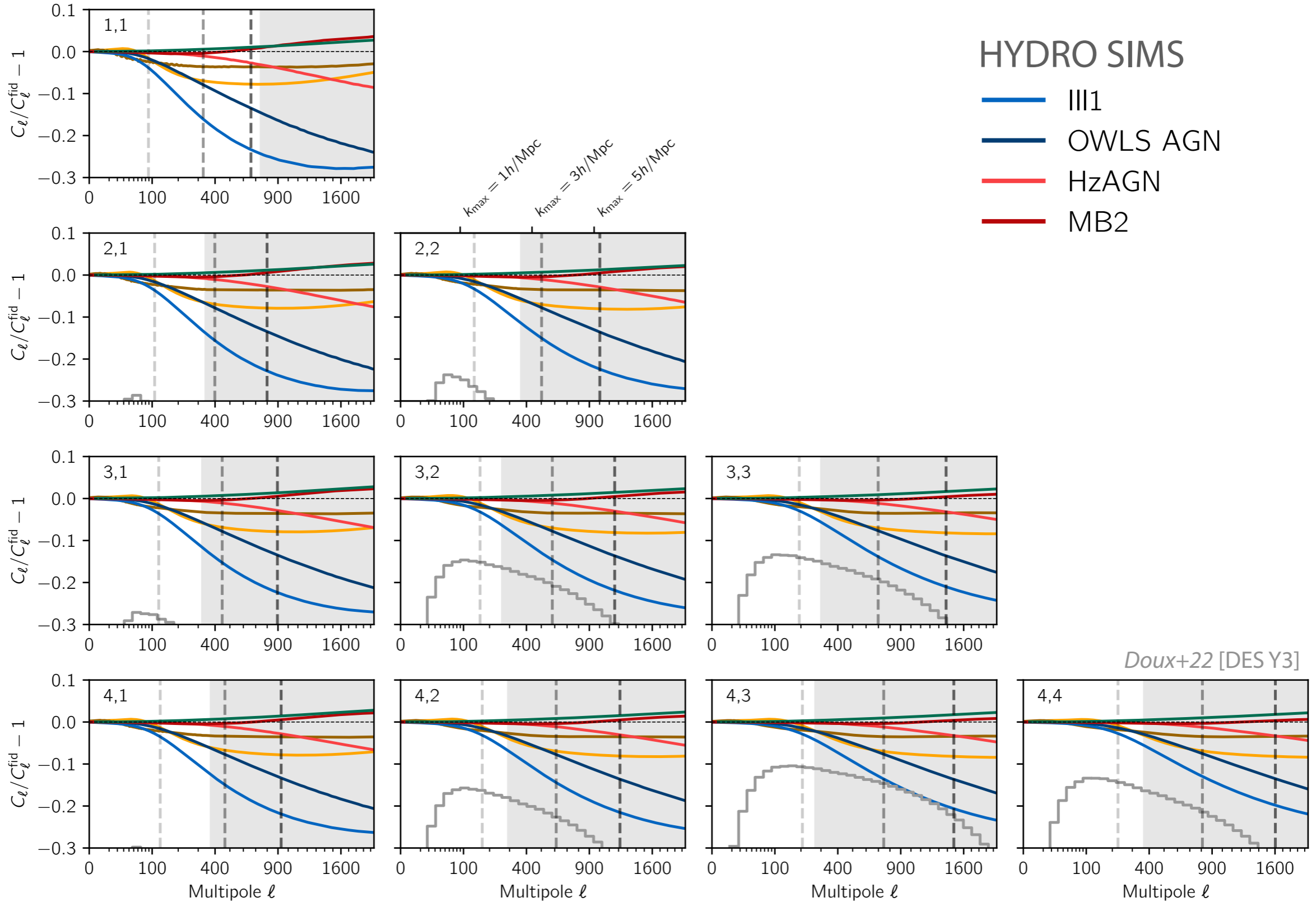
## ► Impact on the power spectrum

- Broooooaaaad variations across hydrodynamical simulations...



# Baryons vs scale cuts

POWER SPECTRUM RESIDUALS





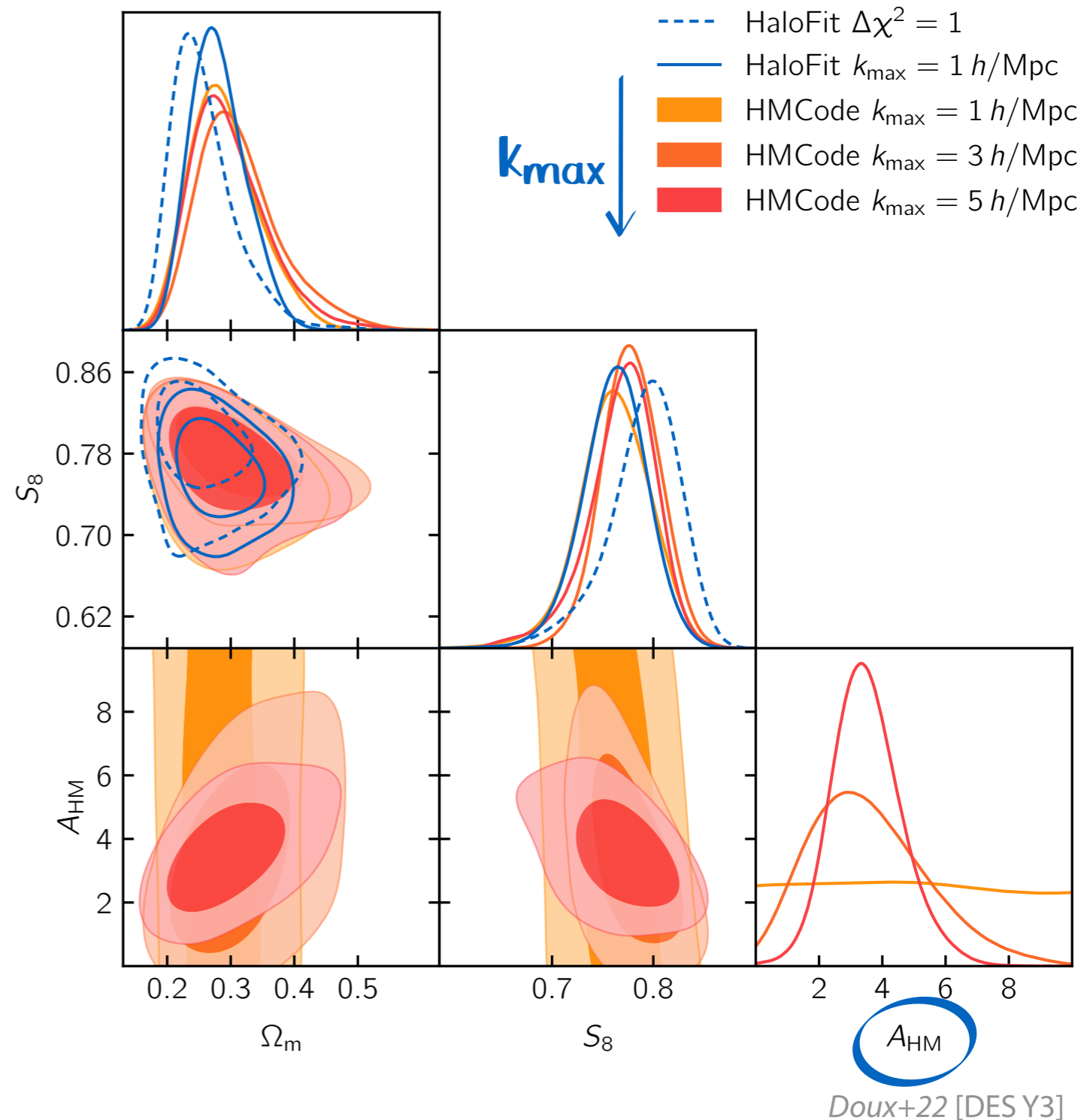
# Baryons vs scale cuts

- ▶ **Discarding small scales?**

- ▶ DES Y3 fiducial approach

- ▶ **Modeling baryons**

- ▶ Halo model of baryonic feedback
- ▶ DES Y3 results: small-scale constraining power goes to baryonic feedback parameter
- ▶ LSST: higher density means extra cosmological information reachable (+cross-correlations with CMB tSZ)



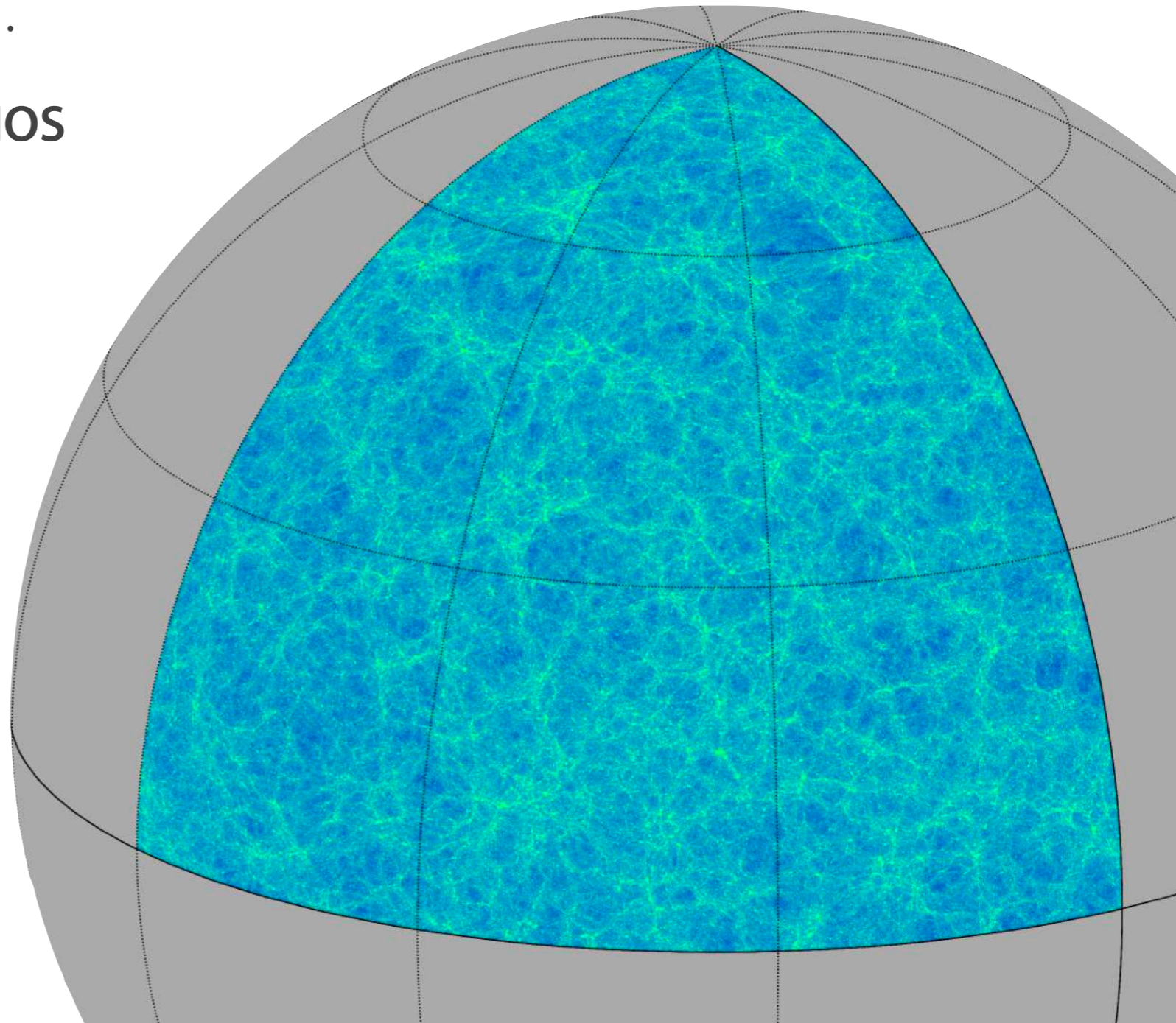
# Beyond two-point statistics

- ▶ **Higher-order statistics?**

- ▶ N-point functions, peaks, voids, 1D PDF, topological features, etc.
- ▶ Theoretical predictions are tricky...

- ▶ **Simulation-based modelling of HOS**

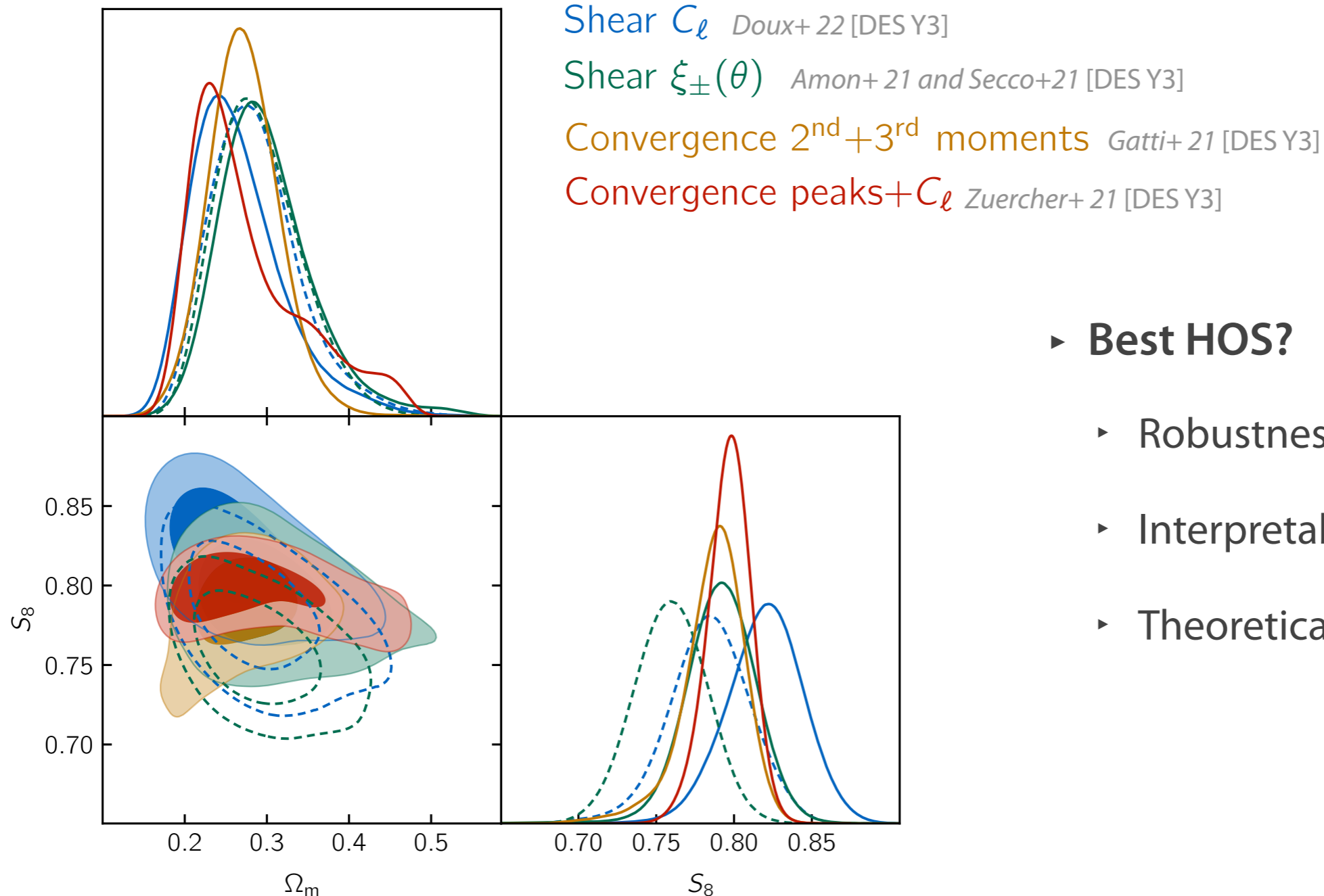
1. Sample parameter space
2. Generate  $N$ -body sims, turn into lightcone and lensing maps
3. Include all known *astrophysical uncertainties* and *observational systematics*...
4. Measure HOS on sims and “compare” to data!



# Beyond two-point statistics

## ► What's the point?

- DES Y3 ~30% improvement → factor 2 (or more) for LSST/Euclid?



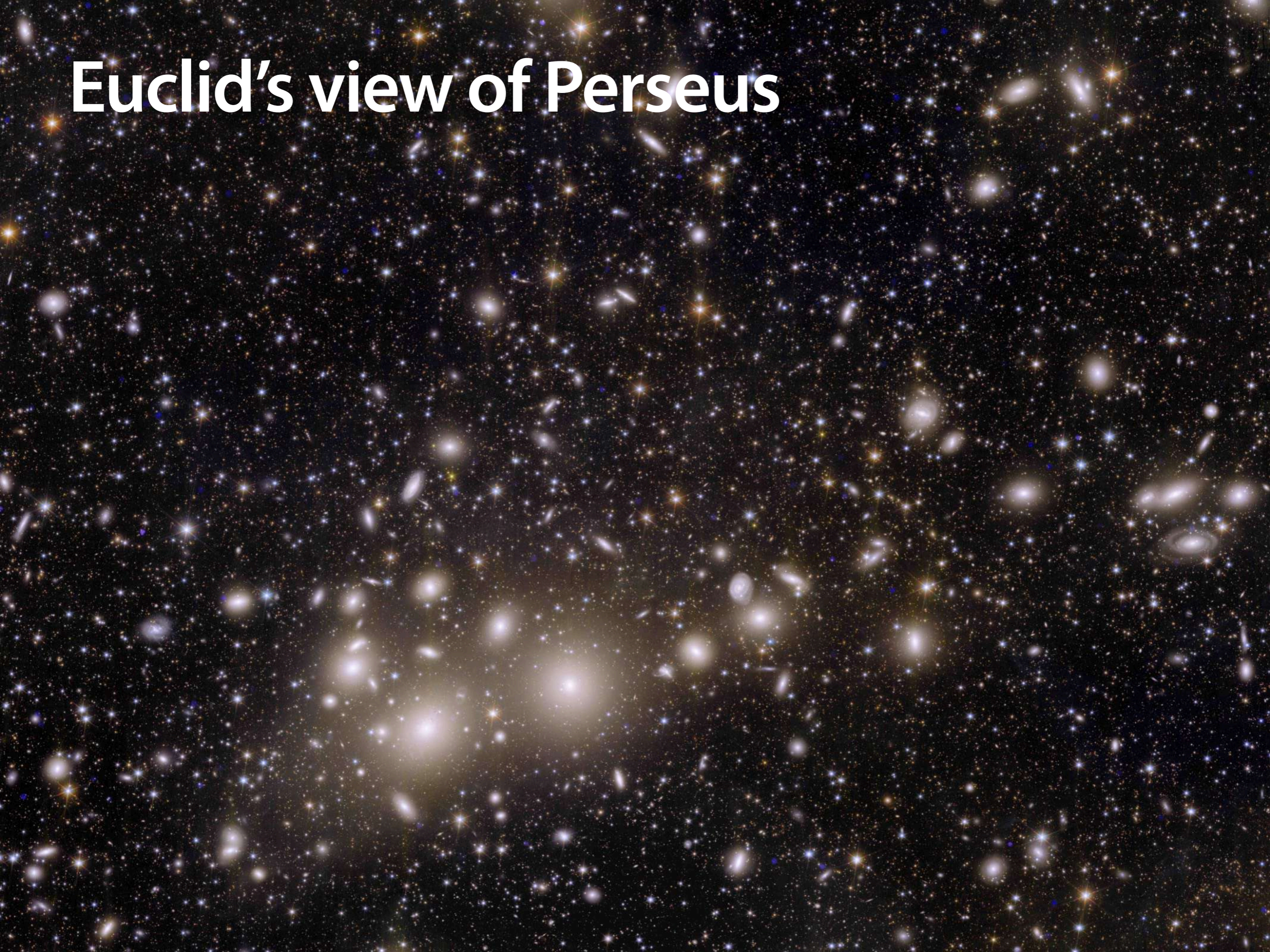
## ► Best HOS?

- Robustness to systematics? 😊
- Interpretability? CNNs 😱
- Theoretical predictions? 🤔

# A preview of Rubin data from HSC...

62% of galaxies blended (Sanchez+21)

# Euclid's view of Perseus



# Take-away messages

1. Galaxy weak lensing allows to test  $\Lambda$ CDM+GR
2. Current constraints on  $\sigma_8$  on par with CMB constraints, with mild tension
3. Many challenges and opportunities with future surveys

A night sky photograph featuring the Milky Way galaxy. Two observatory domes are visible in the foreground. The dome on the right is illuminated with a red light, while the one on the left is in silhouette. The sky is filled with stars and the bright band of the Milky Way.

Thanks!

Back-up slides



# METACALIBRATION/METADETECT in a nutshell

## ► Recipe

1. For any *biased* shear estimator  $\mathbf{e}$ ,

$$\mathbf{e} = \mathbf{e}|_{\gamma=0} + \underbrace{\gamma \cdot \frac{\partial \mathbf{e}}{\partial \gamma}}_{\mathbf{R}_\gamma} \Big|_{\gamma=0} + \mathcal{O}(\gamma^3)$$

2. Response  $\mathbf{R}_\gamma$  estimated by applying shear to images

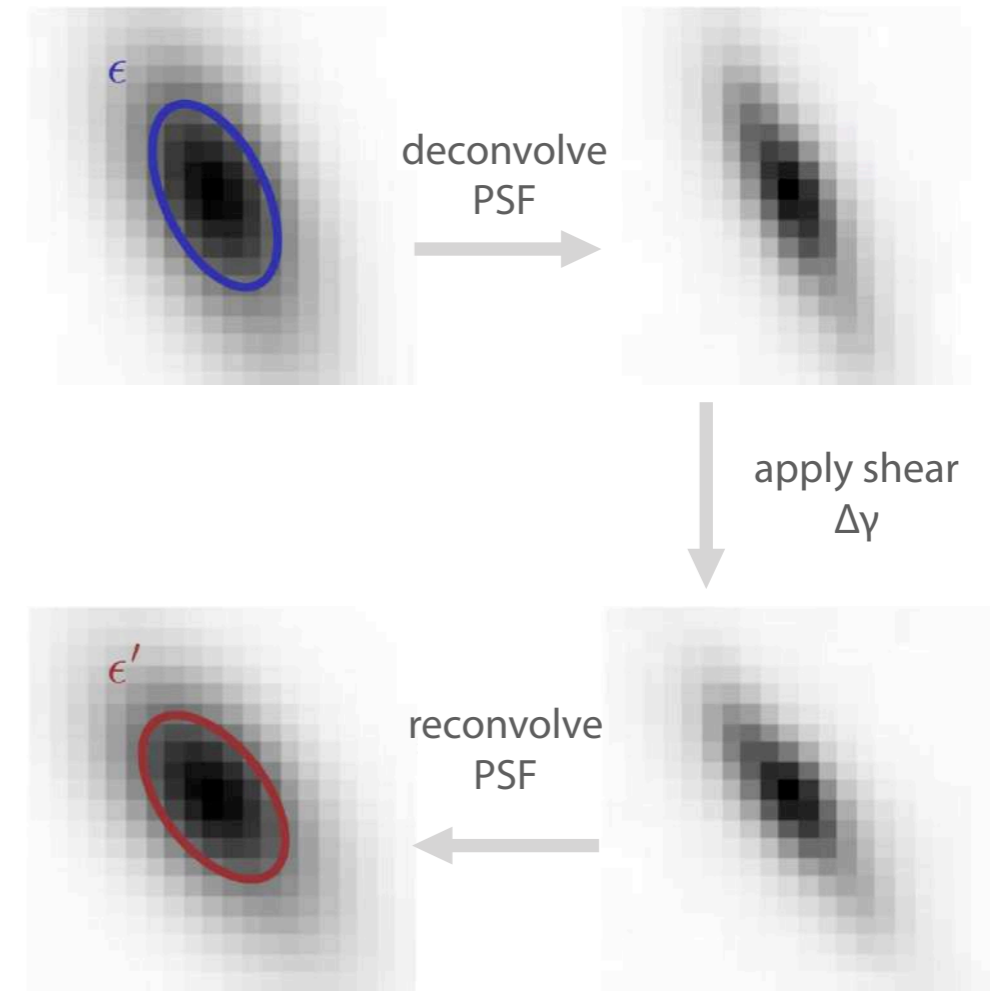
$$\mathbf{R}_\gamma = \frac{\mathbf{e}^+ - \mathbf{e}^-}{2\Delta\gamma}$$

3. Estimator  $\langle \hat{\gamma} \rangle \approx \langle \mathbf{R}_\gamma \rangle^{-1} \langle \mathbf{e} \rangle$  is *unbiased* 🍷

## ► Pros/cons

✓ Mitigates *shear-dependent* biases from model, noise, detection and selection

⚠️ Reprocessing each image + issue with deblending



N. MacCrann

# Redshift distributions $n(z)$ 's

- ▶ How to estimate the  $n(z)$  of a sample of galaxies?

- ▶ Stacking individual  $p(z)$ 's is sub-optimal
- ▶ *Uncertainty* of sample's  $n(z)$ , eg on  $\langle z \rangle$

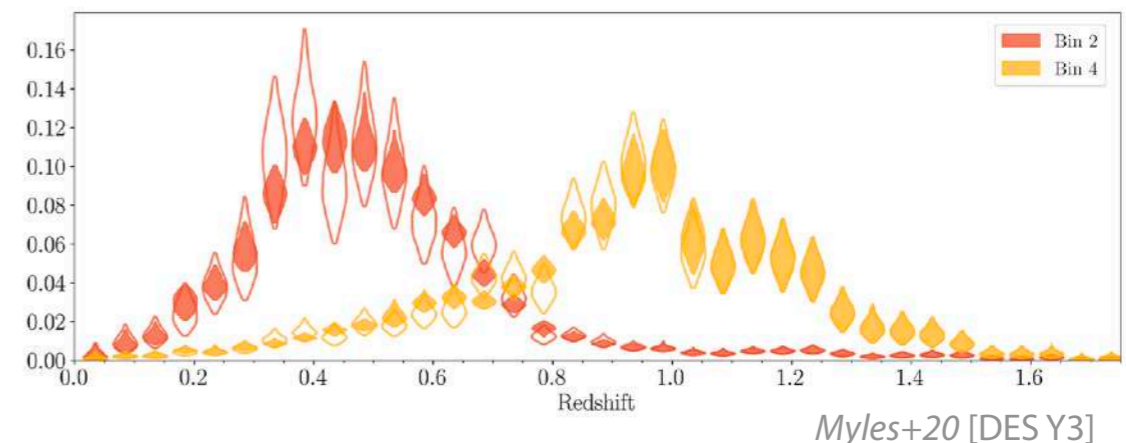
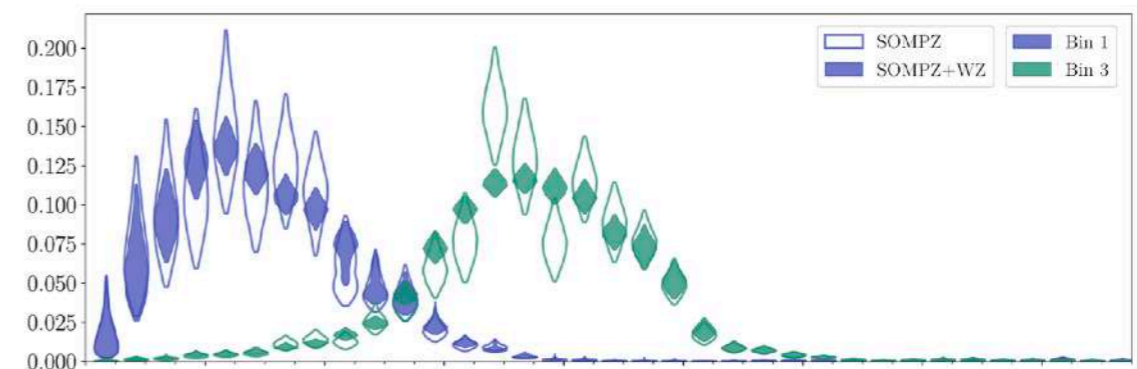
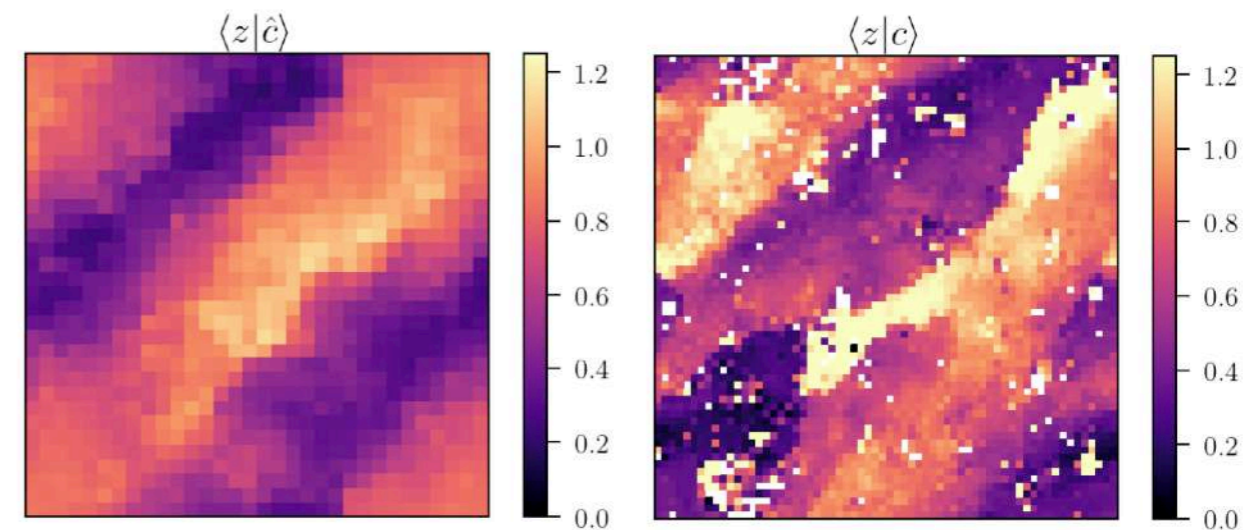
- ▶ SOMPZ in DES Y3/Y6

- ▶ Samples of  $n(z)=P(\{z\}|\{\text{noisy colors}\})$  using

1.  $p(\text{true colors}|z)^*$  from **deep fields + spectroscopic data**

2.  $p(\text{noisy colors}|\text{true colors})^*$  from **synthetic source injection**

- ▶ Marginalization over distribution of distributions?? 😊



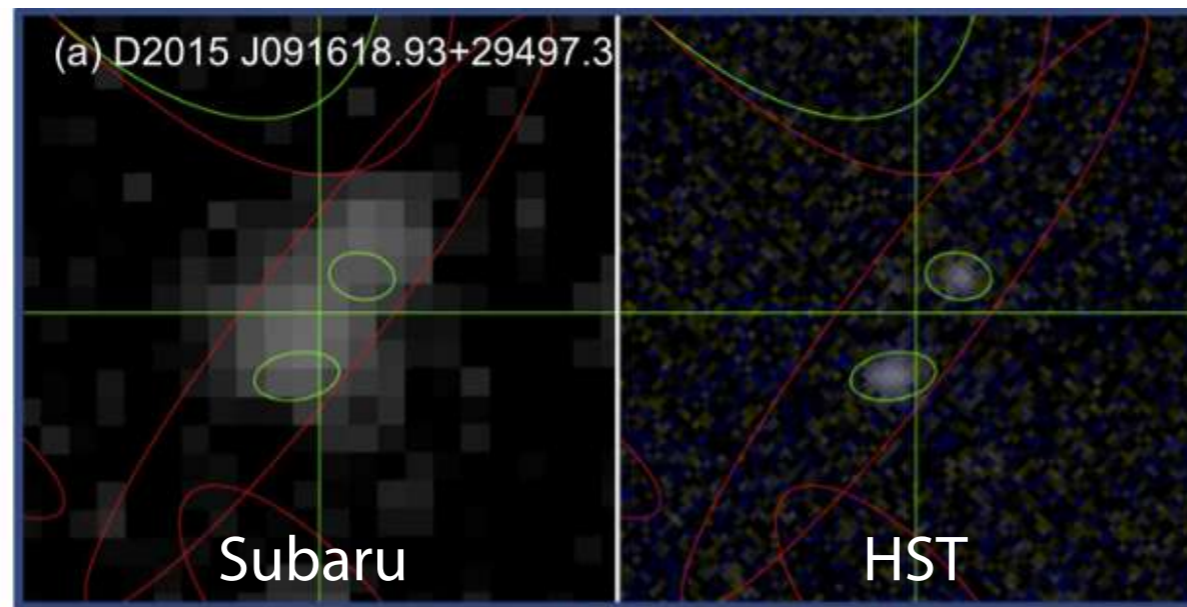
Myles+20 [DES Y3]

\* conditional distributions parametrised with self-organizing maps (SOM)

# (De)blending

## ▸ Why is it an issue?

- 2/3 galaxies are blended at LSST's depth
- Impacts detection and shape/flux measurements, *ie* all weak lensing science!



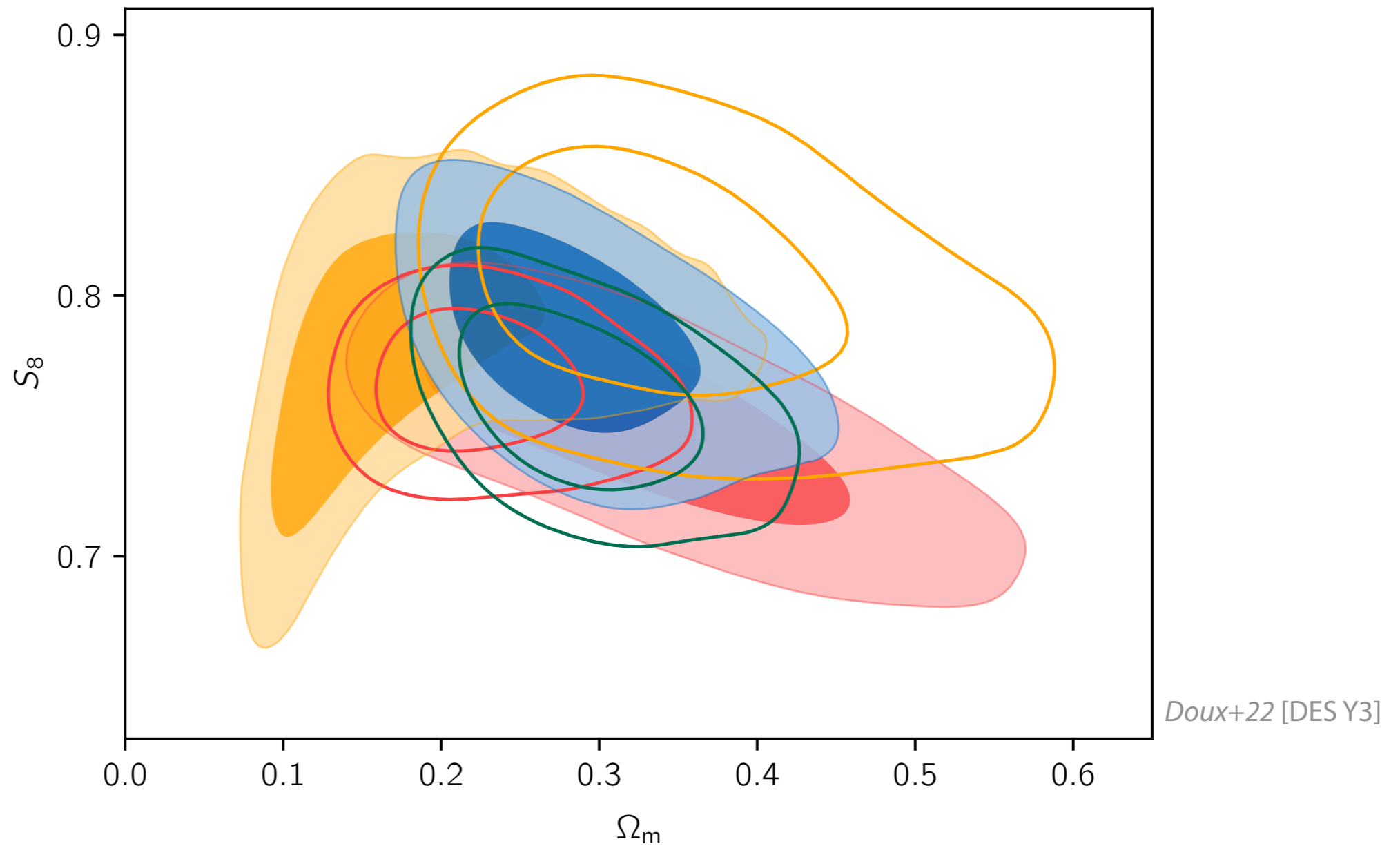
*Dawson+15*

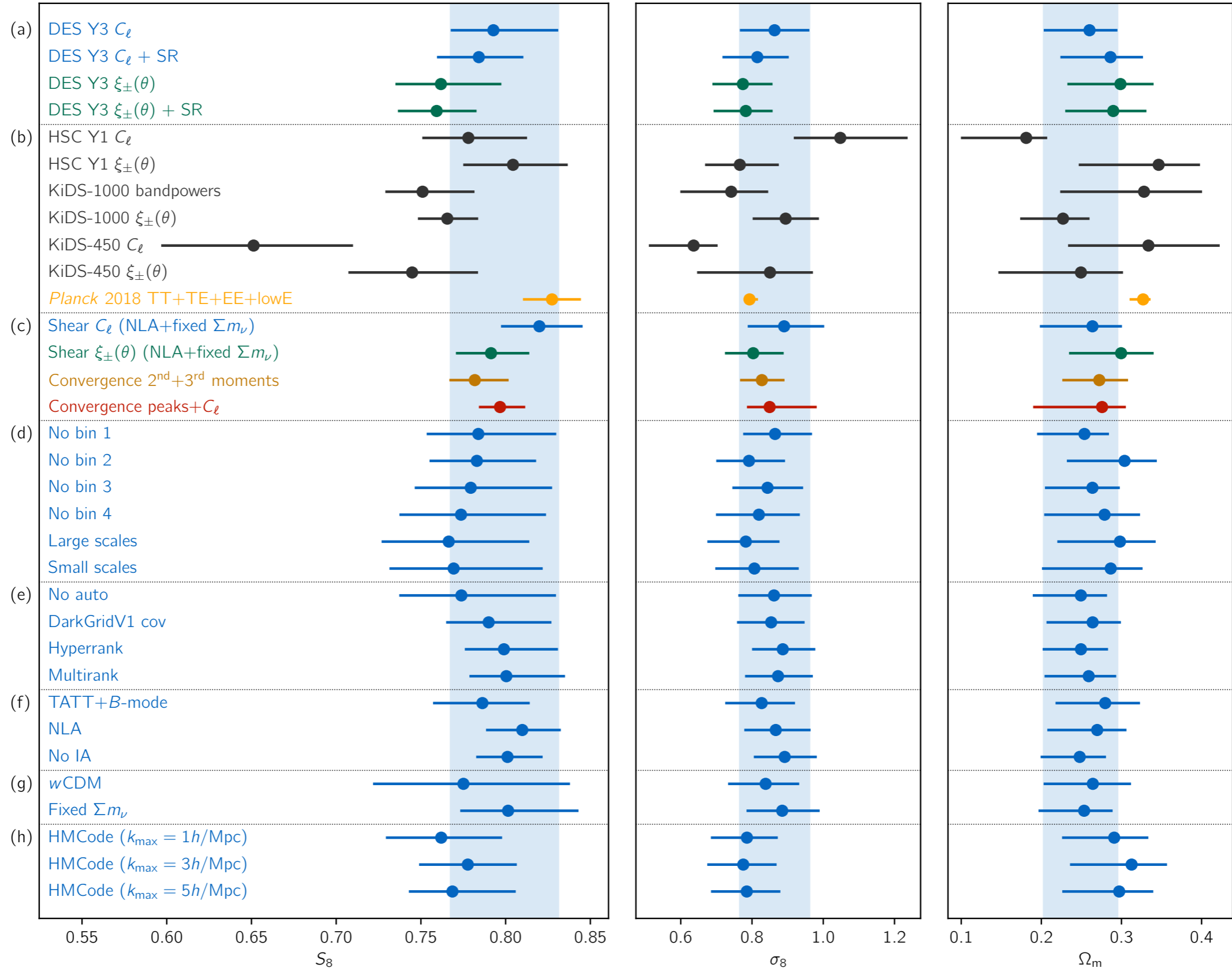
## ▸ Why is it difficult?

- 20% of *unrecognised* blends
- Highly non-linear operation, so METACAL goes 🤪
- Requires heavy image simulations to calibrate biases (~2%)
- Joint pixel-level analysis of LSST + Euclid + Roman

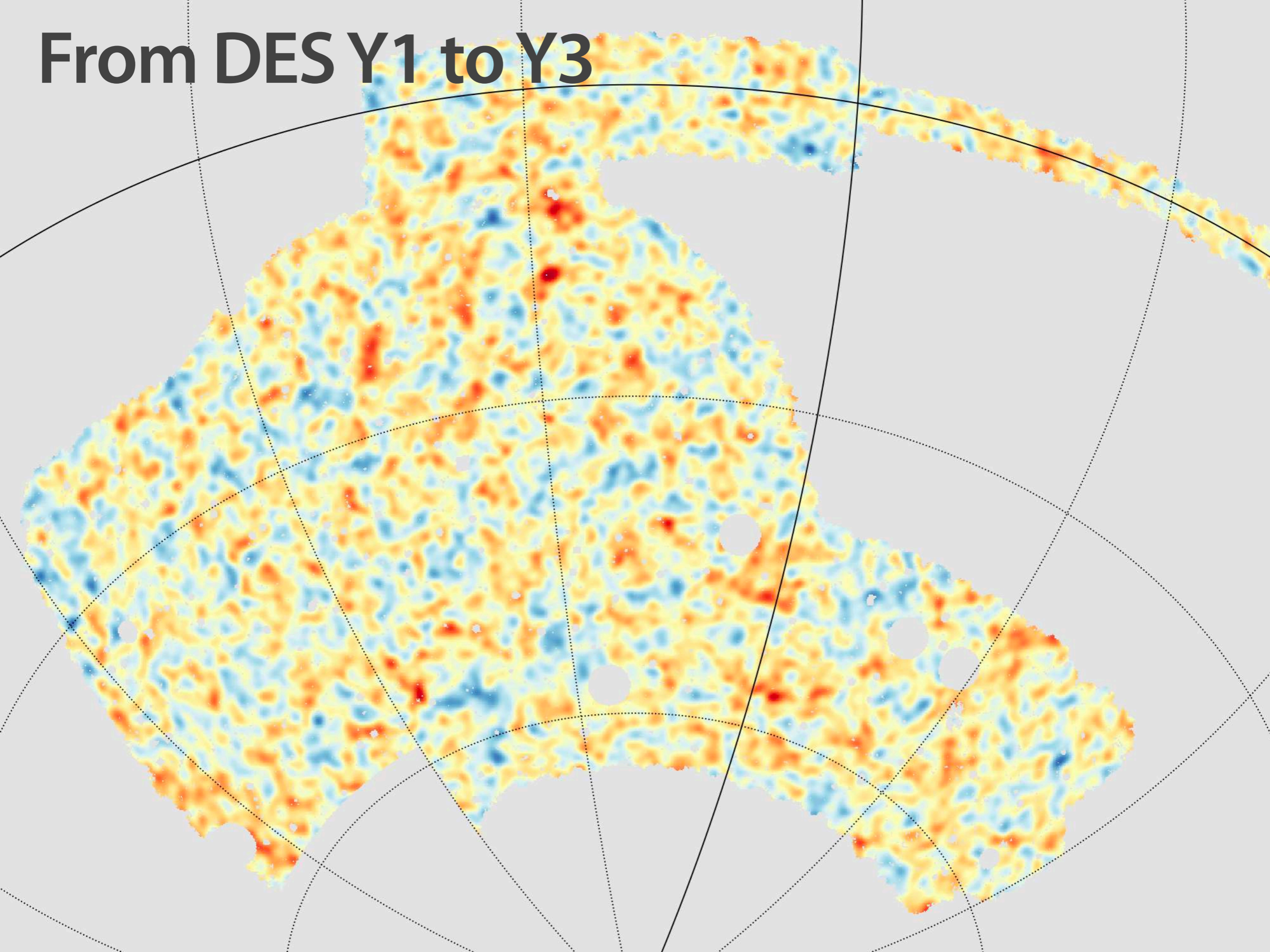
# DES vs HSC vs KiDS

- DES Y3  $C_\ell$  + SR
- HSC Y1  $C_\ell$
- KiDS-1000 bandpowers
- DES Y3  $\xi_{\pm}(\theta)$  + SR
- HSC Y1  $\xi_{\pm}(\theta)$
- KiDS-1000  $\xi_{\pm}(\theta)$





# From DES Y1 to Y3



# DES Y3 METACALIBRATION shape catalogue

## ▶ METACALIBRATION in a nutshell

- ▶ For any *biased* shear estimator  $\mathbf{e}$ ,

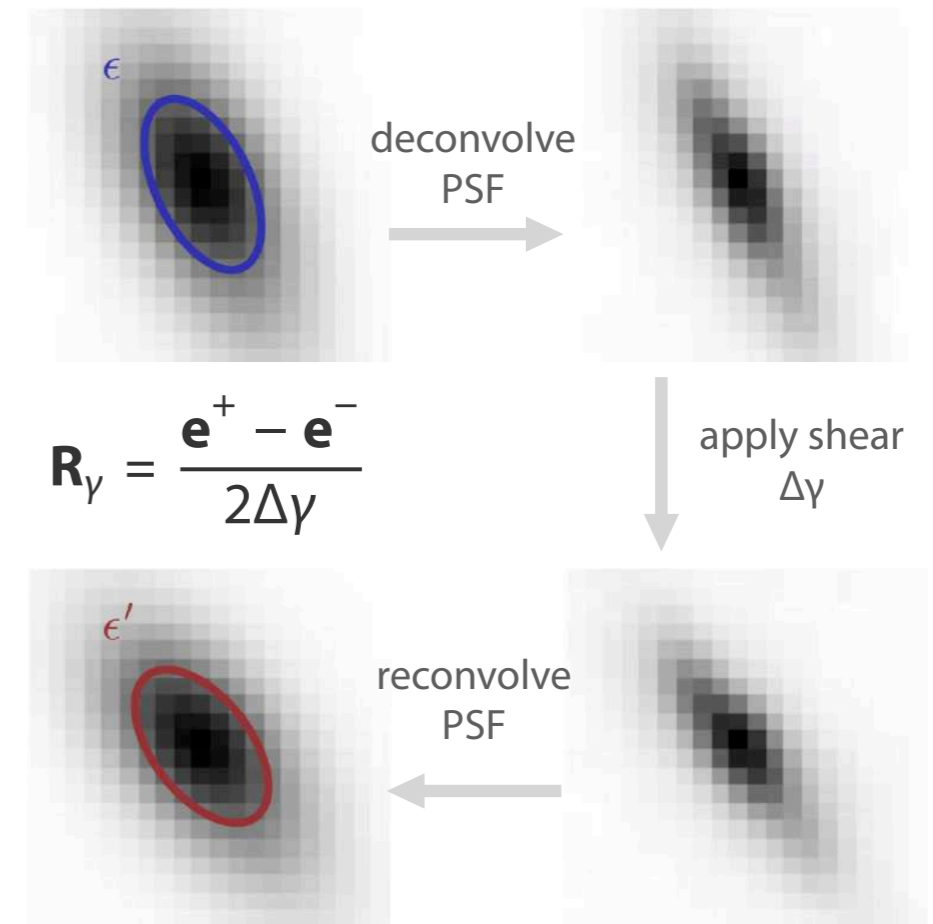
$$\mathbf{e} = \mathbf{e}|_{\gamma=0} + \gamma \cdot \underbrace{\frac{\partial \mathbf{e}}{\partial \gamma}}_{\mathbf{R}_\gamma} \Big|_{\gamma=0} + \mathcal{O}(\gamma^3)$$

such that  $\langle \hat{\gamma} \rangle \approx \langle \mathbf{R}_\gamma \rangle^{-1} \langle \mathbf{e} \rangle$  is *unbiased* 🍷

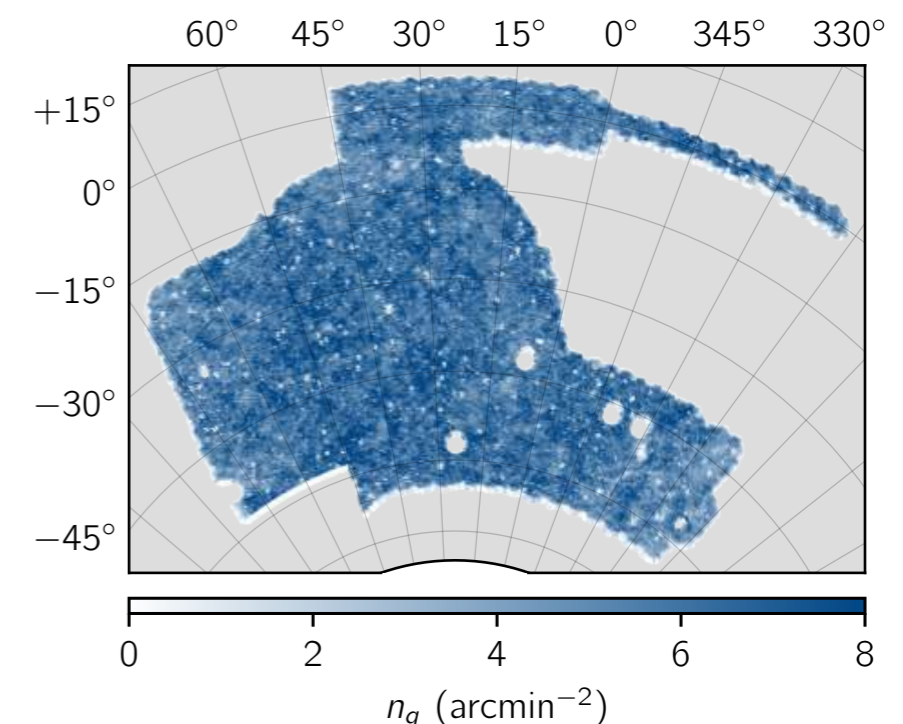
- ▶ Mitigates model+noise biases and *shear-dependent* selection

## ▶ DES Y3 METACALIBRATION catalogue

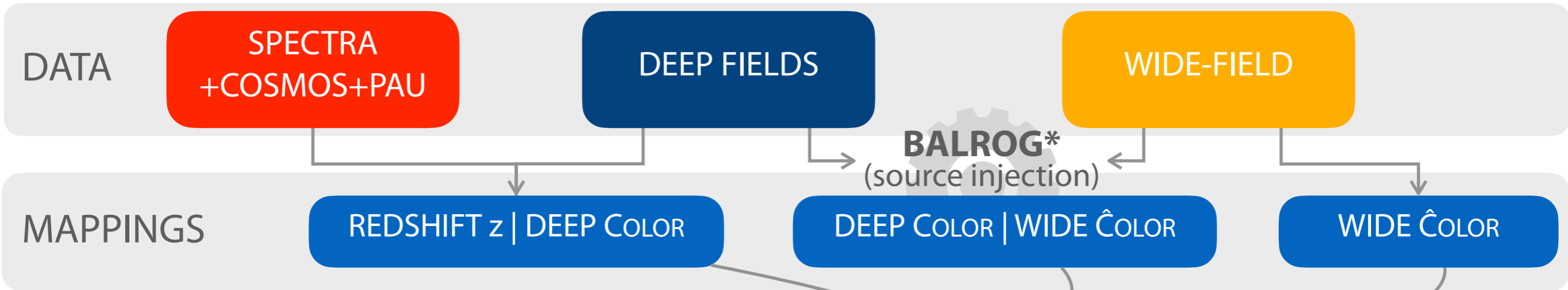
- ▶ Cuts:  $10 < S/N < 1000$ ,  $T/T_{\text{PSF}} > 0.5$  + color cuts in *riz*
  - ▶ 100,204,026 galaxies from Y3 GOLD
  - ▶  $\sigma_e = 0.261$  with inverse-variance weights ( $S/N, T/T_{\text{PSF}}$ )
  - ▶  $n_{\text{eff}} = 5.59$  gal/arcmin<sup>2</sup>
- ▶ Catalogue found to be very robust Gatti...CD+20 [DES Y3]



N. MacCrann



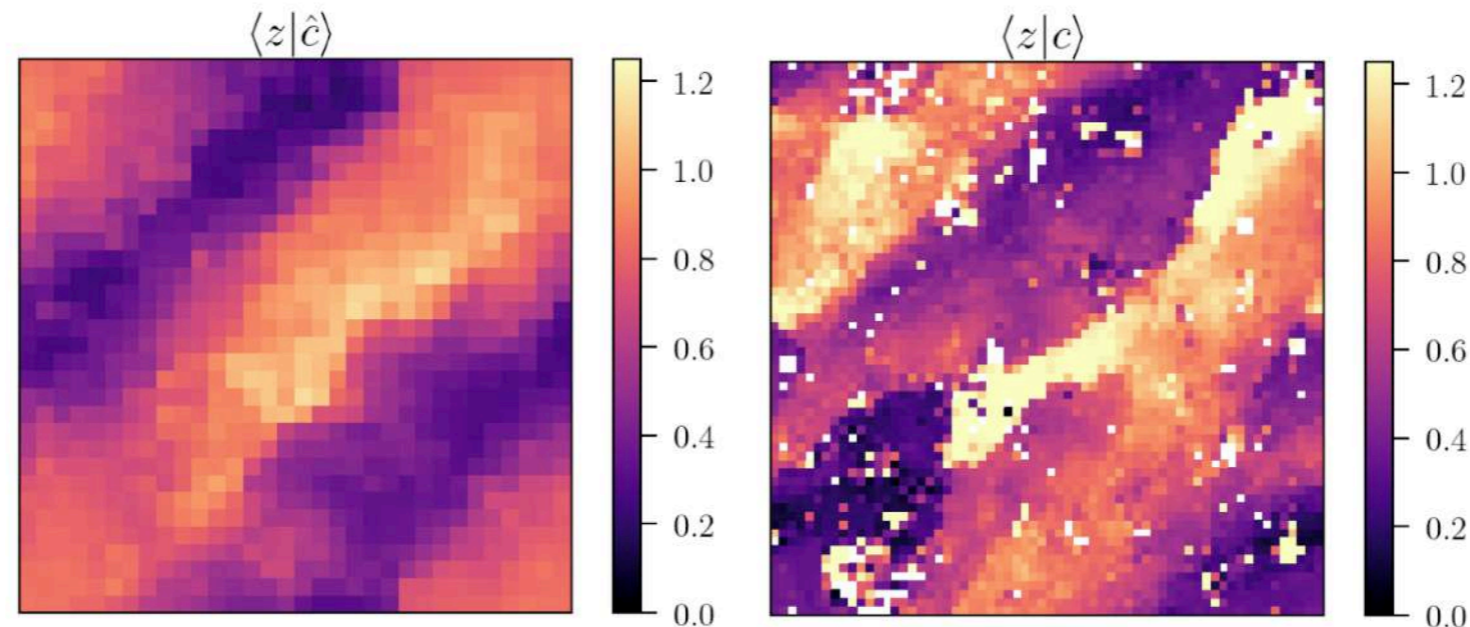
# DES Y3 redshift distributions with SOMPZ



▶ Marginal photo-z for bin  $\hat{b}$  is

$$p(z|b) = \sum_{\hat{c} \in b} \sum_c p(z|c) p(c|\hat{c}) p(\hat{c})$$

▶ Bayesian mapping with self-organizing maps method (no template, no ML) from Buchs+19



Myles+20 [DES Y3]

▶ **RESULT:** produces *posterior samples* of  $n(z)$  for each redshift bin

\*Everett+20 [DES Y3]



# DES Y3 redshift distributions with SOMPZ

## ▶ 3 sources of information

1. SOMPZ method calibrated with Balrog
2. Constraints from clustering
3. Shear-ratio

## ▶ DES Y3 $n(z)$ 's

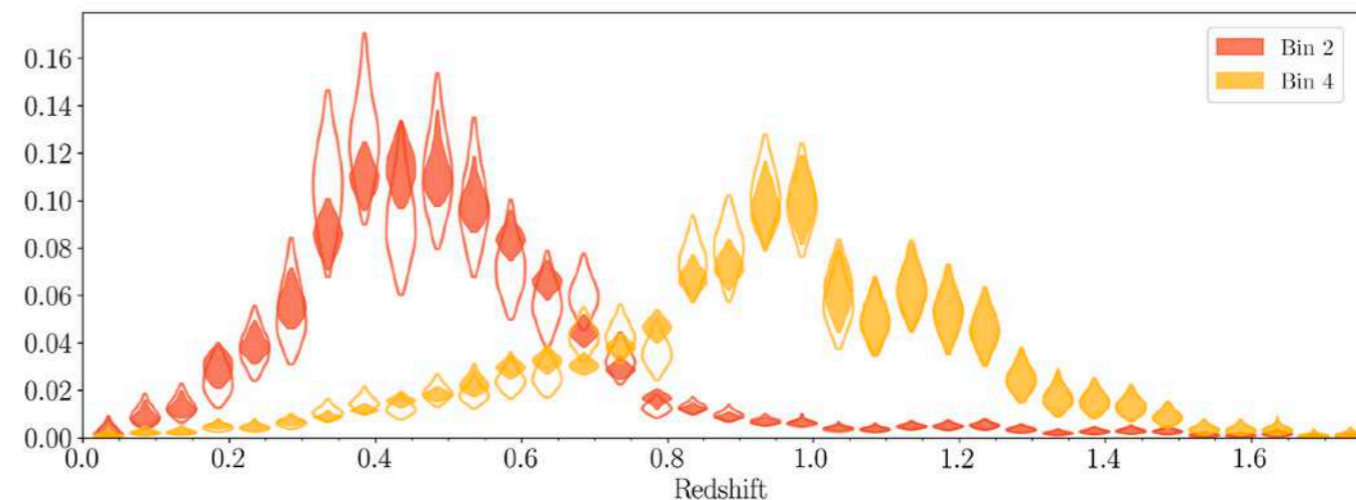
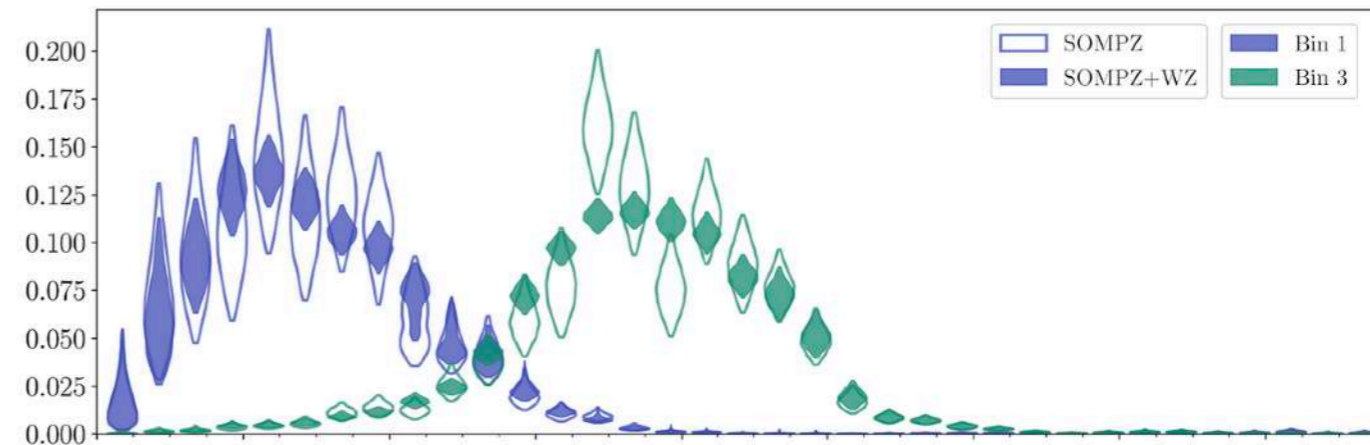
- ▶ Effective combined  $\langle z \rangle$  uncertainties between 0.008 and 0.015
- ▶ Error dominated by
  - ▶ photo-calibration at low  $z$
  - ▶ sample variance at higher  $z$

## ▶ Marginalisation over $n(z)$ 's with HYPERRANK

*Cordero+ 21 [DES Y3]*

- ▶ *Posterior samples* of  $n(z)$ 's instead of usual shift  $n'(z) = n(z+\Delta z)$
- ▶ HYPERRANK ranks  $n(z)$ 's to allow marginalisation over both  $\langle z \rangle$  and  $n(z)$  shape

*Myles+20 [DES Y3]*



# Joint calibration of shears and redshifts

- ▶ Redshift distributions as *shear response*

- ▶ Consider  $n(z)$  as *response of data ensemble to shear* at redshift  $z$

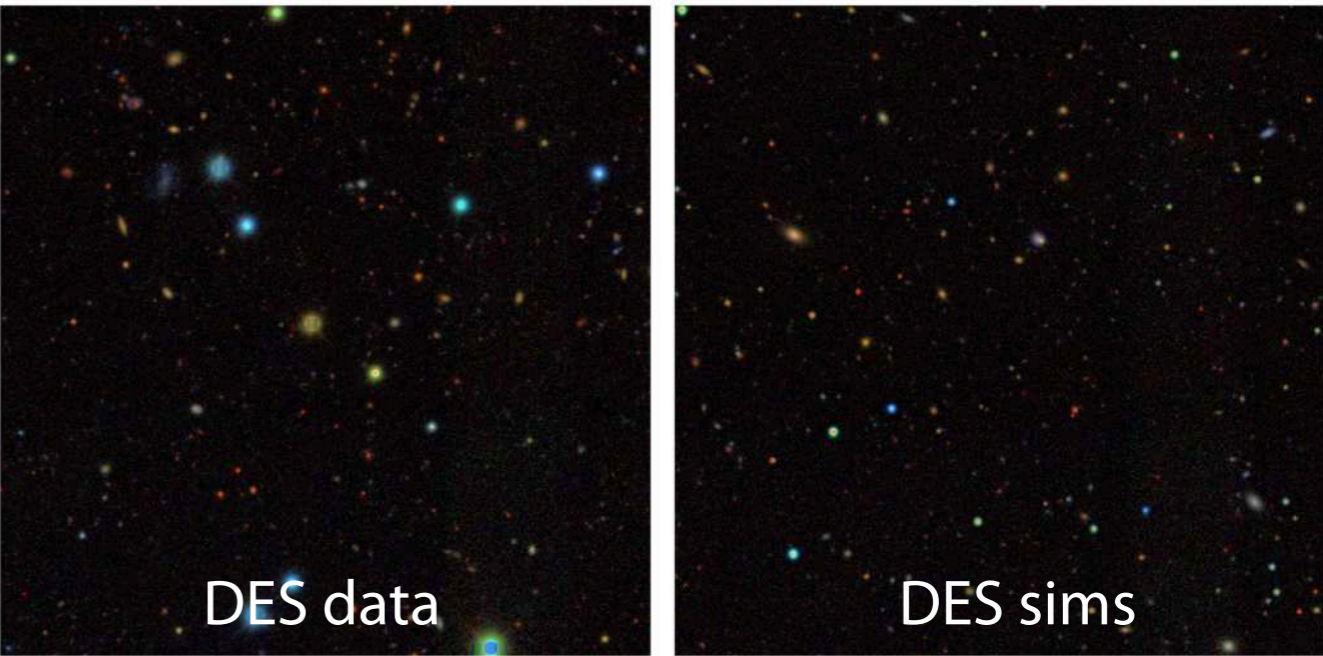
$$\langle \mathbf{e}_{\text{obs}} \rangle = \int n_{\gamma}(z) \gamma_{\text{true}}(z) dz + \mathbf{c} + \text{noise}$$

- ▶ Distorsion  $n(z) \rightarrow n_{\gamma}(z)$  measured by sims

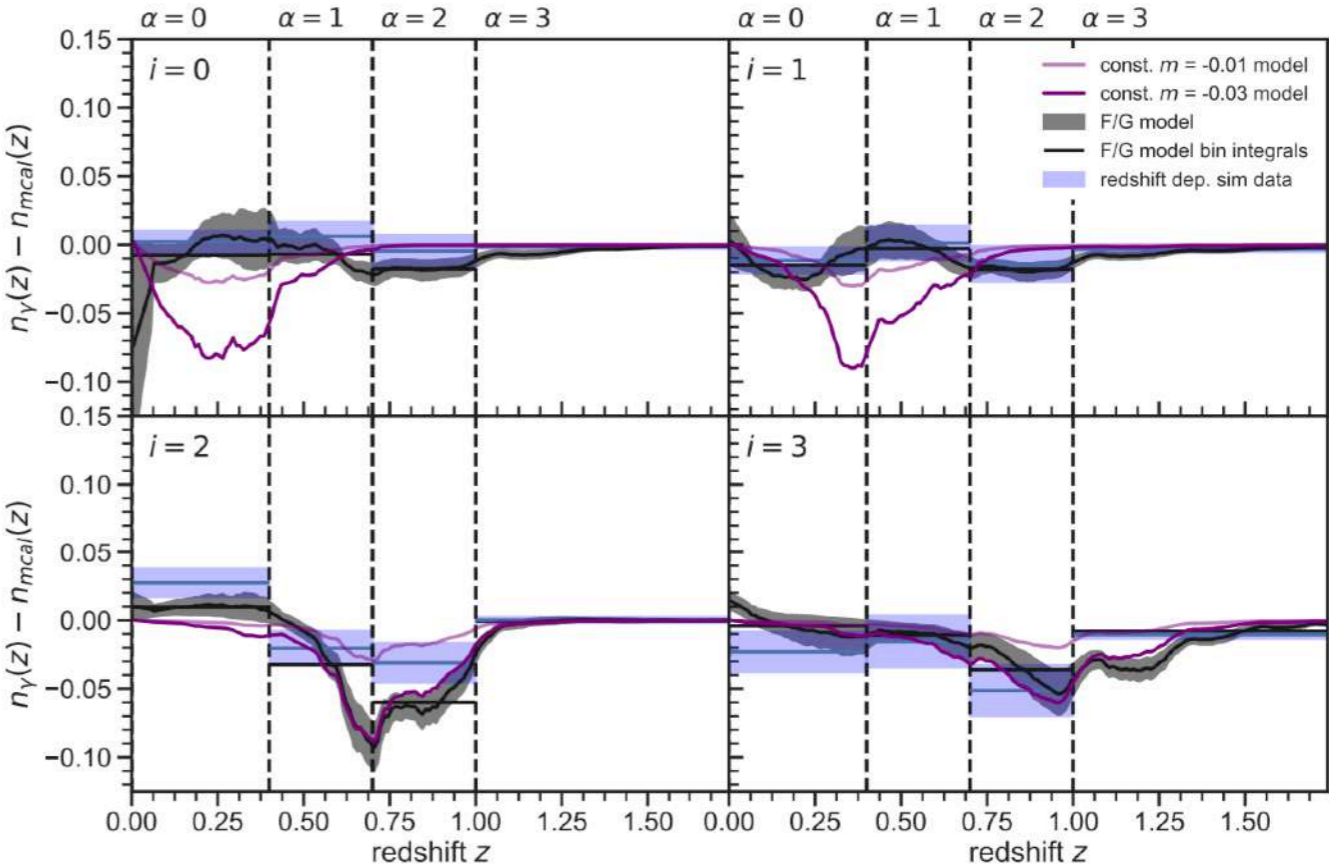
- ▶  $n_{\gamma}(z)$  has norm  $1+m$
- ▶ Very realistic simulations matching deep field colors and blending

- ▶ DES Y3 results

- ▶  $m \sim -2\%$  dominated by blending
- ▶ Distorted/calibrated SOMMPZ  $n_{\gamma}(z)$  samples to be used for cosmology



MacCrann+20 [DES Y3]



# Weak lensing surveys

Survey	Area	Bands	Depth	Density
SDSS-II and III	$\sim 10\,000 \text{ deg}^2$ <sup>8</sup>	<i>ugriz</i>	$r \sim 23.5$	$\sim 2 \text{ gal/arcmin}^2$
DES	<b>5 000 deg<sup>2</sup></b>	<i>grizY</i>	$r \sim 24.3 (10\sigma)$	$\sim 6 \text{ gal/arcmin}^2$
KiDS (+VIKING)	1 350 deg <sup>2</sup>	<b><i>ugri(+ZYJHK<sub>s</sub>)</i></b> <sup>9</sup>	$r \sim 24.9 (5\sigma)$	$\sim 6 \text{ gal/arcmin}^2$
HSC	1 400 deg <sup>2</sup>	<i>grizy</i>	<b><math>r \sim 26.1 (5\sigma)</math></b>	$\sim 20 \text{ gal/arcmin}^2$
LSST	<b>18 000 deg<sup>2</sup></b>	<i>ugrizY</i>	<b><math>r \sim 27.5 (5\sigma)</math></b>	$\sim 30 \text{ gal/arcmin}^2$
Euclid	<b>15 000 deg<sup>2</sup></b>	<b>Visible+YJH</b> <sup>10</sup>	$m_{\text{AB}} \sim 24.5 (10\sigma, \text{ext})$	$\sim 30 \text{ gal/arcmin}^2$
Roman HLS	2 000 deg <sup>2</sup>	<b>YJH</b>	<b><math>Y \sim 26.5</math></b>	$\sim 30 \text{ gal/arcmin}^2$