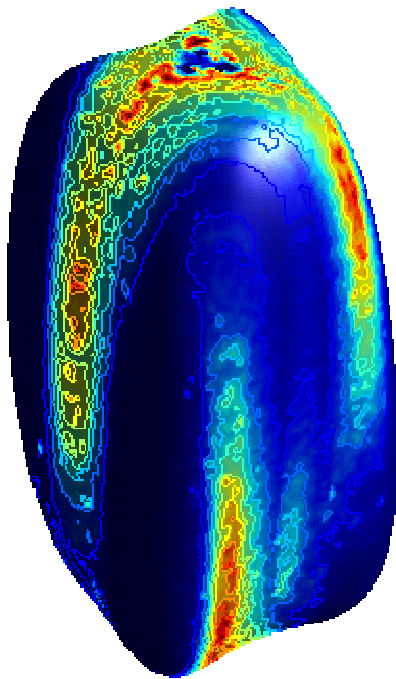


Some Considerations on Frequency Tuning Effect

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Overcoming the current limits of ECRIS

Roadmap indicated by the ECR Standard Model
(Scaling Laws + High-B Mode):

- High Frequency Generators;
- High Magnetic Fields;



Investigations about RF energy transfer to the electrons may allow to overcome the limits



By quickly replacing the loss hot electrons we can increase the Electron Density and the heating rapidity

$$\langle q \rangle \sim n_e T_i$$

$$I \sim n_e / T_i$$

The optimization of the wave-electron energy transfer allow to slightly relax the confinement conditions

The “prophecy” of Richard Geller

Already in 1990 Geller, who was the “father” of ECRIS, underlined the importance of plasma physics for future improvements of the source performances:

We want to show that without a minimum of plasma science no progress is possible in ECRIS and probably also in other source development.

R. Geller

Alternative mechanisms of plasma heating

1. *Two Frequency Heating*

2. “Flat B Field” heating

3. “Broadband” heating

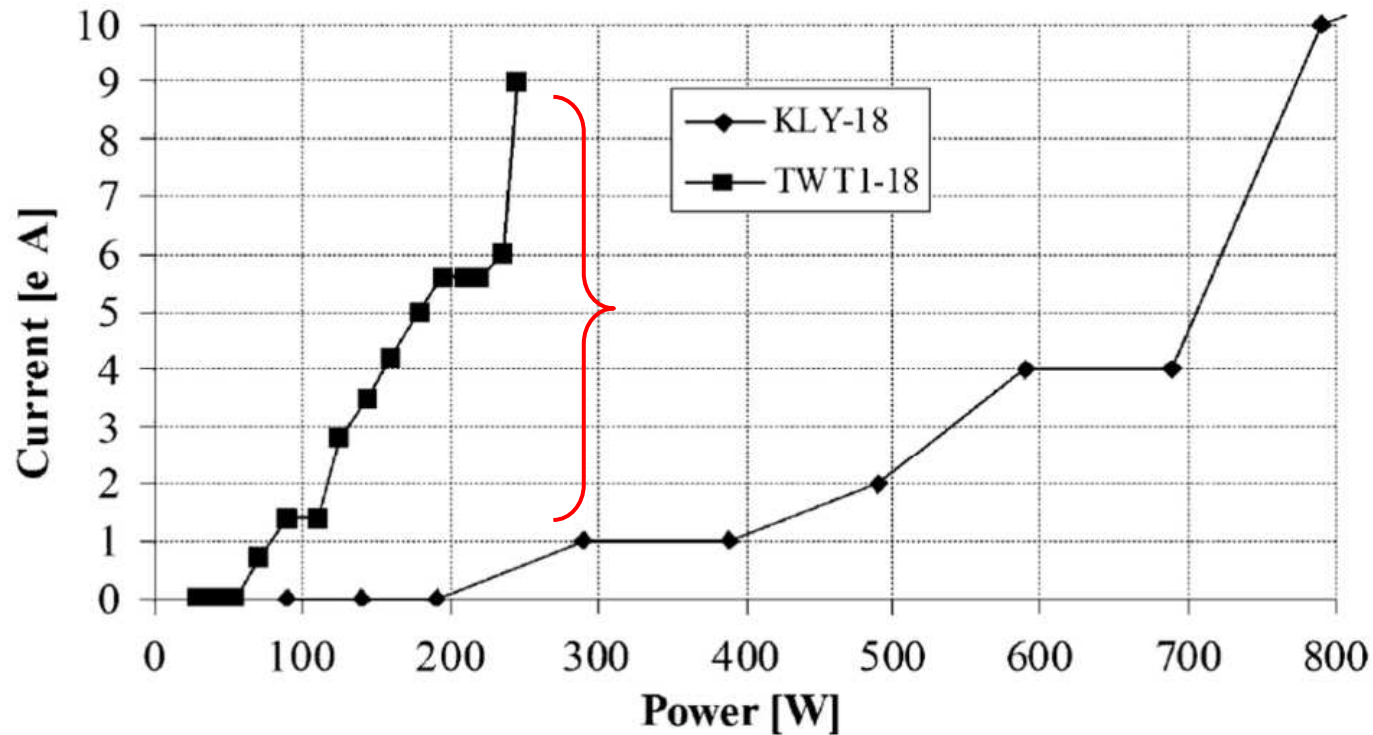
4. Frequency tuning

5. Two Close Frequency Heating **to be tested**

INCREASE OF THE HEATING RAPIDITY

Production of high energy electrons

Signs about the importance of the frequency tuning effect came already in 2001-2004 from an experiment carried out on SERSE [L. Celona et al., ECRIS04]



Comparison between trends of O^{8+} at 18 GHz for klystron (up to 800 W) and TWT1 operating in the same range of frequency.

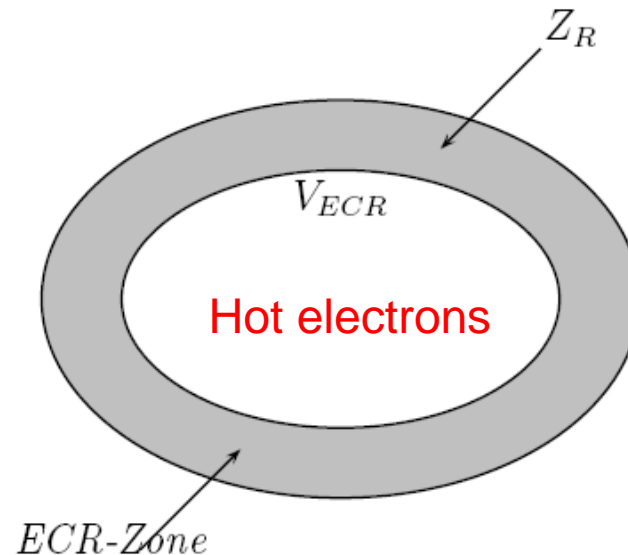
TWT worked better than klystron: why?

Why do TWT and Kly give so different results?



HYPOTHESIS 1:

The TWT emission bandwidth is larger than the Klystron one



Increase of hot electrons number because of the bigger resonance volume

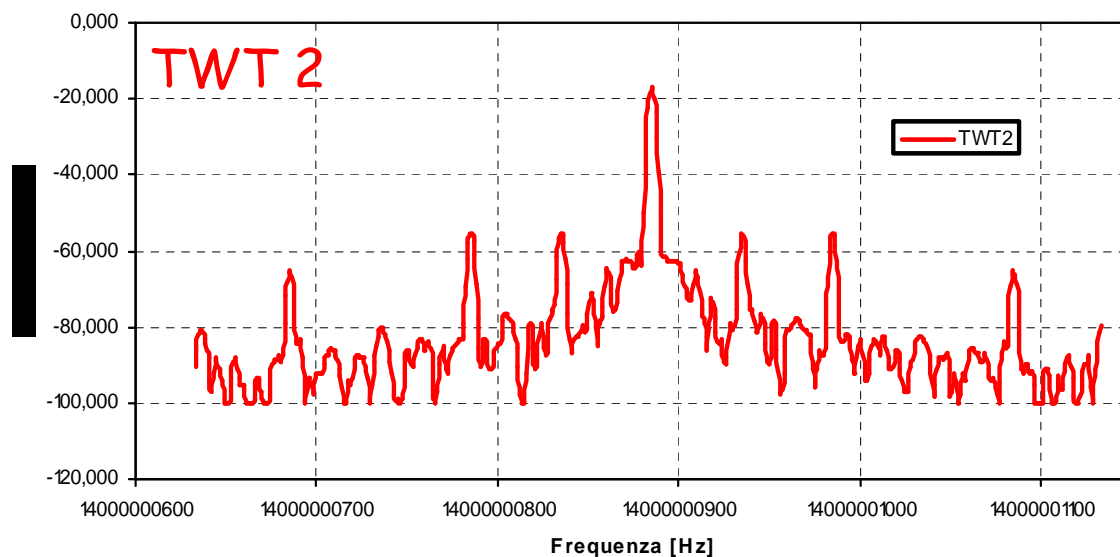
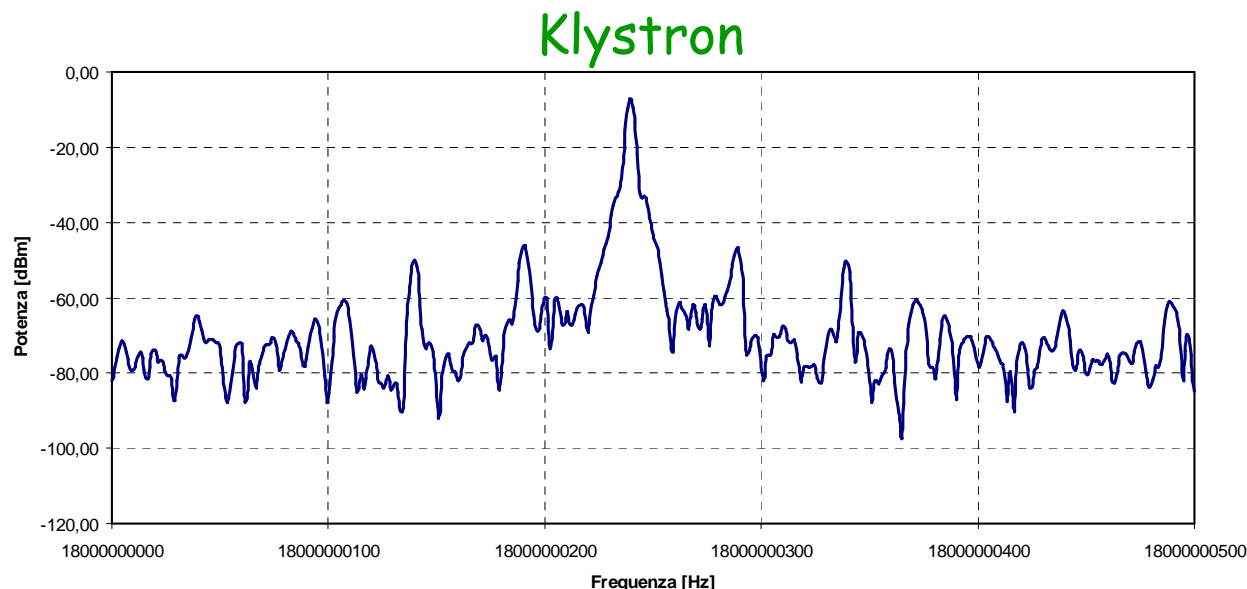
The larger number of heated electrons per time unit makes longer τ_i

Why do TWT and Kly give so different results?

Hyp. 1 is not correct !



Spectrum Analyzer was used
for emission band
characterization for TWT and
Klystron



Why do TWT and Kly give so different results?

Hyp. 1 is not correct !

The spectral
structure of the two
generators is quite
similar



Looking to
experimental data it
was found that the
frequency of the two
generators differed of
some MHz.

THEREFORE...

Our investigations were focused on the
different behavior of source when using
fine tuning of frequency

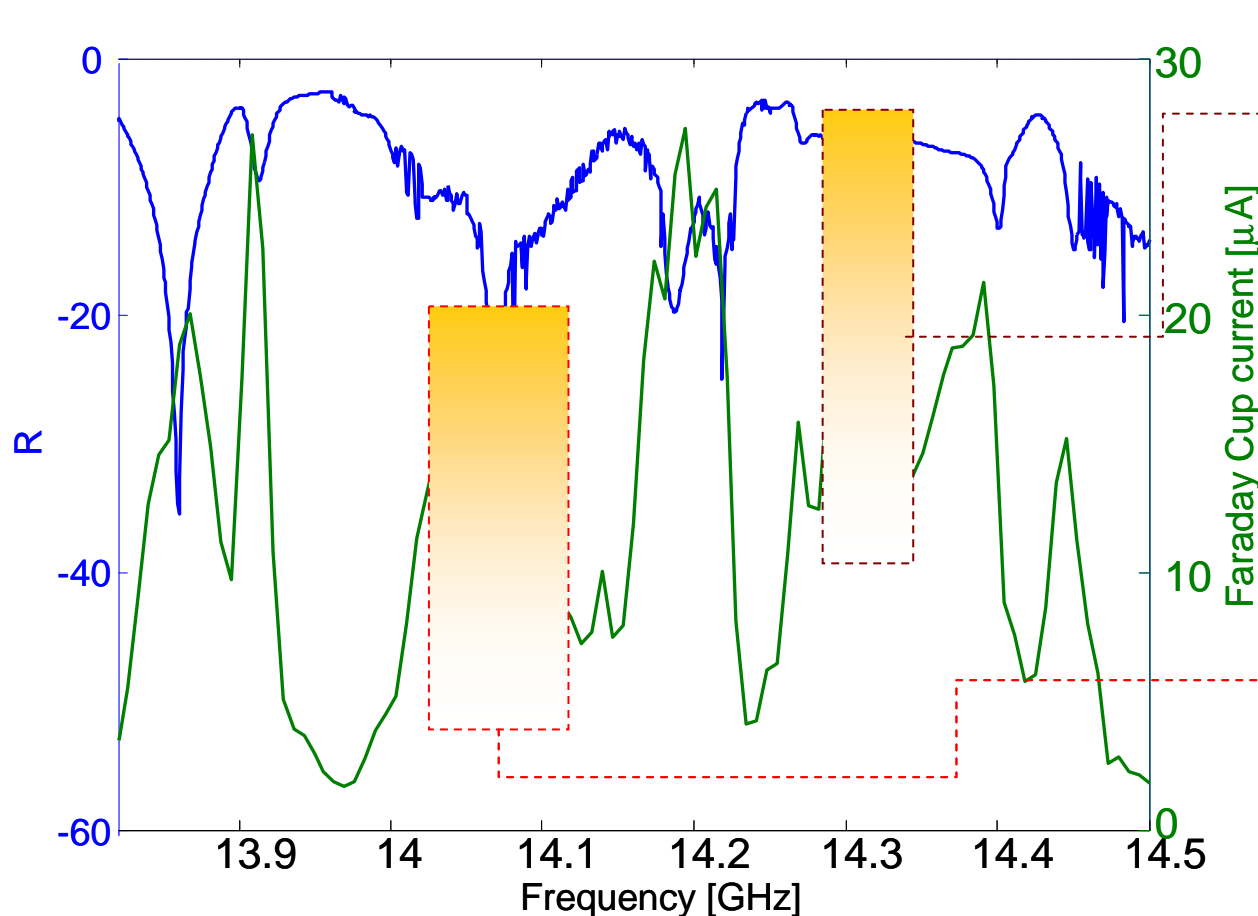
Why does Frequency tuning work so well?

Hypothesis 2:

The strong variation of performances may be due to changes in MW generator-to-waveguide-to-chamber coupling properties.

When resonant modes are excited peaks of current appear.

Relationship between modes and current's peaks: the experiment at CNAO



Minima of reflection coefficient are cavity modes.

Often to resonant modes correspond current's peaks

But...

... it is not a rule!



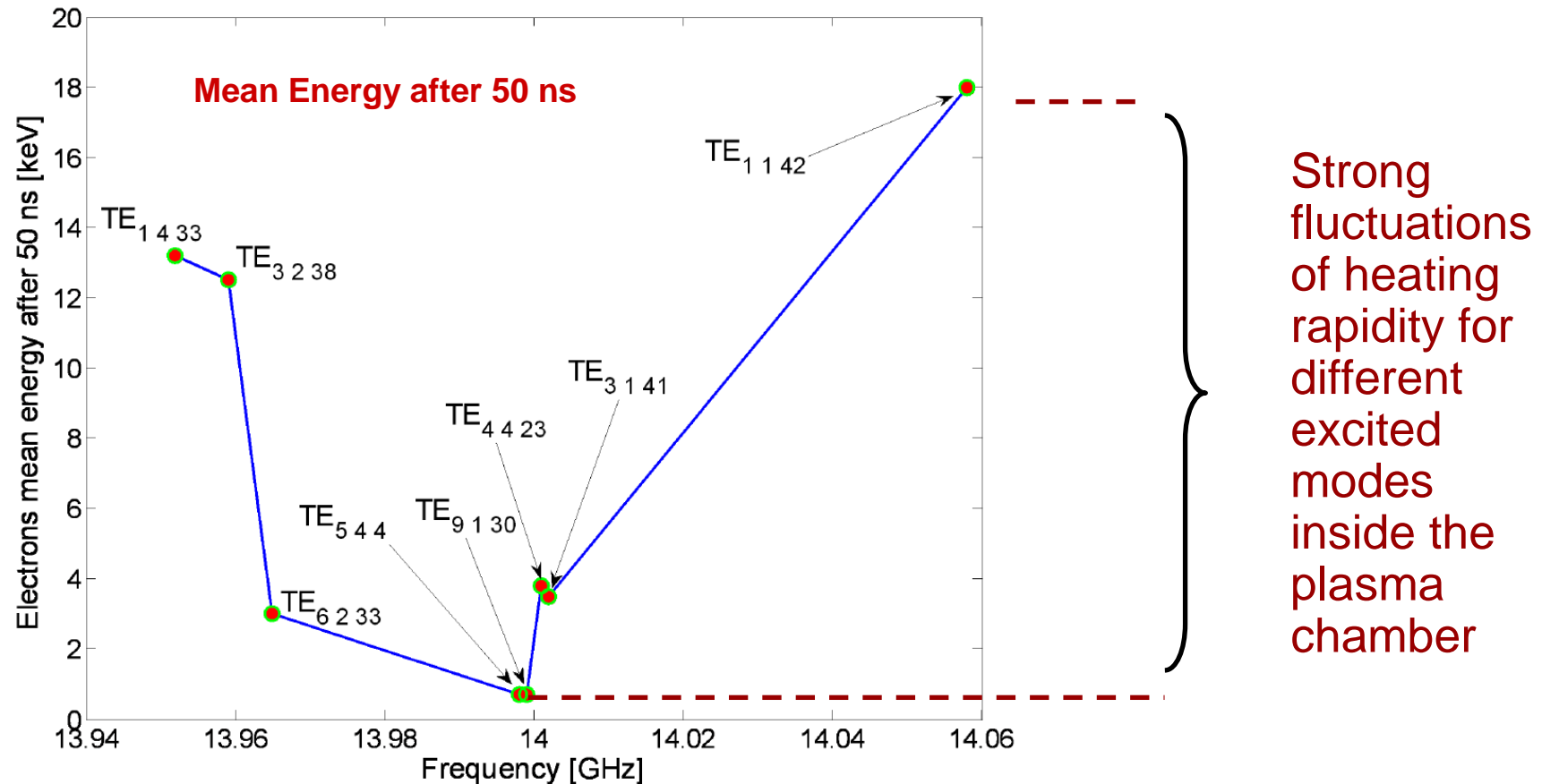
Some modes are coupled with cavity but they do not match properly with plasma!!!

comparison between extracted current and reflection coefficient at different but close frequencies (test on the CNAO ECRIS)

Overcoming Hypothesis 2: it does not explain fluctuation of performances for different excited modes

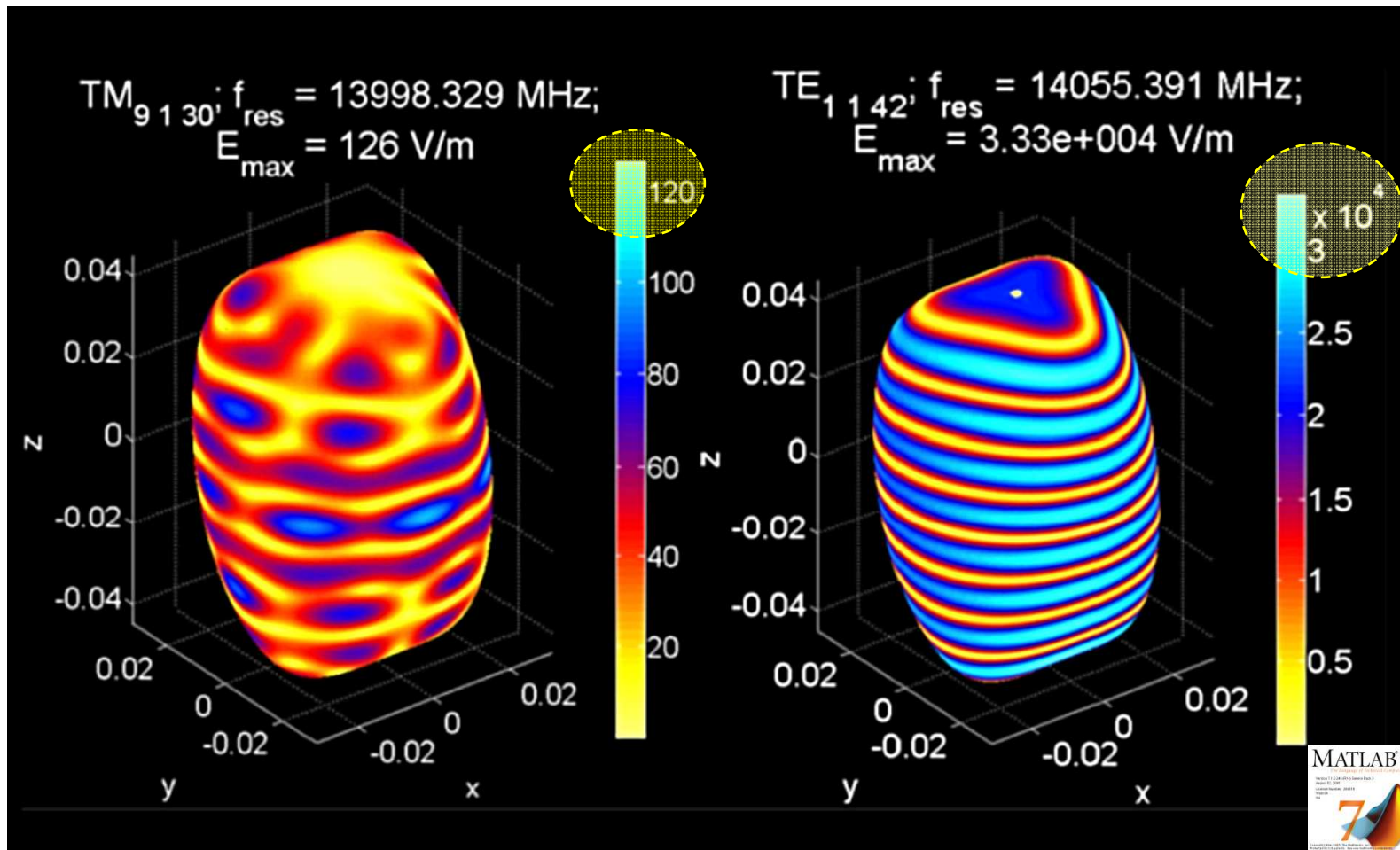
[S. Gammino et al, IEEE Trans. Plasma Sci., 2008]

3D collisionless Monte Carlo simulations about ECR-heating of electrons crossing many times the resonance zone in a min-B configuration.



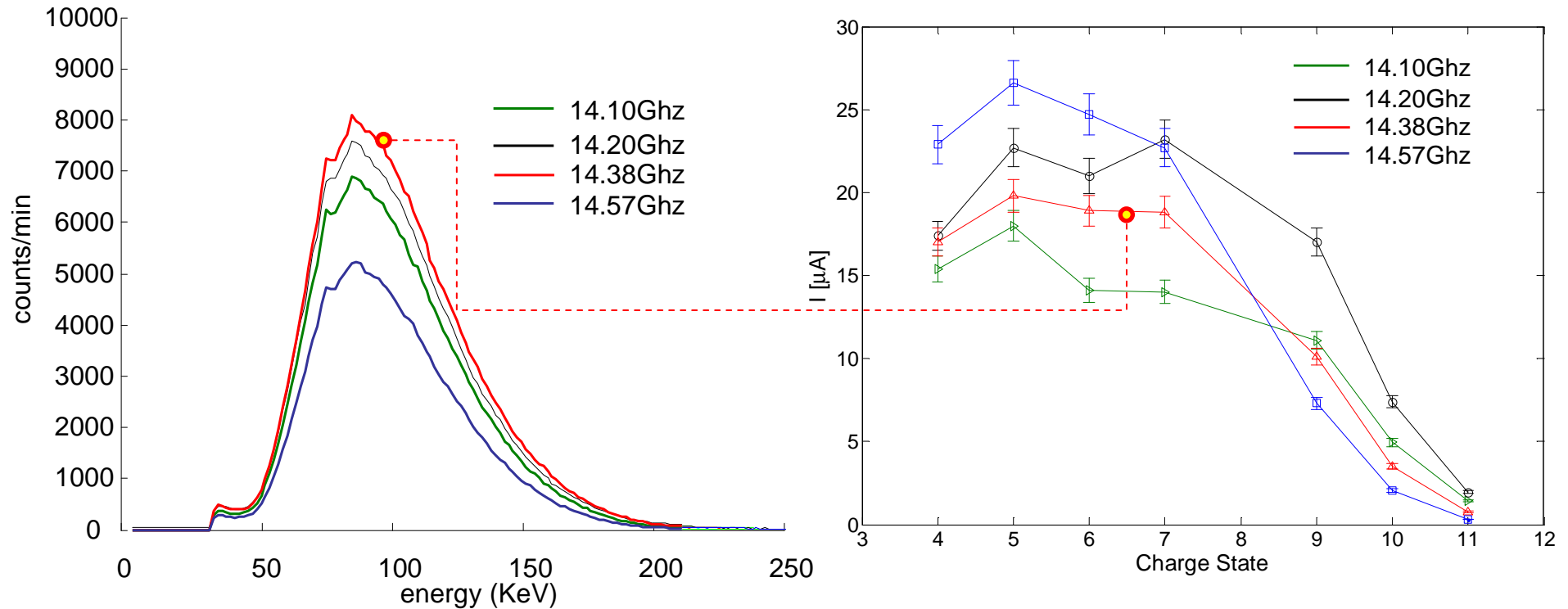
Exciting a mode is not enough: standing wave structure is dominant!

Hypothesis 2 is only partially true: Mode excitation is not enough



Even slight variation of the exciting frequency produce strong changes in the electric field distribution over the resonance surface. **The heating depends mainly on the mode pattern!**

Relationship between X-ray spectra and CSD: the experiment at LNS



Measurements with CAESAR at LNS reveal that X-ray spectra are not strictly related to frequency tuning.



Frequencies producing large numbers of counts do not necessarily produce optimal CSD

Relationship between X-ray spectra and CSD: the experiment at LNS

Assuming that the number of counts is somehow related to electron density, then the FTE must regulate also the ion lifetime



$$\langle q \rangle \sim n_e T_i$$

$$I \sim n_e / T_i$$

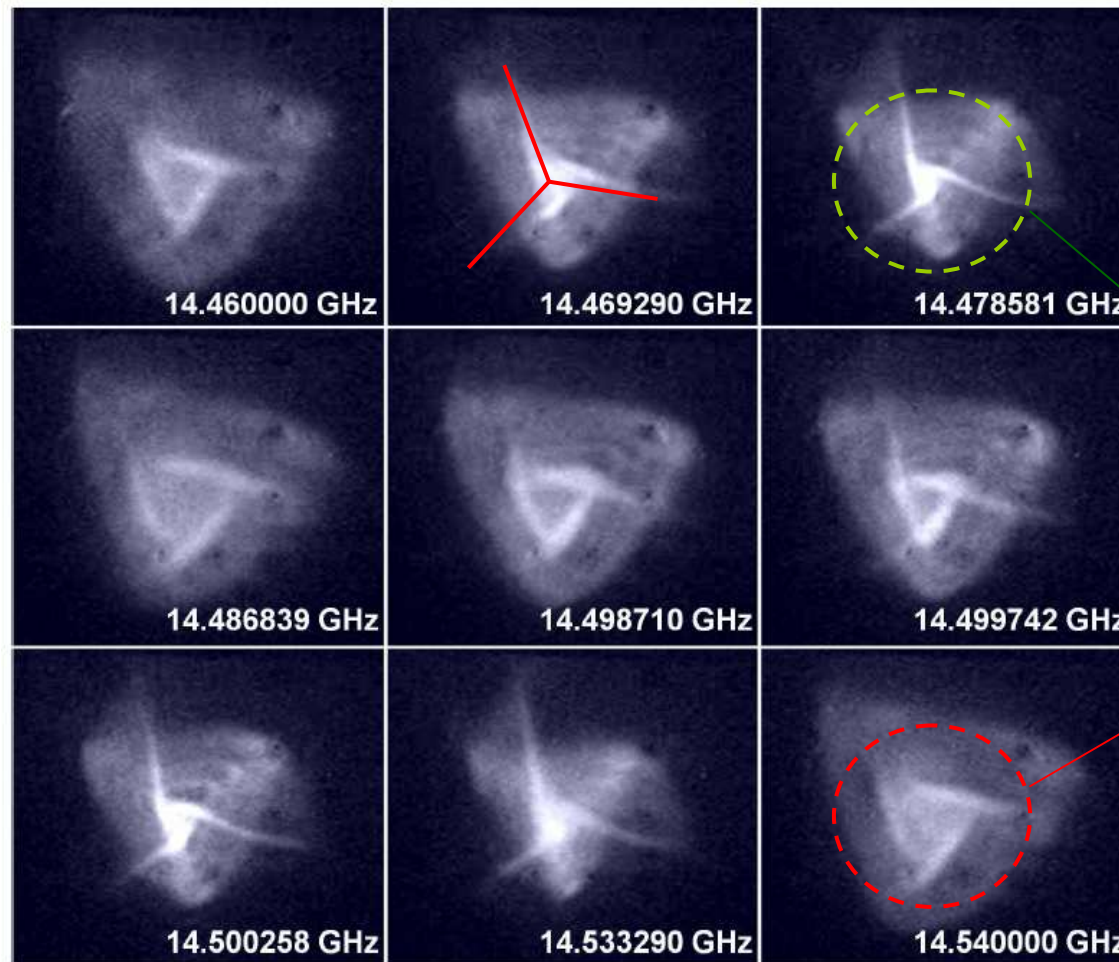


Hypothesis 3:

The frequency tuning affects globally electrons and ions dynamics, changing not only the heating rapidity but also the plasma spatial structure

First experimental confirmation of hypothesis 3

[L. Celona, et al. Observations of the frequency tuning effect in the 14 GHz CAPRICE ion source. *Rev. Sci. Instrum.*, Feb. 2008. vol. 79, no. 2, p. 023 305.]



“three cusp” shape of the extracted beam according to the magnetic structure

Well focused and high brightness beam

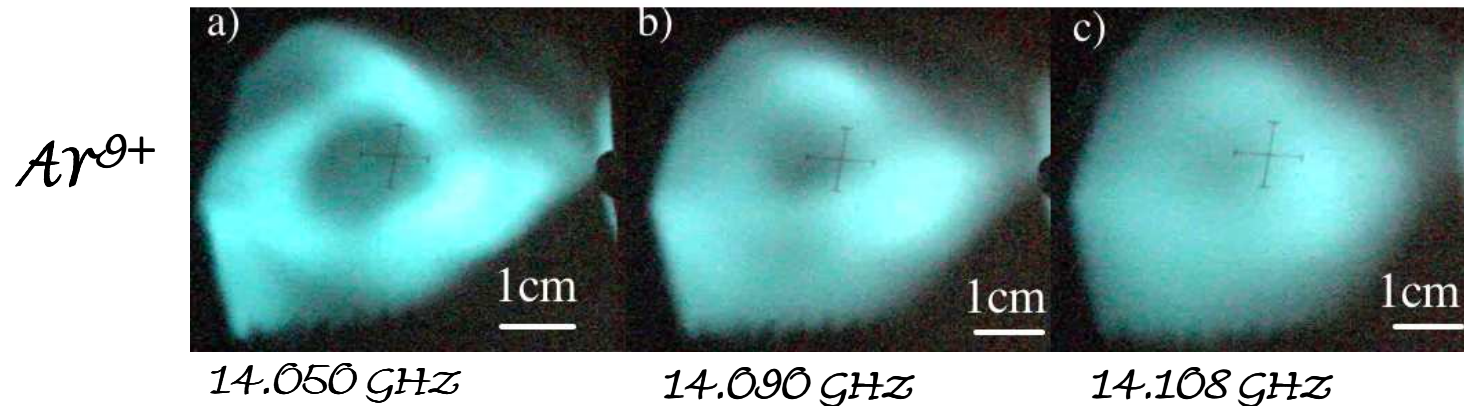
Broadened, low brightness beam



The Frequency Tuning strongly affects also the beam shape and brightness

Frames of the extracted beam for different frequencies

Additional Experimental confirmations of hypothesis 3



[V- Toivanen et al. Rev. Sci. Instrum. 81, 02A319 2010]



For some frequencies the hollow beam shape partially disappears.
Experiments suggest that variation in beam shape are due to inner plasma dynamics



Relative variation of emittance with frequency was more pronounced than output current.
Transmission through the cyclotron is influenced more by mismatches in phase space than by the output current.

[V. Toivanen et al., this workshop TU3POT10]

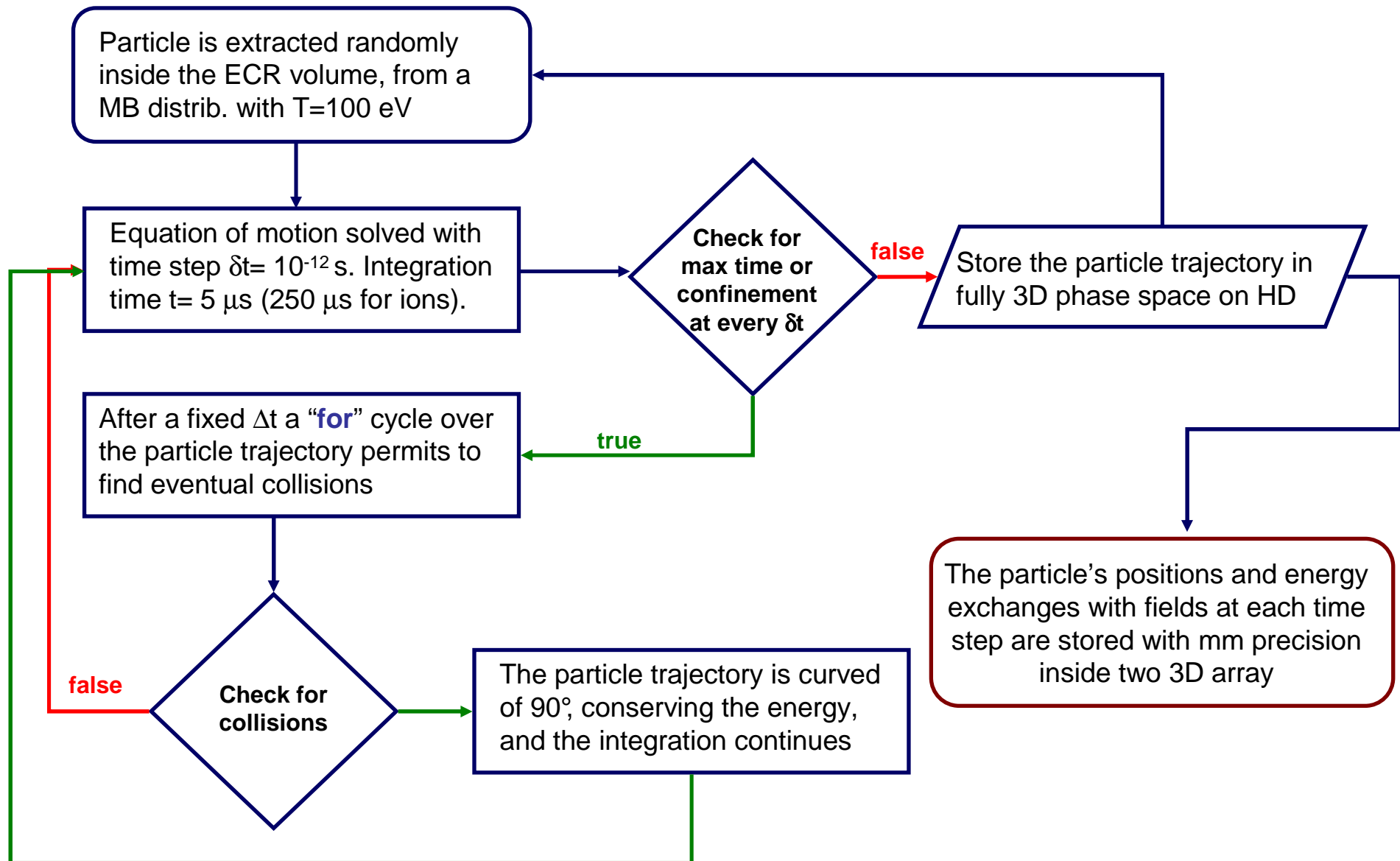
Hypothesis 3.1



Influence of FTE on plasma separates in:

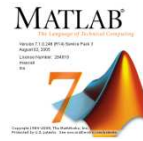
- Effects on the electrons heating rapidity;
- Effects on ion lifetime;
- Effects on beam properties (EMITTANCE).

Modeling of electron and ion dynamics with Monte-Carlo calculations



Modeling of electron and ion dynamics with Monte-Carlo calculations: ELECTRONS

A MATLAB code
solves the equation of
motion of a single
particle:



$$\frac{d\vec{v}}{dt} = \begin{cases} \frac{q}{M} [\vec{v} \times \vec{B} + \vec{E}_s] & (i) \\ \frac{q}{m} \left(1 - \frac{v^2}{c^2}\right)^{3/2} \left[\vec{v} \times \vec{B}_s + \vec{v} \times \vec{B}_{em} + \vec{E}_{em} - \frac{1}{c^2} (\vec{E}_{em} \cdot \vec{v}) \vec{v} \right] & (e) \end{cases}$$

$$\begin{aligned} \dot{x} &= v_x \\ \dot{y} &= v_y \\ \dot{z} &= v_z \\ \dot{v}_x &= F(v) [(v_y B_z - v_z B_y) + (v_y B_{em_z} - v_z B_{em_y}) + E_{em_x} - \\ &\quad - \frac{1}{c^2} (E_{em_x} v_x + E_{em_y} v_y) v_x] \\ \dot{v}_y &= F(v) [(v_z B_x - v_x B_z) + (v_z B_{em_x} - v_x B_{em_z}) + E_{em_y} - \\ &\quad - \frac{1}{c^2} (E_{em_x} v_x + E_{em_y} v_y) v_y] \\ \dot{v}_z &= F(v) [-B_x v_y + v_x B_y - B_{em_x} v_y + v_x B_{em_y} - \\ &\quad - \frac{1}{c^2} (E_{em_x} v_x + E_{em_y} v_y) v_z] \end{aligned}$$

*Magnetostatic field for the
plasma confinement*

*Magnetic and electric
fields associated with the
pumping wave*

MATLAB solves the six first
order ODEs by means of the
“*ode45*” Runge-Kutta routine.

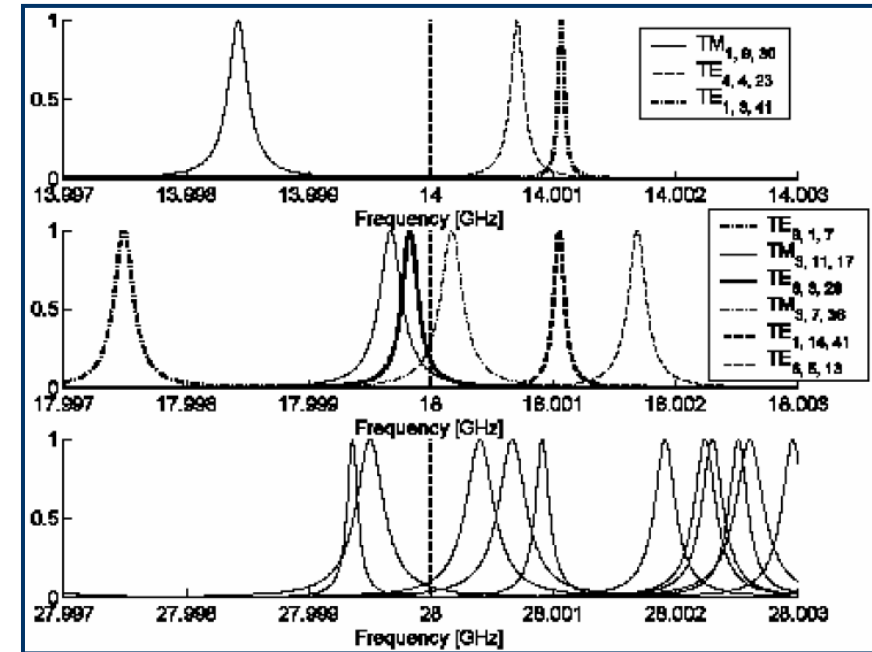
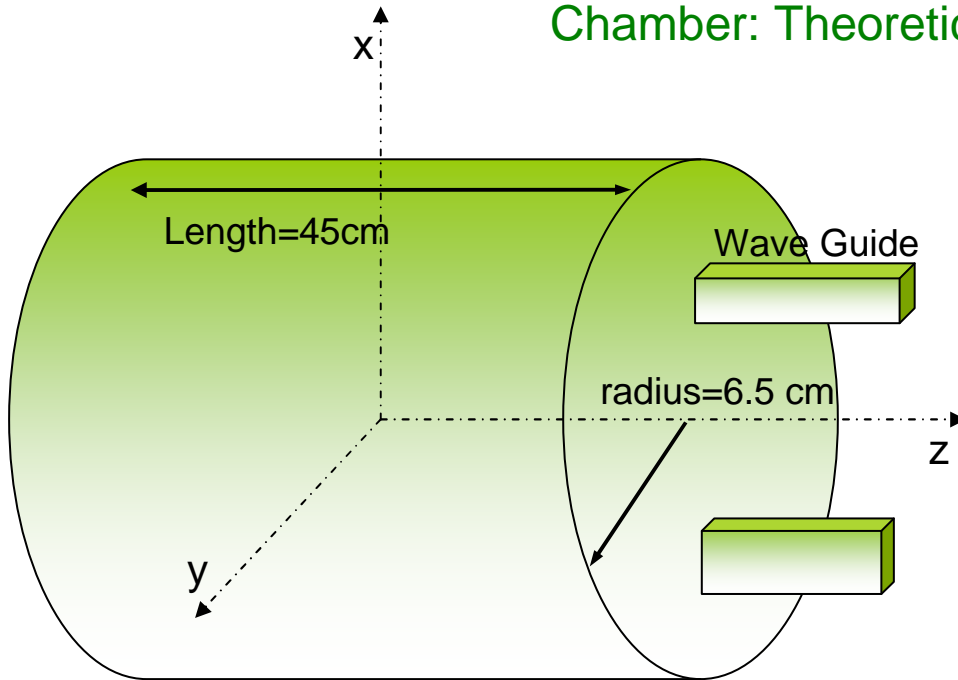
- 3000 electrons/week, 8 CPU
- $\delta t = 10^{-12}$ s ~ 10 points of
integration per Larmor radius
- **Collisions are taken into
account**

**- Fully 3D calculations
with B-min structure**

Modeling of electron and ion dynamics with Monte-Carlo calculations: SERSE Plasma Chamber: Theoretical Properties

OUR CRUCIAL ASSUMPTION IS THAT THE INTRINSIC ELECTROMAGNETIC STRUCTURE OF THE PLASMA CHAMBER IS PRESERVED EVEN WHEN THE CHAMBER IS FILLED BY DENSE PLASMAS GENERATED THROUGH ECR.

Modeling of electron and ion dynamics with Monte-Carlo calculations: SERSE Plasma Chamber: Theoretical Properties



$$\begin{aligned}
 E_x &= A_n \frac{\mu\omega}{h} \sin\left(\frac{r\pi z}{l}\right) J'_n \sin[(n-1)\phi] + J_{n+1} \sin n\phi \cos n\phi \cos(\omega t + \varphi) \\
 E_y &= A_n \frac{\mu\omega}{h} \cos\left(\frac{r\pi z}{l}\right) J'_n \sin[(n-1)\phi] + J_{n+1} \sin n\phi \sin n\phi \cos(\omega t + \varphi) \\
 H_x &= -A_n \frac{\pi r}{hl} \cos\left(\frac{r\pi z}{l}\right) J'_n \cos[(n-1)\phi] + J_{n+1} \sin n\phi \sin n\phi \sin(\omega t + \varphi) \\
 H_y &= A_n \frac{\pi r}{hl} \cos\left(\frac{r\pi z}{l}\right) J'_n \sin[(n-1)\phi] + J_{n+1} \sin n\phi \cos n\phi \sin(\omega t + \varphi) \\
 H_z &= -A_n \sin\left(\frac{r\pi z}{l}\right) J'_n \cos n\phi \sin(\omega t + \varphi)
 \end{aligned}$$

Resonant Frequencies

$$\omega = c \sqrt{\frac{r^2 \pi^2}{l^2} + h^2}$$

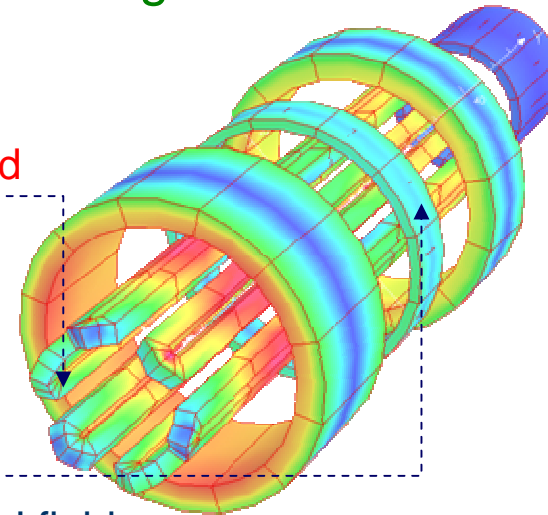
Modeling of electron and ion dynamics with Monte-Carlo calculations: The SERSE magnetic field

$$B_x = -B_1 xz + 2Sxy$$

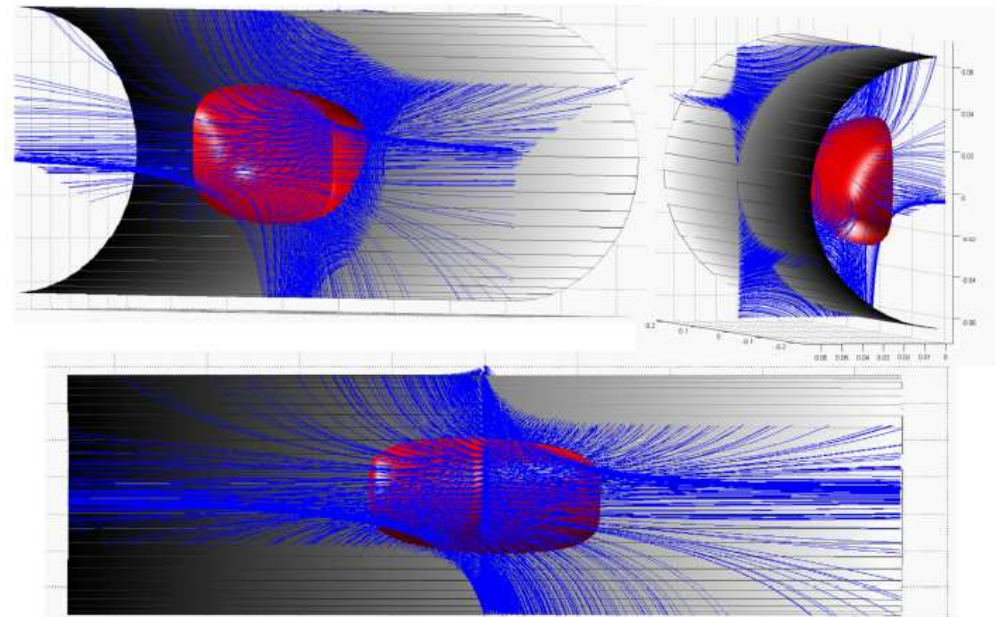
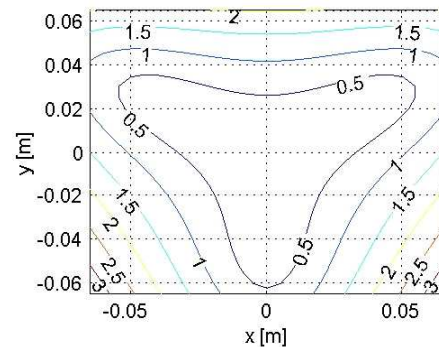
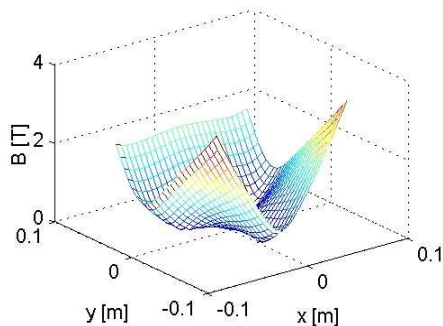
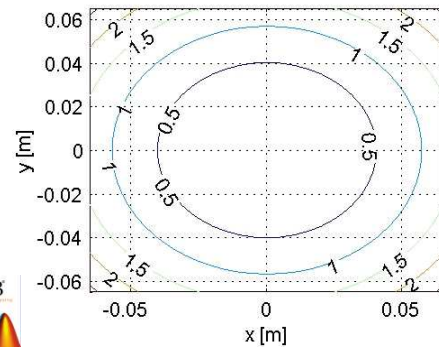
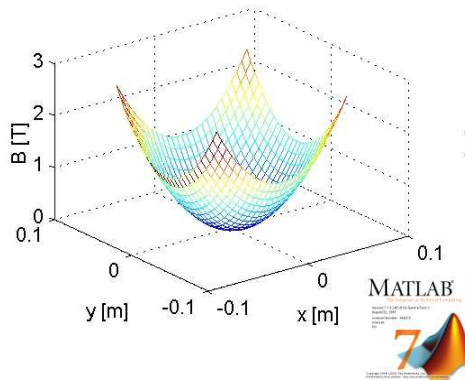
$$B_y = -B_1 yz + 2S(x^2 - y^2)$$

$$B_z = \begin{cases} -B_0 + B_{inj} z^2 & \forall z < 0 \\ -B_0 + B_{ext} z^2 & \forall z > 0 \end{cases}$$

Hexapolar field



Solenoids' field



Modeling of electron and ion dynamics with Monte-Carlo calculations

COLLISIONS

1. The most probable collision type are the electrostatic i-i and e-e multiple collisions with velocity rotation of 90°
2. Collision position is determined by comparing a randomly extracted number in the range 0-1 with the collision probability

$$(0 < rnd < 1) < P(t) = 1 - \exp\left(-\frac{t}{\tau_{coll}}\right)$$

The collision time is given by:

$$\tau_{coll} = \frac{M_{i,e}^2 2\pi\epsilon_0^2 v_{i,e}^3}{n_e z^4 e^4 \ln \Lambda}$$

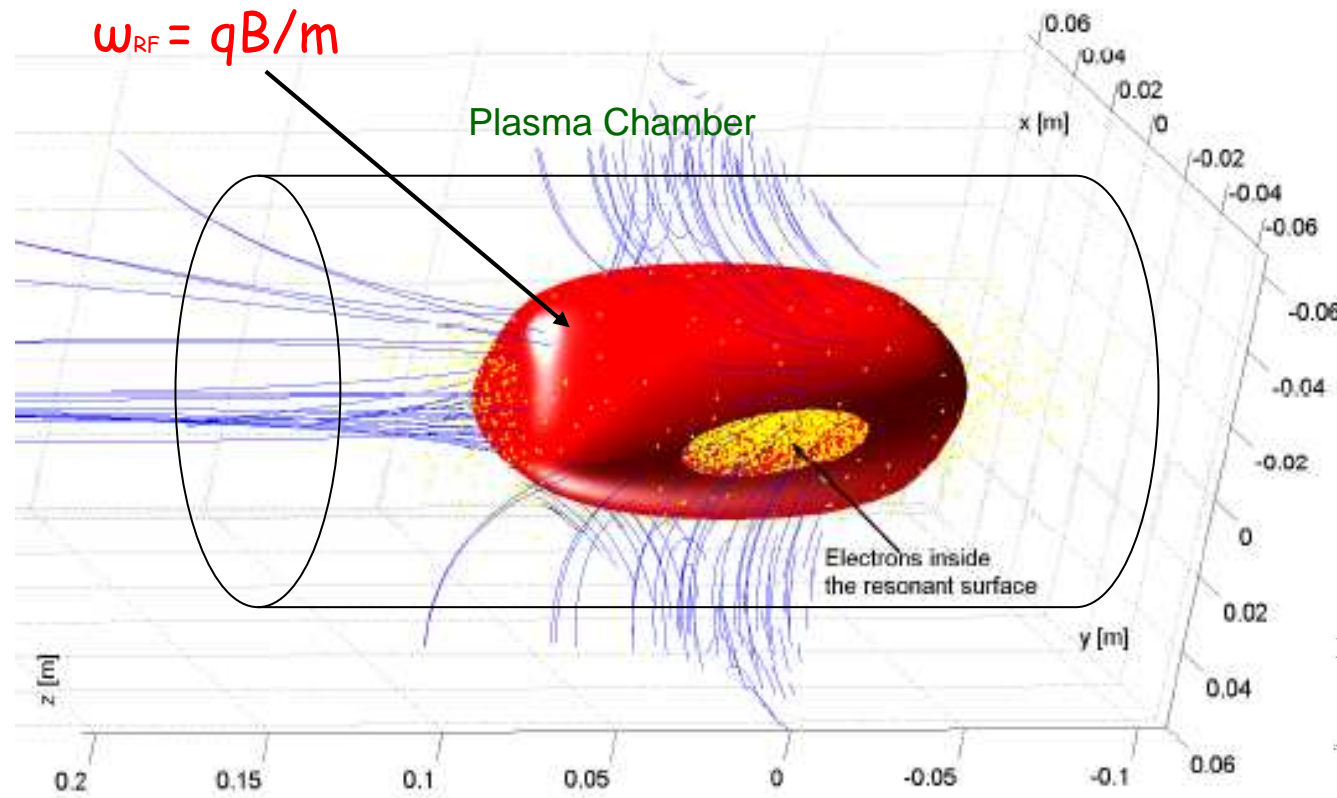
Where the plasma density is an input parameter

$$n_{ECRIS}(x, y, z) = 0.3n_{cutoff} + \sum_i h n_{cutoff} \exp\left\{-\frac{[B_{tot}(x, y, z) - (B_{ECR} - ki)]^2}{k^2}\right\}$$

This formula is a parameterization of plasma distribution coming out from simulations

Modeling of electron and ion dynamics with Monte-Carlo calculations

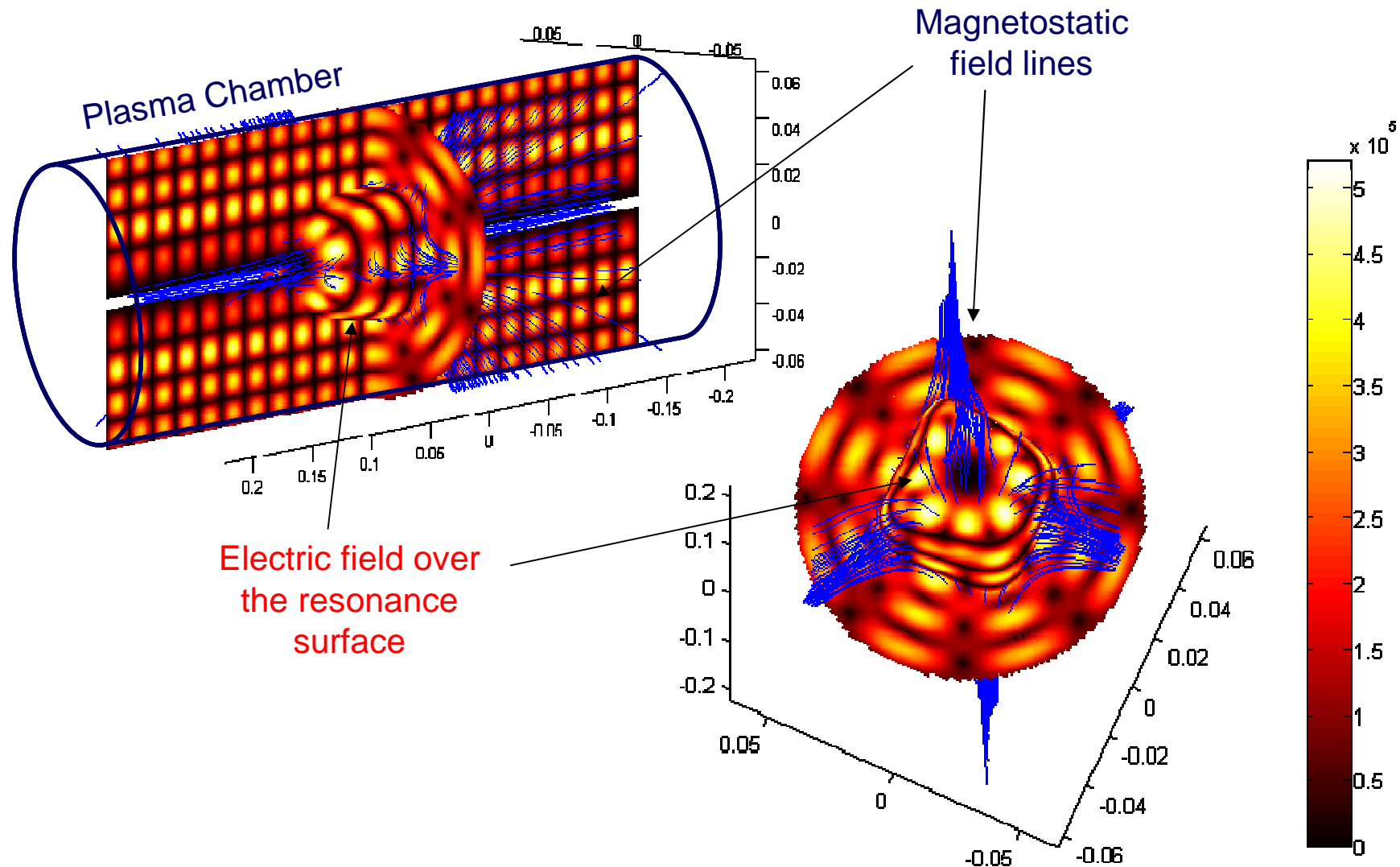
Simulation of electron and ion distribution at $t=0$



| | |
|--------|----------------------|
| RED | Resonant Surface |
| BLUE | Magnetic Field lines |
| YELLOW | Plasma Electrons |

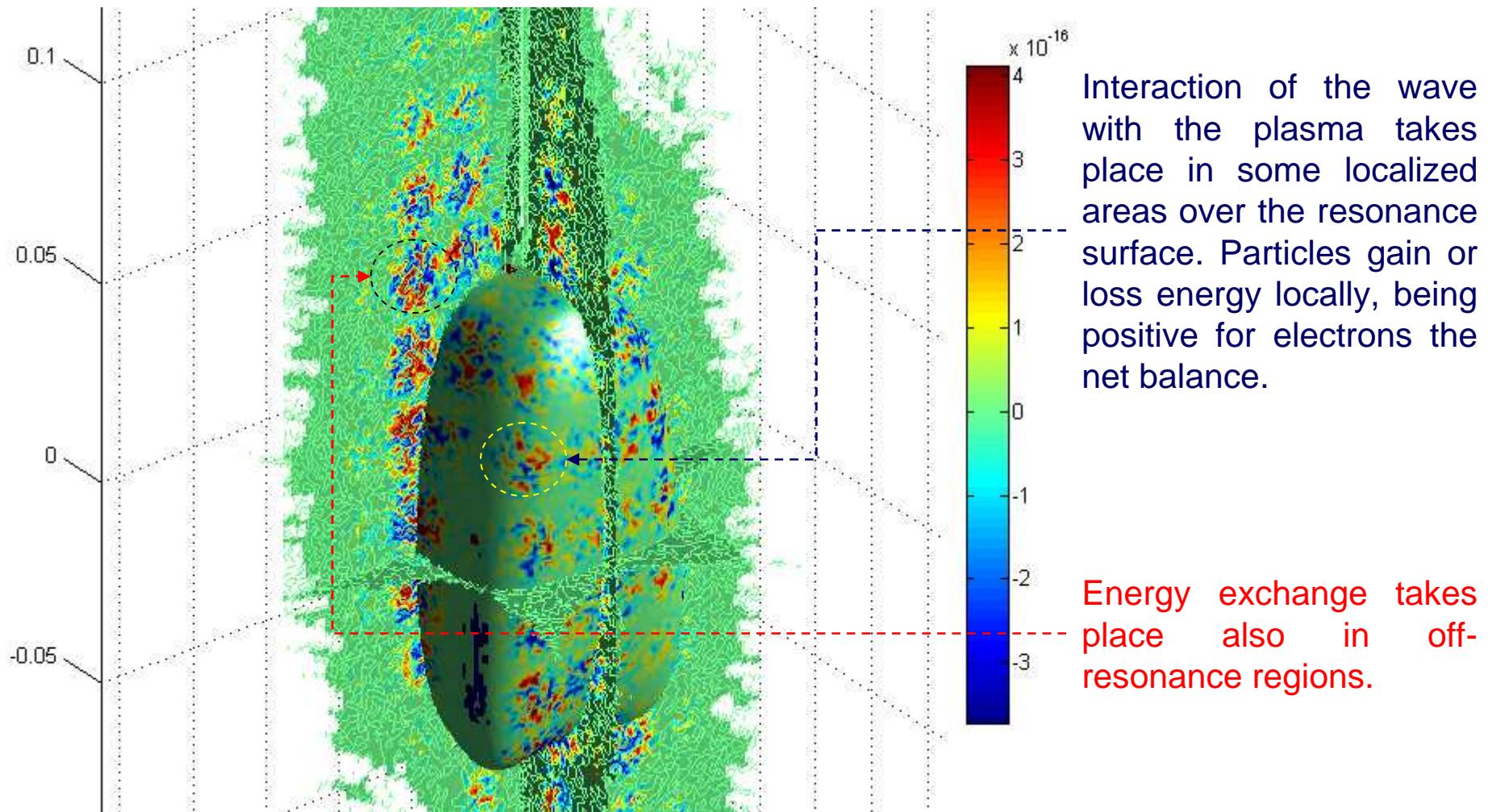
Modeling of electron and ion dynamics with Monte-Carlo calculations

Inner cavity electric field distribution for the TE_{4 4 23}
mode close to 14 GHz



Modeling of electron and ion dynamics with Monte-Carlo calculations

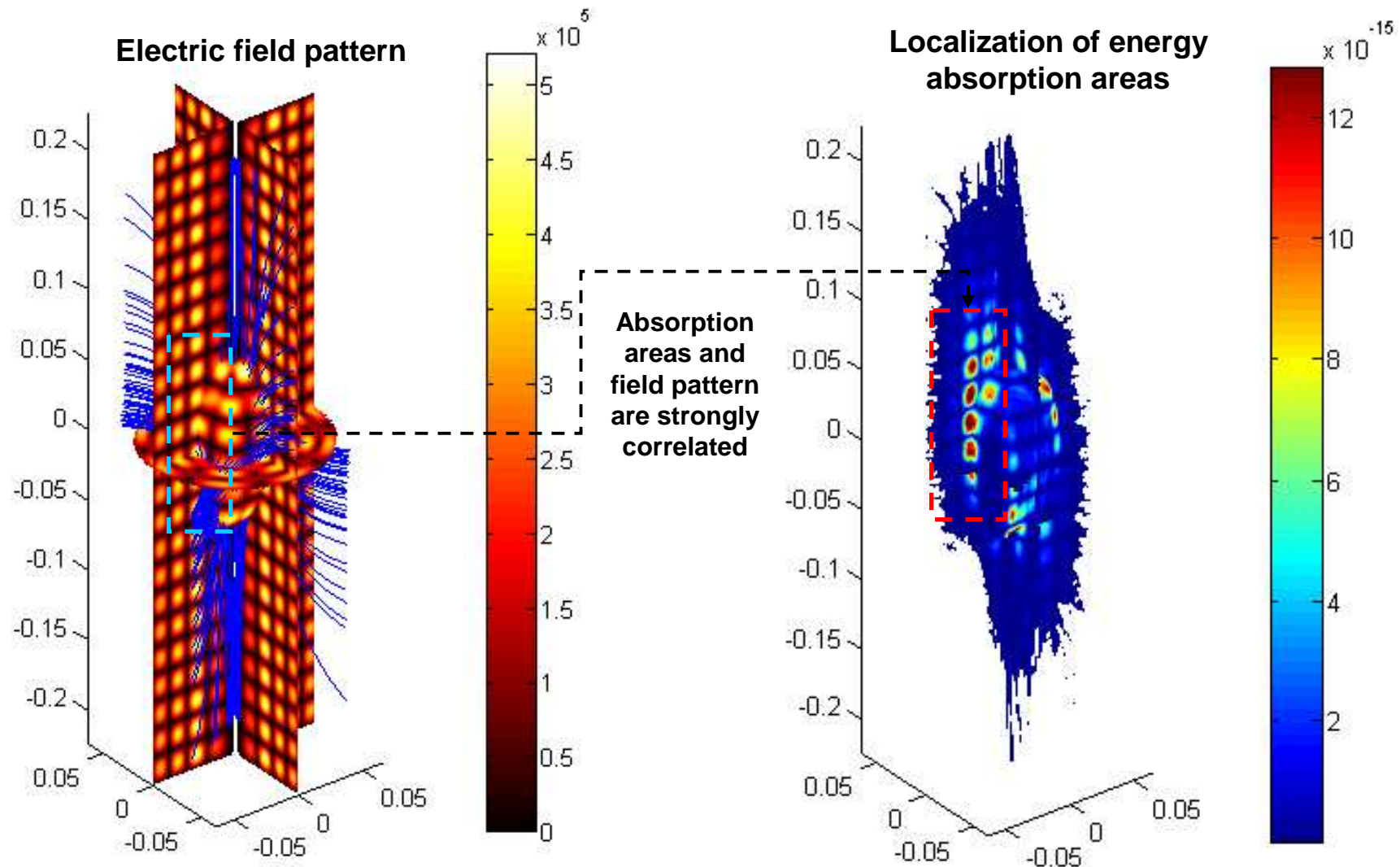
Localization of electrons energy absorption during $5 \mu\text{s}$



Off resonance interaction between wave and electrons must be more deeply investigated: relativistic effects (Doppler, mass)? It may be linked to ultra-hot electrons...

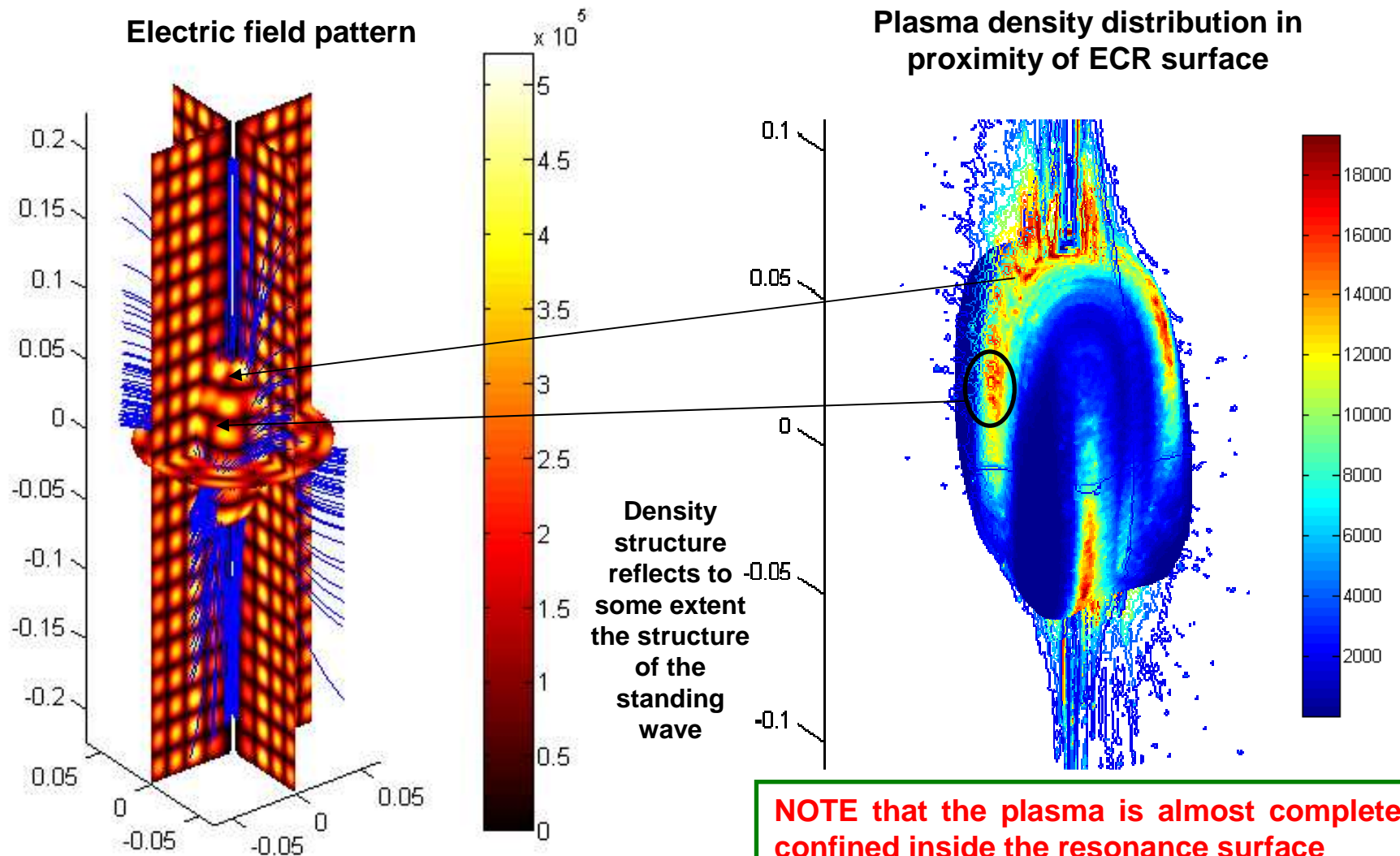
Modeling of electron and ion dynamics with Monte-Carlo calculations

The pattern of the electromagnetic field influences
strongly the localization of absorption areas



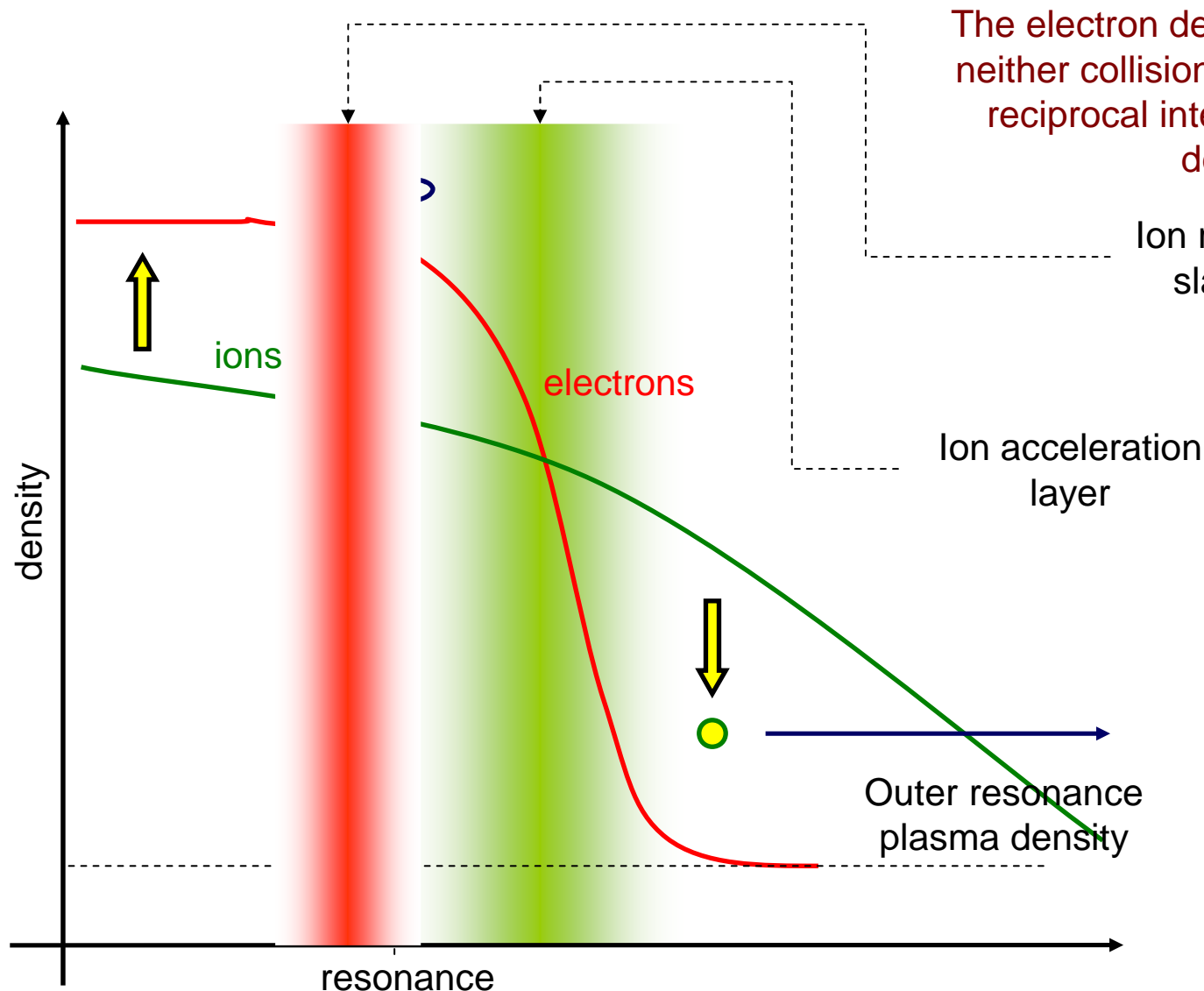
Modeling of electron and ion dynamics with Monte-Carlo calculations

The pattern of the electromagnetic field influences also
the plasma density distribution



Modeling of electron and ion dynamics with Monte-Carlo calculations

The dynamical model of ion confinement

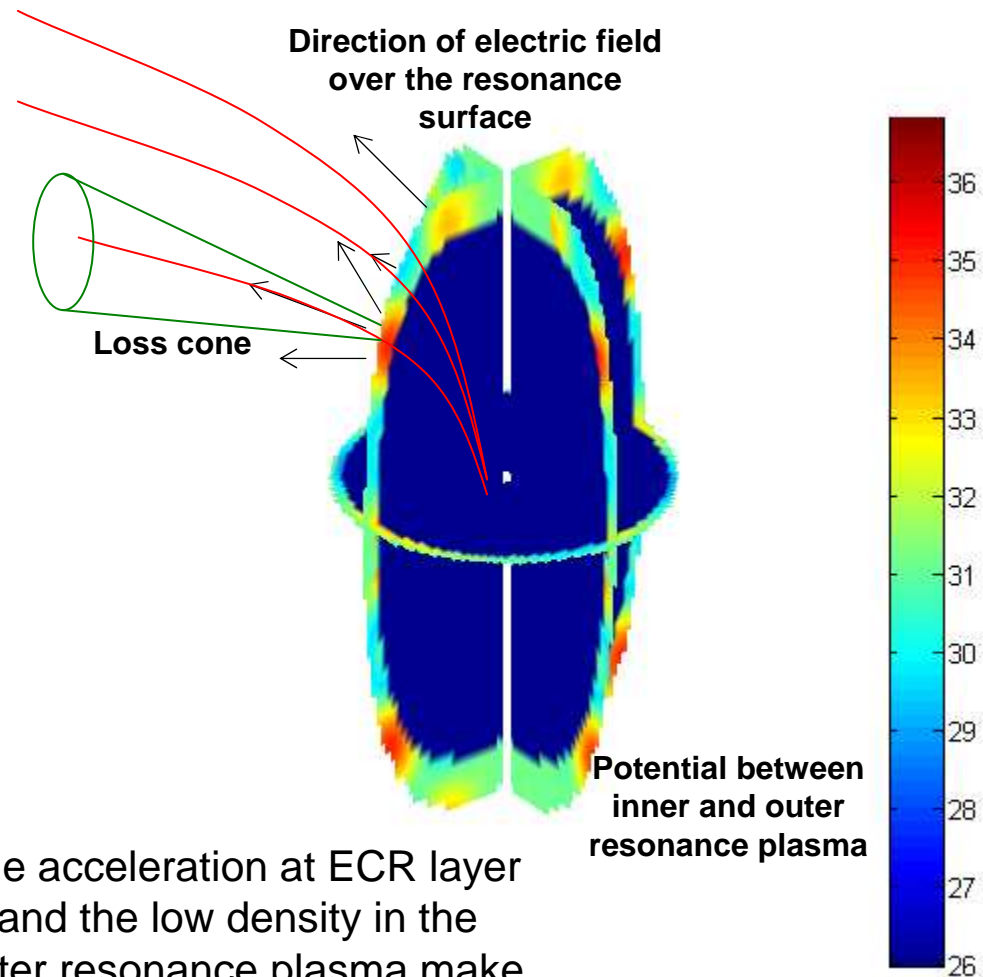
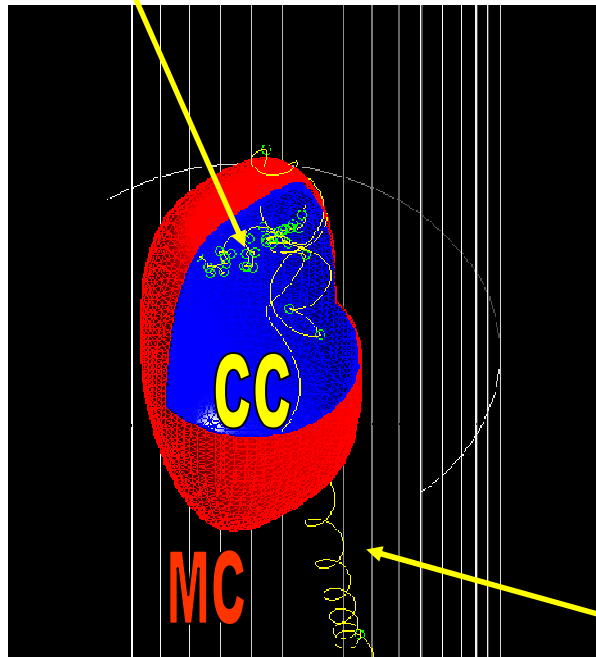


1. Ions must adapt their density shape to the electrons one
2. For doing this they must be partially reflected, partially accelerated at resonance boundary.
3. Are magnetically confined in the outer res. region

Modeling of electron and ion dynamics with Monte-Carlo calculations

The injection of ions inside the loss cone depends strongly on the mutual orientation of electric field and magnetic lines over the resonance surface

Inner resonance motion is governed by collisions.



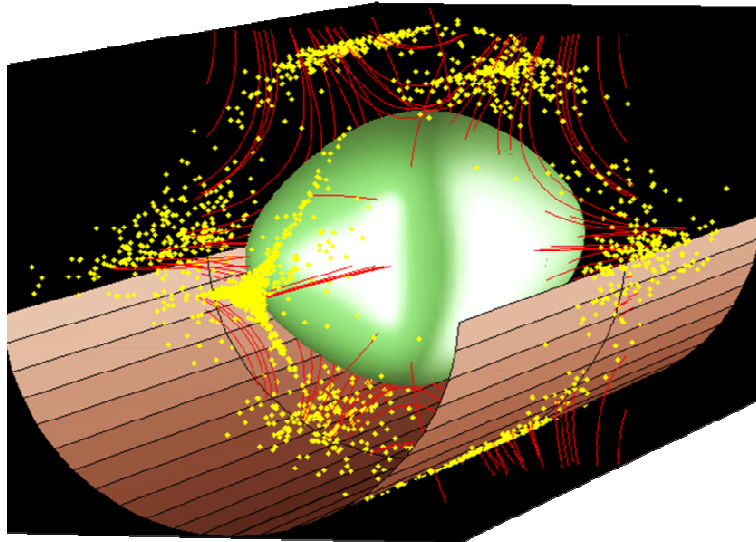
The acceleration at ECR layer and the low density in the outer resonance plasma make the ions magnetically confined

Preliminary results on Ion Dynamics and Beam Formation presented at ICIS 2009

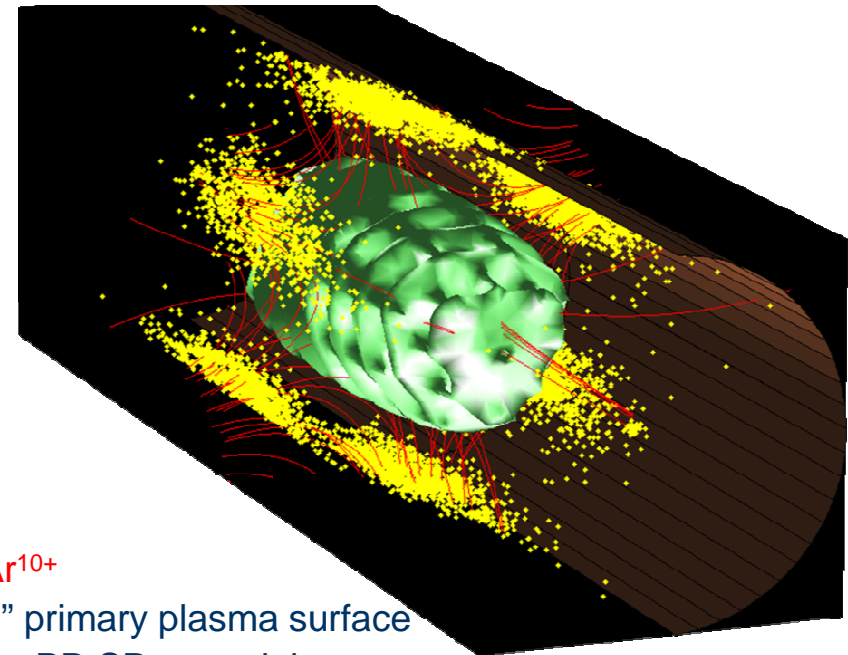
Corrugation of the primary plasma surface:

At first approximation it was assumed to be the same of the electromagnetic field pattern

[D. Mascali et al. *Plasma ion dynamics and beam formation in Electron Cyclotron Resonance Ion Sources*, Rev. Sci. Instrum.]



Simulated Ar¹⁰⁺
Smooth primary plasma surface
30 V of PP-SP electrostatic potential



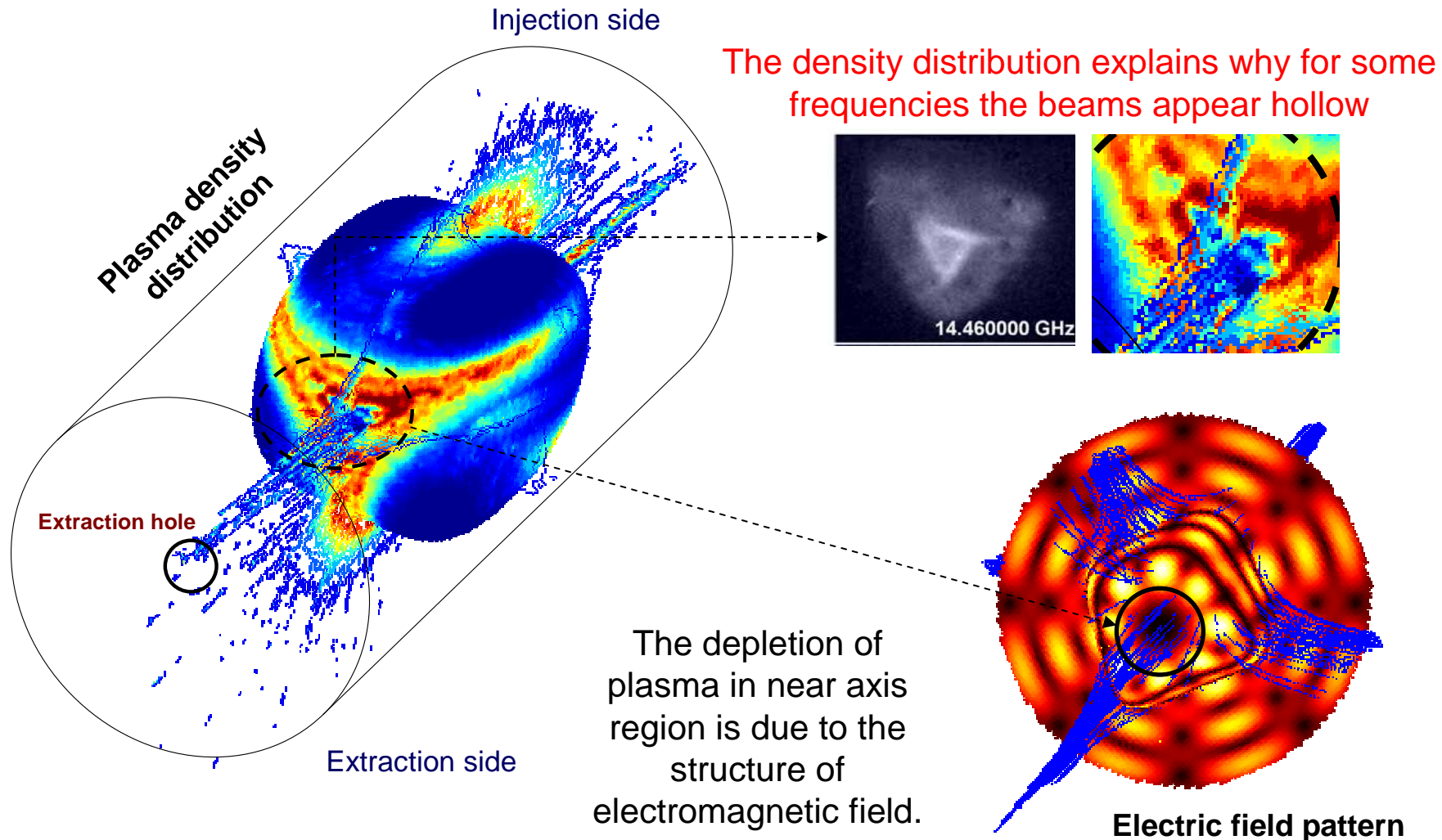
Simulated Ar¹⁰⁺
“Corrugated” primary plasma surface
30 V of mean PP-SP potential

Ion lifetime depends strongly on corrugation, mean value of accelerating potential and inner resonance plasma density. Recent simulations estimate $\tau_i \sim 0.5-3$ ms, according to density fluctuations.

Also the beam formation and handling may take advantage from Frequency Tuning

Modeling of electron and ion dynamics with Monte-Carlo calculations

Hollow beams are probably a consequence of plasma depletion
in the near axis region



CONCLUSIONS

Hypothesis 3.1 is confirmed by calculations:

1. different modes affect differently the **heating rate**;
2. Density non-uniformity can make shorter the **ion lifetime τ_i** . Although the density n_e remains about unchanged: Q decreases.
3. tuning of frequency may restore conditions of good axial confinement, removing the hollow shape of extracted beam, and positively affecting the **emittance**.

Perspectives and next steps

Computer simulations must be optimized in order to give more reliable results:

we are trying to migrate the code on GRID:

180 CPU available, 10000 e/day

1. The initial assumed distribution of ion positions must be chosen self-consistently with electron distribution after $5\mu\text{s}$
2. Ionization must be taken into account, in order to visualize where ions are preferably generated
3. Matching of plasma simulation with extraction simulations is one of the most important goals
4. The code can be used also to check for electron and ion dynamics on long timescales when the magnetic field profile is changed.

Therefore for additional results and news....

See you in Giardini-Naxos –TAORMINA!!!



ICIS 2011

