

# Recasting Higgs Data II

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# Solutions on the market

How are these issues dealt by now :

- ▶ Obtaining the efficiencies
  - ▶ Espinosa et al.([12.07.1717](#)), Belanger et al. ([1212.5244](#)), Cacciapaglia et al.([1210.8120](#)) ... among others
- ▶ Include correlations
  - ▶ Giardino et al. ([1303.3570](#)), Corbett at al. ([1211.4580](#)) ... among others

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- ▶ **First method** : Private communications
  - ▶ **Pros** : Exact result. **Cons** : quite not practical
- ▶ **Second method** : Estimate through event generator
  - ▶ **Cons** : Approximate results and little reliability.  
Somehow tedious.
  - ▶ **Pros** : Can be done systematically.
  - ▶ Also, some discrepancies may cancel since we are only interested in ratios of efficiencies.

# Correlations

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- ▶ **But** there are more correlations :

$$\sigma_{gg \rightarrow H+0j}, \sigma_{gg \rightarrow H+1j}, \sigma_{gg \rightarrow H+2j}$$

have significant uncertainties

$$\sigma_{gg \rightarrow H+X}$$

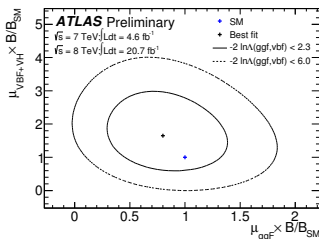
is more precise  $\rightarrow$  **correlation (0j,1j,2j)**



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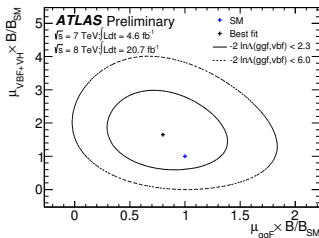
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- ▶ The  $\chi^2$  can be read at once.
  - ▶ It does include the efficiencies exactly.
  - ▶ It includes correlations between productions modes.

# Drawbacks

- ▶ Force assumptions on the model :
  - ▶  $\bar{t}tH$  and  $gg \rightarrow H$  do not contribute at the same time  
    ➔ so  $H \rightarrow \bar{b}b$  OK
  - ▶ Need some custodial symmetry to have  $\kappa_{VBF} = \kappa_{VH}$ .
  
- ▶ Misses correlations :
  - = production mode &  $\neq$  decays do have correlations
  
- ▶ What about varying  $m_H$ ?

## Going further : the precise likelihood

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  - ▶ Not tied only to Higgs data
  - ▶ RooStats workspace → Let us ask Sezen...
  - ▶ Sparse grid : we do not need that many points.

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- ▶ Or maybe just a sketch ?
  - ▶ Suggestion in [Giardino et al. 1303.3570](#))
    - Gaussian approximation in the parameter space
  - ▶ Free parameters for all productions and decays → O(10) parameters

$$\mathcal{L}(\kappa) = \frac{1}{2} \kappa_i \mathbf{M}_{ij} \kappa_j$$

- ▶ only needs a  $10 \times 10$  matrix.

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- ▶ **Requirement** : We need to be in the statistical asymptotic regime.
  - ▶ Not if we have more and more subchannels
  
- ▶ **One parameter** per production mode may not be enough :
  - ▶ Effective lagrangian  $\mathcal{L}_{\text{eff}} \supset k_W HW_\mu W^\mu + k'_W D_\mu HW^{\mu\nu} W_\nu$   
 $\neq$  Lorentz structure have  $\neq$  efficiencies
  
- ▶ And what about BDT?
  - ▶ Trained on SM samples.

# Main questions

- ▶ What should theorists use if not full  $\mathcal{L}$ ?
  - ▶ Are 2D plots enough?
  - ▶ Get the mass dependence.
  - ▶ Which approximating function for  $\mathcal{L}$  (Gaussian, Grid interpolation)?
  
- ▶ How do we assess accuracy of each method?